



NASA CR-159,123

NASA CONTRACTOR REPORT 159123

NASA-CR-159123

1980 0007164

CARE III FINAL REPORT

PHASE I

VOLUME II

J. J. Stiffler, L. A. Bryant, L. Guccione

RAYTHEON COMPANY
SUDBURY, MASSACHUSETTS 01776

PREPARED UNDER
NASA CONTRACT NAS1-15072

FOR
NASA LANGLEY RESEARCH CENTER
HAMPTON, VIRGINIA

AIR FORCE AVIONICS LABORATORY
WRIGHT PATTERSON AIR FORCE BASE, OHIO

NOVEMBER 1979



National Aeronautics and
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N80-15424

1. Report No. NASA CR-159122		2. Government Accession No.		3. Recipient's Catalog No.	
4. Title and Subtitle CARE III Final Report, Phase I, Volume II				5. Report Date November 1979	
				6. Performing Organization Code	
7. Author(s) J. J. Stiffler, L. A. Bryant, L. Guccione				8. Performing Organization Report No.	
9. Performing Organization Name and Address Raytheon Company Sudbury, MA 01776				10. Work Unit No.	
				11. Contract or Grant No. NAS1-15072	
12. Sponsoring Agency Name and Address National Aeronautics and Space Administration Langley Research Center, Hampton, VA 23665 Wright Patterson Air Force Base Air Force Avionics Laboratory, Dayton, Ohio				13. Type of Report and Period Covered Contractor Report	
				14. Sponsoring Agency Code LARC, WPAFB	
15. Supplementary Notes NASA, Project Engineer, Salvatore J. Bavuso WPAFB, Technical Monitor, Lt. Barry Baxley					
16. Abstract This report describes the work done during the first phase of a two-phase effort to develop a computer program to aid in assessing the reliability of fault-tolerant avionics systems. The overall effort consists of five major tasks: 1) Establish the basic requirements that must be satisfied if the program is to achieve its over-all objective. 2) Define a general program structure consistent with these requirements. 3) Develop and program a mathematical model relating the reliability of a fault-tolerant system to the (not necessarily time-independent) failure rates and coverage factors characterizing its various elements. 4) Develop and program a mathematical model for evaluating the coverage (probability of successful recovery) associated with any given fault as a function of the type and location of the fault, the applicable fault detection and isolation mechanism, and the number and status of prior faults. 5) Develop and program a procedure whereby a user of these models can accurately and conveniently specify the configuration of the system to be evaluated and the constraints influencing its ability to recover from faults. The first three of these tasks were completed during Phase One; the resulting requirements, program structure, and reliability model are discussed in detail in Volume I of this report, along with the tradeoffs and sample reliability assessments made in arriving at the approach finally taken. The Computer Program Requirements Document is contained in Volume II. This latter volume also includes several appendices containing computer print-outs and other ancillary material supporting the conclusions presented in Volume I.					
17. Key Words (Suggested by Author(s)) Fault-Tolerant Avionics Systems, Reliability Modeling, Fault Coverage, Fault Models			18. Distribution Statement		
19. Security Classif. (of this report) Unclassified	20. Security Classif. (of this page) Unclassified	21. No. of Pages	22. Price*		

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REFERENCES

CARE III COMPUTER PROGRAM REQUIREMENTS DOCUMENT

1.0 SCOPE

1.1 IDENTIFICATION

This specification establishes requirements for performance, design, test and evaluation of the Computer-Aided Reliability Estimation System (CARE III).

1.2 FUNCTIONAL SUMMARY

The CARE III system will be a general-purpose fault-tolerant computer reliability estimation tool. It will be written based on a Modularized Direct Access Information System containing three main modules:

- a. Batch or interactive input processor:
CAREINB or CAREINI
- b. Coverage calculator: COVRGE
- c. Reliability estimator: CARE3

2.0 APPLICABLE DOCUMENTS

1. CARE III Final Report, Phase 1; ER79-4102; 18 April 1979
2. CARE II Reliability Model Final Report, ER74-4108, 25 March 1974

3.0 REQUIREMENTS

3.1 SYSTEM PERFORMANCE

The CARE III system will provide an interactive or batch environment for data input. It will also provide the capability of modeling at least 40 stages with N state-operating modes and multiple dependencies across stages, i.e., n-coupled stages.

To perform as specified, a modular design for the system is being proposed. Due to the recursive processing required when computing the computer configuration's reliability, certain storage limitations occur as the number of coupled stages increases. These items are detailed in the following subsections, 3.1.1 and 3.1.2.

3.1.1 MODULAR DIRECT ACCESS INFORMATION SYSTEM DESIGN

The CARE III system can be written and executed very efficiently if the system is split into independent modules. In this manner, core requirements are kept at a minimum because at any one point the only section of the system loaded into core for execution is the section currently required. Splitting the system into separate programs representing specific functions also readily organizes for the user exactly what set of inputs is currently required. Then, given a modularized design, the input processor routine can interactively generate files for subsequent reliability runs in the batch mode. These files can be made permanent disk files for later modification runs.

With this approach, it is recommended that the CARE III system consist of three main programs: CAREIN($\frac{I}{B}$), COVRGE and CARE3.

The main function of routine CAREIN will be to preprocess all inputs required for defining the type of computer configuration to be modeled, and to preprocess the necessary inputs required to define coverage functions and Detection/Isolation/Recovery mechanisms. This system definition input will be stored in a random (word-addressable) file through the use of mass storage input/output (MSIO) subroutines controlled by CDC Record Manager. This file will later be accessed by programs COVRGE and CARE3 and used to compute the model's reliability. This file will also contain all non-overridden parameter defaults and can be later modified without having to completely redefine the model.

The following describes one such usage of this "Direct Access Information System" approach for a series of four computer runs using a batch environment.

- RUN #1 - Define the computer configuration and have its reliability computed.
- RUN #2 - Add coverage values to the model and have the reliability computed.
- RUN #3 - Define Detection/Isolation/Recovery functions, and test the model's reliability by defining certain D/I/R mechanisms using these functions.
- RUN #4 - Define a second set of D/I/R mechanisms using the previously defined functions, and test the model's reliability.

If the input program was run in an interactive environment, the model would first be defined interactively and then the reliability computation program could be submitted for execution in the batch mode. Later modifications or additions to the model could then be made interactively, and the program submitted for execution again.

This modularized approach will cut operational costs due to the random file input approach, which will save data between runs, thus eliminating the need to reinput data. Also core size will be reduced by this approach which leads to a cost savings.

3.1.2 STORAGE LIMITATIONS

The CARE3 program recursively computes each subsystem's reliability based on the computation of each state vector's probability; where the subsystem's state vectors represent combinations of possible failed units. The loop structure required to compute all required state vectors is based upon computing "sets" of state vectors (see CARE III Final Report, Section 4.4.2). This structure requires that only two sets of state vectors be in memory at any one time. Even with this complex method for defining the recursive state vectors, the array (denoted QLT) required to contain these two sets becomes enormous as the number of coupled-stages per subsystem increases.

The capability of modeling up to 40 stages can be met by concatenating several runs, each run modeling fewer than 40 stages. In order to couple n-stages, the maximum of the number of failed units allowable in each stage (denoted MFU) + 1 is used to determine the maximum possible coupled-stages. As an upper bound on the QLT array size, $100,000_8$ (32768_{10}) words will be used in the following equation to determine maximum n-stages (coupled) given MFU for 51 time steps per vector.

The upper bound equation is $MFU^n - (MFU-2)^n \leq 100,000_8/51$ time steps per vector which yields the following chart for MFU versus n-stages (coupled).

<u>MFU per Stage</u>	<u>n-stages (Coupled)</u>
2	9
3	5
4	4
5	4
6	3
7	3
8	3
9	3
10	3
11	3
12	2
⋮	⋮
MAX (TBSL)	2

Chart 3-1

The above equation assumes that each stage per subsystem can have MFU failures. A utility routine MAXCPLD exists to determine if the QLT array will overflow for a given number of stages having a specified number of units per stage, survivors per stage and number of time steps.

For illustrative purposes, the following chart shows a computer system with eight subsystems; i.e., eight concatenated runs are required to compute this system's reliability and the number of coupled stages allowed given the required MFU's.

3.2 ENVIRONMENT

3.2.1 EQUIPMENT CONFIGURATION

The CARE III system shall be written to run on CDC computers which support CDC FORTRAN Extended 4 language. The disk files used within the system will be random, word addressable files

Stage	Initial Configuration (No. of Units)		No. of Survivor Units	No. of Possible Failed Units (including 0 failures)	Maximum of the Failed Units (MPU) per stage
1	15	*	2	14	14
2	9	coupled subsystem 1	2	8	
3	5		2	4	
4	7	coupled subsystem 2	3	5	5
5	5		2	4	
6	5		1	5	
7	4	coupled subsystem 3	2	3	3
8	2		1	2	
9	3		2	2	
10	4	coupled subsystem 4	2	3	6
11	3		1	3	
12	3		1	3	
13	8	coupled subsystem 5	3	6	16
14	7		2	6	
15	6		2	5	
16	20	independent subsystem 6	5	16	6
17	15		3	13	
18	10		5	6	
19	8	independent subsystem 7	3	6	6
20	5		2	4	
		independent subsystem 8			4

* NOTE: Subsystem 1 has three coupled-stages even though Chart 3-1 shows that for an MPU of 14 only two stages can be coupled. Because the other stages in this subsystem allow a lot fewer than 14 possible failed units, it is possible to couple these three stages.

Chart 3-2 EXAMPLE OF COUPLING CAPABILITY

controlled by CDC Record Manager.

3.2.2 SOFTWARE CONFIGURATION

The CARE III system shall consist of four main FORTRAN programs, two of which will be the interactive and batch versions of the input processor; the third one will be the coverage model; the fourth one will compute the reliability of the specified computer system being modeled. Each main program shall have a complement of subroutines and functions written mainly in FORTRAN Extended 4 language. A minimal number of routines shall be written in CDC COMPASS 3 language.

3.2.3 INTERFACES

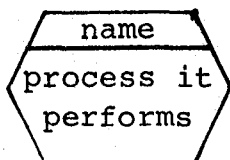
The following flow diagrams depict the proposed design of the CARE III system.

Two text input files are required: one to define the computer configuration and one to aid in the calculation of the coverage model. If coverage is preset per state in the configuration file INFILE, the coverage input file CVFILE need not be defined by the user.

The Direct Access Information System (DAIS) files generated by CARE III are designed to be random, word addressable mass storage files. Each record within these files can be accessed with a master index or subindex(es). The DAIS files will contain the processed user input required by programs COVRGE and CARE3. They will be made permanent disk files by CARE III so that they can be modified if desired without having to reinput the entire data set. Thus a second run can use existing files CAREDF and CARECV, after minor modifications have been made to them, by running program CARIN using only an updated portion of the original inputs. This capability is especially

convenient if the user runs the interactive CAREIN program.

The symbol



denotes a separate routine for

which a separate flow diagram exists in the pages following.

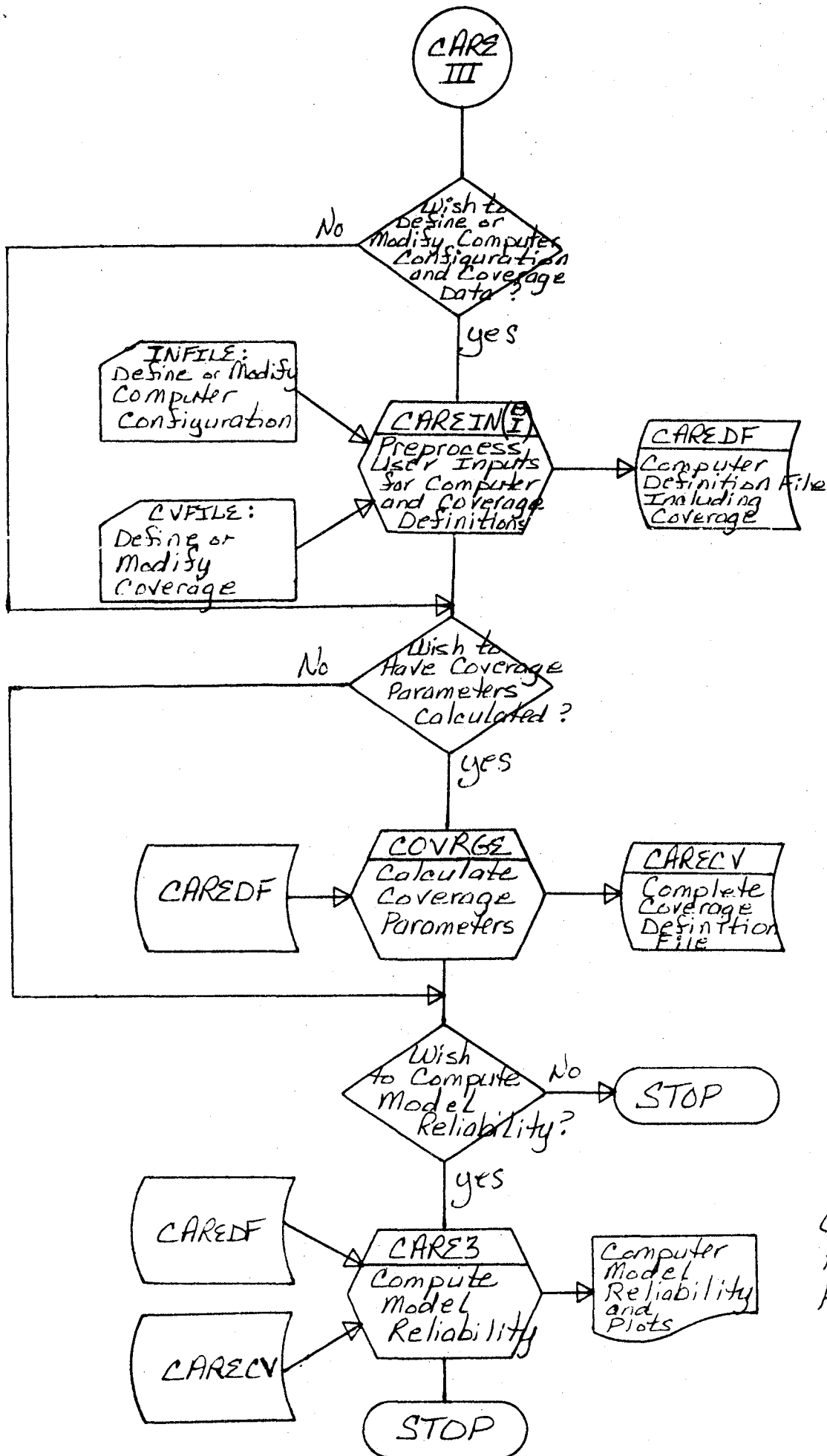
The CAREIN flow diagrams describe the processing of the NAMELIST input commands required, and the creation of the DAIS files. The flow diagrams for COVRGE and CAREIN detail the processing of the DAIS files.

3.3 FUNCTIONAL REQUIREMENTS

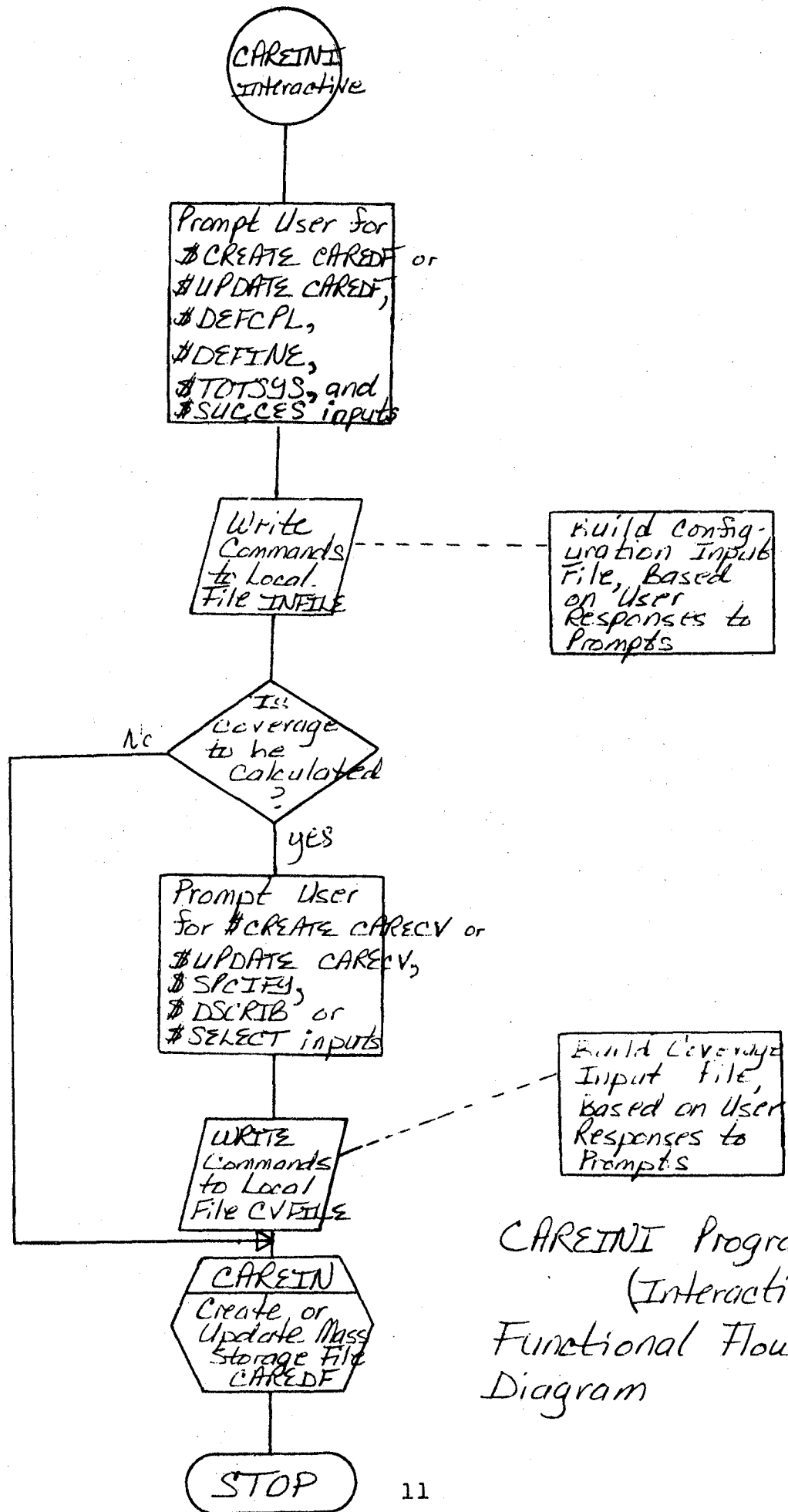
3.3.1 CAREIN INPUT PROCESSOR USING NAMELISTS FOR INPUT COMMANDS

Commands to the CARE system input processor routine CAREIN (Interactive or Batch) will be in the form of FORTRAN NAMELIST groups. The NAMELIST feature of FORTRAN will be used as an input template rather than as a way of defining actual variables in the program. Each necessary input command to CAREIN will be in the form of its corresponding NAMELIST definition within the program. Because each NAMELIST can be used over and over to define the necessary inputs, the user has a general form in which to define all of the data. The program then transfers the data to the CAREDF random access file and the NAMELIST variables are cleared for the next input card.

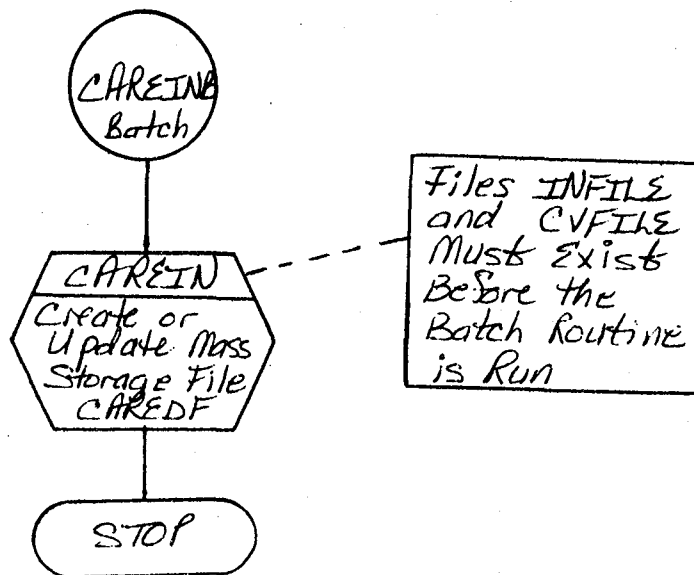
The NAMELIST groups are set up so that each one specifies a different set of commands necessary to run the program.



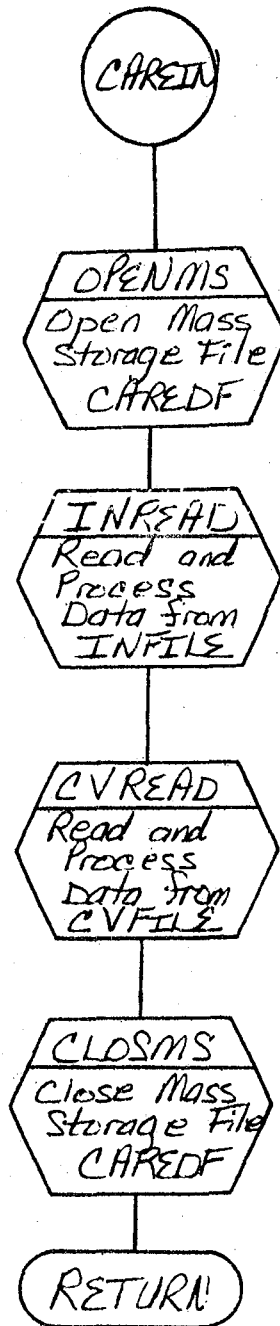
CARE III System
Functional
Flow-Diagram



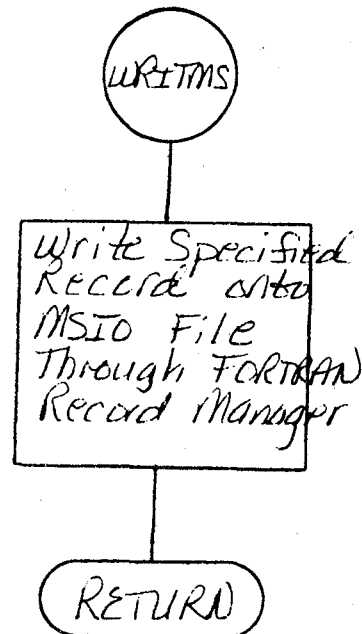
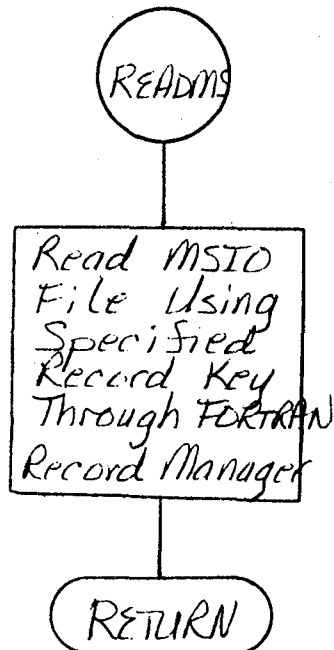
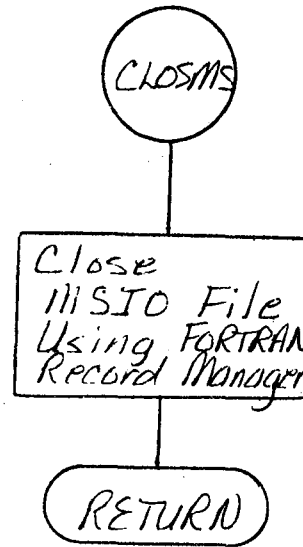
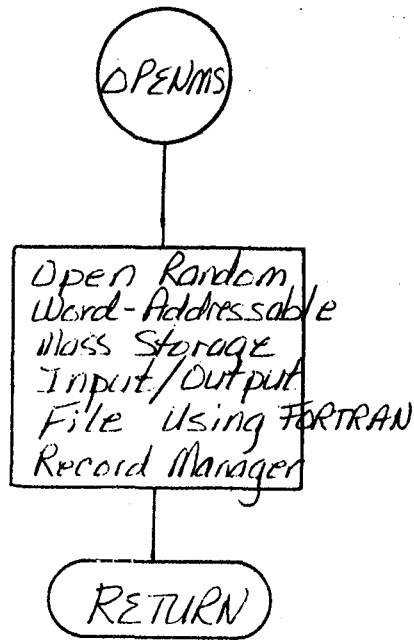
CAREINI Program
(Interactive)
Functional Flow-
Diagram



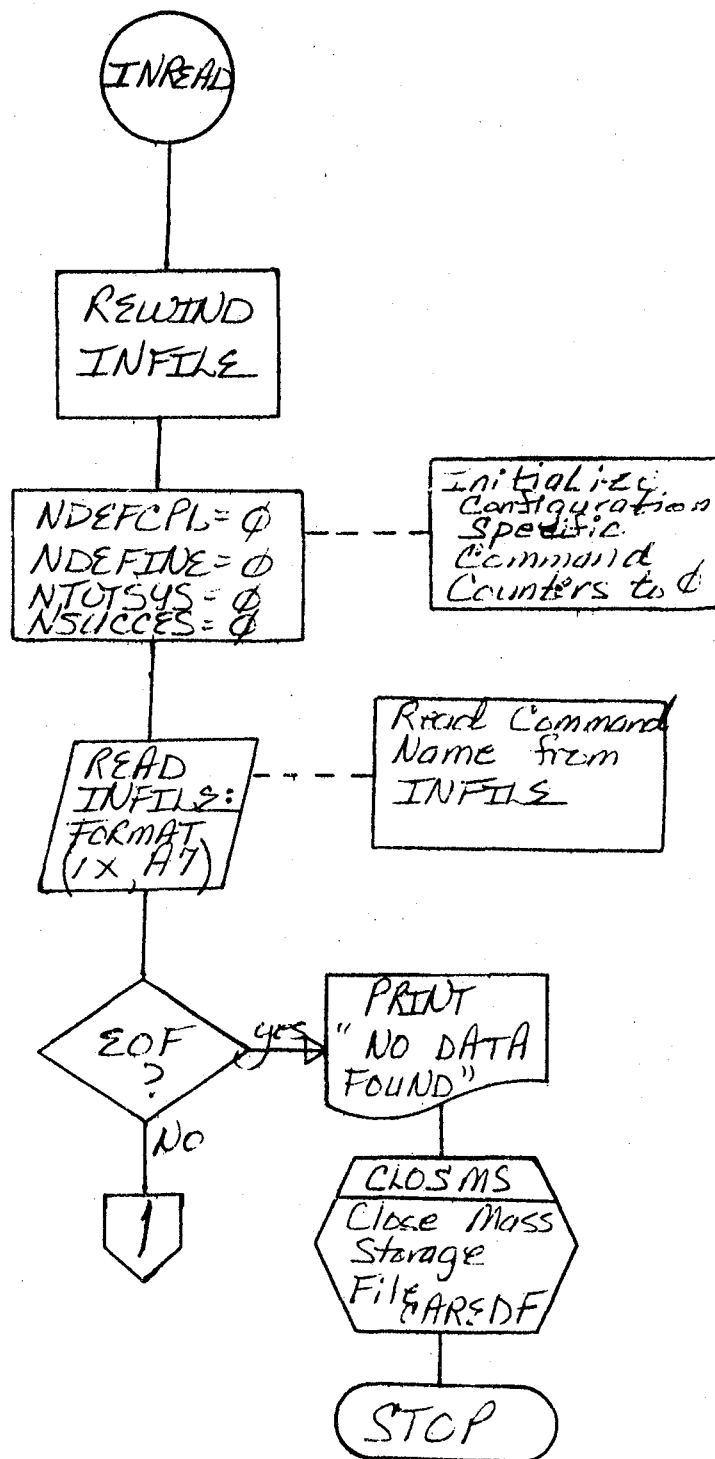
CAREINB Program
(Batch)
Functional Flow-
Diagram



CAREIN Subroutine
Functional Flow-
Diagram

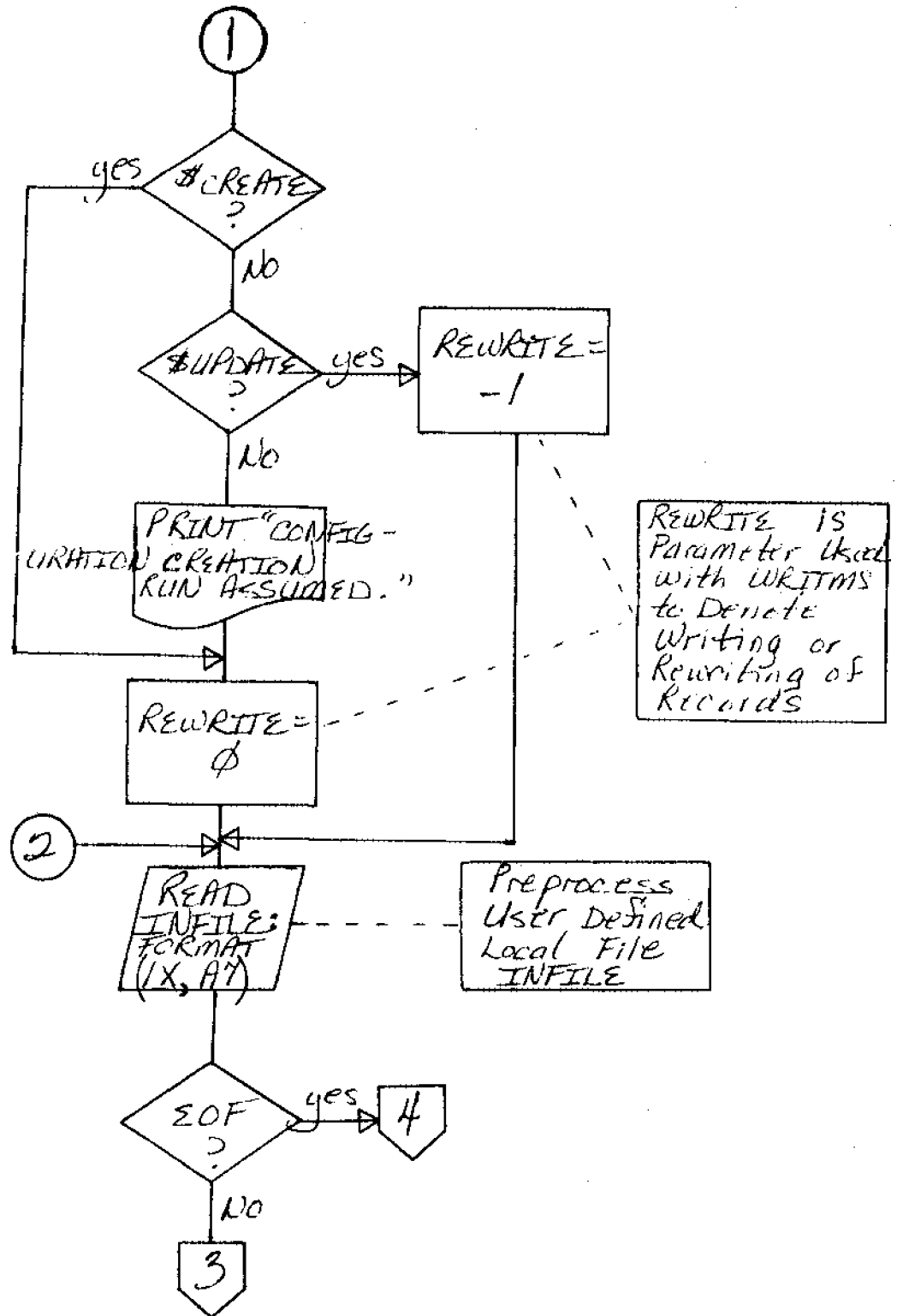


FORTRAN Library
 Routines : OPENMS
 CLOSMS
 READMS
 WRITMS



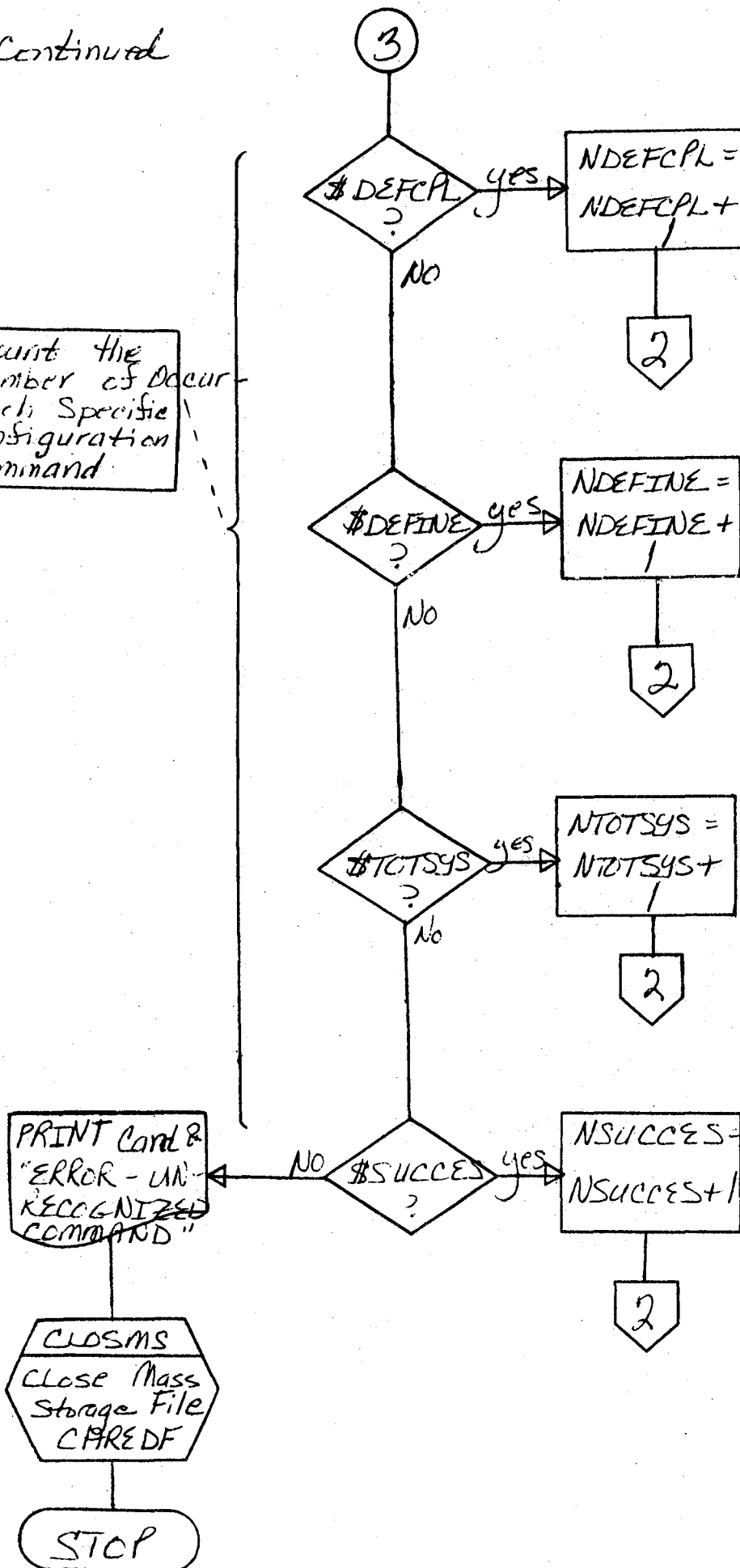
INREAD Subroutine
Function Flow-
Diagram

INREAD continued

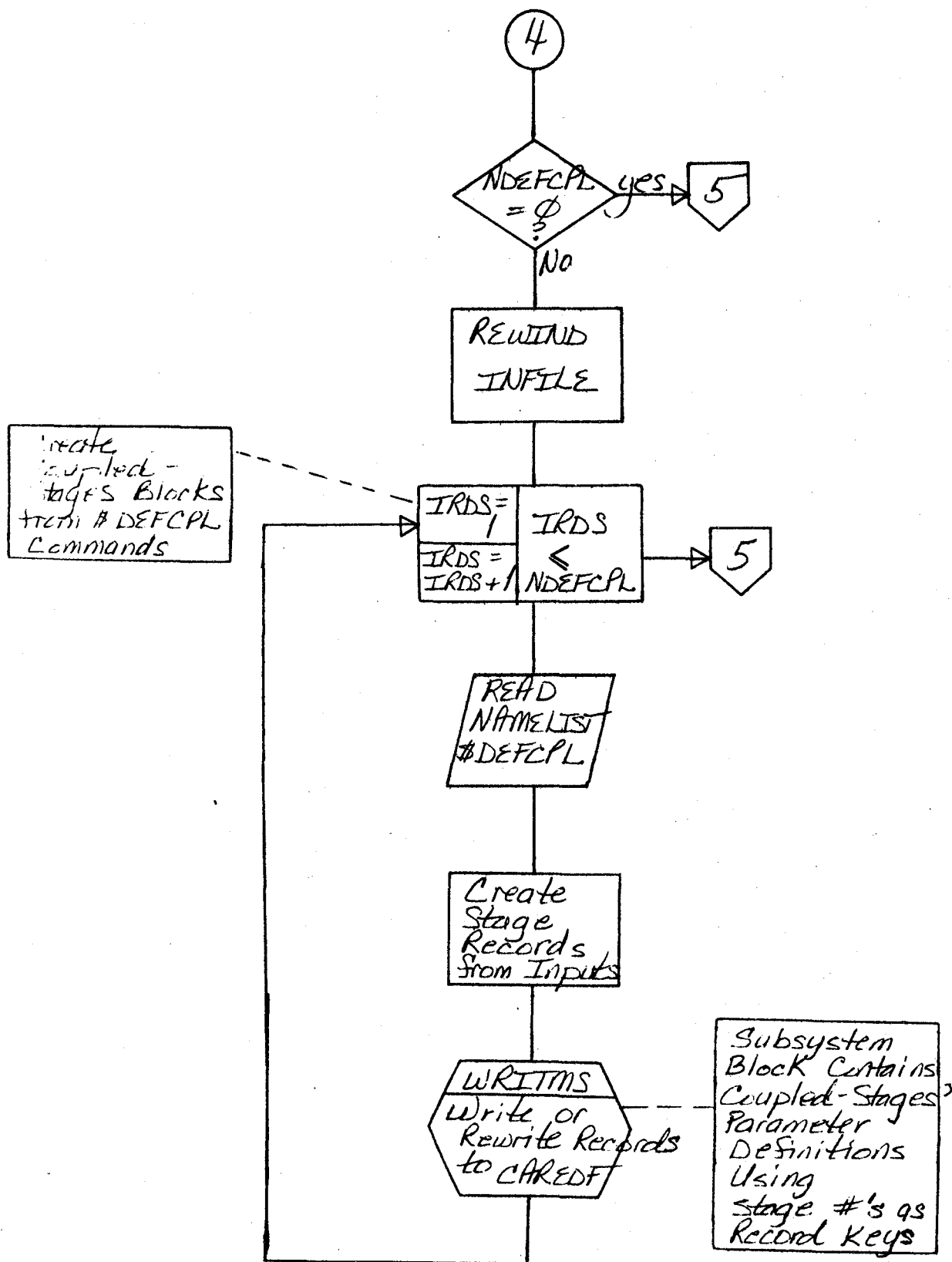


INREAD Continued

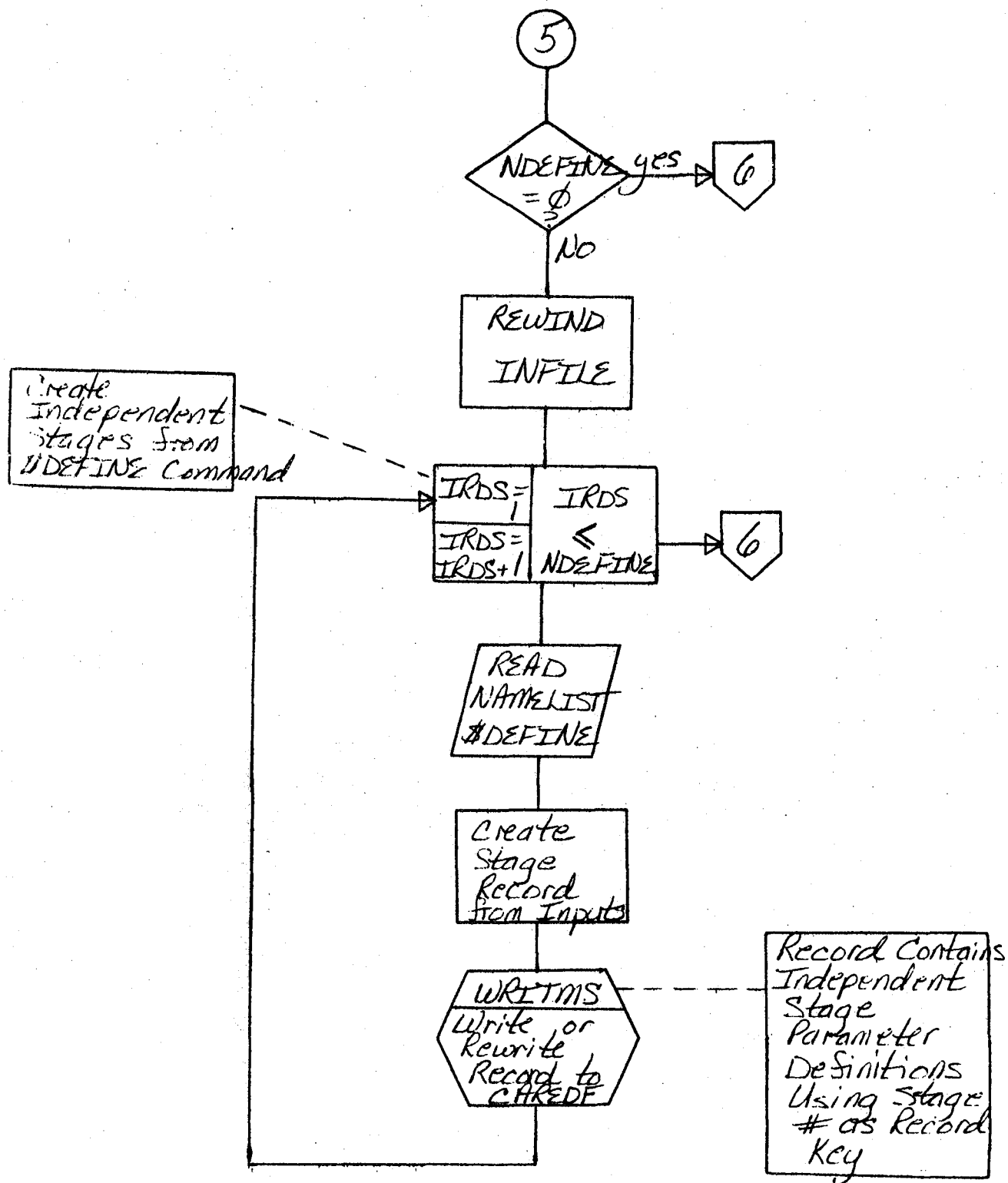
Count the Number of Occurrences of Each Specific Configuration Command



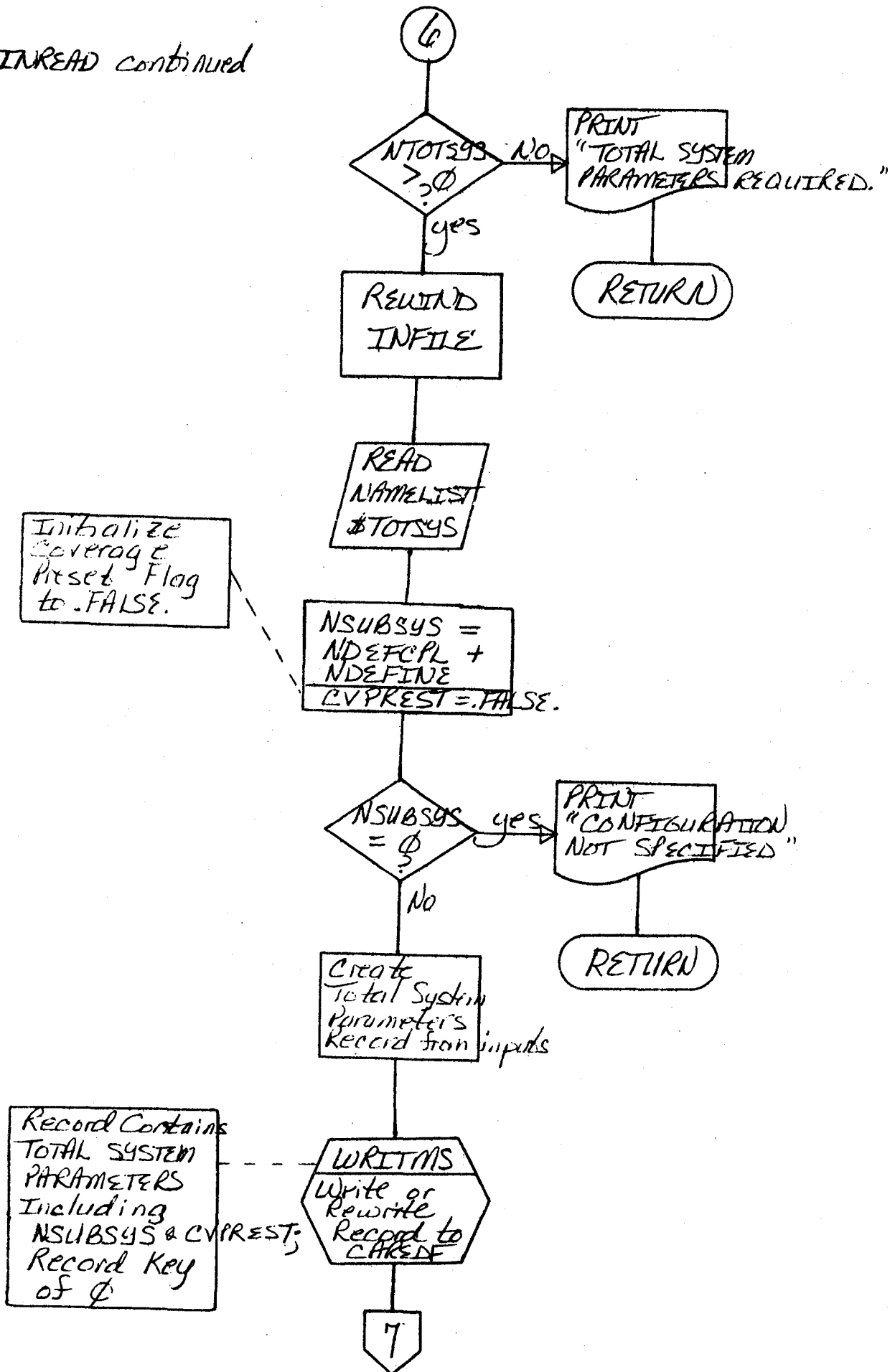
INREAD continued

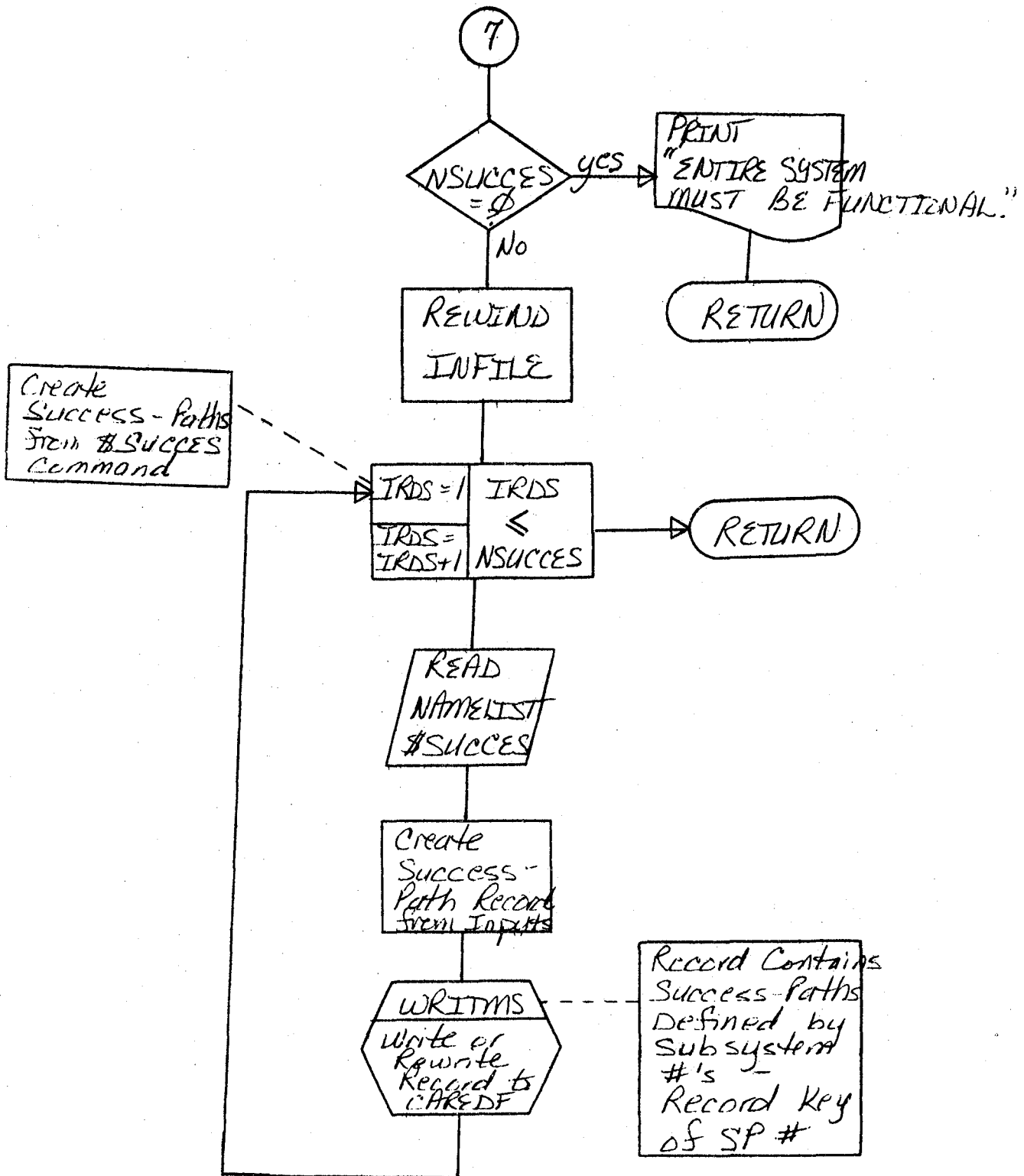


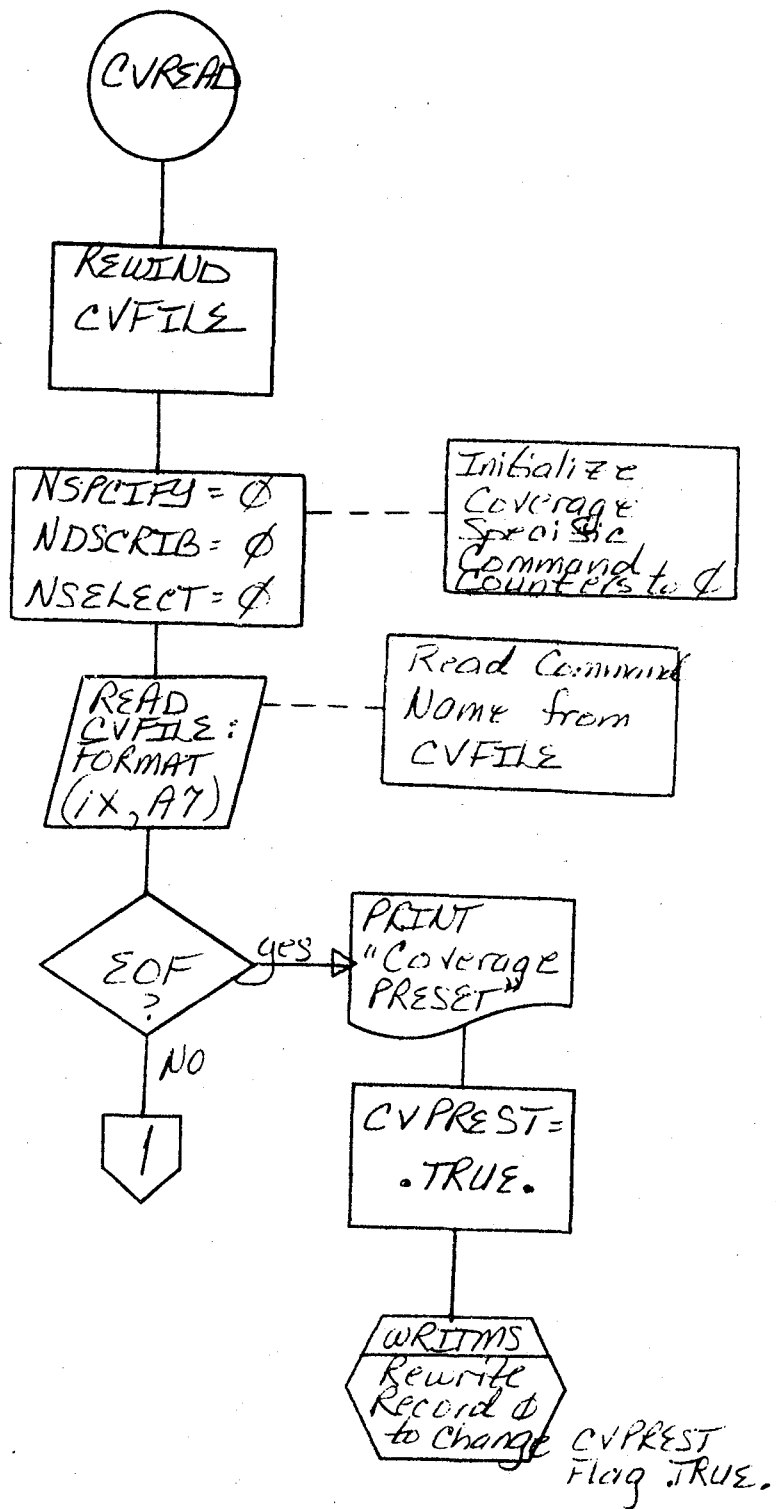
INREAD continued



INREAD continued

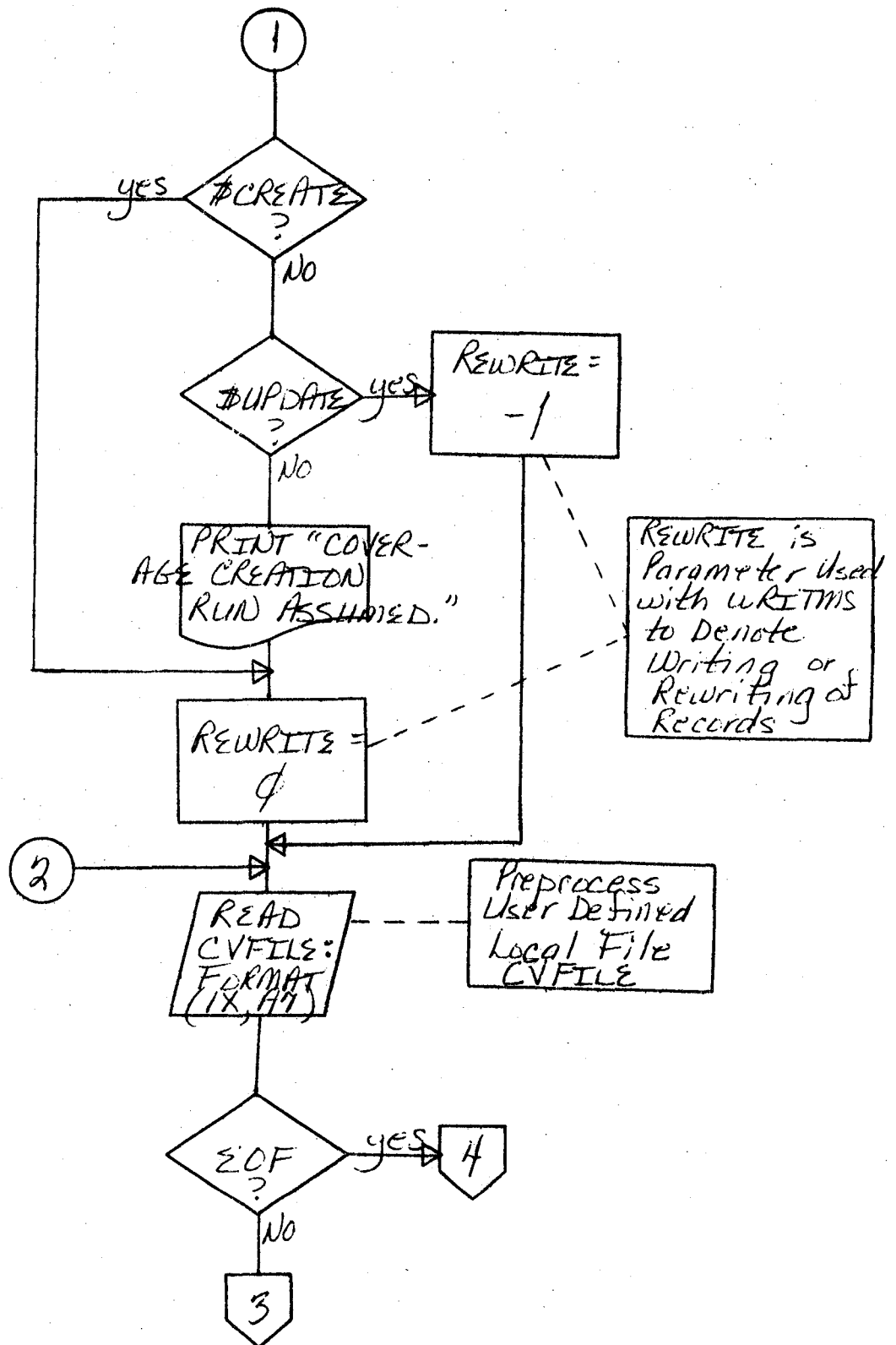




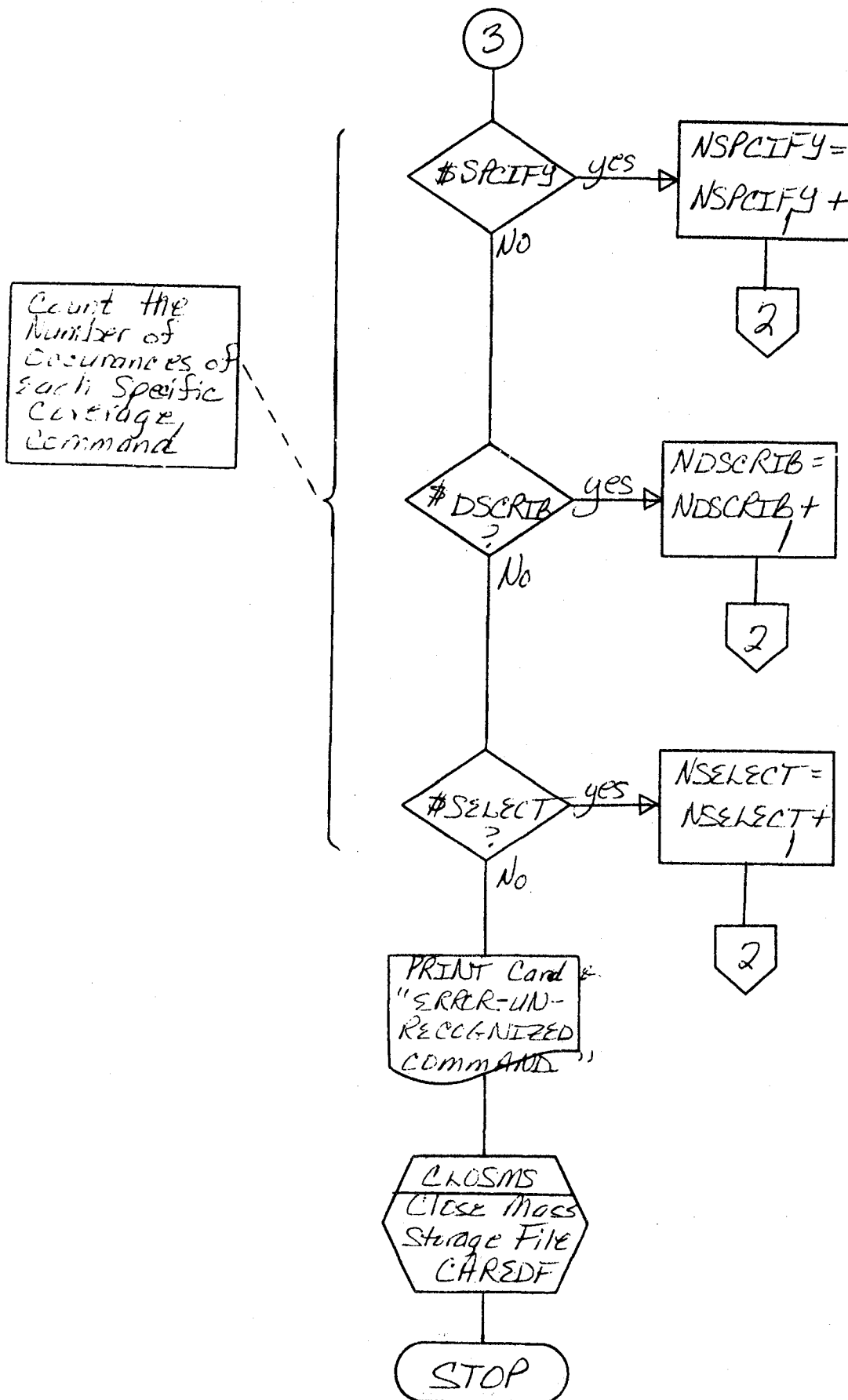


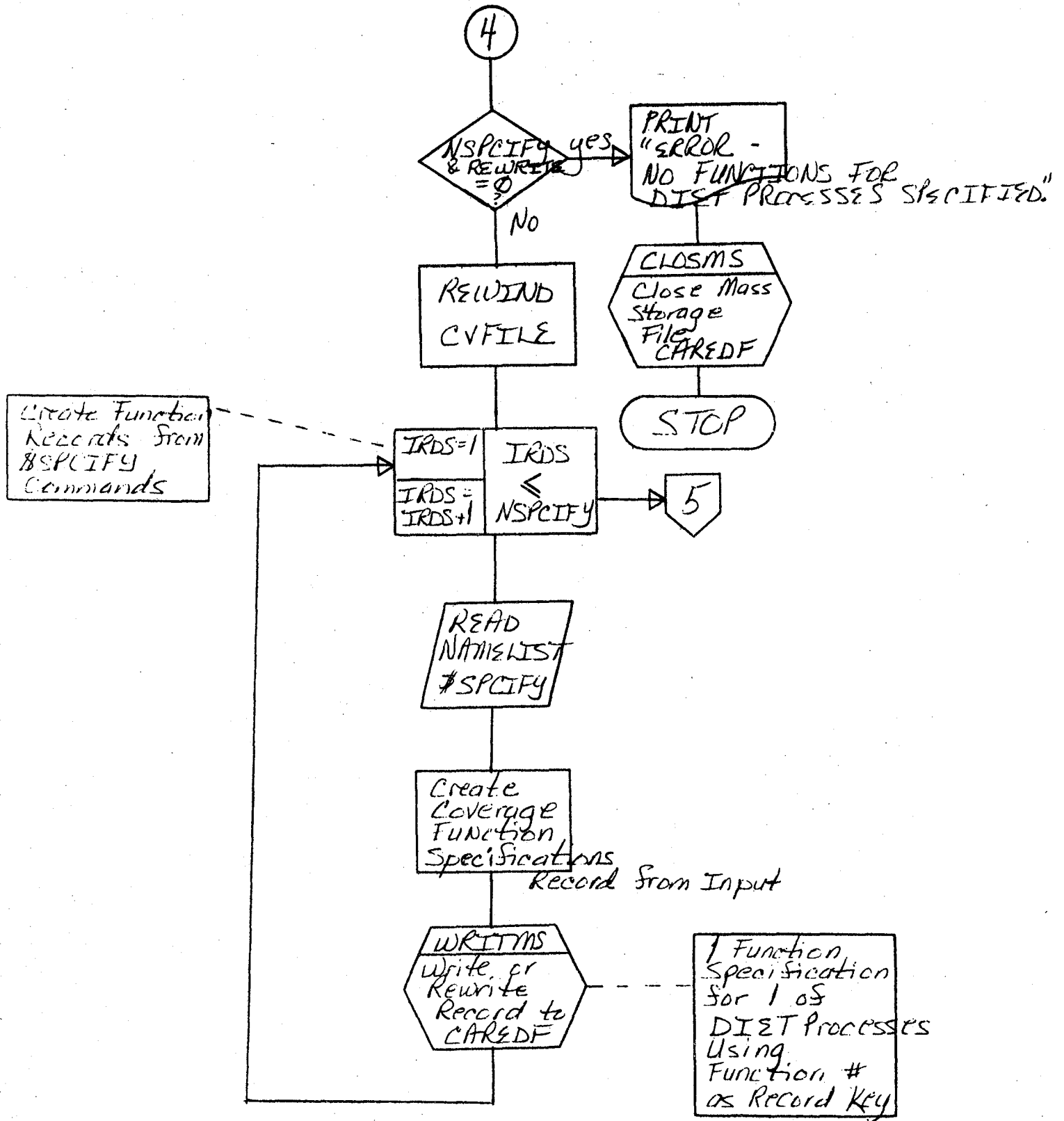
CVREAD Subroutine
Functional Flow-
Diagram

CVREAD continued

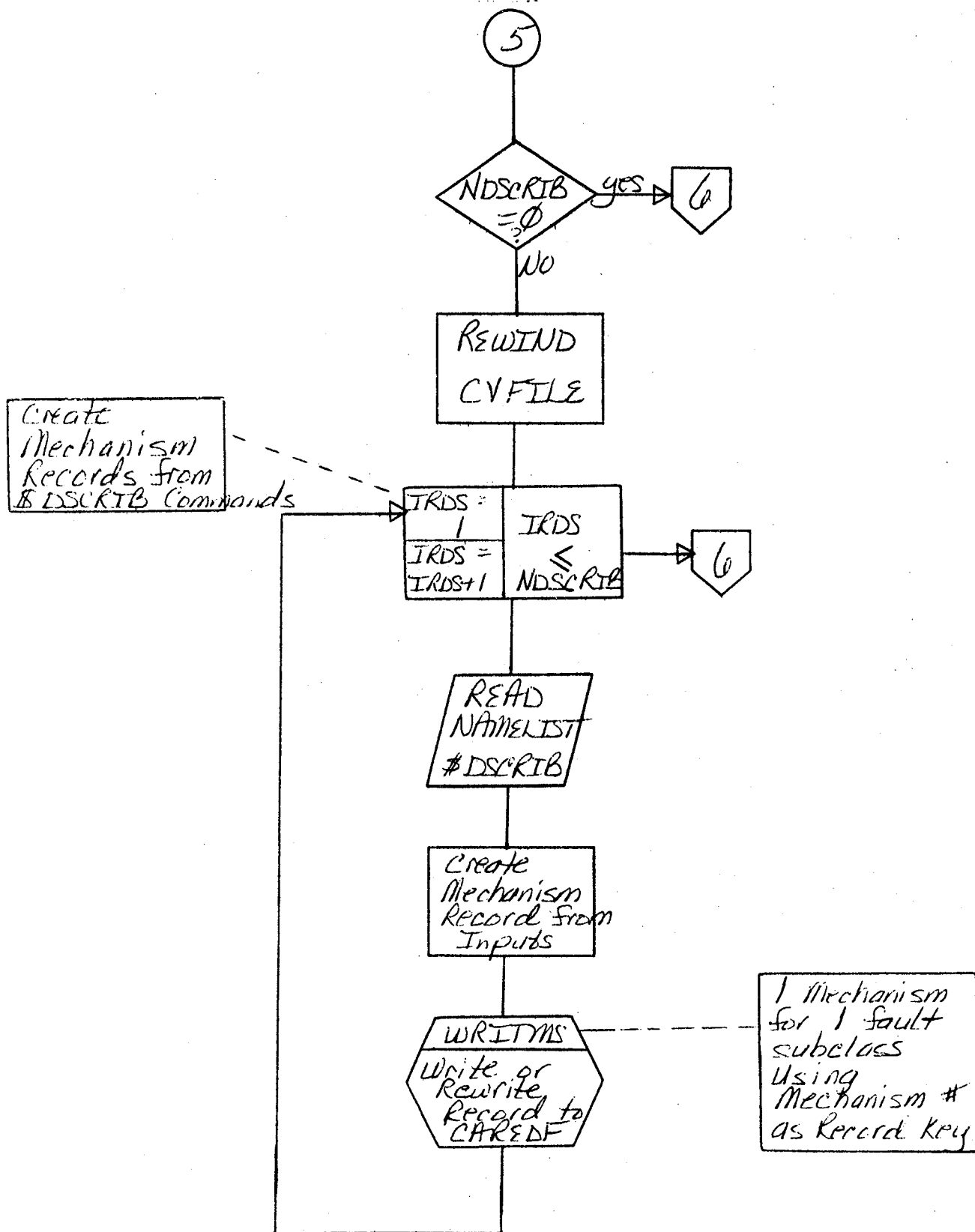


CVREAD Continued

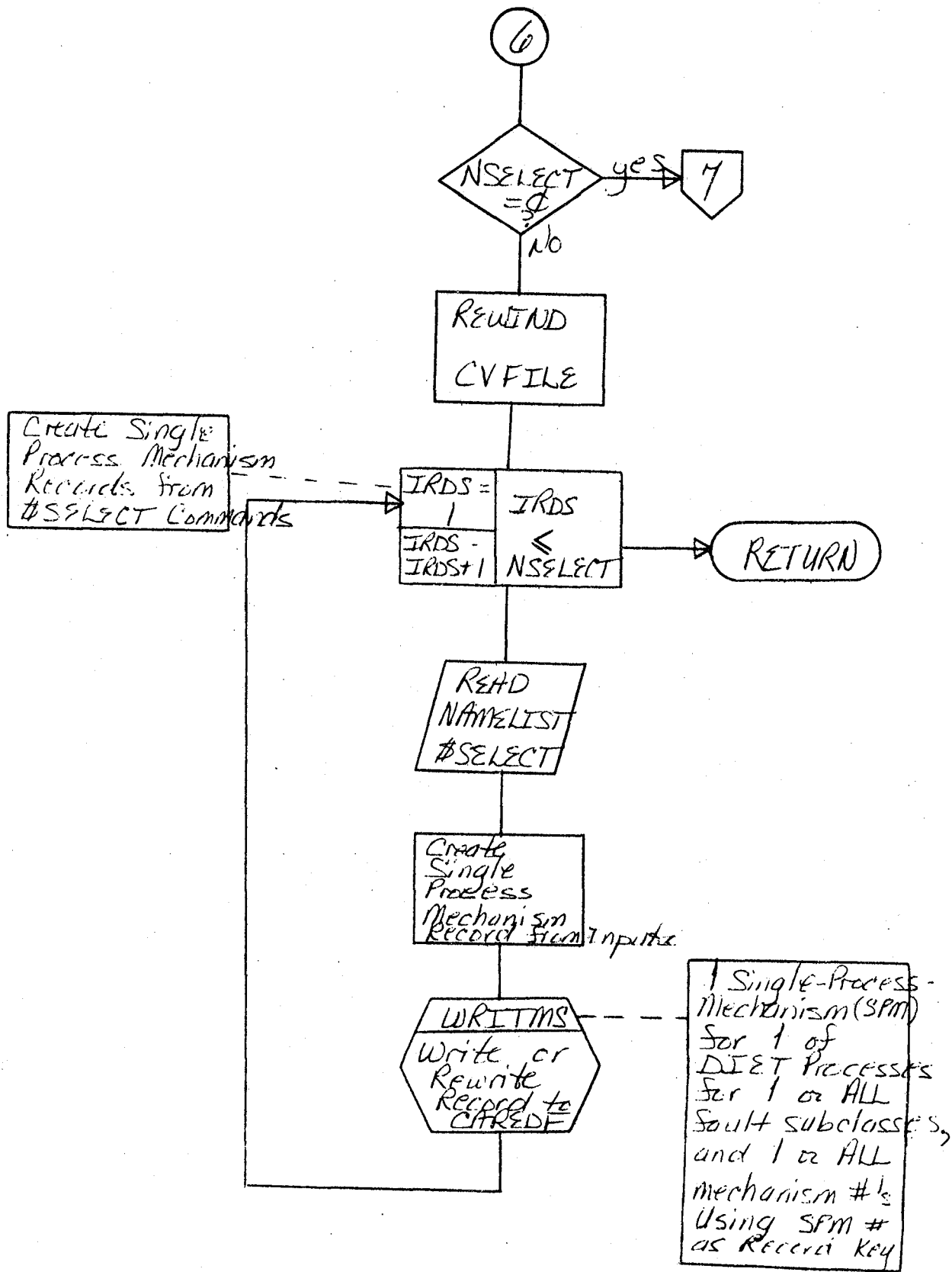




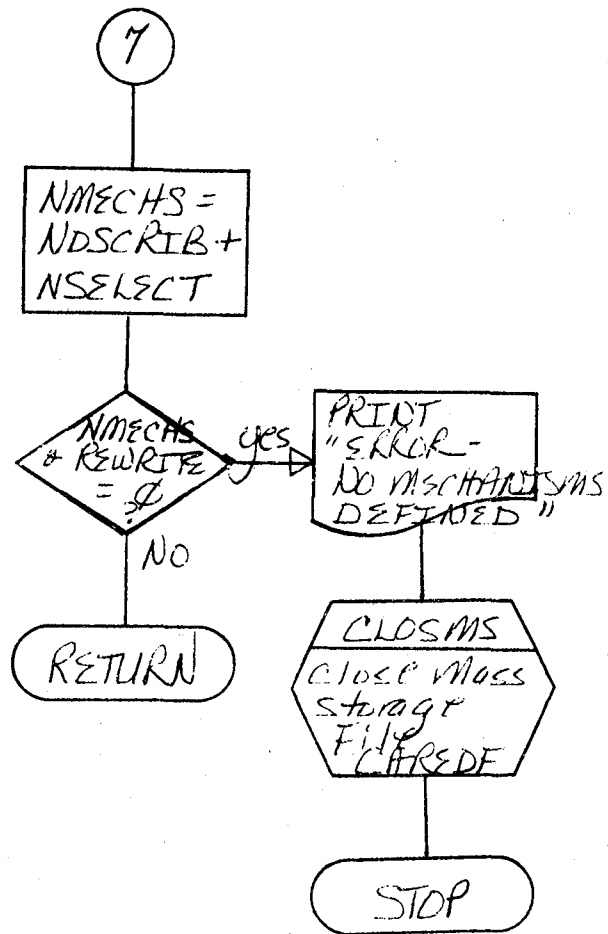
CVREAD Continued

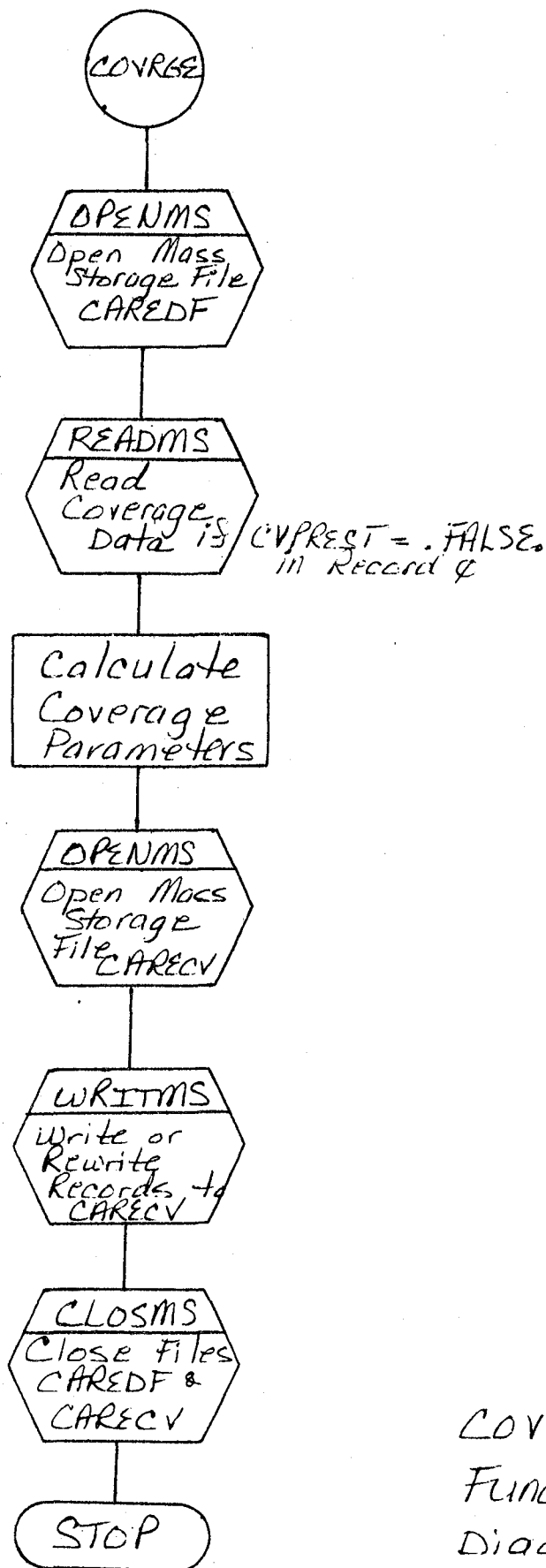


CVREAD Continued

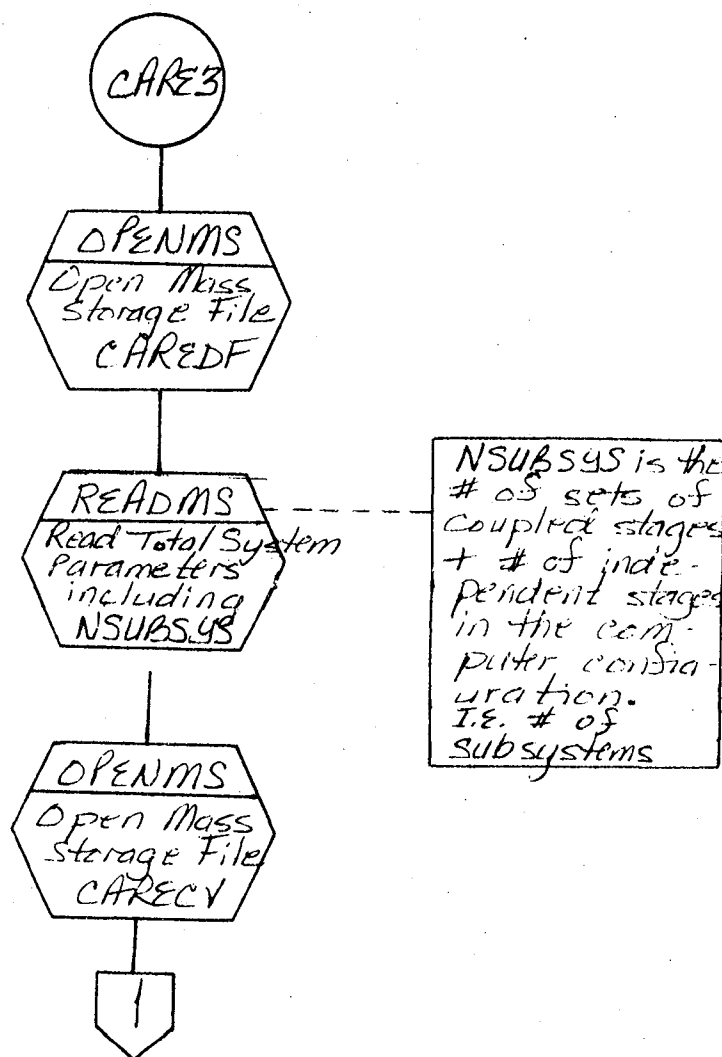


CVKEND Continued



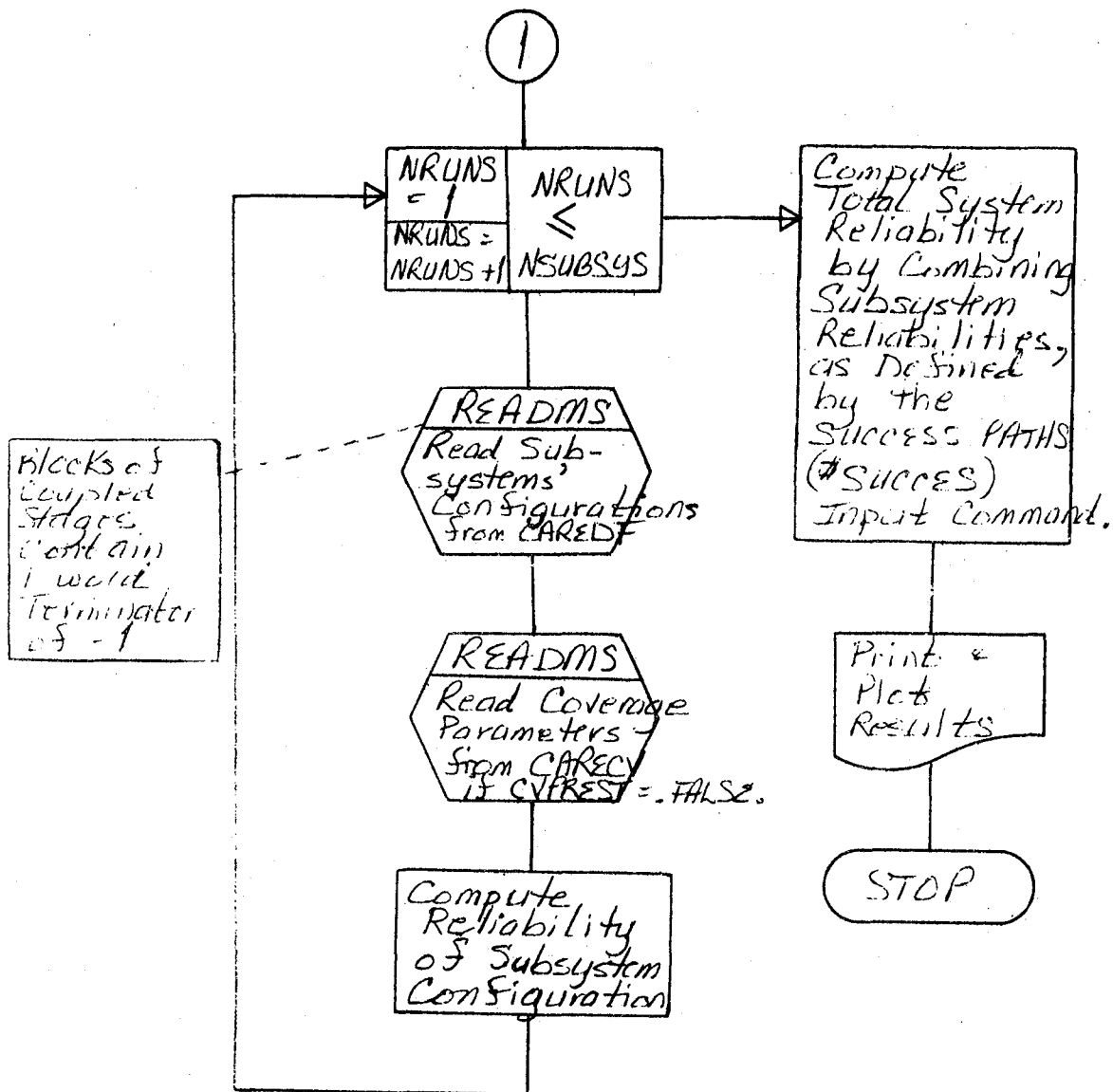


COVRGE Program
Functional Flow
Diagram



CARE3 Program
Functional Flow-
Diagram

CFR3 continued



Two sets of NAMELIST commands are necessary:

- a. NAMELISTS to define the computer configuration and preset coverage data, if coverage is not to be calculated;
- b. NAMELISTS to define necessary coverage data in order for routine COVRGE to compute coverage rates.

The basic NAMELISTS required are:

- a1. \$CREATE CAREDF or \$UPDATE CAREDF
- a2. \$DEFCPL - define coupled-stages subsystem
- a3. \$DEFINE - define single stage subsystem
- a4. \$TOTSYS - define total system parameters
- a5. \$SUCCES - define success paths
- b1. \$CREATE CARECV or \$UPDATE CARECV
- b2. \$SPECIFY - specify single process DIET functions
- b3. \$DESCRIB - describe mechanisms
- b4. \$SELECT - select functions for single-process
DIET mechanisms

Other commands will also be necessary to choose output options, and more definition type commands may be added to the above list as the CARE III system evolves.

To specify the computer configuration that is to be modeled, NAMELIST's \$DEFCPL and \$DEFINE are used. Each define a subsystem of the entire configuration and are comprised of one or more stages. NAMELIST \$TOTSYS defines the parameters necessary to describe the total system, and NAMELIST \$SUCCES defines the required success paths of the total system. Also necessary is a NAMELIST like command which tells CAREIN whether this is a creation or update run. If \$CREATE CAREDF is read as an input, the program generates a new random access mass storage

file using the previously mentioned NAMELIST commands. If \$UPDATE CAREDF is read, an existing CAREDF file will be modified.

To specify a single DIET process of Detection, Isolation, Error-Propagation-Recovery, Time-Loss-Recovery processes, NAMELIST \$SPECIFY is used. To describe mechanisms using the previously defined functions, NAMELIST's \$DESCRIB and \$SELECT are used. \$DESCRIB describes a mechanism for all DIET processes for a given fault-subclass; \$SELECT defines single-process DIET mechanisms for one or all fault-subclasses.

The following sample general variables will be required for each specified NAMELIST command:

1. NAMELIST \$DEFCPL

\$DEFCPL SBSYSTEM = Integer, NSTGES = Integer,
..., Integer, NUS = Integer, ..., Integer,
NUSVS = Integer, ..., Integer, FLRTS = Real,
..., Real, CVPS = Reals, CVTS = Reals, CVIS =
Reals\$

This command defines a subsystem of the entire computer configuration made up of more than one stage, having the corresponding number of original units and number of required unit survivors. It also contains stage failure rates and preset coverage parameters if desired. For example,
\$DEFCPL SBSYSTEM = 1, NSTGES = 1, 2, 3, NUS = 15, 9, 5,
NUSVS = 2, 2, 2, FLRTS = 3*1.18E-4\$

2. NAMELIST \$DEFINE

\$DEFINE SBSYSTEM = Integer, NSTG = Integer,
NU = Integer, NUSV = Integer, FLRT = Real,
CVP = Real, CVT = Real, CVI = Real\$

This command defines a subsystem, comprised of an independent stage with its required parameters.

3. NAMELIST \$TOTSYS

\$TOTSYS STEP = Real, TMAX = Real, TBASE = Integer\$

This command specifies the integration step size desired, the maximum time desired and the time base (1:hrs, 2:mins, 3:secs, 4:msecs).

4. NAMELIST \$SUCCES

\$SUCCES SP = Integer, PATHS = Integer, ..., Integer\$

This command specifies the subsystem success paths to be used by routine CARE3 to compute the entire system's reliability.

5. NAMELIST \$SPCIFY

\$SPCIFY FUNC = Integer, $\begin{pmatrix} D = 1 \\ I = 1 \\ E = 1 \\ T = 1 \end{pmatrix}$, $\begin{pmatrix} IMP = 1 \\ CON = 1 \\ PUL = 1 \\ EXP = 1 \end{pmatrix}$,

ISCH = $\begin{pmatrix} 0 \\ 1 \end{pmatrix}$, IREP = Integer, INTF = $\begin{pmatrix} 0 \\ 1 \end{pmatrix}$,

COEF = Real, TDEL = Real, P1 = Real, P2 = Real, P3 = Real, TDUR = Real\$*

This command specifies one function for one DIET process of the recovery system.

*NOTE: $\left\{ \begin{pmatrix} \\ \end{pmatrix} \right\}$ means "choose one of the enclosed variable definitions".

6. NAMELIST \$DSCRIB

\$DSCRIB MECH = Integer, FLTSUBC = Integer,
PRMFLTS = D#, I#, E#, T#,
TRNFLTS = D#, I#, E#, T#*\$

This command describes one mechanism for one fault subclass using the previously defined functions.

7. NAMELIST \$SELECT

\$SELECT FUNC = Integer, SPM = Integer,

$\begin{pmatrix} D = 1 \\ I = 1 \\ E = 1 \\ T = 1 \end{pmatrix}$, FLTSUBC = $\begin{cases} \text{Integer} \\ >8 \text{ for ALL} \end{cases}$,

ERRTYP = $\begin{cases} 1 \text{ (permanent)} \\ 2 \text{ (transient)} \\ 3 \text{ (both)} \end{cases}$,

MECH = $\begin{cases} \text{Integer} \\ >20 \text{ for ALL} \end{cases}$ \$

This command selects previously defined functions for single-process mechanism(s) for fault subclass(es).

For further illustration of the proposed NAMELIST as template input scheme, the system defined in Chart 3-2 would be defined using the following commands: (Note: Coverage is not being preset.)

\$CREATE CAREDF

\$DEFCPL SBSYSTM = 1, NSTGES = 1, 2, 3, NUS = 15, 9, 5,
NUSVS = 2, 2, 2, FLRTS = 3*1.18E-4\$

\$DEFCPL SBSYSTM = 2, NSTGES = 4, 5, 6, 7, NUS = 7, 5, 5, 4,
NUSVS = 3, 2, 1, 2, FLRTS = 4*1.0E-4\$

\$DEFCPL SBSYSTM = 3, NSTGES = 8, 9, 10, 11, 12, NUS = 2, 3, 4,
3, 3, NUSVS = 1, 2, 2, 1, 1, FLRTS = 3*1.18E-4,
2*1.0E-4\$

*# represents a previously defined function number.

```

$DEFCPL SBSYSTEM = 4, NSTGES = 13, 14, 15, NUS = 8, 7, 6,
      NUSVS = 3, 2, 2, FLRTS = 3*1.18E-4$
$DEFCPL SBSYSTEM = 5, NSTGES = 16, 17, NUS = 20, 15,
      NUSVS = 5, 3, FLRTS = 2*0.95E-4$
$DEFINE SBSYSTEM = 6, NSTG = 18, NU = 10, NUSV = 5, FLRT =
      1.0E-4$
$DEFINE SBSYSTEM = 7, NSTG = 19, NU = 8, NUSV = 3, FLRT =
      1.18E-4$
$DEFINE SBSYSTEM = 8, NSTG = 20, NU = 5, NUSV = 2, FLRT =
      1.5E-4$
$TOTSYS STEP = 2.0, TMAX = 1000.0, TBASE = 1$
$SUCCES SP = 1, PATHS = 1, 3, 5, 8$
$SUCCES SP = 2, PATHS = 2, 4, 6, 7, 8$

```

To make an update run, if certain changes are desired in some of the stages, the input stream could look as follows:

```

$UPDATE CAREDF
$DEFCPL SBSYSTEM = 3, NSTGES = 10, 12, NUS = 3, 2$
$DEFINE SBSYSTEM = 7, NSTG = 19, NUSV = 4, FLRT = 1.0E-4$

```

Only those parameters that are to be changed need to be listed because of the nature of NAMELIST commands. If a parameter need not be changed, it remains as previously defined.

3.3.2 COVERAGE CALCULATOR

Program COVRGE will not require any direct user input. Its input will be supplied by the Direct Access Information System (DAIS) file CAREDF generated by the input processor routine CAREIN. If coverage parameters are to be calculated by program COVRGE, records must exist within file CAREDF which describe all necessary recovery functions and D/I/R mechanisms. This corresponds to the coverage model which exists in CARE II. Also contained in this file are records describing the

intermittent coverage model (see Section 4.2.3 of the CARE III Final Report, Phase 1).

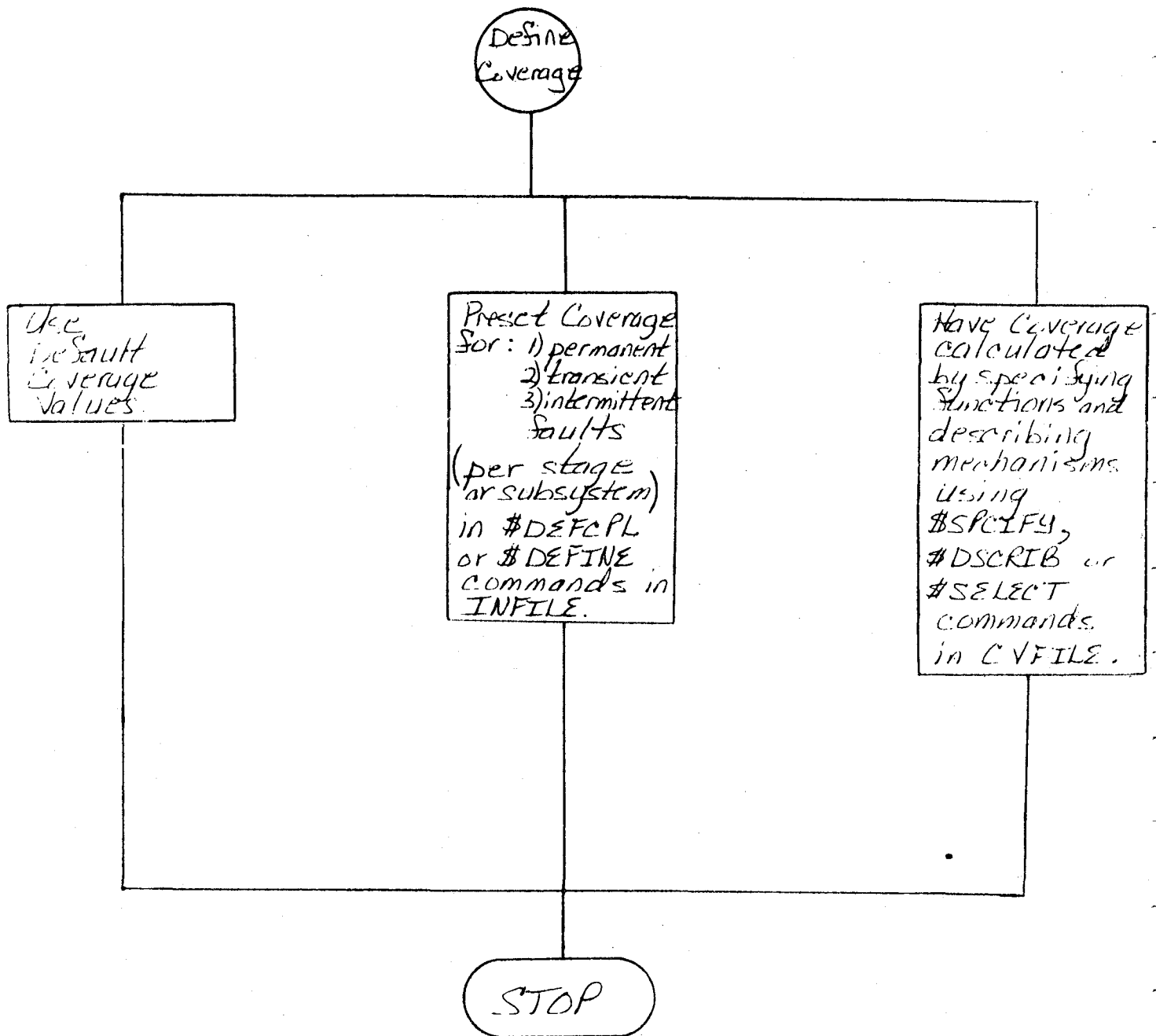
Program COVRGE will calculate all necessary coverage parameters and write these parameters to DAIS file CARECV for processing by program CARE3.

The following diagram depicts the user's options when defining the coverage model desired.

3.3.3 CARE3 RELIABILITY ESTIMATOR

Program CARE3 will read DAIS files CAREDF and CARECV and compute the reliability of the configuration specified within these files. If N subsystems were defined, N iterations of the reliability computation section of CARE3 will be performed. CARE3 will then compute the total system reliability using the success paths specified by the user. (See CARE III Final Report for details on the mathematical reliability model chosen for the CARE III system.)

The complexity of the output generated by CARE3 will depend upon user commands input to CAREIN.



COVERAGE
OPTIONS

Diagram 3.3-1

4.0 QUALITY ASSURANCE

4.1 INTRODUCTION

An acceptable test sequence will be written to test each subprogram, program and system as a whole.

4.2 TEST REQUIREMENTS

The accuracy of the system will be displayed by modeling systems with published assessment results and then comparing these to the CARE III results. In addition, configurations will be postulated that can be treated analytically but that exercise significant portions of the CARE III program, thereby allowing CARE III results to be compared with analytically derived results. Finally, sensitivity analyses will be conducted to verify that small parametric deviations produce appropriate deviations in the results. Where possible, checks on the magnitude of these deviations will be made analytically using, for example, power series expansions.

4.3 ACCEPTANCE TEST REQUIREMENTS

The CDC file management control statement TDUMP will be used to list the DAIS files to be certain that the files contain the proper data in the format expected by programs COVRGE and CARE3.

A TDUMP listing shall accompany the delivered test sequence to further illustrate the internal workings of the CARE III system.

APPENDIX 1

MATRIX METHODS FOR MARKOV MODEL SOLUTIONS

A1.1 INTRODUCTION

A1.1.1 STATEMENT OF PROBLEM

The Markov model defines a system of n first-order differential equations of the form

$$X' = AX, \quad (*)$$

where A is an $n \times n$ transition matrix, and

$$X(t) = \begin{pmatrix} x_1(t) \\ x_2(t) \\ \vdots \\ x_n(t) \end{pmatrix};$$

$x_i(t)$ is the probability that the system is in state i at time t .

If we could assume that A is diagonalizable, then there exist k distinct eigenvalues ($k \leq n$) of A each with algebraic multiplicity m_i ($i = 1, 2, \dots, k$) such that

$$\sum_{i=1}^k m_i = n,$$

and corresponding to each eigenvalue λ_i there are m_i independent eigenvectors X_{ij} ($j = 1, 2, \dots, m_i$). Thus, we can assume that a fundamental set of solutions of (*) can be found that has the following form:

$$S = \left\{ x_{11}e^{\lambda_1 t}, \dots, x_{1m_1}e^{\lambda_1 t}, x_{21}e^{\lambda_2 t}, \dots, x_{2m_2}e^{\lambda_2 t}, \dots, \right. \\ \left. x_{k1}e^{\lambda_k t}, x_{km_k}e^{\lambda_k t} \right\}.$$

Therefore, S consists of n independent solutions of (*), and any solution of (*) can be written as a linear combination of the elements of S . Obviously, if all the eigenvalues and their corresponding independent eigenvectors can be found, a fundamental set of solutions of (*) can be constructed.

In general, however, A cannot be assumed to be diagonalizable. We can still find a fundamental set of solutions of (*),

$$S' = \left\{ x_1(t), x_2(t), \dots, x_n(t) \right\},$$

where $x_i(t)$ does not, in general, assume the simple form

expressed for the vectors of S . We state briefly that for each eigenvector λ_i with algebraic multiplicity m_i , there exist m_i independent solutions of (*), say $X_{ij}(t)$ ($j = 1, 2, \dots, m_i$), such that

$$(A - \lambda_i I)^{m_{ij}} X_{ij} \equiv 0, \text{ for } m_{ij} \leq m_i \text{ (but for no } m < m_{ij});$$

$$X_{ij}(t) \text{ has the form } X_{ij}(t) = (p_{i1}(t)e^{\lambda_i t}, \dots, p_{in}(t)e^{\lambda_i t}), \quad (A)$$

where $p_{ik}(t)$ ($k = 1, 2, \dots, n$) are polynomials of degree $\leq m_{ij} - 1$. Thus, $X_{ij}(t)$ makes up the fundamental set S' ; they are called primitive solutions of (*).

Thus, the major problem that confronts us is one of finding all λ and all independent vectors X such that

$$AX = \lambda X \quad (**)$$

A1.1.2 BRIEF OUTLINE OF REPORT

For general square matrices, the eigenproblem is probably best approached by means of matrix similarity transformations. Initially, we shall assume that A is a completely general square matrix, and in this connection the Givens' method, which reduces A to lower Hessenberg form, is presented (see section A1.2.1). Sections A1.2.2 and A1.2.3 introduce Hyman's theorem and the Newton-Raphson method, respectively. The Hyman theorem is used to evaluate the characteristic polynomial (of the Hessenberg matrix) and its first derivative while Newton's method actually computes the eigenvalues. The computation of eigenvectors takes place in A1.3, where Gaussian elimination and the method of inverse iteration can be found.

In A1.5 and A1.6, we assume that A is diagonalizable. Here we provide some of the well-known theorems on well-posedness and a posteriori error estimates.

A1.7 gives an algorithm for computing the eigenvalues of large sparse matrices. The highlights of this section, in which sparsity is used heavily, are sparse Gaussian elimination and the Laguerre iteration technique. It is hoped that this section will be the basis of a computer program to solve large sparse systems.

In sections A1.4 and A1.7.9, a priori error estimates are given for the Givens' method and the Gaussian reduction scheme, respectively.

A1.2 AN ALGORITHM FOR GENERAL MATRICES

A1.2.1 GIVENS' METHOD

We now consider a method involving matrix transformations to reduce the matrix A to lower Hessenberg form. The matrix $A \equiv (a_{ij})$ is in lower Hessenberg form if and only if $a_{is} = 0$ for $i + 2 \leq s \leq n$. That is, every element above the upper codiagonal elements is zero. Once we have obtained this reduced form, a method due to Hyman can be used to evaluate the characteristic polynomial of A and thereby help us to compute the eigenvalues.

We shall introduce the algorithm of Givens with a 4×4 matrix A and then work our way up to the general algorithm.

First, let

$$A = \begin{pmatrix} a_{11} & a_{12} & a_{13} & a_{14} \\ a_{21} & a_{22} & a_{23} & a_{24} \\ a_{31} & a_{32} & a_{33} & a_{34} \\ a_{41} & a_{42} & a_{43} & a_{44} \end{pmatrix}$$

To reduce the matrix A to lower Hessenberg form, we must annihilate the elements a_{13} , a_{14} and a_{24} . This can be accomplished by constructing the finite sequence of matrices $\{P_k\}$, $k = 1, 2, \dots, M$, and then define

$$\begin{aligned} B_0 &\equiv A, \\ B_k &\equiv P_k^* B_{k-1} P_k, \quad 1 \leq k \leq M. \end{aligned} \quad (1)$$

(P^* is the conjugate transpose of the matrix P .)

To annihilate the element a_{13} , we let the 4×4 matrix $P_1 \equiv (p_{ij}^{(1)})$ be such that

$$\begin{aligned} p_{22}^{(1)} &= p_{33}^{(1)} = \sqrt{\frac{a_{12}^2}{a_{12}^2 + a_{13}^2}}, \\ p_{23}^{(1)} &= -p_{32}^{(1)} = \sqrt{\frac{-a_{13}}{a_{12}^2 + a_{13}^2}}, \end{aligned} \quad (2)$$

$$p_{rs}^{(1)} = \delta_{rs} \quad \text{for all other } (r, s).$$

Therefore, with $p_{ij}^{(1)}$ replaced by p_{ij}

$$B_1 = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & p_{22} & p_{32} & 0 \\ 0 & p_{23} & p_{33} & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} a_{11} & a_{12} & a_{13} & a_{14} \\ a_{21} & a_{22} & a_{23} & a_{24} \\ a_{31} & a_{32} & a_{33} & a_{34} \\ a_{41} & a_{42} & a_{43} & a_{44} \end{pmatrix} \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & p_{22} & p_{23} & 0 \\ 0 & p_{32} & p_{33} & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

$$= \begin{pmatrix} a_{11} & a_{12} & a_{13} & a_{14} \\ p_{22}a_{21}+p_{32}a_{31} & p_{22}a_{22}+p_{32}a_{32} & p_{22}a_{23}+p_{23}a_{33} & p_{22}a_{24}+p_{32}a_{34} \\ p_{23}a_{21}+p_{33}a_{31} & p_{23}a_{22}+p_{33}a_{32} & p_{23}a_{23}+p_{33}a_{33} & p_{23}a_{24}+p_{33}a_{34} \\ a_{41} & a_{42} & a_{43} & a_{44} \end{pmatrix} \times$$

$$\begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & p_{22} & p_{23} & 0 \\ 0 & p_{32} & p_{33} & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

$$= \begin{pmatrix} a_{11} & a_{12}p_{22}+a_{13}p_{33} & a_{12}p_{23}+a_{13}p_{33} & a_{14} \\ p_{22}a_{21}+p_{32}a_{31} & p_{22}(0)+p_{32}(00) & p_{23}(\ast)+p_{33}(\ast\ast) & p_{22}a_{24}+p_{33}a_{34} \\ p_{23}a_{21}+p_{33}a_{31} & p_{22}(\Delta)+p_{32}(\Delta\Delta) & p_{23}(\square)+p_{33}(\square\square) & p_{23}a_{24}+p_{33}a_{34} \\ a_{41} & a_{42}p_{22}+a_{43}p_{32} & a_{42}p_{23}+a_{43}p_{33} & a_{44} \end{pmatrix}$$

where $\ast = p_{22}a_{22}+p_{32}a_{32}$, $\ast\ast = p_{22}a_{22}+p_{32}a_{33}$, $\square = p_{23}a_{22}+p_{33}a_{32}$,

$$\square\square = p_{23}a_{23} + p_{33}a_{33}, \quad 0 = p_{22}a_{22} + p_{32}a_{32}, \quad 00 = p_{22}a_{23} + p_{32}a_{33},$$

$$\Delta = p_{23}a_{22} + p_{33}a_{32}, \quad \text{and} \quad \Delta\Delta = p_{23}a_{23} + p_{33}a_{33}.$$

If we look at the element in the first row and third column of B_1 , we see that our goal has been met. That is, from (2) we get

$$a_{12}p_{23}^{(1)} + a_{13}p_{33}^{(1)} = a_{12} \left(\frac{-a_{13}}{\sqrt{a_{12}^2 + a_{13}^2}} \right) + a_{13} \left(\frac{a_{12}}{\sqrt{a_{12}^2 + a_{13}^2}} \right) = 0$$

This process has to be used a total of three times to reduce A , for $n = 4$, to lower Hessenberg form. In general, the process must be carried out M times, where $M = \frac{(n-2)(n-1)}{2}$. It is easy to see that $M = 3$ when $n = 4$.

To formulate a general theorem for the Givens' method, we list in sequence the indices of the elements to be annihilated.

$$(1, 3), (1, 4), \dots, (1, n), (2, 4), (2, 5), \dots, (2, n), \dots, (n-2, n)$$

(4)

THEOREM (Givens): Let A be a real $n \times n$ matrix; let $B_0 \equiv A$. Let $(i-1, j)$ be the k th pair of indices in the sequence (4), and B_{k-1} have elements $(b_{rs}^{(k-1)})$. Let $P_k \equiv I$, if $b_{i-1, j}^{(k-1)} = 0$; otherwise, let $P_k \equiv (p_{rs}^{(k)})$ where

$$\begin{aligned}
p_{ii}^{(k)} &= p_{jj}^{(k)} = \frac{b_{k-1, i}^{(k-1)}}{\sqrt{(b_{i-1, i}^{(k-1)})^2 + (b_{k-1, j}^{(k-1)})^2}} \\
p_{ij}^{(k)} &= -p_{ji}^{(k)} = \frac{-b_{i-1, j}^{(k-1)}}{\sqrt{(b_{i-1, k}^{(k-1)})^2 + (b_{i-1, j}^{(k-1)})^2}}
\end{aligned} \tag{5}$$

$$p_{rs}^{(k)} = \delta_{rs} \quad \text{for other } (r, s).$$

Let the matrices $\{B_k\}$ and $\{P_k\}$ be defined by (1) and (5) for $k = 1, 2, \dots, M$. Then the k elements of B_k whose indices correspond to the first k pairs listed in (4) are zero. B_M is in lower Hessenberg form.

OPERATION COUNT

Aside from the calculation of the nontrivial elements of P_k , the calculation of the nonzero elements of B_k in (1) involve $8n$ multiplications and $4n$ additions. Since this process must be performed M times ($M = \frac{(n-2)(n-1)}{2}$), the technique requires $8nM$ multiplications and $4nM$ additions to reduce a general matrix A to lower Hessenberg form.

These operation counts, however, are maximum limits on the number of additions and multiplications involved in the Givens method. To get an exact number for the operation count, we must consider the elements that are annihilated as we proceed through the algorithm, and therefore are not involved in

future computations. The number of times this occurs during the procedure is given by T , where

$$T = \sum_{k=0}^{n-3} [(n-2) - k] (2K + 1) \text{ for } n \geq 3. \quad (6)$$

T can be rewritten in terms of n only; that is,

$$T = \frac{1}{3}n^3 - \frac{3}{2}n^2 - \frac{77}{6}n + 12 \quad (7)$$

Since we added in two multiplications and one addition each time the above situation occurred, we have that

$8nM - 2T$ multiplications,
and $4nM - T$ additions

are required to reduce A to lower Hessenberg form. Thus, the procedure requires $\frac{10}{3}n^3 + (\text{lower order terms})$ multiplications and $\frac{5}{3}n^3 + (\text{lower order terms})$ multiplications to affect the desired reduction.

In the event that A is symmetric, the procedure requires $\frac{4}{3}n^3 + (\text{lower order terms})$ multiplications to achieve the desired form. Hessenberg form in this instance is tridiagonal form. That is, A is a symmetric tridiagonal matrix. (See [2] for a description of the Givens' method.)

A1.2.2 HYMAN METHOD

A convenient technique for evaluating the characteristic polynomial $p_A(\lambda)$, when A is in lower Hessenberg form, makes use of the following theorem.

Theorem (Hyman): Let A be in lower Hessenberg form. If $a_{i, i+1} \neq 0$, $i = 1, 2, \dots, n-1$, then we define the sequence of polynomials $m_i(\lambda)$ in the following fashion:

$$m_0 \equiv 1$$

$$m_i = -[a_{i1}m_0 + a_{i2}m_1 + \dots + a_{i, i-1}m_{i-2} + (a_{ii} - \lambda)m_{i-1}] / a_{i, i+1}, \quad (8)$$

for $i = 1, 2, \dots, n-1$. Then

$$p_A(\lambda) = \det(A - \lambda I) = (-1)^{n+1} a_{12} a_{23} \dots a_{n-1, n} p(\lambda) \quad (9a)$$

where

$$p(\lambda) = a_{n1}m_0 + a_{n2}m_1 + \dots + a_{n, n-1}m_{n-2} + (a_{nn} - \lambda)m_{n-1}. \quad (9b)$$

(See [2] for a description of the Hyman method.)

To evaluate the roots of $p(\lambda)$ by means of the standard iterative techniques, we should be able to calculate $p'(\lambda)$. This is done as follows:

$$\begin{aligned} m'_0 &= 0 \\ m'_1 &= 1 / a_{12} \end{aligned} \quad (10)$$

$$m'_i(\lambda) = \frac{-[a_{i1}m'_0 + a_{i2}m'_1 + \dots + a_{i, i-1}m'_{i-2} + (a_{ii} - \lambda)m'_{i-1} - m_{i-1}]}{a_{i, i+1}}$$

$$p'(\lambda) = a_{n1}m'_0 + a_{n2}m'_1 + \dots + a_{n, n-1}m'_{n-2} + (a_{nn} - \lambda)m'_{n-1} - m_{n-1}.$$

OPERATION COUNT FOR HYMAN'S METHOD

The method requires

$$ML = \sum_{i=1}^{n-1} i = \frac{1}{2}(n-1)(n) = \frac{1}{2}[n^2 - n] \quad (11)$$

multiplications,

$D = n - 1$ divisions, and

$$AD = \sum_{i=1}^n i = \frac{1}{2}n(n+1) = \frac{1}{2}[n^2 + n]$$

additions to compute $p(\lambda)$. For $p'(\lambda)$, the method requires the same number of operations in all three cases.

A1.2.3 NEWTON-RAPHSON ITERATION METHOD

Choose x_0 , and determine the sequence $\{x_n\}$ from the recurrence relation

$$x_{n+1} = x_n - \frac{F(x_n)}{F'(x_n)}, \quad n = 0, 1, 2, \dots \quad (12)$$

Suppose we let

$$f(x) = x - \frac{F(x)}{F'(x)}, \quad (13)$$

and assume that F is twice continuously differentiable on the interval $I = [a, b]$. Let $F'(x) \neq 0$ for $x \in I$, and let the equation

$$F(x) = 0$$

have the solution $x = s$, where $x \in (a, b)$ (the open interval).
Then, $f(s) = s$, and

$$f'(s) = 1 - \frac{[F'(s)]^2 - F(s)F''(s)}{[F'(s)]^2} = 1 - 1 = 0,$$

because $F(s) = 0$.

Now let $d_{n+1} = x_{n+1} - s$. Thus, by Taylor's remainder theorem,

$$\begin{aligned} d_{n+1} &= x_{n+1} - s \\ &= f(x_n) - s \\ &= f(x_n) - f(s) \\ &= f'(s)d_n + \frac{1}{2}f''(s + \theta_n d_n)d_n^2, \end{aligned}$$

where θ_n is an undetermined number between zero and one. But $f'(s) = 0$. Therefore,

$$d_{n+1} = \frac{1}{2}f''(s + \theta_n d_n)d_n^2. \quad (14)$$

We conclude from (14) that the error at the $(n+1)$ st step is proportional to the square of the error at the n th step. When Newton's method converges, it therefore converges quadratically. (See [1] for a description of the Newton-Raphson method.)

IMPLEMENTATION OF NEWTON'S METHOD

To use Newton's method to find the eigenvalues of the matrix A , we make a guess, say x_0 , as to where a particular eigenvalue is located. Here is a theorem, due to Gerschgorin, which will help us make that guess.

Theorem (Gerschgorin): Let $A \equiv (a_{ij})$. We define absolute row and column sums by

$$r_i \equiv \sum_{\substack{j=1 \\ j \neq i}}^n |a_{ij}|, \quad c_j \equiv \sum_{\substack{i=1 \\ i \neq j}}^n |a_{ij}| \quad (15)$$

Then,

- (a) each eigenvalue lies in the union of the row circles R_i , $i = 1, 2, \dots, n$, where

$$R_i \equiv \{ z : |z - a_{ii}| \leq r_i \}; \quad (16)$$

- (b) each eigenvalue lies in the union of the column circles C_j , $j = 1, 2, \dots, n$, where

$$C_j \equiv \{ z : |z - a_{jj}| \leq c_j \}; \quad (17)$$

- (c) each component (maximal connected union of circles) of $\cup R_i$ or $\cup C_j$ contains exactly as many eigenvalues as circles. (Multiplicities are considered in the calculation.) (This theorem was lifted from [2; ch. 4].)

In the situation where the off-diagonal elements are small compared to the diagonal elements, the above theorem says to pick x_0 close to the diagonal element of a given row. When A is in lower Hessenberg form, there is only one non-zero off-diagonal element in the first row, two in the second, etc. Thus, some eigenvalues should be easily approximated by the values a_{ii} for small values of i . Obviously, trying to find the eigenvalues contained in the large circles would be far more difficult.

The following theorem will assist us further in attempting to select an x_0 that will assure convergence of the Newton-Raphson method.

Theorem: Let $F(x)$ be a real function, $F(x_0)/F'(x_0) \neq 0$, and let $h_0 = -F(x_0)/F'(x_0)$, $x_1 = x_0 + h_0$. Consider the interval $J_0: [x_0, x_0 + 2h_0]$ and assume that $F''(x)$ exists in J_0 , that $\max_{J_0} |F''(x)| = M$ and

$$2|h_0|M \leq |F'(x_0)|. \quad (18)$$

Starting with x_0 , we define the sequence $\{x_n\}$ by formula (12).

Then all x_n lie in J_0 and we have

$$x_n \rightarrow s$$

where s is the only zero in J_0 ; s is a simple zero unless $s = x_0 + 2h_0$. Moreover, we have that

$$|s - x_{n+1}| \leq \frac{M}{2F'(x_n)} |x_n - x_{n-1}|^2. \quad (19)$$

(This theorem can be found in [3].)

Inequality (19) shows that the convergence is rapid when the appropriate J_0 is found.

In the event that s is a root of multiplicity p , we replace the Newton-Raphson formula by

$$x_{n+1} = x_n - p \frac{F(x_n)}{F'(x_n)}. \quad (20)$$

With this modification, the sequence $\{x_n\}$ not only converges, but it does so quadratically. The big problem here, however, is that p is not easily determined.

Let us now formulate the following theorem on multiplicities of size p . (See [3].)

Theorem: Let $F(x)$ have a root s of multiplicity p , and assume that $F^{(p+1)}(x)$ is continuous in a neighborhood of s . If we compute the sequence $\{x_n\}$ by means of (20) and if x_1 is sufficiently close to s , then all x_n exist and x_n converges to s . Moreover,

$$\frac{s - x_{n+1}}{(s - x_n)^2} \rightarrow \frac{F^{(p+1)}(s)}{p(p+1)F^{(p)}(s)}$$

as $n \rightarrow \infty$.

A1.3 EVALUATION OF EIGENVECTORS

A1.3.1 GAUSSIAN ELIMINATION

Once the eigenvalue λ has been found, we must solve the equation

$$(A - \lambda I)X = 0, \quad (21)$$

where A is either the original matrix or the transformed matrix in lower Hessenberg form.

We now consider the method of Gaussian elimination to solve equation (21). The object of this method is to transform the given matrix, $(A - \lambda I)$, into triangular form so that the solution is easily obtainable.

Quite obviously, it would be easier to transform $A - \lambda I$ to a triangular system if A were in Hessenberg form than if it were in unreduced form. Therefore, we select A to be in lower Hessenberg form. However, we must be aware of the fact that once an eigenvector is obtained, it must be transformed back to the original coordinate system via the formula

$$Y = PX,$$

where X is the computed eigenvector, and $P = \prod_{k=1}^M P_k$. (See eq. [1].)

Hence, we must keep track of the transformation matrices used in equation (1).

To carry out the elimination process in this instance, we must modify the usual elimination procedure to annihilate the elements $a_{i,i+1}$ for $i = 1, 2, \dots, n-1$. We accomplish this by multiplying row $i + 1$ by $a_{i,i+1}/a_{i+1,i+1}$, subtracting row i from this multiple of row $i + 1$, and using this result as

the new row i . It should be clear that the new $a_{i, i+1}$ is zero. That is,

$$a'_{i, i+1} = \frac{a_{i, i+1}}{a_{i+1, i+1}} a_{i+1, i+1} - a_{i, i+1} = 0.$$

In general,

$$a'_{i, k} = \frac{a_{i, i+1}}{a_{i+1, i+1}} a_{i+1, k} - a_{i, k} \quad (22)$$

where $k = 1, 2, \dots, i+1$.

Once the lower triangular system $A' \equiv (a'_{ij})$ is obtained, we must compute a nontrivial solution of the equation

$$A'X = 0.$$

(A' is the triangularized form of $A - \lambda I$.)

Such a solution exists and can be computed by back-substitution if we assume that λ is an exact eigenvalue of A . We shall describe a more practical approach to this problem shortly.

OPERATION COUNT

To triangularize $A - \lambda I$, the count of the number of operations will be considered for two problems: the homogeneous problem,

$$A'X = 0,$$

and the non-homogeneous problem,

$$A'X = Y \quad (Y \neq 0).$$

For the number of multiplications, we have

$$\sum_{k=3}^n k + n = \frac{1}{2}n^2 + \frac{3}{2}n - 3,$$

for the homogeneous problem, and

$$\sum_{k=3}^{n+1} k + n+1 = \frac{1}{2}n^2 + \frac{5}{2}n - 4,$$

for the non-homogeneous problem.

For the additions there are

$$\sum_{k=2}^n k = \frac{1}{2}n(n+1) - 1 = \frac{1}{2}n^2 + \frac{1}{2}n - 1,$$

for the homogeneous case, and

$$\sum_{k=3}^{n+1} k = \frac{1}{2}n^2 + \frac{3}{2}n + 1 - 3 = \frac{1}{2}n^2 + \frac{3}{2}n - 2,$$

for the non-homogeneous case.

For the number of divisions, we have $n - 1$ operations for both the homogeneous and non-homogeneous problems.

A1.3.2 INVERSE ITERATION

What is probably a more practical approach to the problem of solving for eigenvectors is known as the method of inverse iteration or Wielandt iteration. (See [4; p. 142].) The procedure is simply described in the following fashion: we

form the sequence of vectors $\{X_n\}$ by the relation

$$(A - \lambda I)X_{n+1} = X_n \quad [X_n = (x_n^{(1)}, \dots, x_n^{(n)})],$$

where λ is an approximate eigenvalue of A and X_1 is an arbitrary normalized starting vector. If A is assumed to be in lower Hessenberg form, then Gaussian elimination, as described above, is first applied to the system $A - \lambda I$ before the iteration process begins. Once $A - \lambda I$ has been triangularized, the above equation is solved by means of back-substitution, provided we know the vector X_n . This substitution process involves taking the values $x_{n+1}^{(1)}, \dots, x_{n+1}^{(i-1)}$ and plugging them into the i th equation to solve for $x_{n+1}^{(i)}$. (See note below.) (Actually, back-substitution in this case really refers to forward-substitution because the system $A - \lambda I$ is in lower triangular form.)

The operation count for this substitution process is as follows:

$$\sum_{k=1}^{n-1} k = \frac{1}{2}(n-1)n = \frac{1}{2}n^2 - \frac{1}{2}n \text{ multiplications,}$$

$$\sum_{k=1}^{n-1} k = \frac{1}{2}n^2 - \frac{1}{2}n \text{ additions, and}$$

n divisions.

NOTE: The triangularization process on $A - \lambda I$ is performed once, but those same elementary operations must be performed on X_n for each n .

A1.3.3 SYMMETRIC MATRICES

The operation counts for the case where A is symmetric and the problem is non-homogeneous are as follows:

for Gaussian elimination, we have

$6 + (n-2)4$ multiplications,

$3(n-1)$ additions, and

$n-1$ divisions;

for forward or back-substitution, we have

$n-1$ multiplications,

$n-1$ additions, and

n divisions.

The number of operations in this instance is greatly reduced over the number required in the non-symmetric case because A is in tridiagonal form in addition to being symmetric.

A1.4 A PRIORI ERROR ESTIMATES FOR THE GIVENS' METHOD

We begin by restating equation (1)

$$\begin{aligned} B_0 &\equiv A, \\ B_{k+1} &\equiv P_k^* B_k P_k, \quad 0 \leq k \leq M-1. \end{aligned} \tag{23}$$

It is important to note that P_k is unitary. Hence

$$P_k^* P_k = I,$$

and

$$||P_k|| = 1,$$

where $||\cdot||$ is the spectral norm for matrices.

NOTE: The spectral norm for any matrix A is given by

$$||A|| = \sup ||AX|| \quad (\text{taken over all } X \text{ with } ||X||=1),$$

$$\text{where } ||X|| = (x_1^2 + x_2^2 + \dots + x_n^2)^{\frac{1}{2}} \quad (X = (x_1, x_2, \dots, x_n)).$$

The error bounds that we are interested in center around the computation of P_k and B_{k+1} . We let B_k be the actual k th computed matrix in the procedure, and P_k the exact k th unitary matrix, determined by the process, corresponding to B_k .

In the computation of P_k , rounding errors are committed and we actually compute a matrix which we shall denote by \overline{P}_k . Therefore, we get an error matrix S_k which is defined by the relation

$$\overline{P}_k = P_k + S_k. \tag{24}$$

The computation of B_{k+1} involves further rounding errors. In this regard, we define F_k by the equation

$$B_{k+1} = P_k^* B_k P_k + F_k. \quad (25)$$

Thus, the matrix F_k represents the difference between the computed B_{k+1} and the exact transform of the computed B_k ; that is, $P_k^* B_k P_k$. Our main objective will be to compute error bounds for S_k and F_k . (For the details of the a priori error estimates for the Givens' method, see [5].)

When we combine the system of equations defined by (25), we have

$$B_{k+1} = Q_{k0}^* B_0 Q_{k0} + Q_{k1}^* F_0 Q_{k1} + \dots + Q_{kk}^* F_{k-1} Q_{kk} + F_k$$

where (26)

$$Q_{ki} = P_i P_{i+1} \dots P_k.$$

Q_{ki} is exactly orthogonal (unitary) by equation (26).

If we define G_k by the relation

$$G_k = Q_{k1}^* F_0 Q_{k1} + \dots + Q_{kk}^* F_{k-1} Q_{kk} + F_k,$$

then using the fact that $||Q_{ki}|| = 1$

$$||G_k|| \leq ||F_0|| + \dots + ||F_k||. \quad (27)$$

We can now rewrite (26) as

$$B_{k+1} = Q_{k0}^* B_0 Q_{k0} + G_k. \quad (28)$$

From (28), we can conclude that

$$||B_0|| - ||G_k|| \leq ||B_{k+1}|| \leq ||B_0|| + ||G_k||. \quad (29)$$

We assume that B_0 is normalized so that

$$||B_0|| \leq N - \delta$$

and that a bound on $||G_{M-1}||$, based on this assumption, can be found. Then by induction and (29),

$$N - 2\delta \leq ||B_{k+1}|| \leq N \quad (0 \leq k \leq M-1). \quad (30)$$

(It is assumed that $\delta < N$.) Thus, under these circumstances, a bound can be placed on the variation of $||B_k||$ due to rounding errors.

In [5], the above analysis was used to compute bounds on $||F_k||$ and ultimately $||G_k||$ with the assumptions that binary digits makeup a word, fixed-point arithmetic is used, and inner products are accumulated. Also, the error is given for real computation only.

In addition to these assumptions, we assume that B_0 is normalized so that $||B_k|| \leq 1$ for all k . The scaling (normalization), however, is performed when the analysis has been completed.

We first consider a typical stage in the process where the first $i-1$ rows have been reduced to lower Hessenberg form, and positions $i+2, i+3, \dots, j-1$ in row i have been annihilated. The next step in the process concerns the annihilation of the element i, j . Furthermore, $(a_{i, i+1}^2 + a_{ij}^2)$ is accumulated exactly and then the integer k is determined so that

$$\frac{1}{4} \leq 2^{2k} (a_{i, i+1}^2 + a_{ij}^2) < 1. \quad (31)$$

(Note that the statement of the Givens' theorem has us annihilating element $i-1, j$ instead of i, j so the indexing is slightly different here.)

To avoid the details of the analysis involved in estimating the round-off error, we simply state the results given in [5] for non-symmetric matrices.

With the scaling shown in (31), we arrive at the following results:

$$||s_k|| \leq \frac{\frac{1}{2}2^{-t}}{\frac{1}{2}(1-2^{-t})} + \sqrt{\frac{1}{2}}2^{-t} \quad (32)$$

$$< (1.71)2^{-t};$$

$$\begin{aligned} ||F_k|| &\leq [2(1.71)2^{-t} + (1.71)^2 2^{-2t}] \\ &\quad + \left[1.21 + \sqrt{\frac{1}{2}(n-i+1)} + \sqrt{\frac{1}{2}i} \right] 2^{-t+2^{-t}} \\ &\leq \left[5.7 + \sqrt{\frac{1}{2}(n-i+1)} + \sqrt{\frac{1}{2}i} \right] 2^{-t}, \end{aligned} \quad (33)$$

and summing over k (see inequality [27])

$$\begin{aligned} ||G_k|| &\leq ||G_{M-1}|| \leq [2.9n^2 + \frac{\sqrt{2}}{5}n^{5/2} + \frac{2\sqrt{2}}{15}n^{5/2}] 2^{-t} \\ &= [2.9n^2 + \frac{\sqrt{2}}{3}n^{5/2}] 2^{-t}. \end{aligned} \quad (34)$$

(Reminder: n is the size of the matrix.)

We now let δ equal the right side of (34), and normalize B_0 so that

$$||B_0|| \leq 1 - \delta.$$

Then $||B_k||$ is contained in the manner given in (30). We thus have our a priori estimations on the variation of $||B_k||$.

A1.5 WELL-POSEDNESS AND A POSTERIORI ERROR ESTIMATES

We now present a sequence of results which can be found in [2, ch 4]. We shall assume throughout that A is diagonalizable; that is, A possesses a basis of eigenvectors. (A is diagonalizable if and only if it has a basis of eigenvectors.)

The Gerschgorin circle theorem, stated earlier, plays an important role in proving the following theorem on well-posedness.

Theorem: Let A be of order n and have n linearly independent eigenvectors. For any fixed matrix C , with $||C|| = ||A||$, we define the perturbed matrix

$$A(\epsilon) \equiv A + \epsilon C.$$

Then if λ is any eigenvalue of A , there is an eigenvalue $\lambda(\epsilon)$ of $A(\epsilon)$ such that

$$|\lambda(\epsilon) - \lambda| \leq K|\epsilon| \quad (K = \text{constant}) \quad (35)$$

for all small ϵ . Moreover, if λ is simple (multiplicity = 1)

$$\lim_{|\epsilon| \rightarrow 0} \frac{\lambda(\epsilon) - \lambda}{\epsilon} = \frac{Y^* C X}{Y^* X},$$

where X and Y are, respectively, left and right eigenvectors of A corresponding to λ . That is, X satisfies the equation $AX = \lambda X$ and Y satisfies the equation $Y^* A = \lambda Y^*$.

If we let P be the matrix whose columns are the right eigenvectors of A , then in inequality (35)

$$K = ||C|| \cdot ||P^{-1}|| \cdot ||P||. \quad (36)$$

Inequality (35) with K defined by means of (36) was derived by Bauer and Fike (see [2; p. 139]).

When A is normal ($A^*A = AA^*$), then it can be assumed that P is unitary; thus $||P^{-1}|| = ||P|| = 1$ and, by (35) and (36), the problem is well-posed for all eigenvalues.

A1.6 A RESULT ON A POSTERIORI ERROR ESTIMATES

The a priori error estimates provided earlier usually cannot be relied upon for sharpness. However, once the eigenvalues and eigenvectors have been computed, a posteriori error estimates, using these computed vectors and scalars, can be obtained. Very often, error estimates of this type are a lot less crude than those of the a priori type. We now present a theorem which provides a useful way of obtaining error estimates based on computed eigenvalues and eigenvectors.

Theorem: Let A be of order n , and have a set of n linearly independent eigenvectors $\{U_i\}$ with $\{\lambda_i\}$ as the corresponding eigenvalues. Also let $U \equiv (U_1, U_2, \dots, U_n)$. If for some $\epsilon > 0$,

$$||AX - \lambda X|| \leq \epsilon ||AX||,$$

then

$$\min_{\lambda_j \neq 0} \left| 1 - \frac{\lambda}{\lambda_j} \right| \leq \epsilon ||U|| \cdot ||U^{-1}||.$$

If $||AX - \lambda X|| \leq \epsilon ||X||$,

then $\min_i |\lambda - \lambda_i| \leq \epsilon ||U^{-1}|| \cdot ||U||$.

Furthermore, when A is normal

$$\min_i |\lambda - \lambda_i| \leq \frac{||N||}{||X||},$$

where $N = AX - \lambda X$.

A1.7 AN ALGORITHM FOR SPARCE MATRICES

A1.7.1 INTRODUCTION

We now describe and consider an approach to the eigenvalue problem which takes sparcity into account. This approach takes as its basis the method of Gaussian elimination to reduce the matrix to Hessenberg form. Other important parts to this algorithm include Laguerre's iterative scheme and Hyman's method (mentioned previously), which combine to compute the eigenvalues. When the eigenvalues have been obtained, we resort to the aforementioned inverse initiation technique to calculate the eigenvectors. (Most of the ideas in what follows can be attributed to T. Papathomas and O. Wing [7], [8] and [9].)

The Given's technique, which was described earlier, is not considered here because it is not conducive to sparce matrix computations. In the case of sparce matrices, we are concerned not only with stability of computations but with the generation of "fill-ins"--the creation of nonzero elements where zeros have previously existed. Experience has shown that the Givens' method produces a rather large number of fill-ins. Other well-known techniques, such as the Householder and Jacobi methods and the QR transformation, also produce unacceptable numbers of fill-ins. One of the few methods that can be implemented to yield a relatively small number of fill-ins is that of Gaussian similarity transformations. (See [7], [8] or [9].) We describe this technique after the next section.

A1.7.2 REDUCING THE SIZE OF THE MATRIX

It is sometimes possible to determine some of the eigenvalues before performing any actual computations. That is, it is conceivable that a permutation matrix P exists such that $A' = P^{-1}AP$ has the form

$$A' = \begin{bmatrix} A'_{11} & A'_{12} & A'_{13} \\ 0 & A'_{22} & A'_{23} \\ 0 & 0 & A'_{33} \end{bmatrix},$$

where the submatrices A'_{11} and A'_{33} are upper triangular. Clearly, if A can be transformed to the above form, then it is desirable to do so because the diagonal elements of A'_{11} and A'_{33} are eigenvalues of A . Therefore, once A has been transformed, it is necessary to find the eigenvalues of A'_{22} only, and so we shall henceforth view A as the smaller and more manageable matrix A'_{22} .

In practice, we perform simultaneous row and column interchanges to transform A to A' . First we look for a column that has all zeros below its topmost element. Then we interchange this column with the first column, while the corresponding row interchanges are concurrently performed. Next we look for a column that has all zeros below the element, which is second from the top. If such a column exists, we interchange it with the second column and then perform the necessary row interchanges. This process continues until we can no longer find a column with zeros below its k th element. This process isolates A'_{11} for us. In the k th step of the process which isolates A'_{33} , we take row r_k , which has zeros to the left of its $n - k + 1$ th element, and interchange it with row $n - k + 1$. Thus, A has been transformed to A' .

Having performed the above transformation, it is advisable to apply a scaling procedure which reduces the size of $\|A\|$. This stage of our method is included to improve numerical stability. We do not include this algorithm here, and so the reader is referred to [11] where this procedure, due to Parlett and Reinsch, can be found.

A1.7.3 REDUCTION TO HESSENBERG FORM

If we assume that $A^{(k-1)}$ is the matrix obtained after the first $k-1$ columns have been reduced, then we perform the k th step to get $A^{(k)}$ as follows: to reduce all the elements in column k below row $k+1$ to zero, we must first select a pivot element. If the pivot selection is not $a_{k+1,k}^{(k-1)}$, then an interchange of rows (followed by an interchange of columns for the purpose of completing a similarity transformation) must be effected. If we denote the resultant matrix by $\hat{A}^{(k-1)}$, then we reduce the elements in the k th column by multiplying the pivotal row by $\mu_i^{(k)} = \hat{a}_{ik}^{(k-1)} / \hat{a}_{k+1,k}^{(k-1)}$ and add it to row i for $i \geq k+2$. To complete the similarity transformation, we multiply column i by $-\mu_i^{(k)}$ and add it to column $k+1$, where $i \geq k+2$.

Remark: The reduction of column k corresponds to a multiplication on the left (premultiplication) of $\hat{A}^{(k-1)}$ by a matrix M_k , and the operations to complete the similarity transformation correspond to a multiplication on the right (postmultiplication) of $M_k \hat{A}^{(k-1)}$ by the matrix M_k^{-1} . (This procedure can be found in [7].)

A1.7.4 THE TRANSFORMATION TO UPPER BANDED FORM

When the reduction process is performed, it is desirable that the matrix be in upper banded form. Before providing the definition of upper banded form, we state the definition of a corner point.

Definition: An element a_{ij} of a matrix A is a corner point if and only if

$$a_{ij} \neq 0,$$

$$a_{ml} = 0 \text{ for } m \leq i - 1, l \geq j,$$

and

$$a_{il} = 0 \text{ for } l > j.$$

We assume, for instance, that a non-zero element in the upper righthand corner of the matrix vacuously satisfies the definition of a corner point.

Definition: A matrix is said to be in upper banded form if and only if it has more than one corner point. That is, a matrix is in upper banded form when it has the structure shown in Figure 1.

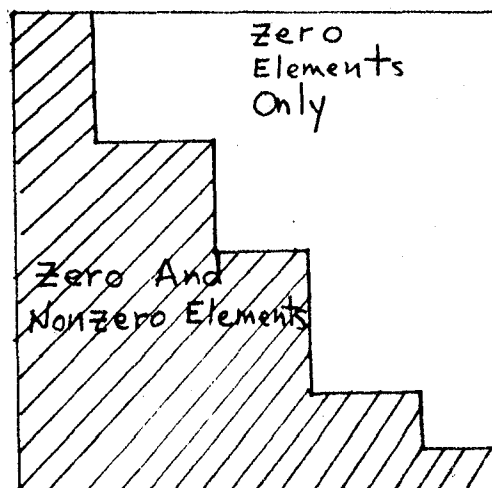


Figure 1

A careful examination of the reduction method reveals that when no row or column interchanges are effected (no pivoting) a pivot element changes only those elements below it and to the right. Therefore, when a matrix, which is in upper banded form, is reduced to Hessenberg form using Gaussian similarity transformations without pivoting, it remains in upper banded form. Furthermore, its corner elements are unchanged.

The above statement is saying that no fill-ins are produced in the white area of Figure 1 when Gaussian similarity transformations are used without pivoting. Thus, it is clear that we increase our chances of obtaining a sparse Hessenberg matrix when the original matrix has the structure shown in Figure 1. We shall be more specific about this in the section on sparse reduction when algorithms 2 and 3 are combined.

We now provide the algorithm, which is given in [9], to transform the matrix A into upper banded form.

Definition: The m-distance, denoted $d(i,j)$, of the position (i,j) in the matrix A is given by

$$d(i,j) = j - i.$$

The m-distance is a measure of the distance that a_{ij} is away from the main diagonal.

The algorithm that we are about to present performs row and column interchanges such that the number of zeros, say z , in the white area of Figure 1 is maximized. The approach taken here is to select a corner element a_{ij} and see if z is increased by moving this element into the shaded region. We look for a column $k < j$ such that

$$a_{lk} = 0 \text{ for } l \leq i. \quad (37)$$

It then appears as though z will increase if we interchange columns j and k . However, we must also interchange rows j and k , and when this takes place, new non-zero elements may be introduced into the white area. Thus, it is possible for z to actually decrease. Clearly, we need some criteria to assure us that z will increase when the above row and column interchanges are performed. So, we employ the following criteria where it is assumed that a_{jq} is the furthest non-zero element to the right in row j , D and δ are the maximum and minimum m -distances, respectively, associated with the current set of corner elements, and c is the number of current corner elements.

Criterion 1: Do not perform the transformation unless the m -distance of (j,q) does not exceed δ .

Criterion 2: Do not perform the transformation unless z increases as a result of the transformation.

Criterion 3: Replace δ with D in criterion 1.

Of the three criteria given above, criterion 1 is the most difficult to satisfy. However, when this criterion is satisfied, a significantly increased z usually results.

Criterion 2 guarantees an increasing z while criterion 3 is the weakest and least reliable of the three.

To implement the above criteria, we take a corner element a_{ij} and search for a column $k < j$ such that (37) is satisfied. We now apply criterion 1. If it is satisfied, we perform the appropriate row and column interchanges. The new corner elements are then determined and we repeat the above procedure with one of the new corner elements. If for any column $k < j$

that satisfies (37), the corresponding (j,q) position does not satisfy criterion 1 or if no column $k < j$ which satisfies (37) can be found, then we move on to another corner element. When we are unable to perform the transformation for any corner element of the current corner element set, criterion 2 is then used. This process continues until all three criteria have been exhausted.

Remark: We remark that in the procedure just outlined, the corner elements are selected according to m -distances. That is, we start with the largest m -distance and work our way down to the smallest.

Also, we use criterion 2 as a backup to criteria 1 and 3 to assure that z ultimately increases. It is possible for z to decrease locally but increase globally when criterion 1 (or 3) is involved. The application of criterion 2 in these instances serves as a means of preventing a globally decreasing z and an endless looping process.

A1.7.5 SPARCE REDUCTION TO HESSENBERG FORM

We now discuss several algorithms which are used in conjunction with the previously described method of Gaussian similarity transformations. In the selection of any algorithm to reduce a matrix to Hessenberg (almost triangular) form, we must keep in mind two important notions: one is the number of fill-ins generated, and the other is numerical stability. Unfortunately, any preoccupation with one of these notions often results in a sacrifice of the other. Thus, a good algorithm should consist of a compromise of the two above notions.

As far as fill-ins are concerned, we consider the three regions, X, Y and Z shown in Figure 2. (Again we refer the reader to [7].) It is these regions of the matrix where the changes occur during the k th step. Region X contains fill-ins that may include the pivot element for the next step. Thus, these fill-ins

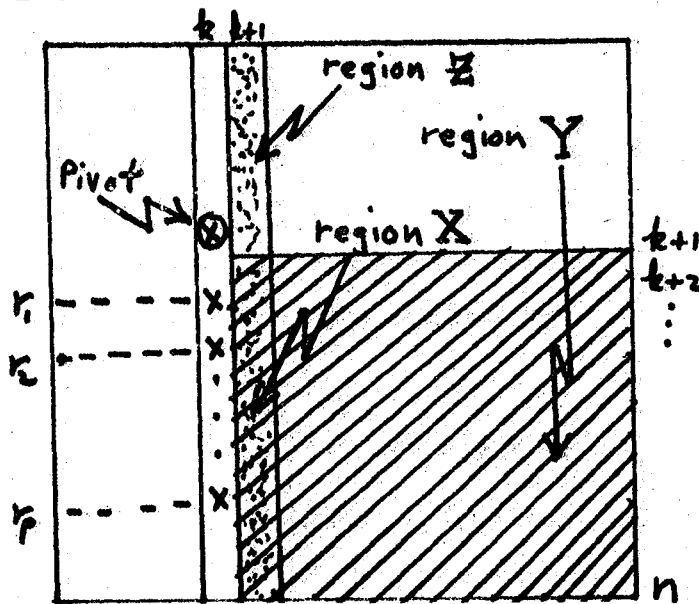


Figure 2

could be responsible for future fill-ins. However, none of these fill-ins will appear in the final Hessenberg matrix. Region Y contains fill-ins that could create future fill-in generation, and these may or may not appear in the Hessenberg matrix. Region Z contains fill-ins that will certainly not generate future ones, but these will definitely appear in the final Hessenberg matrix. If we denote by n_X , n_Y and n_Z , the number of fill-ins in regions X, Y and Z, respectively, during the k th step, then algorithm 1 can be stated as follows: we simply choose as our pivot that element in column k (below row k) which minimizes T , where

$$T = n_X + n_Y + n_Z.$$

This algorithm is due to Tewarson [12], and its main limitation is that it does not take computational stability into account.

Algorithm 2, which also does not consider computational stability, is formulated as follows: we simply take a matrix, which has been transformed to upper banded form as previously described, and reduce it to Hessenberg form via Gaussian similarity transformations without any reordering (interchanging) of rows or columns. As previously stated, the upper banded structure of the matrix is preserved when the reduction process is executed this way. Hence, as far as fill-in is concerned, the above algorithm is usually favorable. However, the amount of round-off error could be very prohibitive, and, moreover, we are not always guaranteed that the original matrix can be transformed to upper banded form. Later, we shall show how this algorithm could be combined with algorithm 3, which does take stability of computations into account. (Algorithm 2 is formulated in [7].)

In considering the problem of numerical stability, we could take as our pivot element that entry in column k (below row k) which is largest in absolute value. However, this approach, while usually providing stable computations, completely ignores the phenomenon of fill-in. In [7], an algorithm which takes both phenomena into account, is formulated. We present that formulation here as algorithm 3.

Algorithm 3 states that at the k th step we select as a pivot that element (in column k , below row k) which satisfies two conditions. First, it must minimize W , where

$$W = c_X n_X + c_Y n_Y + c_Z n_Z \quad (38)$$

and c_X , c_Y and C_Z are constants as yet undetermined. Second, it must satisfy the following stability condition:

Let $b_{k+1,k}$, $b_{k+2,k}$, ..., b_{nk} be the elements in column k under consideration and let

$$\beta_M = \max_{k+1 \leq i \leq n} |b_{ik}|$$

and

$$\beta_m = \min_{k+1 \leq i \leq n} |b_{ik}| ;$$

an element b_{ik} ($k+1 \leq i \leq n$) is disqualified as a pivot candidate if

$$|b_{ik}| < \beta_m + \alpha(\beta_M - \beta_m), \quad 0 \leq \alpha \leq 1. \quad (39)$$

Obviously, the closer α is to one the more we ignore fill-in and the closer it is to zero the more we ignore computational stability.

Assuming that the original matrix can be transformed to upper banded form, we can combine algorithms 2 and 3. In this combined approach, we test the first non-zero element of the set $s = \{b_{k+1,k}, \dots, b_{n,k}\}$ to see if it satisfies inequality (39). If it does not, then (without any row or column interchanges) we immediately reduce column k using that first non-zero member of s as one pivot element. If this entry does satisfy (39), then we resort to algorithm 3 without any regard for algorithm 2. The important idea in this resultant procedure is that an attempt is made to maintain the upper banded structure of the matrix as it is being reduced while still taking computational stability into account. It is clear that when implementing algorithms 2 and 3 this way we

may be selecting a pivot element which does not minimize W (see (38)). However, it is the fill-ins above the main diagonal that concern us most and it is these fill-ins that our new algorithm attempts to avoid. In this fashion, we tend to concentrate the non-zero elements toward the main diagonal during the reduction process.

At this point, it is probably worth explaining how n_x , n_y and n_z are determined. Clearly, fill-in is generated only when one row (or column) is added to another. In the row where the result of the sum will be written, we check for the locations containing zero elements. The number of non-zero elements in the corresponding locations of the other row is equal to the number of fill-ins generated by the addition. It is important to realize that no computations are needed to determine the fill-in count.

Having reduced the matrix A to what we hope is a sparse Hessenberg matrix H , we can proceed to finding the eigenvalues using the Laguerre method.

A1.7.6 LAGUERRE'S METHOD

As an alternative to the Newton-Raphson iteration method, we present the Laguerre method, which has the advantage of not requiring the deflation (reduction in size according to the multiplicity of λ_i) of the matrix H (the Hessenberg matrix from the reduction process) when an eigenvalue has been accepted (See [10] and [7].) For any polynomial $p(x)$ of degree n with roots $\lambda_1, \lambda_2, \dots, \lambda_n$ (perhaps not all distinct), we define the following:

$$s_1(x) = \frac{p'(x)}{p(x)} = \sum_{i=1}^n \frac{1}{x - \lambda_i} , \quad (40)$$

and

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$$s_2(x) = \frac{(p'(x))^2 - p(x)p''(x)}{(p(x))^2} = \sum_{i=1}^n \frac{1}{(x - \lambda_i)^2} \quad (41)$$

The Laguerre scheme constructs a sequence $\{x_k\}$ that converges cubically to a simple root by means of the formula

$$x_{k+1} = x_k - \frac{n}{s_1(x_k) + \sqrt{(n-1)(ns_2(x_k) - s_1^2(x_k))}} \quad (42)$$

If the polynomial $p(x)$ has real roots only, it is known that the real line can be divided into n_1 contiguous intervals (n_1 = number of distinct roots) such that for any starting value x_0 in a given interval the sequence x_k converges monotonically to the root included in that interval.

In showing that no deflation is needed once an eigenvalue has been found, we present the discussion given in [7] or [8]. Let $p_k(x)$ denote the function $p(x)$ with k roots removed. Thus,

$$p_0(x) = p(x),$$

and

$$p_k(x) = \frac{p(x)}{\prod_{i=1}^k (x - \lambda_i)}.$$

In this situation, $s_1^{(k)}(x)$ and $s_2^{(k)}(x)$ are defined in (40) and (41), respectively, where $p(x)$ and its derivatives are replaced by $p_k(x)$ and its derivatives. However, since $p_k(x)$

and its derivatives are not available, we evaluate $s_1^{(k)}(x)$ and $s_2^{(k)}$ as follows:

$$s_1^{(k)}(x) = s_1(x) - \sum_{i=1}^k \frac{1}{x - \lambda_i},$$

and

$$s_2^{(k)}(x) = s_2(x) - \sum_{i=1}^k \frac{1}{(x - \lambda_i)^2}.$$

A1.7.7 STARTING AN ITERATION

Finding a proper starting point in the Laguerre iteration process is extremely important. We do this by making use of the fact that Laguerre iterations are invariant under all Möbuis transformations

$$Tz = \frac{az + b}{cz + d}, \quad a, b, c, d \text{ real}, \quad \begin{vmatrix} a & b \\ c & d \end{vmatrix} \neq 0.$$

To illustrate this, we take the special case where $Tz = \frac{1}{z}$. In this connection, we consider the polynomials $p(x)$ and $\frac{1}{p(x)}$. The above statement in this context says that if z' is obtained from z using (42) for the polynomial $\frac{1}{p(x)}$, then $\frac{1}{z'}$ is obtained from $\frac{1}{z}$ using (42) for the polynomial $p(x)$.

We use the above ideas to select a starting value which has a greater magnitude than the eigenvalue with greatest absolute value. Let us consider the polynomial which is reciprocal to the polynomial, $\det(H - xI)$. If z' is obtained from (42) using the reciprocal polynomial with zero replacing x_k , then, by the above comments, $\frac{1}{z'}$ is the Laguerre iterate corresponding to the point at $x = \infty$. (Note: Under the Möbuis transformation, $Tz = \frac{1}{z}$, the point at $x = 0$ gets assigned to the point at

$x = \infty$ on the extended number line.) We define $\sigma_1(x)$ and $\sigma_2(x)$, respectively, in terms of the reciprocal polynomial just as $s_1(x)$ and $s_2(x)$ are defined in terms of the polynomial $\det (H - xI)$.

Thus, assuming that $\lambda_1, \lambda_2, \dots, \lambda_n$ are the eigenvalues of H ,

$$\sigma_1(0) = \sum_{i=1}^n \frac{1}{0 - \frac{1}{\lambda_i}} = - \sum_{i=1}^n \lambda_i,$$

and

$$\sigma_2(0) = \sum_{i=1}^n \frac{1}{(0 - \frac{1}{\lambda_i})^2} = \sum_{i=1}^n \lambda_i^2$$

Since the trace of a matrix is unchanged by a similarity transformation,

$$\sum_{i=1}^n \lambda_i = \text{tr}(H) = \sum_{i=1}^n h_{ii},$$

and

$$\sum_{i=1}^n \lambda_i^2 = \text{tr}(H^2) = \sum_{i=1}^n h_{ii}^2 + 2 \sum_{i=1}^{n-1} h_{i,i+1} h_{i+1,i}.$$

Since we can now compute $\sigma_1(0)$ and $\sigma_2(0)$, we get, using (42), that

$$\frac{1}{z} = - \frac{1}{n} [\sigma_1(0) + \sqrt{(n-1) [n\sigma_2(0) - (\sigma_1(0))^2]}].$$

We take $\frac{1}{2}$, as our first starting value when λ_i are real for all i . Once the first eigenvalue has been accepted, we use a Newton iteration with this newly found eigenvalue to select a starting value for the next eigenvalue. (The technique just discussed as well as the procedure for finding subsequent starting values can be found in [10].)

A1.7.8 THE COMPUTATION OF $p(\lambda)$, $p'(\lambda)$ AND $p''(\lambda)$

A relatively efficient means of computing $p(\lambda)$, $p'(\lambda)$ and $p''(\lambda)$ is very important in carrying out the Laguerre iteration technique. The reduction process described earlier was formulated with this problem in mind, and so we manipulate (8), (9) and (10) to emphasize why reordering is used to arrive at a sparse Hessenberg matrix H . Since the matrix A in the Hyman theorem given earlier is in lower Hessenberg form, we assume that H is also in that form. However, the a_{ij} 's (equation (8), (9) and (10)) become h_{ij} in the equations that follow.

We must be aware of the fact that the Hyman method involves taking multiples of columns 2, ..., n of $H - \lambda I$ and adding each to column 1 so as to annihilate the first $n - 1$ elements of that column. This establishes the m_i 's in equations (8) and (9b); that is, m_1 is the multiple for column 2, m_2 is the multiple for column 3, etc. The element appearing in the lower lefthand corner of the new matrix is the $p(\lambda)$ of equation (9a), whose justification follows from the fact that the determinant of the new matrix is the same as $\det(A - \lambda I) = \det(H - \lambda I)$.

The constant multiple of $p(\lambda)$ in (9a) cancels out in the definitions of $s_1(x)$ and $s_2(x)$ in (40) and (41), respectively,

and so we simply ignore $P_A(\lambda)$. Remembering that H is in lower Hessenberg form, we let

$$H - \lambda I = [W_1 : W_2 \cdots : W_n].$$

Equations (8) and (9a) can be reformulated as follows:

$$W_1 + m_1 W_2 + \cdots + m_{n-1} W_n = e_n p(\lambda), \quad (43)$$

where $e_n = [0, 0, \dots, 1]^t$. We can rewrite (43), so as to show explicitly what is involved in the computation of the m_i followed by the calculation of $p(\lambda)$, to get that

$$WM = C_0 \quad (44)$$

$$p(\lambda) = M^t U_0 + h_{n1} \quad (45)$$

where W is the matrix $H - \lambda I$ with its first column and last row removed,

$$M^t = [m_1, m_2, \dots, m_{n-1}],$$

$$C_0^t = [-h_{11} + \lambda, -h_{21}, \dots, -h_{n-1, 1}],$$

and

$$U_0^t = [h_{n2}, h_{n3}, \dots, h_{n,n}].$$

It is clear that W is an $n-1$ by $n-1$ lower triangular matrix and, therefore, the solution to (44), which corresponds to (8), is computed in a straightforward manner. To get $p'(\lambda)$, we differentiate (44) and (45) yielding

$$WM' = C_1', \quad (46)$$

and

$$p'(\lambda) = (M')^t U_0 - m_{n-1}', \quad (47)$$

where $C_1^t = [1, m_1', m_2', \dots, m_{n-2}']$; if we differentiate (46) and (47) we get that

$$WM'' = C_2',$$

and

$$p''(\lambda) = (M'')^t U_0 - 2m_{n-1}'',$$

where $C_2^t = [0, 2m_1'', 2m_2'', \dots, 2m_{n-2}'']$.

It is very important to observe that solutions to $WM^{(i)} = C_i$ ($i = 0, 1, 2$) are repeatedly sought in order to compute $p(\lambda)$, $p'(\lambda)$ and $p''(\lambda)$. As a result, it is essential to obtain a sparse W to facilitate computations, and thus, the emphasis on reordering during the reduction process is justified. (The above analysis can be found in [7], where the matrix H is assumed to be in upper Hessenberg form.)

Now that we have shown how the eigenvalues are found by means of the Laguerre iteration procedure, the reader is referred to section A1.3.2 on the method of inverse iteration to find the corresponding eigenvectors.

A1.7.9 ERROR ANALYSIS OF GAUSSIAN REDUCTION

For completeness, we attempt to provide a priori error analysis of Gaussian reduction in this section. Out of convenience, however, we shall consider a different formulation

of this reduction technique, although the error bounds will be similar to those associated with the process used in this report.

We know that the Hessenberg matrix H satisfies the relation

$$N^{-1}AN = H, \quad (48)$$

where A is the original matrix. If we rewrite (48) as

$$AN = NH, \quad (49)$$

then by equating the corresponding columns on both sides of (49), we arrive at the recursive relations

$$h_{ir} = a_{ir} + \sum_{k=r+1}^n a_{ik}n_{kr} - \sum_{k=1}^{i-1} n_{ik}h_{kr} \quad (k = 1, \dots, r+1), \quad (50)$$

and

$$n_{i,r+1} = \left(a_{ir} + \sum_{k=r+1}^n a_{ik}n_{kr} - \sum_{k=1}^r n_{ik}h_{kr} \right) / h_{r+1,r} \quad (51)$$

($i = r+2, \dots, n$). h_{11} and h_{21} can be found on the first pass, because it is well known that the first column of N is $(1, 0, 0, \dots, 0)^t$. Then h_{21} is used to compute n_{32} through n_{n2} . h_{12} , h_{22} and h_{32} are then computed with these new values of n_{rs} and the process continues until the n th column of H has been computed.

To get an idea as to the errors involved in computing H ,

we assume that fixed-point arithmetic with inner product accumulation is used. That is, the inner products of (50) and (51) are accumulated exactly and then rounding occurs when the final number is stored in memory to t significant places. Hence, from (50) and (51)

$$h_{ir} = a_{ir} + a_{i,r+1}n_{r+1,r} + \dots + a_{in}n_{nr} - n_{il}h_{lr} - \dots - n_{i,i-1}h_{i-1,r} + E_{ir}, \quad (52)$$

where $|E_{ir}| \leq \frac{1}{2}(2^{-t})$ ($i \leq r+1$),

and

$$n_{i,r+1} = \left(a_{ir} + a_{i,r+1}n_{r+1,r} + \dots + a_{in}n_{nr} - n_{il}h_{lr} - \dots - n_{ir}h_{rr} \right) / h_{r+1,r} + N_{ir}, \quad (53)$$

where $|N_{ir}| \leq \frac{1}{2}(2^{-t})$ ($i > r+1$). If we multiply both sides of (53) by $h_{r+1,r}$, then $n_{i,r+1}h_{r+1,r}$ is computed to within an error of E_{ir} ($i > r+1$), where $E_{ir} = h_{r+1,r}N_{ir}$. Now we let

$$(f_{ir}) = F = AN - NH, \quad (54)$$

and the above equations allow us to conclude that

$$|f_{ir}| \leq \begin{cases} \frac{1}{2}(2^{-t}), & \text{for } i \leq r+1 \\ \frac{1}{2}h_{r+1,r}(2^{-t}), & \text{for } i > r+1 \end{cases}. \quad (55)$$

From (54), we have that

$$H = N^{-1}(A - FN^{-1})N$$

and

$$N^{-1}AN = H + N^{-1}F. \quad (56)$$

From (56), it is clear that H differs from an exact similarity transformation of the matrix A by the matrix $N^{-1}F$.

If the elements of A and H are not dissimilar in magnitude, we can assume that all their entries are bounded above by one, and so the h factors can be excluded from (55). Therefore, one source of danger happens when the elements of H are much greater than those of A , and, by (55), some of the bounds on the f_{ij} can be quite large. Another source of trouble occurs with the growth of the elements of N^{-1} . It is conceivable that the norm of N^{-1} could get unacceptably large because our transformation matrix N is not unitary. Apparently, no analysis of the growth of the elements of N^{-1} has been made.

The above analysis can be found in [6], where it is also stated that in practice, $\|N^{-1}F\|_2$ (Euclidian norm) has been usually found to be bounded above by $\frac{1}{2}n2^{-t}$. This should provide us with hope in terms of the usefulness of our reduction algorithm.

Remark: It should have been apparent from equations (50) and (51) that H was assumed to be in upper Hessenberg form. The error analysis for a lower Hessenberg matrix is the same with minor modifications.

A1.8 SUMMARY

To summarize this report, we shall briefly mention the different techniques that are contained herein and discuss the operation counts associated with each. Before doing so, we restate that our problem is to solve the equation

$$X' = AX,$$

where A is a general $n \times n$ sparse transition matrix with constant coefficients. Hence, we choose to solve this equation by finding the eigenvalues and eigenvectors of the matrix A and then expressing the general solution as a linear combination of the functions defined by equation (A). (See section A1.1.)

PROCEDURE FOR EIGENVALUES

I. Reduction to Hessenberg Form

1. If the Givens' method is used to reduce the matrix A to Hessenberg form, then

$$\frac{10}{3}n^3 + (\text{lower order terms})$$

multiplications, and

$$\frac{5}{3}n^3 + (\text{lower order terms})$$

additions to perform this procedure.

2. If Gaussian reduction is used, then

$$\frac{5}{6}n^3 + (\text{lower order terms})$$

multiplications, and

$$\frac{5}{6}n^3 + (\text{lower order terms})$$

additions are required to perform this procedure. Also, our algorithm for sparse reduction requires at most $\frac{5}{6}n^3$ + (lower order terms) checks on possible fill-in. These checks, however, do not involve any computations.

It is clear that Gaussian reduction requires one quarter the number of multiplications and one half the number of additions as the Givens' method. Even though we have a significant number of non-computational checks, it is safe to conclude that Gaussian reduction requires fewer operations than the Givens' scheme. When it is also seen that the number of fill-ins produced by the Givens' method is prohibitively large, it must be concluded that sparse Gaussian elimination is better in terms of time and use of sparcity.

II. Computation of Eigenvalues

The Hyman method is used to evaluate $p(\lambda)$ (see (9a)), $p'(\lambda)$ and $p''(\lambda)$ (see (47) and (47a)) in the implementation of the Newton-Raphson method and the Laguerre iteration scheme.

1. If the Newton-Raphson method is used (see (12)), then the computation of $p(\lambda)$ and $p'(\lambda)$ are required. To compute an eigenvalue by this process,

$$n^2 - n$$

multiplications, and

$$n^2 - n + 1$$

additions are required per iteration.

2. If the Laguerre technique is used (see (42)), then the computation of $p(\lambda)$, $p'(\lambda)$ and $p''(\lambda)$ are required. To compute an eigenvalue by this process,

$$n^2 + (\text{lower order terms})$$

multiplications, and

$$n^2 + (\text{lower order terms})$$

additions are required per iteration.

Apparently, there is very little difference in the number of operations per iteration between the two above methods. However, there are two distinct advantages that the Laguerre method has over Newton's method. Firstly, Laguerre's scheme usually converges cubically, whereas Newton's method converges quadratically. In [10], it is stated that less than an average of three iterations per eigenvalue (for Laguerre) were needed on a wide variety of matrices of orders from 8 to 100. Secondly, no a priori knowledge of the location of the eigenvalues is needed to start the Laguerre technique. (See section A1.7.7 on the selection of a starting value.) Thus, the Laguerre method seems to provide a distinct advantage over Newton's method.

In short, if we make the gross assumption that $O(n)$ iterations are required for convergence, it takes $O(n^3)$ multiplications and $O(n^3)$ additions to compute one eigenvalue using the Gaussian-Laguerre combination. The Givens'-Newton combination also requires $O(n^3)$ additions and multiplications, but where the constant multiple of n^3 is two or three times greater than that for Gaussian-Laguerre. Thus we conclude that the Gaussian-Laguerre method is the more viable of the two methods.

PROCEDURE FOR EIGENVECTORS

It is being assumed that the Weilandt iteration procedure,

$$(A - \lambda I)X_{n+1} = X_n,$$

together with Gaussian elimination is used to solve for an eigenvector that corresponds to λ .

Thus, to use this procedure

$$\frac{1}{2}n^2 + \frac{5}{2}n - 4$$

multiplications,

$$\frac{1}{2}n^2 + \frac{3}{2}n - 2$$

additions, and

$$n - 1$$

divisions are required for the first iteration, and

$$n - 1$$

multiplications, and

$$n - 1$$

additions are required for each subsequent iteration. In addition to this,

$$\frac{1}{2}n^2 - \frac{1}{2}n$$

multiplications, the same number of additions and n divisions are needed for the substitution process in each iteration. Finally, n^2 multiplications and $n^2 - n$ additions are needed to transform the computed eigenvector back to the original coordinate system.

Therefore, if $O(n)$ iterations are required for convergence, then $O(n^3)$ multiplications, $O(n^3)$ additions, and $O(n^2)$ divisions are needed to compute one eigenvector.

We conclude this report by stating that a Fortran IV computer program is being written to compute the eigenvalues and eigenvectors of the matrix A by means of sparse Gaussian reduction, the Laguerre iteration technique and the method of inverse iteration.

APPENDIX 2

COMPUTER PRINT-OUTS

A2.1 INTRODUCTION

Copies of a portion of the computer print-outs from some of of the reliability model runs are presented on the following pages. It should be noted that the complete print-outs are much more extensive, including, at the user's option,

$P_{\ell}(t)$, $P_{\ell}^*(t)$ and $Q_{\ell}(t)$ for each state ℓ and for each time step $t = i\Delta t$. For brevity, only the summations

$$Q(t) = \sum_{\ell \in L} Q_{\ell}(t), \quad P^*(t) = \sum_{\ell \in L} P_{\ell}(t) \quad \text{and} \quad 1 - R(t) = Q(t) + P^*(t)$$

are reproduced here.

OLTSUM = 0.

.5829726867E-07	.4356765196E-08	.1411347080E-07	.2138572820E-07	.3093367852E-07
.1061572460E-07	.4764346985E-07	.5506700312E-07	.6421441994E-07	.7166696467E-07
.1201377764E-06	.8906640991E-07	.9681177154E-07	.1042328272E-06	.1127700324E-06
.1588055242E-06	.1284548023E-06	.1357325848E-06	.1438313110E-06	.1509989227E-06
.1644752727E-06	.1658992748E-06	.1735245532E-06	.1804023261E-06	.1877769864E-06
.2278779411E-06	.2015931548E-06	.2080990713E-06	.2149453410E-06	.2212386343E-06
.2523412727E-06	.2338729811E-06	.2401575861E-06	.2459803492E-06	.2519732276E-06
.2840414652E-06	.2632361945E-06	.2685386325E-06	.2739302238E-06	.2789576806E-06
.3066329842E-06	.282860437E-06	.2935584849E-06	.2980137078E-06	.3024722080E-06
	.3107759544E-06	.3146384730E-06	.3184651187E-06	.3220269869E-06
				.325537693E-06

P* SUM = 0.

.1941198228E-05	.4759132931E-08	.5018474605E-07	.2406130927E-06	.7709503040E-06
.3049511260E-04	.4188045621E-05	.7993809726E-05	.1409299224E-04	.2327669381E-04
.2000913126E-03	.5483833559E-04	.7953561317E-04	.1119532960E-03	.1535915947E-03
.4960848751E-03	.2711736889E-03	.3507444771E-03	.4467773750E-03	.5613619097E-03
.1766703255E-02	.555224089E-03	.1038731788E-02	.1250243017E-02	.1492050270E-02
.3724391786E-02	.2076798540E-02	.2424970906E-02	.2813884752E-02	.3246225610E-02
.6903222479E-02	.4251986172E-02	.4830808248E-02	.5463846298E-02	.6153769869E-02
.116332617E-01	.7714814595E-02	.8591116899E-02	.9534653842E-02	.1054789751E-01
.1822163562E-01	.1279309681E-01	.1402968385E-01	.1534523036E-01	.1674186545E-01
	.197865092E-01	.2143833128E-01	.2317890326E-01	.2500989707E-01
				.2693289394E-01

G+P* SUM = 0.

.1979495497E-05	.9115504128E-08	.6429821693E-07	.2619988209E-06	.8018839825E-06
.3657572709E-04	.4215689091E-05	.804876730E-05	.1415720666E-04	.2334836077E-04
.2142004454E-03	.5492640200E-04	.7963242494E-04	.1120575289E-03	.1537043648E-03
.4968437406E-03	.2713021477E-03	.3508802097E-03	.4469212063E-03	.5615129086E-03
.1766897733E-02	.5551883022E-03	.1038905313E-02	.1250423419E-02	.1492238047E-02
.3724919594E-02	.2077000134E-02	.2425179005E-02	.2814099697E-02	.3246446848E-02
.6903400020E-02	.4252220045E-02	.4831048405E-02	.5464092278E-02	.6154021843E-02
.1163354582E-01	.7715077831E-02	.8591385437E-02	.9534927773E-02	.1054817647E-01
.1822194226E-01	.1279338559E-01	.1402997741E-01	.1534552838E-01	.1674216792E-01
	.1978681170E-01	.2143864592E-01	.2317922172E-01	.2501021910E-01
				.2693321948E-01

Table A2-1

RM4, Recovery Rate Averaged, FTMP, permanent failures

$T_{\max} = 1000$ hrs

$N_p = 15, N_m = 8, N_B = 4$

GLISUM = 0.

.1598651937E-12	.8284643018E-14	.3189783213E-13	.6616059009E-13	.1099410088E-12
.4712208911E-12	.2158079439E-12	.2751771381E-12	.3384546815E-12	.4035199210E-12
.8244607205E-12	.5397212705E-12	.6100898962E-12	.6806619205E-12	.7526393404E-12
.1190430798E-11	.8974083622E-12	.969831962E-12	.1043515953E-11	.1116545175E-11
.1559095919E-11	.1263734049E-11	.1337832476E-11	.1411300985E-11	.1485527747E-11
.1929422677E-11	.1633400076E-11	.1707028351E-11	.1781379181E-11	.1855043701E-11
.2299318254E-11	.2003109055E-11	.2077505004E-11	.2151204563E-11	.2225610747E-11
.2669992488E-11	.2373730608E-11	.2447442908E-11	.2521858983E-11	.2595574171E-11
.3039986157E-11	.2743709418E-11	.2818129086E-11	.2891847065E-11	.2966267546E-11
	.3114407127E-11	.3188126118E-11	.3262547382E-11	.3336266602E-11
				.3410688041E-11

P* SUM = 0.

.5787001456E-26	.4629482749E-28	.3703823046E-27	.1250013632E-26	.2962963694E-26
.4629660369E-25	.1000010904E-25	.1587970607E-25	.2370370952E-25	.3374988837E-25
.1562503711E-24	.6162056456E-25	.8000001954E-25	.1017127376E-24	.1270376483E-24
.3703704598E-24	.1896296757E-24	.2274533311E-24	.2700010246E-24	.3175469075E-24
.7233788750E-24	.4287494506E-24	.4929645146E-24	.5632879556E-24	.6400001537E-24
.1250002962E-23	.8137059000E-24	.9112512971E-24	.1016296539E-23	.1129119395E-23
.1984755987E-23	.1379214714E-23	.1517037397E-23	.1663748783E-23	.1819633483E-23
.2862963659E-23	.2160000517E-23	.2345044823E-23	.2540375244E-23	.2746252898E-23
.4218747936E-23	.3190785297E-23	.3430006026E-23	.3680883228E-23	.3943704625E-23
	.4506303610E-23	.4806624758E-23	.5120001189E-23	.5446710672E-23
				.5787045779E-23

G+P* SUM = 0.

.1598651937E-12	.8284643018E-14	.3189783213E-13	.6616059009E-13	.1099410088E-12
.4712208911E-12	.2158079439E-12	.2751771381E-12	.3384546815E-12	.4035199210E-12
.8244607205E-12	.5397212705E-12	.6100898962E-12	.6806619205E-12	.7526393404E-12
.1190430798E-11	.8974083622E-12	.969831962E-12	.1043515953E-11	.1116545175E-11
.1559095919E-11	.1263734049E-11	.1337832476E-11	.1411300985E-11	.1485527747E-11
.1929422677E-11	.1633400076E-11	.1707028351E-11	.1781379181E-11	.1855043701E-11
.2299318254E-11	.2003109055E-11	.2077505004E-11	.2151204563E-11	.2225610747E-11
.2669992488E-11	.2373730608E-11	.2447442908E-11	.2521858983E-11	.2595574171E-11
.3039986157E-11	.2743709418E-11	.2818129036E-11	.2891847065E-11	.2966267546E-11
	.3114407127E-11	.3188126118E-11	.3262547382E-11	.3336266602E-11
				.3410688041E-11

Table A2-2

RM4, Recovery Rate Averaged, FTMP, permanent failures

 $T_{\max} = 30 \text{ sec}$ $N_p = 15, N_m = 9, N_B = 5$

GLTSUM = 0.

.1656510437E-15	.6686304258E-17	.2671039272E-16	.5993392193E-16	.1062918981E-15
.6544896617E-15	.2379508436E-15	.3230620100E-15	.4209275885E-15	.5314214922E-15
.1455080124E-14	.7900086312E-15	.9379267400E-15	.1098122732E-14	.1270546981E-14
.2556813387E-14	.1651674311E-14	.1860211842E-14	.2080646442E-14	.2312861908E-14
.3949532523E-14	.2812386050E-14	.3079536356E-14	.3358150751E-14	.3648186924E-14
.5623563128E-14	.4262146401E-14	.4585917347E-14	.4920805334E-14	.5266700244E-14
.7569516370E-14	.5991284928E-14	.6369827739E-14	.6759083532E-14	.7159015417E-14
.9778399541E-14	.7990550494E-14	.8422011747E-14	.8863865207E-14	.9316005793E-14
.1224145553E-13	.1025094231E-13	.1073360108E-13	.1122627264E-13	.1172892489E-13
	.1276383338E-13	.1329595703E-13	.1383779619E-13	.1438925037E-13
				.1495029013E-13

P* SUM = 0.

.1097920375E-30	.8800221654E-33	.7023321359E-32	.2372266245E-31	.5618657087E-31
.779151690E-30	.1896296767E-30	.3012280753E-30	.4494925670E-30	.6401707042E-30
.2963437419E-29	.1168759852E-29	.1517037413E-29	.1929135448E-29	.2408999226E-29
.7023321354E-29	.3595940535E-29	.4313805693E-29	.5120001270E-29	.6022380199E-29
.1371874039E-28	.8131306865E-29	.9348040727E-29	.1068270762E-28	.1213629931E-28
.2370370958E-28	.1543023702E-28	.1728153910E-28	.1927199380E-28	.2141324369E-28
.3744319166E-28	.2615599408E-28	.2876752428E-28	.3155193019E-28	.3450557783E-28
.5618657085E-28	.4096001015E-28	.4447191932E-28	.4817296119E-28	.5208025219E-28
.779151690E-28	.6051033050E-28	.6504297908E-28	.6980429418E-28	.7478432580E-28
.1000428316E-28	.8545275094E-28	.9115243738E-28	.9709039443E-28	.1032908967E-27
				.1097393962E-27

Q+FA SUM = 0.

.1656510437E-15	.6686304258E-17	.2671039272E-16	.5993392193E-16	.1062918981E-15
.6544896617E-15	.2379508436E-15	.3230620100E-15	.4209275885E-15	.5314214922E-15
.1455080124E-14	.7900086312E-15	.9379267400E-15	.1098122732E-14	.1270546981E-14
.2556813387E-14	.1651674311E-14	.1860211842E-14	.2080646442E-14	.2312861908E-14
.3949532523E-14	.2812386050E-14	.3079536356E-14	.3358150751E-14	.3648186924E-14
.5623563128E-14	.4262146401E-14	.4585917347E-14	.4920805334E-14	.5266700244E-14
.7569516370E-14	.5991284928E-14	.6369827739E-14	.6759083532E-14	.7159015417E-14
.9778399541E-14	.7990550494E-14	.8422011747E-14	.8863865207E-14	.9316005793E-14
.1224145553E-13	.1025094231E-13	.1073360108E-13	.1122627264E-13	.1172892489E-13
	.1276383338E-13	.1329595703E-13	.1383779619E-13	.1438925037E-13
				.1495029013E-13

Table A2-3

RM4, Recovery Rate Averaged, FTMP, permanent failures

$T_{\max} = 800$ msec

$N_p = 15$, $N_m = 9$, $N_B = 5$

QLTSUM	= 0.	-.9805489753E-17	.8497678733E-08	.1697350695E-07	.2542526311E-07	
	.3385032663E-07	.4224573096E-07	.5060821217E-07	.5893425349E-07	.6722012596E-07	
	.7546192560E-07	.8365560724E-07	.9179701551E-07	.9988191293E-07	.1079060055E-06	
	.1158649660E-06	.1237544552E-06	.1315701409E-06	.1393077151E-06	.1469629103E-06	
	.1545315130E-06	.1620093769E-06	.1693924340E-06	.1766767055E-06	.1838583104E-06	
	.1909334741E-06	.1978985357E-06	.2047499543E-06	.2114843148E-06	.2180983331E-06	
	.2245888600E-06	.2309528854E-06	.2371875410E-06	.2432901035E-06	.2492579962E-06	
	.2550887911E-06	.2607802101E-06	.2663301260E-06	.2717365627E-06	.2769976961E-06	
	.2821118534E-06	.2870775130E-06	.2918933038E-06	.2965580045E-06	.3010705421E-06	
	.3054299907E-06	.3096355703E-06	.3136866442E-06	.3175827179E-06	.3213234366E-06	.3249085830E-06

P* SUM	= 0.	.4759138931E-08	.5018474605E-07	.2406130927E-06	.7709503040E-06	
	.1941198228E-05	.4168045621E-05	.7993809726E-05	.1409299224E-04	.2327669381E-04	
	.3649511266E-04	.5483833559E-04	.7953561317E-04	.1119532960E-03	.1535915947E-03	
	.2060803126E-03	.2711736889E-03	.3507444771E-03	.4467773750E-03	.5613619097E-03	
	.6966848751E-03	.8550224089E-03	.1038731788E-02	.1250243017E-02	.1492050270E-02	
	.1766703255E-02	.2076798540E-02	.2424970906E-02	.2813884752E-02	.3246225610E-02	
	.3724691786E-02	.4251986172E-02	.4830808248E-02	.5463846298E-02	.6153769869E-02	
	.6903222479E-02	.7714814595E-02	.8591116899E-02	.9534653842E-02	.1054789751E-01	
	.1163326178E-01	.1279309681E-01	.1402968385E-01	.1534523036E-01	.1674186545E-01	
	.1822163562E-01	.1978650092E-01	.2143833128E-01	.2317890326E-01	.2500989707E-01	.2693289394E-01

Q+P* SUM	= 0.	.4759138922E-08	.5868242478E-07	.2575865996E-06	.7963755671E-06	
	.1975048555E-05	.4210291352E-05	.8044417939E-05	.1415192649E-04	.2334391393E-04	
	.3657057459E-04	.5492199120E-04	.7962741019E-04	.1120531779E-03	.1536995007E-03	
	.2061961776E-03	.2712974433E-03	.3508760472E-03	.4469166827E-03	.5615088726E-03	
	.6968394066E-03	.8551844183E-03	.1038901181E-02	.1250419694E-02	.1492234129E-02	
	.1766894189E-02	.2076996439E-02	.2425175656E-02	.2814096236E-02	.3246443708E-02	
	.3724916375E-02	.4252217125E-02	.4831045435E-02	.5464089588E-02	.6154019127E-02	
	.6903477568E-02	.7715075375E-02	.8591383229E-02	.9534925579E-02	.1054817451E-01	
	.1163354389E-01	.1279338389E-01	.1402997575E-01	.1534552692E-01	.1674216652E-01	
	.1822194105E-01	.1978681056E-01	.2143864496E-01	.2317922084E-01	.2501021840E-01	.2693321885E-01

Table A2-4

RM2, Difference Equation, 50 steps, FTMP, permanent failures

 $T_{\max} = 1000 \text{ hrs}$ $N_p = 15, N_m = 8, N_B = 4$

QLTSUM	= 0.	-.8526512829E-22	.1656928244E-13	.4598564935E-13	.8537873975E-13	
	.1325195419E-12	.1856770529E-12	.2435070124E-12	.3049654962E-12	.3692418150E-12	
	.4357064043E-12	.5038703579E-12	.5733540017E-12	.6438624886E-12	.7151668466E-12	
	.7870892611E-12	.8594916446E-12	.9322667619E-12	.1005331336E-11	.1078620695E-11	
	.1152084618E-11	.1225684103E-11	.1299388862E-11	.1373175375E-11	.1447025375E-11	
	.1520924678E-11	.1594862268E-11	.1668829591E-11	.1742820003E-11	.1816828346E-11	
	.1890850612E-11	.1964883692E-11	.2038925169E-11	.2112973165E-11	.2187026225E-11	
	.2261083217E-11	.2335143262E-11	.2409205677E-11	.2483269933E-11	.2557335617E-11	
	.2631402412E-11	.2705470067E-11	.2779538391E-11	.2853607234E-11	.2927676479E-11	
	.3001746037E-11	.3075815837E-11	.3149885824E-11	.3223955957E-11	.3298026203E-11	.3372096536E-11
P* SUM	= 0.	.4629482749E-28	.3703823046E-27	.1250013632E-26	.2962963694E-26	
	.5787001456E-26	.1000010904E-25	.1587970607E-25	.2370370952E-25	.3374988837E-25	
	.4629660369E-25	.6162056456E-25	.8000001954E-25	.1017127376E-24	.1270376483E-24	
	.1562503711E-24	.1896296757E-24	.2274533311E-24	.2700010246E-24	.3175469075E-24	
	.3703704598E-24	.4287494506E-24	.4929645146E-24	.5632879556E-24	.6400001537E-24	
	.7233786780E-24	.8137059000E-24	.9112512971E-24	.1016296539E-23	.1129119395E-23	
	.1250002962E-23	.1379214714E-23	.1517037397E-23	.1663748783E-23	.1819633483E-23	
	.1984955987E-23	.2160000510E-23	.2345044823E-23	.2540375244E-23	.2746252898E-23	
	.2962963659E-23	.3190785297E-23	.3430006026E-23	.3680883228E-23	.3943704625E-23	
	.4218747986E-23	.4506303610E-23	.4806624758E-23	.5120001189E-23	.5446710672E-23	.5787045779E-23
Q+P* SUM	= 0.	-.8526508200E-22	.1656928244E-13	.4598564935E-13	.8537873975E-13	
	.1325195419E-12	.1856770529E-12	.2435070124E-12	.3049654962E-12	.3692418150E-12	
	.4357064043E-12	.5038703579E-12	.5733540017E-12	.6438624886E-12	.7151668466E-12	
	.7870892611E-12	.8594916446E-12	.9322667619E-12	.1005331336E-11	.1078620695E-11	
	.1152084618E-11	.1225684103E-11	.1299388862E-11	.1373175375E-11	.1447025375E-11	
	.1520924678E-11	.1594862268E-11	.1668829591E-11	.1742820003E-11	.1816828346E-11	
	.1890850612E-11	.1964883692E-11	.2038925169E-11	.2112973165E-11	.2187026225E-11	
	.2261083217E-11	.2335143262E-11	.2409205677E-11	.2483269933E-11	.2557335617E-11	
	.2631402412E-11	.2705470067E-11	.2779538391E-11	.2853607234E-11	.2927676479E-11	
	.3001746037E-11	.3075815837E-11	.3149885824E-11	.3223955957E-11	.3298026203E-11	.3372096536E-11

Table A2-5

RM2, Difference Equation, 50 steps, FTMP, permanent failures

$$T_{\max} = 30 \text{ sec}$$

$$N_p = 15, N_m = 9, N_B = 5$$

QLTSUM	= 0.	0.	.1337260844E-16	.4001335283E-16	.7982061983E-16	
	.1326953235E-15	.1985406071E-15	.2772616055E-15	.3687652272E-15	.4729599766E-15	
	.5897558040E-15	.7190639648E-15	.8607969112E-15	.1014868200E-14	.1181192401E-14	
	.1359685030E-14	.1550262490E-14	.1752842012E-14	.1967341616E-14	.2193680070E-14	
	.2431776849E-14	.2681552117E-14	.2942926691E-14	.3215822030E-14	.3500160203E-14	
	.3795863880E-14	.4102856314E-14	.4421061330E-14	.4750403308E-14	.5090807178E-14	
	.5442198409E-14	.5804502997E-14	.6177647464E-14	.6561558842E-14	.6956164674E-14	
	.7361393003E-14	.7777172370E-14	.8203431805E-14	.8640100829E-14	.9087109438E-14	
	.9544388114E-14	.1001186780E-13	.1048947993E-13	.1097715637E-13	.1147482947E-13	
	.1198243204E-13	.1249989733E-13	.1302715905E-13	.1356415136E-13	.1411080886E-13	.1466706658E-13
P* SUM	= 0.	.8800221654E-33	.7023321359E-32	.2372266245E-31	.5618657087E-31	
	.1097920375E-30	.1896296767E-30	.3012280753E-30	.4494925670E-30	.6401707042E-30	
	.8779151698E-30	.1168759852E-29	.1517037413E-29	.1929135448E-29	.2408999226E-29	
	.2963437419E-29	.3595940535E-29	.4313805693E-29	.5120001270E-29	.6022380199E-29	
	.7023321358E-29	.8131300865E-29	.9348040727E-29	.1068270762E-28	.1213629931E-28	
	.1371874039E-28	.1543023702E-28	.1728153910E-28	.1927199380E-28	.2141324369E-28	
	.2370370958E-28	.2615599408E-28	.2876752428E-28	.3155193019E-28	.3450557783E-28	
	.3764319196E-28	.4096001015E-28	.4447191932E-28	.4817296119E-28	.5208025219E-28	
	.5618657085E-28	.6051033050E-28	.6504297908E-28	.6980429418E-28	.7478432580E-28	
	.8000428316E-28	.8545275094E-28	.9115243736E-28	.9709039443E-28	.1032908967E-27	.1097393962E-27
Q+P* SUM	= 0.	.8800221654E-33	.1337260844E-16	.4001335283E-16	.7982061983E-16	
	.1326953235E-15	.1985406071E-15	.2772616055E-15	.3687652272E-15	.4729599766E-15	
	.5897558040E-15	.7190639648E-15	.8607969112E-15	.1014868200E-14	.1181192401E-14	
	.1359685030E-14	.1550262490E-14	.1752842012E-14	.1967341616E-14	.2193680070E-14	
	.2431776849E-14	.2681552117E-14	.2942926691E-14	.3215822030E-14	.3500160203E-14	
	.3795863880E-14	.4102856314E-14	.4421061330E-14	.4750403308E-14	.5090807178E-14	
	.5442198409E-14	.5804502997E-14	.6177647464E-14	.6561558842E-14	.6956164674E-14	
	.7361393003E-14	.7777172370E-14	.8203431805E-14	.8640100829E-14	.9087109438E-14	
	.9544388114E-14	.1001186780E-13	.1048947993E-13	.1097715637E-13	.1147482947E-13	
	.1198243204E-13	.1249989733E-13	.1302715905E-13	.1356415136E-13	.1411080886E-13	.1466706658E-13

Table A2-6

RM2, Difference Equation, 50 steps, FTMP, permanent failures

$$T_{\max} = 800$$

$$N_p = 15, N_m = 9, N_B = 5$$

1698357059E-07	4902 77E-07	425 35E-07	507 3E-07	1074 4E-07
.3807358794E-07	.2121504507E-07	.2544014095E-07	.2965851159E-07	.3386978953E-07
.5896567200E-07	.4226950213E-07	.4645711087E-07	.5063597778E-07	.5480565251E-07
.7960398457E-07	.6311556164E-07	.6725483633E-07	.7138300157E-07	.7549955443E-07
.9992602275E-07	.8369577509E-07	.8777440346E-07	.9183934232E-07	.9589006029E-07
.1198656508E-06	.1039466925E-06	.1079515306E-06	.1119399969E-06	.1159115505E-06
.1393555020E-06	.1238017578E-06	.1277193325E-06	.1316178377E-06	.1354967384E-06
.1583288679E-06	.1431935992E-06	.1470105042E-06	.1508056950E-06	.1545786539E-06
.1767211742E-06	.1620558289E-06	.1657590342E-06	.1694379867E-06	.1730921950E-06
.1944711198E-06	.1803244457E-06	.1839015374E-06	.1874519843E-06	.1909753287E-06
.2115215445E-06	.1979389147E-06	.2013782781E-06	.2047887824E-06	.2081700083E-06
.2278200759E-06	.2148429881E-06	.2181339446E-06	.2213940281E-06	.2246228614E-06
.2433195964E-06	.2309853121E-06	.2341182194E-06	.2372184560E-06	.2402856895E-06
.2579785626E-06	.2463198627E-06	.2492861834E-06	.2522182629E-06	.2551158149E-06
.2717612033E-06	.2608062385E-06	.2635985845E-06	.2663553518E-06	.2690763014E-06
.2846376161E-06	.2744098373E-06	.2770219924E-06	.2795974670E-06	.2821360692E-06
.2965837800E-06	.2871019344E-06	.2895288600E-06	.2919182383E-06	.2942699237E-06
.3075814970E-06	.2988596802E-06	.3010975063E-06	.3032971495E-06	.3054585100E-06
.3176182734E-06	.3096660287E-06	.3117120320E-06	.3137194428E-06	.3156882055E-06
	.3195096083E-06	.3213621805E-06	.3231759688E-06	.3249509604E-06

.3266871506E-06

P* SUM = 0.

.1173999557E-06	.7416532601E-09	.4759138931E-08	.1779874211E-07	.5018474605E-07
.1941198228E-05	.2406130927E-06	.4471556002E-06	.7709503040E-06	.1252894285E-05
.1071176954E-04	.2891684441E-05	.4168045621E-05	.5842066421E-05	.7993809726E-05
.3649511266E-04	.1409299224E-04	.1824316797E-04	.2327669381E-04	.2931671025E-04
.9468873279E-04	.4495253905E-04	.5483833559E-04	.6631050132E-04	.7953561317E-04
.2060803126E-03	.1119532960E-03	.1315209866E-03	.1535915947E-03	.1783728618E-03
.3965749372E-03	.2369370749E-03	.2711736889E-03	.3090279056E-03	.3507444771E-03
.6966848751E-03	.4467773750E-03	.5016162015E-03	.5613619097E-03	.6262908290E-03
.1140857688E-02	.7728312951E-03	.8550224089E-03	.9435553474E-03	.1038731788E-02
.1766703255E-02	.1250243017E-02	.1367201484E-02	.1492050270E-02	.1625109758E-02
.2614167695E-02	.1917156731E-02	.2076798540E-02	.2245959157E-02	.2424970906E-02
.3724691786E-02	.2813884752E-02	.3024458363E-02	.3246225610E-02	.3479524115E-02
.5140382903E-02	.3982066563E-02	.4251986172E-02	.4534787879E-02	.4830808248E-02
.6903222479E-02	.5463846298E-02	.5801531480E-02	.6153769869E-02	.6520891035E-02
.9054325238E-02	.7301089422E-02	.7714814595E-02	.8144718038E-02	.8591116899E-02
.1163326178E-01	.9534653842E-02	.1003241004E-01	.1054789751E-01	.1108141613E-01
.1466745222E-01	.1220372619E-01	.1279309621E-01	.1340165658E-01	.1402968385E-01
.1822163562E-01	.1534523036E-01	.1603328194E-01	.1674186545E-01	.1747123407E-01
.2229741726E-01	.1899331236E-01	.1978650092E-01	.2060143221E-01	.2143833128E-01
	.2317890326E-01	.2408299626E-01	.2500989707E-01	.2595980023E-01

.2693289394E-01

Q*P* SUM = 0.

.1343835263E-06	.7416532552E-09	.9013134766E-08	.2630150080E-07	.6293078779E-07
.1979271816E-05	.2618281377E-06	.4725957411E-06	.8006088156E-06	.1286764074E-05
.1077073521E-04	.2933953943E-05	.4214502732E-05	.5892702398E-05	.8048615379E-05
.3657471665E-04	.1415610780E-04	.1831042281E-04	.2334807681E-04	.2939220980E-04
.9478865881E-04	.4503623483E-04	.5492611000E-04	.6640234066E-04	.7963150323E-04
.2062001783E-03	.1120572427E-03	.1316289381E-03	.1537035347E-03	.1784887734E-03
.3967142927E-03	.2370608767E-03	.2713014082E-03	.3091595234E-03	.3508799738E-03
.6968432040E-03	.4469205686E-03	.5017632120E-03	.5615127154E-03	.6264454077E-03
.1141034410E-02	.7729933509E-03	.8551881679E-03	.9437247854E-03	.1038904880E-02
.1766897726E-02	.1250423341E-02	.1367385385E-02	.1492237722E-02	.1625300733E-02
.2614379216E-02	.4469205686E-03	.5017632120E-03	.5615127154E-03	.6264454077E-03
.3724919606E-02	.1917354670E-02	.2076999919E-02	.2246163946E-02	.2425179076E-02
.5140626223E-02	.2814099595E-02	.3024676497E-02	.3246447004E-02	.3479748738E-02
.6903480458E-02	.3982297548E-02	.4252220290E-02	.4535025097E-02	.4831048533E-02
.9054596999E-02	.5464092618E-02	.5801780766E-02	.6154022088E-02	.6521146151E-02
.1163354641E-01	.7301350228E-02	.7715078193E-02	.8144984393E-02	.8591385975E-02
.1466774880E-01	.9534928252E-02	.1003268706E-01	.1054817711E-01	.1108169826E-01
.1822194320E-01	.1220401330E-01	.1279338634E-01	.1340194850E-01	.1402997812E-01
.2229773488E-01	.1534552922E-01	.1603358304E-01	.1674216874E-01	.1747153953E-01
	.1899362203E-01	.1978681263E-01	.2060174593E-01	.2143864697E-01
	.2317922276E-01	.2408331762E-01	.2501022025E-01	.2596012519E-01

.2693322063E-01

Table A2-7

RM2, Difference Equation, 100 steps

 $T_{\max} = 1000 \text{ hrs}$ $N_p = 15, N_m = 8, N_B = 4$

FTMP, permanent failures

QLTSUM = 0.

.3910134877E-13	.5646117127E-13	.7615771647E-13	.9791346828E-13	.1214838694E-12
.1466534067E-12	.1732321622E-12	.2010527730E-12	.2299677528E-12	.2598471310E-12
.2905763729E-12	.3220545461E-12	.3541927055E-12	.3869124690E-12	.4201447637E-12
.4538287198E-12	.4879106966E-12	.5223434241E-12	.5570852460E-12	.5920994533E-12
.6273536968E-12	.6628194689E-12	.6984716480E-12	.7342880956E-12	.7702493029E-12
.8063380776E-12	.8425392693E-12	.8788395272E-12	.9152270858E-12	.9516915770E-12
.9882238640E-12	.1024815895E-11	.1061460575E-11	.1098151650E-11	.1134883612E-11
.1171651603E-11	.1208451346E-11	.1245279068E-11	.1282131448E-11	.1319005556E-11
.1355898812E-11	.1392808942E-11	.1429733942E-11	.1466672046E-11	.1503621698E-11
.1540581525E-11	.1577550320E-11	.1614527018E-11	.1651510679E-11	.1688500478E-11
.1725495684E-11	.1762495656E-11	.1799499827E-11	.1836507699E-11	.1873518833E-11
.1910532840E-11	.1947549380E-11	.1984568151E-11	.2021588890E-11	.2058611361E-11
.2095635359E-11	.2132660703E-11	.2169687233E-11	.2206714808E-11	.2243743304E-11
.2280772612E-11	.2317802634E-11	.2354833286E-11	.2391864494E-11	.2428896191E-11
.2465928318E-11	.2502960826E-11	.2539993669E-11	.2577026806E-11	.2614060203E-11
.2651093829E-11	.2688127657E-11	.2725161662E-11	.2762195824E-11	.2799230124E-11
.2836264545E-11	.2873299074E-11	.2910333696E-11	.2947368402E-11	.2984403181E-11
.3021438024E-11	.3058472924E-11	.3095507874E-11	.3132542868E-11	.3169577900E-11
.3206612967E-11	.3243648063E-11	.3280683186E-11	.3317718332E-11	.3354753498E-11

.3391788683E-11

P* SUM = 0.

.7233936865E-27	.1250013632E-26	.1984963261E-26	.2962963694E-26	.4218736053E-26
.5787001456E-26	.7702660142E-26	.1000010904E-25	.1271421731E-25	.1587970607E-25
.1953129643E-25	.2370370952E-25	.2843166646E-25	.3374988837E-25	.3969363076E-25
.4629660369E-25	.5359400792E-25	.6162056456E-25	.7041099472E-25	.8000001954E-25
.9042236012E-25	.1017127376E-24	.1139069522E-24	.1270376483E-24	.1411405475E-24
.1562503711E-24	.1724018401E-24	.1896296757E-24	.2079685990E-24	.2274533311E-24
.2481204065E-24	.2700010246E-24	.2931316179E-24	.3175469075E-24	.3432816144E-24
.3703704598E-24	.3988481649E-24	.4287494506E-24	.4601117753E-24	.4929645146E-24
.5273450010E-24	.5632879556E-24	.6008280995E-24	.6400001537E-24	.6808388395E-24
.7233788780E-24	.7676588404E-24	.8137059000E-24	.8615584785E-24	.9112512971E-24
.9628190769E-24	.1016296539E-23	.1071718405E-23	.1129119395E-23	.1188539384E-23
.1250002962E-23	.1313549832E-23	.1379214714E-23	.1447032328E-23	.1517037397E-23
.1589264642E-23	.1663748783E-23	.1740531186E-23	.1819633483E-23	.1901096843E-23
.1984955987E-23	.2071245635E-23	.2160000510E-23	.2251255332E-23	.2345044823E-23
.2441412030E-23	.2540375244E-23	.2641977293E-23	.2746252898E-23	.2853236779E-23
.2962963659E-23	.3075468258E-23	.3196785297E-23	.3308959695E-23	.343006026E-23
.3553968963E-23	.3680883228E-23	.3810783541E-23	.3943704625E-23	.4079681199E-23
.4218747986E-23	.4360951965E-23	.4506303610E-23	.4654849634E-23	.4806624758E-23
.4961663703E-23	.5120001189E-23	.5281671938E-23	.5446710672E-23	.5615166619E-23

.5787045779E-23

Q+P* SUM = 0.

.3910134877E-13	.5646117127E-13	.7615771647E-13	.9791346828E-13	.1214838694E-12
.1466534067E-12	.1732321622E-12	.2010527730E-12	.2299677528E-12	.2598471310E-12
.2905763729E-12	.3220545461E-12	.3541927055E-12	.3869124690E-12	.4201447637E-12
.4538287198E-12	.4879106966E-12	.5223434241E-12	.5570852460E-12	.5920994533E-12
.6273536968E-12	.6628194689E-12	.6984716480E-12	.7342880956E-12	.7702493029E-12
.8063380776E-12	.8425392693E-12	.8788395272E-12	.9152270858E-12	.9516915770E-12
.9882238640E-12	.1024815895E-11	.1061460575E-11	.1098151650E-11	.1134883612E-11
.1171651603E-11	.1208451346E-11	.1245279068E-11	.1282131448E-11	.1319005556E-11
.1355898812E-11	.1392808942E-11	.1429733942E-11	.1466672046E-11	.1503621698E-11
.1540581525E-11	.1577550320E-11	.1614527018E-11	.1651510679E-11	.1688500478E-11
.1725495684E-11	.1762495656E-11	.1799499827E-11	.1836507699E-11	.1873518833E-11
.1910532840E-11	.1947549380E-11	.1984568151E-11	.2021588890E-11	.2058611361E-11
.2095635359E-11	.2132660703E-11	.2169687233E-11	.2206714808E-11	.2243743304E-11
.2280772612E-11	.2317802634E-11	.2354833286E-11	.2391864494E-11	.2428896191E-11
.2465928318E-11	.2502960826E-11	.2539993669E-11	.2577026806E-11	.2614060203E-11
.2651093829E-11	.2688127657E-11	.2725161662E-11	.2762195824E-11	.2799230124E-11
.2836264545E-11	.2873299074E-11	.2910333696E-11	.2947368402E-11	.2984403181E-11
.3021438024E-11	.3058472924E-11	.3095507874E-11	.3132542868E-11	.3169577900E-11
.3206612967E-11	.3243648063E-11	.3280683186E-11	.3317718332E-11	.3354753498E-11

.3391788683E-11

Table A2-8

RM2, Difference Equation, 100 steps

 $T_{\max} = 30 \text{ sec}$ $N_p = 15, N_m = 9, N_B = 5$

ETMP, permanent failures

QLTSUM = 0.	0.	3349778148E-17	1003608237E-16	2004585583E-16
.3336622803E-16	.4998449879E-16	.6988813229E-16	.9306474503E-16	.1195020969E-15
.1491880826E-15	.1821107244E-15	.2182581658E-15	.2576186650E-15	.3001805867E-15
.3459323976E-15	.3948626621E-15	.4469600368E-15	.5022132667E-15	.5606111804E-15
.6221426848E-15	.6867967652E-15	.7545624786E-15	.8254289518E-15	.8993853809E-15
.9764210251E-15	.1056525206E-14	.1139687307E-14	.1225896766E-14	.1315143081E-14
.1407415801E-14	.1502704531E-14	.1600998924E-14	.1702288686E-14	.1806563568E-14
.1913813370E-14	.2024027939E-14	.2137197166E-14	.2253310985E-14	.2372359374E-14
.2494332354E-14	.2619219988E-14	.2747012377E-14	.2877699665E-14	.3011272033E-14
.3147719702E-14	.3287032931E-14	.3429202017E-14	.3574217294E-14	.3722069133E-14
.3872747939E-14	.4026244156E-14	.4182548261E-14	.4341650769E-14	.4503542227E-14
.4668213216E-14	.4835654353E-14	.5005856289E-14	.5178809706E-14	.5354505321E-14
.5532933885E-14	.5714086179E-14	.5897953019E-14	.6084525253E-14	.6273793758E-14
.6465749447E-14	.6660383261E-14	.6857686177E-14	.7057649198E-14	.7260263363E-14
.7465519737E-14	.7673409420E-14	.7883923541E-14	.8097053259E-14	.8312789764E-14
.8531124275E-14	.8752048044E-14	.8975552348E-14	.9201628500E-14	.9430267838E-14
.9661461730E-14	.9895201575E-14	.1013147880E-13	.1037028486E-13	.1061161125E-13
.1085544947E-13	.1110179107E-13	.1135062762E-13	.1160195072E-13	.1185575200E-13
.1211202313E-13	.1237075577E-13	.1263194165E-13	.1289557252E-13	.1316164013E-13
.1343013628E-13	.1370105281E-13	.1397438155E-13	.1425011440E-13	.1452824326E-13

.1480876007E-13

P* SUM = 0.	0.	1100027707E-33	8800221654E-33	2960595853E-32	7023321359E-32
.1372400468E-31	.2372266245E-31	.3762771934E-31	.5618657087E-31	.8002133803E-31	.10021280753E-30
.1097920375E-30	.1460312959E-30	.1896296767E-30	.2411419310E-30	.3012280753E-30	.37526075205E-30
.3703112535E-30	.4494925670E-30	.5392257117E-30	.6401707042E-30	.7526075205E-30	.8779151698E-30
.8779151698E-30	.1016412608E-29	.1168759552E-29	.1335060025E-29	.1517037413E-29	.1714842549E-29
.1714842549E-29	.1929135448E-29	.2159808695E-29	.2408999226E-29	.2676655462E-29	.2966347419E-29
.2966347419E-29	.3268899345E-29	.3595940535E-29	.3943991275E-29	.4313805693E-29	.4704754244E-29
.4704754244E-29	.5120001270E-29	.5558989916E-29	.6022380199E-29	.6509230980E-29	.7023321358E-29
.7023321358E-29	.7563791314E-29	.8131300865E-29	.8724563594E-29	.9348040727E-29	.1000053540E-28
.1000053540E-28	.1068270762E-28	.1139289201E-28	.1213629931E-28	.1291136209E-28	.1371874039E-28
.1371874039E-28	.1455635617E-28	.1543023702E-28	.1633841133E-28	.1728153910E-28	.1825709599E-28
.1825709599E-28	.1927199380E-28	.2032382303E-28	.2141324369E-28	.2253725139E-28	.2370370958E-28
.2370370958E-28	.2490973714E-28	.2615599408E-28	.2743896232E-28	.2876752428E-28	.3013829356E-28
.3013829356E-28	.3155193019E-28	.3300436869E-28	.3450557783E-28	.3605163225E-28	.3764319196E-28
.3764319196E-28	.3927561044E-28	.4096001015E-28	.4269189311E-28	.4447191932E-28	.4629482749E-28
.4629482749E-28	.4817296119E-28	.5010121608E-28	.5208025219E-28	.5410415977E-28	.5618657085E-28
.5618657085E-28	.5832174109E-28	.6051033050E-28	.6274574721E-28	.6504297908E-28	.6739560807E-28
.6739560807E-28	.6980429418E-28	.7226172974E-28	.7478432580E-28	.7736495694E-28	.8000428316E-28
.8000428316E-28	.8269424729E-28	.8545275094E-28	.8827192763E-28	.9115243736E-28	.9408543977E-28
.9408543977E-28	.9709039443E-28	.1001586601E-27	.1032908967E-27	.1064774471E-27	

.1097393962E-27

Q+P* SUM = 0.	0.	1100027707E-33	3349778148E-17	1003608237E-16	2004585583E-16
.3336622803E-16	.4998449879E-16	.6988813229E-16	.9306474503E-16	.1195020969E-15	.3001805867E-15
.1491880826E-15	.1821107244E-15	.2182581658E-15	.2576186650E-15	.3001805867E-15	.5606111804E-15
.3459323976E-15	.3948626621E-15	.4469600368E-15	.5022132667E-15	.5606111804E-15	.8993853809E-15
.6221426848E-15	.6867967652E-15	.7545624786E-15	.8254289518E-15	.8993853809E-15	.1315143081E-14
.9764210251E-15	.1056525206E-14	.1139687307E-14	.1225896766E-14	.1315143081E-14	.1806563568E-14
.1407415801E-14	.1502704531E-14	.1600998924E-14	.1702288686E-14	.1806563568E-14	.2372359374E-14
.1913813370E-14	.2024027939E-14	.2137197166E-14	.2253310985E-14	.2372359374E-14	.3011272033E-14
.2494332354E-14	.2619219988E-14	.2747012377E-14	.2877699665E-14	.3011272033E-14	.3722069133E-14
.3147719702E-14	.3287032931E-14	.3429202017E-14	.3574217294E-14	.3722069133E-14	.4503542227E-14
.3872747939E-14	.4026244156E-14	.4182548261E-14	.4341650769E-14	.4503542227E-14	.5354505321E-14
.4668213216E-14	.4835654353E-14	.5005856289E-14	.5178809706E-14	.5354505321E-14	.6273793758E-14
.5532933885E-14	.5714086179E-14	.5897953019E-14	.6084525253E-14	.6273793758E-14	.7260263363E-14
.6465749447E-14	.6660383261E-14	.6857686177E-14	.7057649198E-14	.7260263363E-14	.8312789764E-14
.7465519737E-14	.7673409420E-14	.7883923541E-14	.8097053259E-14	.8312789764E-14	.9430267838E-14
.8531124275E-14	.8752048044E-14	.8975552348E-14	.9201628500E-14	.9430267838E-14	.1061161125E-13
.9661461730E-14	.9895201575E-14	.1013147880E-13	.1037028486E-13	.1061161125E-13	.1185575200E-13
.1085544947E-13	.1110179107E-13	.1135062762E-13	.1160195072E-13	.1185575200E-13	.1316164013E-13
.1211202313E-13	.1237075577E-13	.1263194165E-13	.1289557252E-13	.1316164013E-13	.1452824326E-13
.1343013628E-13	.1370105281E-13	.1397438155E-13	.1425011440E-13	.1452824326E-13	

.1480876007E-13

Table A2-9

RM2, Difference Equation, 100 steps $T_{\max} = 800 \text{ msec}$ $N_p = 15$, $N_m = 9$, $N_B = 5$
 FTMP, permanent failures

GLT SUM	= 0.	.4551770786E-08	.1472789133E-07	.2233366275E-07	.3229673499E-07	
.4002084649E-07	.4979310213E-07	.5761516367E-07	.6721602603E-07	.7511826810E-07		
.8456470420E-07	.9253164425E-07	.1018384716E-06	.1098566208E-06	.1190367742E-06		
.1270943789E-06	.1361591421E-06	.1442459568E-06	.1532051633E-06	.1613122494E-06		
.1701744563E-06	.1782940049E-06	.1870666436E-06	.1951918190E-06	.2038813245E-06		
.2120061259E-06	.2206180490E-06	.2287371881E-06	.2372762918E-06	.2453850845E-06		
.2538554273E-06	.2619496985E-06	.2703547058E-06	.2784307047E-06	.2867732305E-06		
.2948275566E-06	.3031099369E-06	.3111394745E-06	.3193635732E-06	.3273654338E-06		
.3355326825E-06	.3435041548E-06	.3516155879E-06	.3595540934E-06	.3676103780E-06		
.3755134336E-06	.3835148968E-06	.3913800813E-06	.3993267336E-06	.4071516600E-06	.4150432164E-06	
P* SUM	= 0.	.6853144684E-17	.1525528285E-14	.3791191622E-13	.3692577483E-12	
.2147930693E-11	.9015168948E-11	.3020543503E-10	.8581700088E-10	.2149590339E-09		
.4875114262E-09	.1020237507E-08	.1997974982E-08	.3700599994E-08	.6536415855E-08		
.1108256414E-07	.1813299380E-07	.2875445533E-07	.4435091432E-07	.6673670203E-07		
.9821864330E-07	.1416873231E-06	.2007175755E-06	.2796782007E-06	.3838508437E-06		
.5195578927E-06	.6942991887E-06	.9168972719E-06	.1197650829E-05	.1548495950E-05		
.1983174741E-05	.2517410818E-05	.3169091117E-05	.3958453472E-05	.4908279330E-05		
.6044090978E-05	.7394352610E-05	.8990674545E-05	.1086801991E-04	.1306491308E-04		
.1562364909E-04	.1859050341E-04	.2201594127E-04	.2595482583E-04	.3046662450E-04		
.3561561271E-04	.4147107437E-04	.4810749850E-04	.5560477115E-04	.6404836219E-04	.7352950616E-04	
Q+P* SUM	= 0.	.4551770793E-08	.1472789286E-07	.2233370066E-07	.3229710425E-07	
.4002299442E-07	.4980211730E-07	.5764536911E-07	.6730184303E-07	.7533322713E-07		
.8505221562E-07	.9355188176E-07	.1038364466E-06	.1135572208E-06	.1255731900E-06		
.1381769431E-06	.1542921359E-06	.1730004122E-06	.1975560776E-06	.2280489514E-06		
.2683930996E-06	.3199813280E-06	.3877842190E-06	.4748700197E-06	.5877321682E-06		
.7315640187E-06	.9149172377E-06	.1145634460E-05	.1434927121E-05	.1793881034E-05		
.2237030169E-05	.2779360517E-05	.3439445823E-05	.4236884177E-05	.5195052560E-05		
.6338918535E-05	.7697462546E-05	.9301814019E-05	.1118738349E-04	.1339227851E-04		
.1595918177E-04	.1893400756E-04	.2236755686E-04	.2631437992E-04	.3083423488E-04		
.3599112614E-04	.4185458927E-04	.4849887858E-04	.5600409789E-04	.6445551385E-04	.7394454938E-04	

Table A2-10

Form 1, Recovery Distribution Averaged, FTMP, permanent failures

 $T_{\max} = 1000 \text{ hrs}$ $N_p, N_m, N_B = 5$

QLTSUM = 0.	.4445293693E-10	.1481320702E-09	.2222244882E-09	.3258789051E-09
.3999876354E-09	.5036173641E-09	.5777423787E-09	.5813474476E-09	.7554887186E-09
.8590691560E-09	.9332266556E-09	.1036782490E-08	.1110956190E-08	.1214487449E-08
.1288677322E-08	.1392184034E-08	.1466390053E-08	.1569872246E-08	.1644094382E-08
.1747552084E-08	.1821790311E-08	.1925223550E-08	.1999477839E-08	.2102886643E-08
.2177156967E-08	.2280541364E-08	.2354827695E-08	.2458187714E-08	.2532490024E-08
.2635825692E-08	.2710143954E-08	.2813455299E-08	.2887789486E-08	.2991076535E-08
.3065426620E-08	.3168689401E-08	.3243055356E-08	.3346293898E-08	.3420675695E-08
.3523890024E-08	.3598287637E-08	.3701477782E-08	.3775891183E-08	.3879057171E-08
.3953486334E-08	.4056628192E-08	.4131073088E-08	.4234190845E-08	.4308651448E-08 .4411745130E-08

P* SUM = 0.	.7999995363E-26	.1279998455E-24	.6479988434E-24	.2047995110E-23
.4999985002E-23	.1036796275E-22	.1920791941E-22	.3276784258E-22	.5248771653E-22
.7999951973E-22	.1171272273E-21	.1658868061E-21	.2284862177E-21	.3073254194E-21
.4049963560E-21	.5242829661E-21	.6681611850E-21	.8397989295E-21	.1042556118E-20
.1279984644E-20	.1555828399E-20	.1874023270E-20	.2238697114E-20	.2654169783E-20
.3124953133E-20	.3655750976E-20	.4251459122E-20	.4917165390E-20	.5658149568E-20
.6479833365E-20	.7388030587E-20	.8388446934E-20	.9487180157E-20	.1069046991E-19
.1200474793E-19	.1343663781E-19	.1499295518E-19	.1668070767E-19	.1850709493E-19
.2047950854E-19	.2260553190E-19	.2489294069E-19	.2734970242E-19	.2998397639E-19
.3280411434E-19	.3581865941E-19	.3903634719E-19	.4246610495E-19	.4611705218E-19 .4999850007E-19

Q+P* SUM = 0.	.4445293693E-10	.1481320702E-09	.2222244882E-09	.3258789051E-09
.3999876354E-09	.5036173641E-09	.5777423787E-09	.5813474476E-09	.7554887186E-09
.8590691560E-09	.9332266556E-09	.1036782490E-08	.1110956190E-08	.1214487449E-08
.1288677322E-08	.1392184034E-08	.1466390053E-08	.1569872246E-08	.1644094382E-08
.1747552084E-08	.1821790311E-08	.1925223550E-08	.1999477839E-08	.2102886643E-08
.2177156967E-08	.2280541364E-08	.2354827695E-08	.2458187714E-08	.2532490024E-08
.2635825692E-08	.2710143954E-08	.2813455299E-08	.2887789486E-08	.2991076535E-08
.3065426620E-08	.3168689401E-08	.3243055356E-08	.3346293898E-08	.3420675695E-08
.3523890024E-08	.3598287637E-08	.3701477782E-08	.3775891183E-08	.3879057171E-08
.3953486334E-08	.4056628192E-08	.4131073088E-08	.4234190845E-08	.4308651448E-08 .4411745130E-08

Table A2-11

Form 1, Recovery Distribution Averaged, FTMP, permanent failures

 $T_{\max} = 10 \text{ hrs}$ $N_p = 15, N_m = 9, N_B = 5$

GLTSUM = 0.	.7364810660E-14	.2760227927E-13	.5410603592E-13	.8689526314E-13
.1222209079E-12	.1616724472E-12	.2023691731E-12	.2463832908E-12	.2911048388E-12
.3387600837E-12	.3868287763E-12	.4375912716E-12	.4885615835E-12	.5420431746E-12
.5955658022E-12	.6514489344E-12	.7072310686E-12	.7652389519E-12	.8230223700E-12
.8829146199E-12	.9424724656E-12	.1004035696E-11	.1065167151E-11	.1128212316E-11
.1190739387E-11	.1255098882E-11	.1318863740E-11	.1384388932E-11	.1449251602E-11
.1515810673E-11	.1581647013E-11	.1649123050E-11	.1715822958E-11	.1784112271E-11
.1851578094E-11	.1920588718E-11	.1988733846E-11	.2058384215E-11	.2127131833E-11
.2197349603E-11	.2266631582E-11	.2337352593E-11	.2407108506E-11	.2478275850E-11
.2548452106E-11	.2620015312E-11	.2690564378E-11	.2762478681E-11	.2833358400E-11 .2905584098E-11

P* SUM = 0.	.3857861493E-38	.6173104715E-37	.3125045442E-36	.9876546472E-36
.2411245669E-35	.5000072704E-35	.9263176755E-35	.1580247434E-34	.2531238844E-34
.3858058857E-34	.5648557702E-34	.8000002632E-34	.1101887181E-33	.1482108279E-33
.1953131193E-33	.2528395892E-33	.3222253779E-33	.4050020513E-33	.5027829288E-33
.6172841529E-33	.7503112225E-33	.9037692306E-33	.1079635842E-32	.1280000419E-32
.1507038818E-32	.1763031049E-32	.2050316407E-32	.2371358798E-32	.2728704440E-32
.3125009900E-32	.3562972882E-32	.4045433416E-32	.4575308078E-32	.5155631890E-32
.5789457237E-32	.6480002106E-32	.7230553431E-32	.8044526835E-32	.8925325153E-32
.9876546413E-32	.1090184791E-31	.1200502826E-31	.1318983602E-31	.1446025159E-31
.1582030263E-31	.1727417341E-31	.1882595294E-31	.2048000661E-31	.2224073243E-31 .2411270322E-31

Q+P* SUM = 0.	.7364810660E-14	.2760227927E-13	.5410603592E-13	.8689526314E-13
.1222209079E-12	.1616724472E-12	.2023691731E-12	.2463832908E-12	.2911048388E-12
.3387600837E-12	.3868287763E-12	.4375912716E-12	.4885615835E-12	.5420431746E-12
.5955658022E-12	.6514489344E-12	.7072310686E-12	.7652389519E-12	.8230223700E-12
.8829146199E-12	.9424724656E-12	.1004035696E-11	.1065167151E-11	.1128212316E-11
.1190739387E-11	.1255098882E-11	.1318863740E-11	.1384388932E-11	.1449251602E-11
.1515810673E-11	.1581647013E-11	.1649123050E-11	.1715822958E-11	.1784112271E-11
.1851578094E-11	.1920588718E-11	.1988733846E-11	.2058384215E-11	.2127131833E-11
.2197349603E-11	.2266631582E-11	.2337352593E-11	.2407108506E-11	.2478275850E-11
.2548452106E-11	.2620015312E-11	.2690564378E-11	.2762478681E-11	.2833358400E-11 .2905584098E-11

Table A2-12

Form 1, Recovery Distribution Averaged, FTMP, permanent failures

 $T_{\max} = 30 \text{ secs}$ $N_o = 15, N_m = 9, N_R = 5$

QLTSUM	= 0.	.6662993803E-17	.2658657069E-16	.5951080930E-16	.1053132541E-15
		.1637434175E-15	.2346876172E-15	.3179035639E-15	.4132852726E-15
		.6397417749E-15	.7704889633E-15	.9127464042E-15	.1066291574E-14
		.1406766679E-14	.1593397804E-14	.1790718866E-14	.1998653057E-14
		.2445667802E-14	.2684473900E-14	.2933344106E-14	.3192080432E-14
		.3738767774E-14	.4026465819E-14	.4323523960E-14	.4629886962E-14
		.5269918465E-14	.5603353380E-14	.5945625919E-14	.6296557528E-14
		.7024090195E-14	.7400475364E-14	.7785087768E-14	.8177889899E-14
		.8987523618E-14	.9404155566E-14	.9828577908E-14	.1026062836E-13
		.1114736954E-13	.1160187560E-13	.1206364036E-13	.1253264129E-13
					.1300872466E-13
					.1349187064E-13
P* SUM	= 0.	.1957168207E-44	.3121476418E-43	.1581932360E-42	.4994362269E-42
		.1220106658E-41	.2528395898E-41	.4686305537E-41	.7990979630E-41
		.1950922761E-40	.2857176378E-40	.4045433437E-40	.5573401105E-40
		.9878651959E-40	.1278556741E-39	.1629736692E-39	.2048000678E-39
		.3121476418E-39	.3794751826E-39	.4570153623E-39	.5460240776E-39
		.7621766764E-39	.8915248796E-39	.1036923130E-38	.1199146381E-38
		.1580247436E-38	.1801903981E-38	.2045690785E-38	.2313864453E-38
		.2927870930E-38	.3276801084E-38	.3656659334E-38	.4067939282E-38
		.4994352268E-38	.5513271391E-38	.6070678551E-38	.6670312661E-38
		.8000571096E-38	.8735170821E-38	.9520528389E-38	.1035630960E-37
					.1124741539E-37
					.1219326725E-37
Q+P* SUM	= 0.	.6662993803E-17	.2658657069E-16	.5951080930E-16	.1053132541E-15
		.1637434175E-15	.2346876172E-15	.3179035639E-15	.4132852726E-15
		.6397417749E-15	.7704889633E-15	.9127464042E-15	.1066291574E-14
		.1406766679E-14	.1593397804E-14	.1790718866E-14	.1998653057E-14
		.2445667802E-14	.2684473900E-14	.2933344106E-14	.3192080432E-14
		.3738767774E-14	.4026465819E-14	.4323523960E-14	.4629886962E-14
		.5269918465E-14	.5603353380E-14	.5945625919E-14	.6296557528E-14
		.7024090195E-14	.7400475364E-14	.7785087768E-14	.8177889899E-14
		.8987523618E-14	.9404155566E-14	.9828577908E-14	.1026062836E-13
		.1114736954E-13	.1160187560E-13	.1206364036E-13	.1253264129E-13
					.1300872466E-13
					.1349187064E-13

Table A2-13

Form 1, Recovery Distribution Averaged, FTMP, permanent failures

 $T_{\max} = 800 \text{ msec}$ $N_p = 15, N_m = 9, N_B = 5$

Q+P* SUM = 0.

.1157023254E-12	.1503968006E-12	.1847070853E-12	.2207706393E-12	.2558967082E-12
.2924464489E-12	.3278622529E-12	.3645846547E-12	.4001033538E-12	.4368870724E-12
.4724423128E-12	.5092478057E-12	.5448160229E-12	.5816292473E-12	.6172020724E-12
.6540180413E-12	.6895925025E-12	.7264094446E-12	.7619844862E-12	.7958017725E-12
.8343770198E-12	.8711944271E-12	.9067697469E-12	.9435871957E-12	.9791625410E-12
.1015980003E-11	.1051555357E-11	.1088372822E-11	.1123948179E-11	.1160765644E-11
.1196341081E-11	.1233158465E-11	.1268733821E-11	.1305551283E-11	.1341126639E-11
.1377944099E-11	.1413519454E-11	.1450336912E-11	.1485912267E-11	.1522729722E-11
.1558305076E-11	.1595122530E-11	.1630697883E-11	.1667515334E-11	.1703090687E-11

.1739908136E-11

Table A2-14
FTMP, permanent failures

RM4, Recovery Rate Averaged

$T_{\max} = 30 \text{ sec}$

$N_p = 15, N_m = 9, N_B = 5$

with $1 \cdot \frac{P_j \bar{c}_{j\ell}}{e^{-\lambda_{\ell} t}}$

Q+P* SUM = 0.

.1157023170E-12	.1503968488E-12	.1847070697E-12	.2207706198E-12	.2558966842E-12
.2924464207E-12	.3278622201E-12	.3645846174E-12	.4001033118E-12	.4368870258E-12
.4724422612E-12	.5092477494E-12	.5448159616E-12	.5816291812E-12	.6172020012E-12
.6540179653E-12	.6895924213E-12	.7264093586E-12	.7619843949E-12	.7958016763E-12
.8343769184E-12	.8711943207E-12	.9067696353E-12	.9435870791E-12	.9791624191E-12
.1015979876E-11	.1051555225E-11	.1088372685E-11	.1123948036E-11	.1160765496E-11
.1196340848E-11	.1233158306E-11	.1268733658E-11	.1305551114E-11	.1341126465E-11
.1377943920E-11	.1413519270E-11	.1450336722E-11	.1485912072E-11	.1522729522E-11
.1558304870E-11	.1595122319E-11	.1630697667E-11	.1667515113E-11	.1703090460E-11

.1739907904E-11

Table A2-15
FTMP, permanent failures
RM4, Recovery Rate Averaged

$T_{\max} = 30 \text{ sec}$

$N_p = 15, N_m = 9, N_B = 5$

with $\frac{P_j}{P_j^*} \cdot \frac{P_j \bar{c}_{j\ell}}{e^{-\lambda_{\ell} t}}$

NOTE: Using the $\frac{P_j}{P_j^*}$ multiplier affected

the 7th decimal plate.

Q+F* SUM = 0.

.1222209154E-12	.1616724579E-12	.2760228028E-13	.5410603854E-13	.8689526789E-13
.3387601108E-12	.3868288085E-12	.4375913090E-12	.4885616266E-12	.5420432235E-12
.5955668573E-12	.6514489958E-12	.7072311368E-12	.7652390270E-12	.8230224523E-12
.1829147095E-12	.9424725629E-12	.1004035801E-11	.1065167264E-11	.1128212437E-11
.1190739317E-11	.1255099021E-11	.1318863886E-11	.1384389088E-11	.1449251746E-11
.1515810846E-11	.1581647196E-11	.1649123243E-11	.1715823160E-11	.1784112483E-11
.1851578315E-11	.1920588949E-11	.1988734087E-11	.2058384466E-11	.2127132094E-11
.2197349875E-11	.2266631864E-11	.2337352885E-11	.2407108809E-11	.2478276163E-11
.2546452430E-11	.2620015646E-11	.2690564722E-11	.2762479036E-11	.2833358766E-11
				.2905584475E-11

Table A2-16 FTMP, permanent failures
RM4, Recovery Distribution Averaged

$$\text{with } 1 \cdot \frac{P_j \bar{c}_{j\ell}}{e^{-\lambda_{\ell} t}}$$

$$T_{\max} = 30 \text{ sec}$$

$$N_p = 15, N_m = 9, N_B = 5$$

Q+F* SUM = 0.

.1222209062E-12	.1616724446E-12	.2023691691E-12	.2463832853E-12	.2911048315E-12
.3387600745E-12	.3868287650E-12	.4375912581E-12	.4885615674E-12	.5420431560E-12
.5955667807E-12	.6514489100E-12	.7072310410E-12	.7652389212E-12	.8230223357E-12
.8829145822E-12	.9424724241E-12	.1004035650E-11	.1065167102E-11	.1128212262E-11
.1190739330E-11	.1255098821E-11	.1318863673E-11	.1384388861E-11	.1449251526E-11
.1515810592E-11	.1581646927E-11	.1649122959E-11	.1715822862E-11	.1784112170E-11
.1851577987E-11	.1920588606E-11	.1988733729E-11	.2058384091E-11	.2127131704E-11
.2197349468E-11	.2266631441E-11	.2337352446E-11	.2407108353E-11	.2478275691E-11
.2548451940E-11	.2620015140E-11	.2690564199E-11	.2762478496E-11	.2833358207E-11
				.2905583899E-11

Table A2-17 FTMP, permanent failures
RM4, Recovery Distribution Averaged

$$\text{with } \frac{P_j}{P_j^*} \cdot \frac{P_j \bar{c}_{j\ell}}{e^{-\lambda_{\ell} t}}$$

$$T_{\max} = 30 \text{ sec}$$

$$N_p = 15, N_m = 9, N_B = 5$$

NOTE: Using the $\frac{P_j}{P_j^*}$ multiplier affected

the 7th decimal place.

GLTSUM = 0.

.9300672374E-09	.1001674270E-09	.3359771587E-09	.5117801192E-09	.7518618837E-09
.2026341893E-08	.1172420556E-08	.1352842874E-08	.1597332585E-08	.1779841874E-08
.3083757082E-08	.2210815826E-08	.2459207480E-08	.2645530920E-08	.2895702507E-08
.4224891143E-08	.3335613467E-08	.3525317172E-08	.3778739396E-08	.3969986223E-08
.5320925310E-08	.4417590722E-08	.4673890670E-08	.4867957944E-08	.5125570401E-08
.6495159336E-08	.5579772608E-08	.5776339797E-08	.6036348831E-08	.6234057374E-08
.7619712332E-08	.6693942473E-08	.6956072599E-08	.7155867493E-08	.7418964824E-08
.8818383900E-08	.7883719490E-08	.8085363944E-08	.8350226925E-08	.8552715926E-08
.9964001688E-08	.9021668131E-08	.9288093253E-08	.9492126293E-08	.9759263531E-08
	.1023180866E-07	.1043721080E-07	.1070564761E-07	.1091167504E-07
				.1118070412E-07

P* SUM = 0.

.4629626867E-19	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.3703699549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.1249997835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.2962956053E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.5787020243E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.9999955003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.1587956489E-16	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.2370359332E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.3374982272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

Q*P* SUM = 0.

.9300672375E-09	.1001674270E-09	.3359771587E-09	.5117801192E-09	.7518618837E-09
.2026341893E-08	.1172420556E-08	.1352842874E-08	.1597332585E-08	.1779841874E-08
.3083757083E-08	.2210815827E-08	.2459207480E-08	.2645530920E-08	.2895702508E-08
.4224891146E-08	.3335613468E-08	.3525317174E-08	.3778739398E-08	.3969986225E-08
.5320925316E-08	.4417590726E-08	.4673890674E-08	.4867957948E-08	.5125570406E-08
.6495159346E-08	.5579772614E-08	.5776339805E-08	.6036348839E-08	.6234057383E-08
.7619712348E-08	.6693942484E-08	.6956072611E-08	.7155867507E-08	.7418964838E-08
.8818383924E-08	.7883719507E-08	.8085363962E-08	.8350226945E-08	.8552715948E-08
.9964001722E-08	.9021668157E-08	.9288093280E-08	.9492126323E-08	.9759263562E-08
	.1023180869E-07	.1043721084E-07	.1070564765E-07	.1091167508E-07
				.1118070417E-07

Table A2-18

Form 1, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 10.0$

$\beta = 1.0$

GLT SUM	= 0.	.1031503124E-09	.3483845773E-09	.5408108044E-09	.8011888270E-09
	.1003584682E-08	.1271301624E-08	.1479143589E-08	.1750880627E-08	.1961711709E-08
	.2235649334E-08	.2448122086E-08	.2723262445E-08	.2936637900E-08	.3212433750E-08
	.3426306642E-08	.3702457864E-08	.3916605934E-08	.4192947937E-08	.4407249293E-08
	.4683691810E-08	.4898079603E-08	.5174573130E-08	.5389010597E-08	.5665528097E-08
	.5879995319E-08	.6156521694E-08	.6371007553E-08	.6647534729E-08	.6862033186E-08
	.7138556695E-08	.7353064423E-08	.7629581810E-08	.7844096987E-08	.8120606909E-08
	.8335128536E-08	.8611630254E-08	.8826157782E-08	.9102650893E-08	.9317184021E-08
	.9593668305E-08	.9808206867E-08	.1008468220E-07	.1029922611E-07	.1057569243E-07
	.1079024162E-07	.1106669890E-07	.1128125335E-07	.1155770156E-07	.1177226126E-07
					.1204870039E-07

F* SUM	= 0.	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
	.4629626867E-19	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
	.3703699549E-18	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
	.1249997835E-17	.1517034219E-17	.1819526034E-17	.2159995489E-17	.2540364791E-17
	.2962956053E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
	.5787020243E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
	.9999955003E-17	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
	.1587956489E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
	.2370359332E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3374982272E-16	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
					.4629602616E-16

G+F* SUM	= 0.	.1031503124E-09	.3483845773E-09	.5408108044E-09	.8011888271E-09
	.1003584683E-08	.1271301624E-08	.1479143589E-08	.1750880627E-08	.1961711709E-08
	.2235649334E-08	.2448122086E-08	.2723262446E-08	.2936637900E-08	.3212433751E-08
	.3426306643E-08	.3702457866E-08	.3916605936E-08	.4192947939E-08	.4407249296E-08
	.4683691813E-08	.4898079606E-08	.5174573134E-08	.5389010701E-08	.5665528092E-08
	.5879995325E-08	.6156521691E-08	.6371007561E-08	.6647534737E-08	.6862033195E-08
	.7138556705E-08	.7353064434E-08	.7629581823E-08	.7844097001E-08	.8120606923E-08
	.8335128552E-08	.8611630271E-08	.8826157801E-08	.9102650913E-08	.9317184043E-08
	.9593668328E-08	.9808206892E-08	.1008468223E-07	.1029922614E-07	.1057569246E-07
	.1079024166E-07	.1106669893E-07	.1128125339E-07	.1155770160E-07	.1177226131E-07
					.1204870044E-07

Table A2-19

Form 1, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 10.0$

$\beta = 10.0$

QLT SUM = 0.

.1050177454E-08	.1110274791E-09	.3744608163E-09	.5774215360E-09	.8467181196E-09
.2265083619E-08	.1319507590E-08	.1522976457E-08	.1792297448E-08	.1995772101E-08
.3414136719E-08	.2468564027E-08	.2737866072E-08	.2941352233E-08	.3210644807E-08
.4628958701E-08	.3683419823E-08	.3886917485E-08	.4156191121E-08	.4359694530E-08
.5778003347E-08	.4832467856E-08	.5101722562E-08	.5305237462E-08	.5574482705E-08
.6992740825E-08	.6047239130E-08	.6250765513E-08	.6519991837E-08	.6723523959E-08
.8141776976E-08	.7196278684E-08	.7465486095E-08	.7669029690E-08	.7938227647E-08
.9356429994E-08	.8410965481E-08	.8614520542E-08	.8883699597E-08	.9087260388E-08
.1050545761E-07	.9559996514E-08	.9829156673E-08	.1003272892E-07	.1030187963E-07
	.1077459888E-07	.1097818257E-07	.1124731440E-07	.1145090382E-07
				.1172002621E-07

F* SUM = 0.

.4629626867E-19	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.3703699549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.1249997835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.2962956053E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.5787020243E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.9999955003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.1587956489E-16	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.2370359332E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.3374932272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

U+P* SUM = 0.

.1050177454E-08	.1110274791E-09	.3744608163E-09	.5774215360E-09	.8467181197E-09
.2265083619E-08	.1319507590E-08	.1522976457E-08	.1792297448E-08	.1995772101E-08
.3414136720E-08	.2468564027E-08	.2737866073E-08	.2941352234E-08	.3210644808E-08
.4628958704E-08	.3683419825E-08	.3886917486E-08	.4156191123E-08	.4359694533E-08
.5778003353E-08	.4832467860E-08	.5101722566E-08	.5305237466E-08	.5574482711E-08
.6992740835E-08	.6047239157E-08	.6250765520E-08	.6519991845E-08	.6723523968E-08
.8141776992E-08	.7196278695E-08	.7465486108E-08	.7669029704E-08	.7938227662E-08
.9356430018E-08	.8410965498E-08	.8614520561E-08	.8883699617E-08	.9087260410E-08
.1050545764E-07	.9559996539E-08	.9829156700E-08	.1003272895E-07	.1030187967E-07
	.1077459891E-07	.1097818261E-07	.1124731444E-07	.1145090386E-07
				.1172002625E-07

Table A2-20

Form 1, FTMP, intermittent, no restrictions

$$T_{\max} = 100 \text{ min}$$

$$N_p = 15, N_m = 9, N_B = 5$$

$$\alpha = 10.0$$

$$\beta = 100.0$$

GL SUM = 0.

.1015173125E-08	.1094310260E-09	.3674442260E-09	.5606994109E-09	.8217973911E-09
.2185191986E-08	.1276265722E-08	.1469647657E-08	.1730730641E-08	.1924118618E-08
.3287510048E-08	.2378586004E-08	.2639649757E-08	.2833049814E-08	.3094103954E-08
.4457445100E-08	.3548554577E-08	.3741966705E-08	.4003001625E-08	.4196419787E-08
.5559757577E-08	.4650869293E-08	.4911885000E-08	.5105315223E-08	.5366321326E-08
.6729608859E-08	.5820754078E-08	.6014196355E-08	.6275183256E-08	.6468631558E-08
.7831915710E-08	.6923063184E-08	.7184030889E-08	.7377491235E-08	.7638449345E-08
.9001603268E-08	.8092864227E-08	.8286336609E-08	.8547275534E-08	.8740753932E-08
.1011397445E-07	.9195167679E-08	.9456087427E-08	.9649577851E-08	.9910488013E-08
	.1036488502E-07	.1055838747E-07	.1081927846E-07	.1101278691E-07
				.1127366833E-07

F* SUM = 0.

.4629626867E-19	.3703794376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18	
.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294675E-17	
.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17	
.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17	
.6509609275E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17	
.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16	
.1727992752E-16	.1876025952E-16	.2032287309E-16	.2196990066E-16	
.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16	
.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16	.4629602616E-16

G+H* SUM = 0.

.1015173125E-08	.1094310260E-09	.3674442260E-09	.5606994110E-09	.8217973911E-09
.2185191987E-08	.1276265722E-08	.1469647657E-08	.1730730641E-08	.1924118619E-08
.3287510049E-08	.2378586005E-08	.2639649758E-08	.2833049815E-08	.3094103955E-08
.4457445102E-08	.3548554578E-08	.3741966707E-08	.4003001627E-08	.4196419790E-08
.5559757583E-08	.4650869296E-08	.4911885004E-08	.5105315228E-08	.5366321331E-08
.6729608869E-08	.5820754084E-08	.6014196363E-08	.6275183264E-08	.6468631567E-08
.7831915726E-08	.6923063195E-08	.7184030901E-08	.7377491248E-08	.7638449359E-08
.9001603292E-08	.8092864244E-08	.8286336427E-08	.8547275555E-08	.8740753954E-08
.1011398448E-07	.9195167705E-08	.9456087455E-08	.9649577880E-08	.9910488045E-08
	.1036488506E-07	.1055832751E-07	.1081927850E-07	.1101278695E-07
				.1127366837E-07

Table A2-21

Form 1, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 10.0, \beta = 1000.0$

QLTSUM = 0.

.5700408565E-09	.5851433384E-10	.1968976006E-09	.3036435806E-09	.4527681367E-09
.1342895388E-08	.7295098229E-09	.8569646979E-09	.1026439237E-08	.1163743020E-08
.2196809782E-08	.1489725743E-08	.1678238924E-08	.1834284067E-08	.2031851427E-08
.3196418276E-08	.2403134773E-08	.2576714586E-08	.2791510222E-08	.2973429440E-08
.4259019701E-08	.3386403933E-08	.3617317560E-08	.3815105674E-08	.4053684469E-08
.5450608676E-08	.4505012540E-08	.4717647909E-08	.4970811891E-08	.5190508502E-08
.6689900122E-08	.5677135454E-08	.5943944562E-08	.6177077999E-08	.6450376221E-08
.8044027400E-08	.6969474836E-08	.7215180086E-08	.7500825629E-08	.7752509958E-08
.9432917389E-08	.8301495158E-08	.8598692081E-08	.8861754025E-08	.9164444309E-08
	.9740921008E-08	.1001462817E-07	.1032777099E-07	.1060654096E-07
				.1092465455E-07

F* SUM = 0.

.4629626867E-19	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.3703699549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.1249997835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-19	.1016294625E-17
.2962956053E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.5787020243E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.9999955003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.1587956489E-16	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.2370359332E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.3374982272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

Q+L* SUM = 0.

.5700408565E-09	.5851433384E-10	.1968976007E-09	.3036435806E-09	.4527681367E-09
.1342895388E-08	.7295098230E-09	.8569646980E-09	.1026439237E-08	.1163743021E-08
.2196809783E-08	.1489725743E-08	.1678238925E-08	.1834284068E-08	.2031851428E-08
.3196418279E-08	.2403134724E-08	.2576714588E-08	.2791510224E-08	.2973429443E-08
.4259019706E-08	.3386403937E-08	.3617317564E-08	.3815105679E-08	.4053684474E-08
.5450608686E-08	.4505012547E-08	.4717647916E-08	.4970811899E-08	.5190508511E-08
.6689900138E-08	.5677135465E-08	.5943944575E-08	.6177078012E-08	.6450376236E-08
.8044027424E-08	.6969474854E-08	.7215180105E-08	.7500825650E-08	.7752509980E-08
.9432917422E-08	.8301495184E-08	.8598692109E-08	.8861754054E-08	.9164444341E-08
	.9740921044E-08	.1001462820E-07	.1032777103E-07	.1060654100E-07
				.1092465460E-07

Table A2-22

Form 1, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$ $N_p = 15, N_m = 9, N_B = 5$

$\alpha = 100.0$

$\beta = 1.0$

GLT SUM = 0.

.1411696350E-08	.1275383182E-09	.4448422813E-09	.7418683990E-09	.1102530551E-08
.3124692203E-08	.1775746569E-08	.2085866869E-08	.2450174354E-08	.2760372772E-08
.4783943079E-08	.3434900066E-08	.3799212219E-08	.4109424144E-08	.4473727515E-08
.6497241717E-08	.5148237552E-08	.5458456721E-08	.5822742287E-08	.6132965056E-08
.8156458221E-08	.6807468084E-08	.7171735841E-08	.7481965806E-08	.7846224660E-08
.9869659285E-08	.8520708174E-08	.8830945329E-08	.9195186382E-08	.9505427130E-08
.1152884069E-07	.1017990362E-07	.1054412688E-07	.1085437481E-07	.1121858917E-07
.1324194422E-07	.1189304616E-07	.1220330127E-07	.1256749784E-07	.1287775654E-07
.1490109050E-07	.1355220650E-07	.1391638529E-07	.1422665115E-07	.1459082106E-07
	.1526525152E-07	.1557552454E-07	.1593967667E-07	.1624995327E-07
				.1661409652E-07

P* SUM = 0.

.4629626867E-19	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.3703699549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.1249997835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.2962956053E-17	.1517034219E-17	.1819526034E-17	.2159995489E-17	.2540364791E-17
.5787020243E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.9999955003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.1587956489E-16	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.2370359332E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.3374982272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

Q+F* SUM = 0.

.1411696350E-08	.1275383182E-09	.4448422813E-09	.7418683990E-09	.1102530551E-08
.3124692203E-08	.1775746569E-08	.2085866869E-08	.2450174354E-08	.2760372773E-08
.4783943081E-08	.3434900066E-08	.3799212220E-08	.4109424145E-08	.4473727516E-08
.6497241720E-08	.5148237554E-08	.5458456722E-08	.5822742289E-08	.6132965058E-08
.8156458227E-08	.6807468088E-08	.7171735845E-08	.7481965810E-08	.7846224665E-08
.9869659295E-08	.8520708180E-08	.8830945336E-08	.9195186390E-08	.9505427139E-08
.1152884071E-07	.1017990364E-07	.1054412689E-07	.1085437483E-07	.1121858919E-07
.1324194424E-07	.1189304618E-07	.1220330129E-07	.1256749786E-07	.1287775656E-07
.1490109053E-07	.1355220652E-07	.1391638532E-07	.1422665118E-07	.1459082109E-07
	.1526525155E-07	.1557552458E-07	.1593967671E-07	.1624995332E-07
				.1661409657E-07

Table A2-24

Form 1, FTMP, intermittent, no restrictions

$$T_{\max} = 100 \text{ min}$$

$$N_p = 15, N_m = 9, N_B = 5$$

$$\alpha = 100.0$$

$$\beta = 100.0$$

QLT SUM = 0.

.1094423810E-08	.1375282918E-08	.1585690294E-08	.1866539351E-08	.2076952943E-08
.2357791921E-08	.2568211726E-08	.2849040628E-08	.3059466543E-08	.3340285471E-08
.3550717695E-08	.3831526450E-08	.4041964882E-08	.4322763566E-08	.4533208203E-08
.4813996819E-08	.5024447659E-08	.5305226208E-08	.5515683249E-08	.5796451733E-08
.6004914974E-08	.6287673395E-08	.6498142834E-08	.6778891193E-08	.6989366829E-08
.7270105128E-08	.7480586958E-08	.7761315200E-08	.7971803222E-08	.8252521408E-08
.8463015620E-08	.8743723753E-08	.8954224154E-08	.9234922234E-08	.9445428822E-08
.9726116852E-08	.9936629625E-08	.1021730761E-07	.1042782656E-07	.1070849450E-07
.1091901963E-07	.1119967753E-07	.1141020884E-07	.1169085669E-07	.1190139418E-07
				.1218203199E-07

F* SUM = 0.

.4629626867E-19	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.3703699549E-18	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.1249997835E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.2962956053E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.5787020243E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.9999955003E-17	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.1587956489E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.2370359332E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
.3374982272E-16	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

G+P* SUM = 0.

.1094423810E-08	.1375282918E-08	.1585690294E-08	.1866539351E-08	.2076952943E-08
.2357791921E-08	.2568211726E-08	.2849040628E-08	.3059466544E-08	.3340285472E-08
.3550717696E-08	.3831526452E-08	.4041964883E-08	.4322763568E-08	.4533208205E-08
.4813996822E-08	.5024447662E-08	.5305226212E-08	.5515683254E-08	.5796451738E-08
.6006914980E-08	.6287673401E-08	.6498142841E-08	.6778891202E-08	.6989366838E-08
.7270105128E-08	.7480586959E-08	.7761315212E-08	.7971803235E-08	.8252521423E-08
.8463015636E-08	.8743723770E-08	.8954224173E-08	.9234922255E-08	.9445428844E-08
.9726116876E-08	.9936629650E-08	.1021730763E-07	.1042782659E-07	.1070849453E-07
.1091901967E-07	.1119967756E-07	.1141020888E-07	.1169085673E-07	.1190139423E-07
				.1218203204E-07

Table A2-25

Form 1, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 100.0$

$\beta = 1000.0$

GLTSUM = 0.

.1829480998E-09	.1384237383E-10	.4857729234E-10	.8383195959E-10	.1331513958E-09
.5604057186E-09	.2467640861E-09	.3110151241E-09	.3892402225E-09	.4678584197E-09
.1109315538E-08	.6533044252E-09	.7600875363E-09	.8671806239E-09	.9881136790E-09
.1840553589E-08	.1244313186E-08	.1379538722E-08	.1528516125E-08	.1677680757E-08
.2737941038E-08	.2003573243E-08	.2180257686E-08	.2357048796E-08	.2547461534E-08
.3812417824E-08	.2941999260E-08	.3146084593E-08	.3363705984E-08	.3581315081E-08
.5047899157E-08	.4043469112E-08	.4287971881E-08	.4532384281E-08	.4790206239E-08
.6455386542E-08	.5318959957E-08	.5589853286E-08	.5874073061E-08	.6158087176E-08
.8018886884E-08	.6752442298E-08	.7062742348E-08	.7372761076E-08	.7695983379E-08
	.8354953481E-08	.8690664038E-08	.9039497439E-08	.9387937793E-08
				.9749460975E-08

P* SUM = 0.

.4629626867E-19	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.3703699549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.1249997835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.2962956053E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.5787020243E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.9999955003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.1587956489E-16	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.2370359332E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.3374982272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

Q+P* SUM = 0.

.1829480999E-09	.1384237383E-10	.4857729235E-10	.8383195960E-10	.1331513958E-09
.5604057190E-09	.2467640862E-09	.3110151242E-09	.3892402227E-09	.4678584200E-09
.1109315539E-08	.6533044257E-09	.7600875369E-09	.8671806247E-09	.9881136800E-09
.1840553592E-08	.1244313187E-08	.1379538724E-08	.1528516128E-08	.1677680760E-08
.2737941044E-08	.2003573247E-08	.2180257690E-08	.2357048801E-08	.2547461540E-08
.3812417834E-08	.2941999266E-08	.3146084600E-08	.3363705927E-08	.3581315090E-08
.5047899171E-08	.4043469123E-08	.4287971893E-08	.4532384294E-08	.4790206254E-08
.6455386565E-08	.5318959974E-08	.5589853305E-08	.5874073081E-08	.6158087198E-08
.8018886918E-08	.6752442324E-08	.7062742375E-08	.7372761106E-08	.7695983411E-08
	.8354953517E-08	.8690664077E-08	.9039497480E-08	.9387937836E-08
				.9749461021E-08

Table A2-26

Form 1, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 1000.0$

$\beta = 1.0$

GLTSUM	= 0.	.4255585817E-10	.1633645269E-09	.3412388751E-09	.5873251904E-09
	.8867451547E-09	.1250754554E-08	.1664587105E-08	.2139601220E-08	.2661136007E-08
	.3240646080E-08	.3863569727E-08	.4541451758E-08	.5259823831E-08	.6030315329E-08
	.6838545838E-08	.7696224054E-08	.8589052395E-08	.9528813937E-08	.1050128915E-07
	.1151833088E-07	.1256579316E-07	.1365559425E-07	.1477365757E-07	.1593196274E-07
	.1711649861E-07	.1833930232E-07	.1958642445E-07	.2086995610E-07	.2217600610E-07
	.2351671613E-07	.2487825001E-07	.2627279683E-07	.2768657234E-07	.2913181005E-07
	.3059477477E-07	.3208774165E-07	.3359702182E-07	.3513492946E-07	.3668781947E-07
	.3826804258E-07	.3986199507E-07	.4148206190E-07	.4311467846E-07	.4477226177E-07
	.4644128422E-07	.4813419281E-07	.4983749496E-07	.5156366569E-07	.5329924557E-07
					.5505673586E-07

P* SUM	= 0.	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
	.4629626867E-19	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
	.3703699549E-18	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
	.1249997835E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
	.2962956053E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
	.5787020243E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
	.9999955003E-17	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
	.1587956489E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
	.2370359332E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3374982272E-16	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
					.4629602616E-16

Q+P* SUM	= 0.	.4255585817E-10	.1633645269E-09	.3412388751E-09	.5873251904E-09
	.8867451548E-09	.1250754554E-08	.1664587105E-08	.2139601220E-08	.2661136007E-08
	.3240646080E-08	.3863569728E-08	.4541451759E-08	.5259823832E-08	.6030315330E-08
	.6838545839E-08	.7696224056E-08	.8589052397E-08	.9528813939E-08	.1050128916E-07
	.1151833088E-07	.1256579316E-07	.1365559425E-07	.1477365758E-07	.1593196275E-07
	.1711649862E-07	.1833930232E-07	.1958642446E-07	.2086995611E-07	.2217600611E-07
	.2351671614E-07	.2487825003E-07	.2627279684E-07	.2768657235E-07	.2913181007E-07
	.3059477478E-07	.3208774167E-07	.3359702184E-07	.3513492948E-07	.3668781950E-07
	.3826804261E-07	.3986199510E-07	.4148206192E-07	.4311467849E-07	.4477226180E-07
	.4644128426E-07	.4813419285E-07	.4983749500E-07	.5156366573E-07	.5329924561E-07
					.5505673591E-07

Table A2-27

Form 1, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 1000.0$

$\beta = 10.0$

GLT SUM = 0.

.3123638679E-08	.1682368693E-09	.6430058138E-09	.1314476427E-09	.2166866434E-08
.8976917642E-08	.4191629838E-08	.5311361258E-08	.6502526291E-08	.7715370127E-08
.1547976522E-07	.1024296950E-07	.1154473462E-07	.1284119129E-07	.1416593556E-07
.2216583189E-07	.1681763686E-07	.1814139176E-07	.1948676040E-07	.2081618406E-07
.2887411949E-07	.2349849170E-07	.2485057969E-07	.2618508537E-07	.2753856249E-07
.3561070164E-07	.3022838507E-07	.3156453928E-07	.3291925003E-07	.3425574193E-07
.4233127665E-07	.3694738291E-07	.3830247946E-07	.3963926532E-07	.4099443464E-07
.4907058026E-07	.4368648211E-07	.4502335258E-07	.4637857324E-07	.4771545635E-07
.5579176582E-07	.5040756696E-07	.5176278728E-07	.5309967241E-07	.5445488522E-07
	.5714696890E-07	.5848384329E-07	.5983903536E-07	.6117590256E-07
				.6253108290E-07

P* SUM = 0.

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.4629626867E-19	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.3703699549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.1249997835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.2962956053E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.5787020243E-17	.3429991663E-17	.3947693625E-17	.4506284241E-17	.5119985712E-17
.9999955003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.1587956489E-16	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.2370359332E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.3374982272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

Q+P* SUM = 0.

.3123638679E-08	.1682368693E-09	.6430058138E-09	.1314476427E-09	.2166866434E-08
.8976917643E-08	.4191629838E-08	.5311361258E-08	.6502526291E-08	.7715370127E-08
.1547976522E-07	.1024296951E-07	.1154473462E-07	.1284119130E-07	.1416593556E-07
.2216583189E-07	.1681763686E-07	.1814139176E-07	.1948676040E-07	.2081618407E-07
.2887411950E-07	.2349849171E-07	.2485057969E-07	.2618508538E-07	.2753856250E-07
.3561070165E-07	.3022838508E-07	.3156453929E-07	.3291925003E-07	.3425574193E-07
.4233127667E-07	.3694738292E-07	.3830247948E-07	.3963926534E-07	.4099443466E-07
.4907058028E-07	.4368648213E-07	.4502335260E-07	.4637857326E-07	.4771545638E-07
.5579176586E-07	.5040756699E-07	.5176278730E-07	.5309967244E-07	.5445488525E-07
	.5714696894E-07	.5848384333E-07	.5983903540E-07	.6117590260E-07
				.6253108294E-07

Table A2-28

Form 1, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 1000.0$

$R = 100.0$

GLTSUM = 0.	.1726971851E-09	.5981841251E-09	.9806736212E-09	.1447341333E-08
.1837947323E-08	.2306199795E-08	.2697125834E-08	.3165427901E-08	.3556371701E-08
.4024663841E-08	.4415613680E-08	.4883893590E-08	.5274849011E-08	.5743116601E-08
.6134077586E-08	.6602332856E-08	.6993299401E-08	.7461542352E-08	.7852514456E-08
.8320745090E-08	.8711722750E-08	.9179941070E-08	.9570924284E-08	.1003913029E-07
.1043011906E-07	.1089831276E-07	.1128930707E-07	.1175748846E-07	.1214848833E-07
.1261665741E-07	.1300766282E-07	.1347581960E-07	.1386683055E-07	.1433497503E-07
.1472599153E-07	.1519412370E-07	.1558514574E-07	.1605326562E-07	.1644429320E-07
.1691240078E-07	.1730343389E-07	.1777152918E-07	.1816256782E-07	.1863065082E-07
.1942169500E-07	.1948976570E-07	.1988081541E-07	.2034887383E-07	.2073992906E-07
				.2120797520E-07

F* SUM = 0.	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.4629626867E-19	.7999994523E-19	.1270369397E-18	.1296294543E-18	.2699997132E-18
.3703699549E-18	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.1249997835E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.2962956053E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.5787020243E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.9999955003E-17	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.1587956489E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.2370359332E-16	.2552617433E-16	.2743984564E-16	.2944688942E-16	.3154946788E-16
.3374982272E-16	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

G+P* SUM = 0.	.1726971851E-09	.5981841251E-09	.9806736212E-09	.1447341333E-08
.1837947323E-08	.2306199796E-08	.2697125834E-08	.3165427901E-08	.3556371701E-08
.4024663842E-08	.4415613681E-08	.4883893590E-08	.5274849012E-08	.5743116603E-08
.6134077587E-08	.6602332857E-08	.6993299403E-08	.7461542354E-08	.7852514458E-08
.8320745093E-08	.8711722753E-08	.9179941074E-08	.9570924289E-08	.1003913030E-07
.1043011906E-07	.1089831276E-07	.1128930708E-07	.1175748847E-07	.1214848834E-07
.1261665742E-07	.1300766283E-07	.1347581961E-07	.1386683057E-07	.1433497505E-07
.1472599154E-07	.1519412372E-07	.1558514576E-07	.1605326564E-07	.1644429322E-07
.1691240078E-07	.1730343389E-07	.1777152921E-07	.1816256785E-07	.1863065085E-07
.1942169503E-07	.1948976574E-07	.1988081545E-07	.2034887387E-07	.2073992911E-07
				.2120797525E-07

Table A2-29

Form 1, FTMP, intermittent, no restrictions

$$T_{\max} = 100 \text{ min}$$

$$N_p = 15, N_m = 9, N_B = 5$$

$$\alpha = 1000.0, \beta = 1000.0$$

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QLTSUM = 0.

.9288251283E-09	.1000879280E-09	.3356811282E-09	.5112122001E-09	.7509726847E-09
.2022930015E-08	.1170792091E-08	.1350804922E-08	.1594853545E-08	.1776908865E-08
.3077820515E-08	.2206918391E-08	.2454805272E-08	.2640622502E-08	.2890273519E-08
.4216327218E-08	.3329139036E-08	.3518321603E-08	.3771215821E-08	.3961944483E-08
.5309856305E-08	.4408517038E-08	.4664305552E-08	.4857875943E-08	.5114991762E-08
.6481828566E-08	.5568235029E-08	.5764341296E-08	.6023892428E-08	.6221161800E-08
.7604413642E-08	.6680196065E-08	.6941915243E-08	.7141319358E-08	.7404031116E-08
.8801436543E-08	.7868061370E-08	.8069367250E-08	.8333897409E-08	.8536074575E-08
.9945747525E-08	.9004435776E-08	.9270581703E-08	.9474356483E-08	.9741241152E-08
	.1021332822E-07	.1041852466E-07	.1068676103E-07	.1089260834E-07
				.1116146228E-07

P* SUM = 0.

.4629626867E-19	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.3703699549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.1249997835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.2962956053E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.5787020243E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.9999935003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.1587956489E-16	.1103366394E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.2370359332E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.3374952272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

W+P* SUM = 0.

.9288231283E-09	.1000879280E-09	.3356811282E-09	.5112122001E-09	.7509726847E-09
.2022930016E-08	.1170792091E-08	.1350804922E-08	.1594853545E-08	.1776908865E-08
.3077820516E-08	.2206918392E-08	.2454805273E-08	.2640622503E-08	.2890273520E-08
.4216327221E-08	.3329139038E-08	.3518321604E-08	.3771215823E-08	.3961944486E-08
.5309856311E-08	.4408517041E-08	.4664305556E-08	.4857875947E-08	.5114991767E-08
.6481828576E-08	.5568235036E-08	.5764341303E-08	.6023892436E-08	.6221161809E-08
.7604413658E-08	.6680196076E-08	.6941915255E-08	.7141319372E-08	.7404031131E-08
.8801436566E-08	.7868061388E-08	.8069367268E-08	.8333897429E-08	.8536074597E-08
.9945747559E-08	.9004435801E-08	.9270581730E-08	.9474356512E-08	.9741241184E-08
	.1021332826E-07	.1041852470E-07	.1068676108E-07	.1089260838E-07
				.1116146233E-07

Table A2-30

Form 2, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 10.0$

$\beta = 1.0$

QLTSUM = 0.

.9981630531E-09	.1265087835E-08	.1472468120E-08	.1743710846E-08	.1954315158E-08
.2227940345E-08	.2440325298E-08	.2715258533E-08	.2928625443E-08	.3204273603E-08
.3418182320E-08	.3694218958E-08	.3908427453E-08	.4184673184E-08	.4399048530E-08
.4675404873E-08	.4889874111E-08	.5166287025E-08	.5380810123E-08	.5657249961E-08
.5871804960E-08	.6148255462E-08	.6362830316E-08	.6639282564E-08	.6853870665E-08
.7130319768E-08	.7344917492E-08	.7621360768E-08	.7835966127E-08	.8112402107E-08
.8327014009E-08	.8603441886E-08	.8818059732E-08	.9094479067E-08	.9309102528E-08
.9585513079E-08	.9800141972E-08	.1007654361E-07	.1029117783E-07	.1056757048E-07
.1078220999E-07	.1105859361E-07	.1127323836E-07	.1154961294E-07	.1176426291E-07

.1204062844E-07

P* SUM = 0.

.4629626867E-19	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.3703699549E-18	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.1249997835E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.2962956053E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.5787020243E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.9999955003E-17	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.1587956489E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.2370359332E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
.3374982272E-16	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16

.4629602616E-16

Q+P* SUM = 0.

.9981630532E-09	.1265087835E-08	.1472468120E-08	.1743710846E-08	.1954315158E-08
.2227940346E-08	.2440325299E-08	.2715258534E-08	.2928625444E-08	.3204273604E-08
.3418182322E-08	.3694218959E-08	.3908427454E-08	.4184673186E-08	.4399048532E-08
.4675404876E-08	.4889874114E-08	.5166287029E-08	.5380810127E-08	.5657249966E-08
.5871804966E-08	.6148255469E-08	.6362830324E-08	.6639282572E-08	.6853870674E-08
.7130319778E-08	.7344917503E-08	.7621360780E-08	.7835966141E-08	.8112402121E-08
.8327014025E-08	.8603441994E-08	.8818059751E-08	.9094479087E-08	.9309102550E-08
.9585513102E-08	.9800141997E-08	.1007654363E-07	.1029117786E-07	.1056757051E-07
.1078221002E-07	.1105859365E-07	.1127323840E-07	.1154961298E-07	.1176426296E-07

.1204062848E-07

Table A2-31

Form 2, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 10.0$

$\beta = 10.0$

QLTSUM = 0.

.1048572892E-08	.1103044975E-09	.3724382414E-09	.5758286812E-09	.8445645169E-09
.2262931072E-08	.1317353616E-08	.1521372389E-08	.1790144183E-08	.1994168622E-08
.3412535011E-08	.2466961138E-08	.2735714242E-08	.2939749935E-08	.3208493694E-08
.4626809739E-08	.3681269427E-08	.3885316367E-08	.4154041442E-08	.4358094003E-08
.5776404590E-08	.4830867918E-08	.5099574318E-08	.5303638114E-08	.5572335178E-08
.6990595448E-08	.6045092320E-08	.6249167346E-08	.6517845743E-08	.6721926382E-08
.8140181170E-08	.7194681698E-08	.7463341436E-08	.7667433294E-08	.7936083704E-08
.9354288201E-08	.8408822255E-08	.8612925326E-08	.8881557087E-08	.9085665762E-08
.1050386475E-07	.9558402478E-08	.9827015597E-08	.1003113547E-07	.1029973928E-07
	.1077245923E-07	.1097659031E-07	.1124517548E-07	.1144931214E-07
				.1171788800E-07

P* SUM = 0.

.4629626867E-19	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.3703699549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.1249997835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.2962955605E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.5787020243E-17	.3429991647E-17	.3947693625E-17	.4506284241E-17	.5119985712E-17
.9999955003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.1587956489E-16	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.2370359332E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.3374932272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

Q+P* SUM = 0.

.1048572892E-08	.1103044975E-09	.3724382414E-09	.5758286812E-09	.8445645169E-09
.2262931072E-08	.1317353616E-08	.1521372389E-08	.1790144183E-08	.1994168622E-08
.3412535012E-08	.2466961139E-08	.2735714242E-08	.2939749935E-08	.3208493695E-08
.4626809742E-08	.3681269429E-08	.3885316368E-08	.4154041444E-08	.4358094005E-08
.5776404596E-08	.4830867922E-08	.5099574322E-08	.5303638119E-08	.5572335183E-08
.6990595458E-08	.6045092326E-08	.6249167353E-08	.6517845751E-08	.6721926391E-08
.8140181186E-08	.7194681709E-08	.7463341448E-08	.7667433307E-08	.7936083719E-08
.9354288225E-08	.8408822272E-08	.8612925344E-08	.8881557108E-08	.9085665784E-08
.1050386478E-07	.9558402504E-08	.9827015625E-08	.1003113550E-07	.1029973931E-07
	.1077245927E-07	.1097659035E-07	.1124517552E-07	.1144931219E-07
				.1171788805E-07

Table A2-32

Form 2, FTMP, intermittent, no restrictions.

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 10.0$

$\beta = 100.0$

GLTSUM = 0.

.1015125460E-08	.1094042144E-09	.3673720002E-09	.5606517687E-09	.8217243359E-09
.2185118974E-08	.1276192680E-08	.1469600001E-08	.1730657614E-08	.1924070971E-08
.3287452426E-08	.2378538365E-08	.2639576759E-08	.2833002184E-08	.3094030971E-08
.4457372159E-08	.3548481608E-08	.3741919093E-08	.4002928671E-08	.4196372183E-08
.5554709999E-08	.4650821698E-08	.4911812074E-08	.5105267636E-08	.5366248415E-08
.6729535992E-08	.5820681181E-08	.6014148786E-08	.6275110374E-08	.6468583997E-08
.7831858175E-08	.6923015632E-08	.7183958036E-08	.7377443691E-08	.7638376507E-08
.9001610473E-08	.8092791403E-08	.8286289083E-08	.8547202725E-08	.8740706415E-08
.1011393696E-07	.9195120171E-08	.9456014647E-08	.9649530351E-08	.9910415247E-08
	.1036481227E-07	.1055833998E-07	.1081920573E-07	.1101273944E-07

.1127359560E-07

P* SUM = 0.

.4629627253E-19	.3703704438E-21	.2962962455E-20	.9999996719E-20	.2370369348E-19
.3703700166E-18	.7999995323E-19	.1270369545E-18	.1896294796E-18	.2699997537E-18
.1249978147E-17	.4929624416E-18	.6399992292E-18	.8137026563E-18	.1016294862E-17
.2962957041E-17	.1517034624E-17	.1819626550E-17	.2159996137E-17	.2540365595E-17
.5787022654E-17	.3429992863E-17	.3947695071E-17	.4506285968E-17	.5119987760E-17
.9999970003E-17	.6509612696E-17	.7289980400E-17	.8130347636E-17	.9032936770E-17
.1587957416E-16	.1103366954E-16	.1213625758E-16	.1330995607E-16	.1455698770E-16
.2370350913E-16	.1727993789E-16	.1876030109E-16	.2032288596E-16	.2196991434E-16
.3374984803E-16	.2552619178E-16	.2743988485E-16	.2944691053E-16	.3154949102E-16
	.3605020469E-16	.3845278221E-16	.4095980327E-16	.4357349005E-16

.4629606474E-16

Q+P* SUM = 0.

.1015125460E-08	.1094042144E-09	.3673720002E-09	.5606517687E-09	.8217243359E-09
.2185118974E-08	.1276192680E-08	.1469600001E-08	.1730657614E-08	.1924070971E-08
.3287452427E-08	.2378538366E-08	.2639576760E-08	.2833002185E-08	.3094030972E-08
.4457372162E-08	.3548481609E-08	.3741919094E-08	.4002928673E-08	.4196372186E-08
.5559710005E-08	.4650821701E-08	.4911812078E-08	.5105267641E-08	.5366248420E-08
.6729536002E-08	.5820681188E-08	.6014148793E-08	.6275110382E-08	.6468584006E-08
.7831858191E-08	.6923015643E-08	.7183958048E-08	.7377443705E-08	.7638376521E-08
.9001610497E-08	.8092791420E-08	.8286289101E-08	.8547202745E-08	.8740706437E-08
.1011393699E-07	.9195120196E-08	.9456014675E-08	.9649530380E-08	.9910415279E-08
	.1036481231E-07	.1055834002E-07	.1081920577E-07	.1101273948E-07

.1127359565E-07

Table A2-33
Form 2, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 10.0$

$\beta = 1000.0$

QLTSUM = 0.

.5490483477E-09	.5763538543E-10	.1933877387E-09	.2958153655E-09	.4390972411E-09
.1266638018E-08	.6998583807E-09	.8173547760E-09	.9757055631E-09	.1100751045E-08
.2041159574E-08	.1399220058E-08	.1572623126E-08	.1712714450E-08	.1893599523E-08
.2945490368E-08	.2229479971E-08	.2384456260E-08	.2580154001E-08	.2742483356E-08
.3903454025E-08	.3115100086E-08	.3325339304E-08	.3502148209E-08	.3719534598E-08
.4986329144E-08	.4127895517E-08	.4318830211E-08	.4550228574E-08	.4748077517E-08
.6116906561E-08	.5190986321E-08	.5435982966E-08	.5647338064E-08	.5898967511E-08
.7365521869E-08	.6375053240E-08	.6599459208E-08	.6864004758E-08	.7094758082E-08
.8654693697E-08	.7602560954E-08	.7879540541E-08	.8122622211E-08	.8405633789E-08
	.8943612477E-08	.9198525479E-08	.9493226050E-08	.9753866547E-08
				.1005422320E-07

P* SUM = 0.

.4629626867E-19	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.3703699549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.1249997835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294675E-17
.2962956053E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.5787020243E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.9999955003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.1587956489E-16	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.2370359332E-16	.1727492752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.3374982272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

Q+P* SUM = 0.

.5490483477E-09	.5763538543E-10	.1933877387E-09	.2958153655E-09	.4390972411E-09
.1266638018E-08	.6998583808E-09	.8173547761E-09	.9757055633E-09	.1100751046E-08
.2041159575E-08	.1399220058E-08	.1572623126E-08	.1712714451E-08	.1893599524E-08
.2945490371E-08	.2229479972E-08	.2384456261E-08	.2580154003E-08	.2742483359E-08
.3903454031E-08	.3115100089E-08	.3325339308E-08	.3502148213E-08	.3719534603E-08
.4986329154E-08	.4127895524E-08	.4318830219E-08	.4550228582E-08	.4748077526E-08
.6116906577E-08	.5190986332E-08	.5435982978E-08	.5647338077E-08	.5898967526E-08
.7365521893E-08	.6375053258E-08	.6599459226E-08	.6864004779E-08	.7094758104E-08
.8654693731E-08	.7602560980E-08	.7879540569E-08	.8122622241E-08	.8405633820E-08
	.8943612513E-08	.9198525518E-08	.9493226091E-08	.9753866590E-08
				.1005422325E-07

Table A2-34

Form 2, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 100.0$

$\beta = 1.0$

WLT SUM = 0.

.8712299551E-09	.6883737055E-10	.2405349475E-09	.4100723914E-09	.6442586259E-09	
.2424732289E-08	.1157271615E-08	.1430506817E-08	.1757425750E-08	.2066531202E-08	
.4269912002E-08	.2761007566E-08	.3142705509E-08	.3499253887E-08	.3898386530E-08	
.6304482112E-08	.4681875218E-08	.5064390856E-08	.5485743183E-08	.5876286094E-08	
.8375163410E-08	.6700869379E-08	.7134039784E-08	.7534672595E-08	.7971451306E-08	
.1051198778E-07	.8814555478E-08	.9220498560E-08	.9661781052E-08	.1006933928E-07	
.1262845080E-07	.1092071472E-07	.1136434927E-07	.1177392158E-07	.1221826710E-07	
.1478559441E-07	.1307330825E-07	.1348393407E-07	.1392915951E-07	.1434010504E-07	
.1691107058E-07	.1519677115E-07	.1564244920E-07	.1605379320E-07	.1649960556E-07	
	.1735697795E-07	.1776853059E-07	.1821450457E-07	.1862612069E-07	.1907214076E-07

P* SUM = 0.

.4629626867E-19	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19	
.3703699549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18	
.1249977835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17	
.2962956053E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17	
.5787020243E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17	
.9999955003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17	
.1587956489E-16	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16	
.2370359332E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16	
.3374982272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16	
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16	.4629602616E-16

Q+P* SUM = 0.

.8712299551E-09	.6883737055E-10	.2405349475E-09	.4100723914E-09	.6442586259E-09	
.2424732290E-08	.1157271615E-08	.1430506817E-08	.1757425750E-08	.2066531202E-08	
.4269912003E-08	.2761007567E-08	.3142705510E-08	.3499253887E-08	.3898386531E-08	
.6304482115E-08	.4681875220E-08	.5064390858E-08	.5485743185E-08	.5876286096E-08	
.8375163415E-08	.6700869382E-08	.7134039788E-08	.7534672599E-08	.7971451311E-08	
.1051198779E-07	.8814555484E-08	.9220498567E-08	.9661781060E-08	.1006933929E-07	
.1262845081E-07	.1092071473E-07	.1136434928E-07	.1177392160E-07	.1221826711E-07	
.1478559443E-07	.1307330827E-07	.1348393408E-07	.1392915954E-07	.1434010506E-07	
.1691107061E-07	.1519677117E-07	.1564244923E-07	.1605379323E-07	.1649960559E-07	
	.1735697799E-07	.1776853063E-07	.1821450462E-07	.1862612073E-07	.1907214081E-07

Table A2-35
Form 2, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 100.0$

$\beta = 10.0$

QLTSUM = 0.

.1387784091E-08	.1193450737E-09	.4209101281E-09	.7192733657E-09	.1073944768E-08
.3095732843E-08	.1746798815E-08	.2061859253E-08	.2421207365E-08	.2736365763E-08
.4759961676E-08	.3410901184E-08	.3770262592E-08	.4085433978E-08	.4444787787E-08
.6468331721E-08	.5119307734E-08	.5434484083E-08	.5793822380E-08	.6109001184E-08
.8132520648E-08	.6783512979E-08	.7142835757E-08	.7458019467E-08	.7817334486E-08
.9840798841E-08	.8491827910E-08	.8807016522E-08	.9166316028E-08	.9481507090E-08
.1150494695E-07	.1015599235E-07	.1051527635E-07	.1083047230E-07	.1118974855E-07
.1321313332E-07	.1186421545E-07	.1217941629E-07	.1253867704E-07	.1285388033E-07
.1487724059E-07	.1352833905E-07	.1388758430E-07	.1420279247E-07	.1456202997E-07
	.1523647034E-07	.1555168339E-07	.1591090540E-07	.1622612089E-07
				.1658533516E-07

P* SUM = 0.

128

.4629626867E-19	.3703704376E-21	.2962962356E-20	.99999996219E-20	.2370369190E-19
.3703699549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.1249977835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.2962956053E-17	.1517034219E-17	.1819526034E-17	.2159995489E-17	.2540364791E-17
.5787020243E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.9999955003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.1587956489E-16	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.2370359332E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.3374982272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

Q+P* SUM = 0.

.1387784091E-08	.1193450737E-09	.4209101281E-09	.7192733657E-09	.1073944768E-08
.3095732843E-08	.1746798815E-08	.2061859253E-08	.2421207365E-08	.2736365764E-08
.4759961677E-08	.3410901184E-08	.3770262593E-08	.4085433979E-08	.4444787788E-08
.6468331724E-08	.5119307736E-08	.5434484085E-08	.5793822382E-08	.6109001187E-08
.8132520654E-08	.6783512982E-08	.7142835760E-08	.7458019471E-08	.7817334491E-08
.9840798851E-08	.8491827917E-08	.8807016529E-08	.9166316036E-08	.9481507099E-08
.1150494697E-07	.1015599236E-07	.1051527636E-07	.1083047232E-07	.1118974856E-07
.1321313334E-07	.1186421546E-07	.1217941631E-07	.1253867706E-07	.1285388035E-07
.1487724062E-07	.1352833908E-07	.1388758433E-07	.1420279250E-07	.1456203001E-07
	.1523647038E-07	.1555168343E-07	.1591090545E-07	.1622612094E-07
				.1658533521E-07

Table A2-36

Form 2, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 100.0$

$\beta = 100.0$

QLTSUM = 0.

.1093922437E-08	.1164755532E-09	.3922534338E-09	.6026645300E-09	.8832645600E-09
.2357033690E-08	.1374524385E-08	.1585189011E-08	.1865780968E-08	.2076451751E-08
.3550216778E-08	.2567710626E-08	.2848282547E-08	.3058965635E-08	.3339527541E-08
.4813239342E-08	.3830768672E-08	.4041464056E-08	.4322005939E-08	.4532707469E-08
.6006414515E-08	.5023947017E-08	.5304468882E-08	.5515182699E-08	.5795694559E-08
.7269348407E-08	.6286916371E-08	.6497642467E-08	.6778134321E-08	.6988866553E-08
.8462515619E-08	.7480086774E-08	.7760558629E-08	.7971303129E-08	.8251764989E-08
.9725360885E-08	.8742967484E-08	.8953724244E-08	.9234166116E-08	.9444929004E-08
.1091852009E-07	.9936129899E-08	.1021655179E-07	.1042732693E-07	.1070773883E-07
	.1119892201E-07	.1140970939E-07	.1169010133E-07	.1190089482E-07
				.1218127678E-07

F* SUM = 0.

.4629627253E-19	.3703704438E-21	.2962962455E-20	.9999996719E-20	.2370369348E-19
.3703700166E-18	.7999995323E-19	.1270369545E-18	.1896294796E-18	.2699997537E-18
.1249998147E-17	.4929624416E-18	.6399992292E-18	.8137026563E-18	.1016294862E-17
.2962957041E-17	.1517034624E-17	.1819626550E-17	.2159996137E-17	.2540365595E-17
.5787022654E-17	.3429992863E-17	.3943695071E-17	.4506285968E-17	.5119987760E-17
.9999970003E-17	.6509612696E-17	.7289980400E-17	.8130347636E-17	.9032936770E-17
.1587957416E-16	.1103366954E-16	.1213625758E-16	.1330995607E-16	.1455698770E-16
.2370350913E-16	.1727993789E-16	.1876030109E-16	.2032288596E-16	.2196991434E-16
.3374954803E-16	.2552619178E-16	.2743988485E-16	.2944691053E-16	.3154949102E-16
	.3605020469E-16	.3845278221E-16	.4095980327E-16	.4357349005E-16
				.4629606474E-16

U+P* SUM = 0.

.1093922437E-08	.1164755532E-09	.3922534338E-09	.6026645300E-09	.8832645600E-09
.2357033690E-08	.1374524385E-08	.1585189011E-08	.1865780969E-08	.2076451751E-08
.3550216779E-08	.2567710626E-08	.2848282548E-08	.3058965635E-08	.3339527542E-08
.4813239345E-08	.3830768673E-08	.4041464058E-08	.4322005941E-08	.4532707472E-08
.6006414521E-08	.5023947020E-08	.5304468886E-08	.5515182703E-08	.5795694564E-08
.7269348417E-08	.6286916378E-08	.6497642474E-08	.6778134329E-08	.6988866562E-08
.8462515635E-08	.7480086785E-08	.7760558642E-08	.7971303143E-08	.8251765003E-08
.9725360909E-08	.8742967501E-08	.8953724263E-08	.9234166137E-08	.9444929026E-08
.1091852013E-07	.9936129924E-08	.1021655182E-07	.1042732696E-07	.1070773886E-07
	.1119892205E-07	.1140970943E-07	.1169010137E-07	.1190089487E-07
				.1218127683E-07

Table A2-37

Form 2, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 100.0$

$\beta = 1000.0$

QLTSUM = 0.

.1095870347E-09	.1416485522E-09	.1686620700E-09	.2043377823E-09	.2351359945E-09
.2747621194E-09	.3096779967E-09	.3535842822E-09	.3929443730E-09	.4414541923E-09
.4855787174E-09	.5390091628E-09	.5882121083E-09	.6468740835E-09	.7014632928E-09
.7656616042E-09	.8259388685E-09	.8959723150E-09	.9622334626E-09	.1038394925E-08
.1110929909E-08	.1193506436E-08	.1272599422E-08	.1361872318E-08	.1447801770E-08
.1544046679E-08	.1637085443E-08	.1740572434E-08	.1840987821E-08	.1951981469E-08
.2060035339E-08	.2178794809E-08	.2294743650E-08	.2421522776E-08	.2545617785E-08
.2680655147E-08	.2813152310E-08	.2956711319E-08	.3097831487E-08	.3250140455E-08
.3400129421E-08	.3561421642E-08	.3720510218E-08	.3891014041E-08	.4059428131E-08
				.4239367034E-08

P* SUM = 0.

130

.4629626867E-19	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.3703699549E-18	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.1249997835E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.2962956053E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.5787020243E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.9999955003E-17	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.1587956489E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.2370359332E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
.3374982272E-16	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

G+P* SUM = 0.

.1095870347E-09	.1416485523E-09	.1686620701E-09	.2043377825E-09	.2351359948E-09
.2747621198E-09	.3096779972E-09	.3535842828E-09	.3929443738E-09	.4414541933E-09
.4855787186E-09	.5390091643E-09	.5882121101E-09	.6468740856E-09	.7014632954E-09
.7656616072E-09	.8259388719E-09	.8959723190E-09	.9622334671E-09	.1038394930E-08
.1110929915E-08	.1193506442E-08	.1272599429E-08	.1361872326E-08	.1447801779E-08
.1544046689E-08	.1637085454E-08	.1740572446E-08	.1840987834E-08	.1951981484E-08
.2060035355E-08	.2178794827E-08	.2294743669E-08	.2421522796E-08	.2545617806E-08
.2680655171E-08	.2813152336E-08	.2956711347E-08	.3097831516E-08	.3250140487E-08
.3400129455E-08	.3561421678E-08	.3720510256E-08	.3891014082E-08	.4059428174E-08
				.4239367081E-08

Table A2-38

Form 2, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 1000.0$

$\beta = 1.0$

QL1SUM	= 0.	.1678513556E-10	.6147896295E-10	.1180067830E-09	.2011733288E-09	
	.3009931163E-09	.4317444530E-09	.5829624434E-09	.7684774461E-09	.9774168226E-09	
	.1223229633E-08	.1494697470E-08	.1804945717E-08	.2142463764E-08	.2520103104E-08	
	.2926107188E-08	.3373096606E-08	.3849108798E-08	.4366570534E-08	.4913347668E-08	
	.5501705106E-08	.6119366760E-08	.6778463174E-08	.7466601832E-08	.8195802544E-08	
	.8953578260E-08	.9751858345E-08	.1057807999E-07	.1144409948E-07	.1233729430E-07	
	.1326946253E-07	.1422793565E-07	.1522446616E-07	.1624635123E-07	.1730530853E-07	
	.1838861083E-07	.1950795011E-07	.2065058308E-07	.2182818371E-07	.2302799975E-07	
	.2426159361E-07	.2551650998E-07	.2680410512E-07	.2811172559E-07	.2945102601E-07	
	.3080925885E-07	.3219808080E-07	.3360475362E-07	.3504093907E-07	.3649391092E-07	.3797533845E-07

P* SUM	= 0.	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19	
	.4629626867E-19	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18	
	.3703699549E-18	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17	
	.1249997835E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17	
	.2962956053E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17	
	.5787020243E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17	
	.9999955003E-17	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16	
	.1587956489E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16	
	.2370359332E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16	
	.3374952272E-16	.3605017775E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16	.4629602616E-16

Q+P* SUM	= 0.	.1678513556E-10	.6147896295E-10	.1180067830E-09	.2011733289E-09	
	.3009931163E-09	.4317444530E-09	.5829624435E-09	.7684774463E-09	.9774168229E-09	
	.1223229633E-08	.1494697471E-08	.1804945718E-08	.2142463765E-08	.2520103105E-08	
	.2926107189E-08	.3373096607E-08	.3849108800E-08	.4366570536E-08	.4913347671E-08	
	.5501705106E-08	.6119366763E-08	.6778463178E-08	.7466601837E-08	.8195802549E-08	
	.8953578266E-08	.9751858351E-08	.1057807999E-07	.1144409949E-07	.1233729431E-07	
	.1326946254E-07	.1422793566E-07	.1522446617E-07	.1624635124E-07	.1730530854E-07	
	.1838861085E-07	.1950795012E-07	.2065058310E-07	.2182818373E-07	.2302799977E-07	
	.2426159363E-07	.2551651000E-07	.2680410515E-07	.2811172562E-07	.2945102604E-07	
	.3080925888E-07	.3219808083E-07	.3360475366E-07	.3504093911E-07	.3649391096E-07	.3797533850E-07

Table A2-39

Form 2, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 1000.0$

$\beta = 10.0$

GLTSUM = 0.

.2468007015E-08	.9320589919E-10	.3852846252E-09	.9077888479E-09	.1605939703E-08
.8039700603E-08	.3435127377E-08	.4505146732E-08	.5631216568E-08	.6822050071E-08
.1449229756E-07	.9299855572E-08	.1056994705E-07	.1186975457E-07	.1316982768E-07
.2114731181E-07	.1580950374E-07	.1714492107E-07	.1847191540E-07	.1981472730E-07
.2786776591E-07	.2249434466E-07	.2383012012E-07	.2517956013E-07	.2651715534E-07
.3458898554E-07	.2920659723E-07	.3055818593E-07	.3189740548E-07	.3324943373E-07
.4132572954E-07	.3594125983E-07	.3728099763E-07	.3863340737E-07	.3997324755E-07
.4805053183E-07	.4266562431E-07	.4401814243E-07	.4535806449E-07	.4671059809E-07
.5478800135E-07	.4940306912E-07	.5074300562E-07	.5209553986E-07	.5343547402E-07
	.5612793026E-07	.5748044848E-07	.5882037047E-07	.6017287832E-07
				.6151279245E-07

P* SUM = 0.

132

.4629626867E-19	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.3703699549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.1249997835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.2962956053E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.5787020243E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.9999955003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.1587956489E-16	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.2370359332E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.3374982272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

Q+P* SUM = 0.

.2468007015E-08	.9320589919E-10	.3852846252E-09	.9077888479E-09	.1605939703E-08
.8039700603E-08	.3435127378E-08	.4505146732E-08	.5631216568E-08	.6822050072E-08
.1449229756E-07	.9299855573E-08	.1056994705E-07	.1186975457E-07	.1316982768E-07
.2114731181E-07	.1580950374E-07	.1714492107E-07	.1847191540E-07	.1981472730E-07
.2786776591E-07	.2249434466E-07	.2383012012E-07	.2517956013E-07	.2651715535E-07
.3458898555E-07	.2920659724E-07	.3055818594E-07	.3189740549E-07	.3324943373E-07
.4132572954E-07	.3594125984E-07	.3728099764E-07	.3863340739E-07	.3997324756E-07
.4805053186E-07	.4266562431E-07	.4401814243E-07	.4535806451E-07	.4671059812E-07
.5478800138E-07	.4940306915E-07	.5074300565E-07	.5209553989E-07	.5343547405E-07
	.5612793030E-07	.5748044852E-07	.5882037051E-07	.6017287836E-07
				.6151279249E-07

Table A2-40

Form 2, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 1000.0$

$\beta = 100.0$

QLTSUM = 0.

.1830342875E-08	.2296009647E-08	.2689516549E-08	.3155238549E-08	.3548763607E-08
.4014476473E-08	.4408007012E-08	.4873708251E-08	.5267243777E-08	.5732933294E-08
.6126473787E-08	.6592151579E-08	.6985697037E-08	.7451363107E-08	.7844913526E-08
.8310567876E-08	.8704123255E-08	.9169765887E-08	.9563326225E-08	.1002895714E-07
.1042252243E-07	.1088814163E-07	.1128171188E-07	.1174731937E-07	.1214089457E-07
.1260649035E-07	.1300007050E-07	.1346565457E-07	.1385923967E-07	.1432481203E-07
.1471840208E-07	.1518396274E-07	.1557755773E-07	.1604310668E-07	.1643670662E-07
.1690224387E-07	.1729584875E-07	.1776137430E-07	.1815498412E-07	.1862049797E-07
.1901411272E-07	.1947961488E-07	.1987323457E-07	.2033872504E-07	.2073234966E-07
				.2119782844E-07

P* SUM = 0.

.4629627253E-19	.7999995323E-19	.1270369545E-18	.1896294796E-18	.2699997537E-18
.3703700166E-18	.4929624416E-18	.6399992292E-18	.8137026563E-18	.1016294862E-17
.1249998147E-17	.1517034624E-17	.1819626550E-17	.2159996137E-17	.2540365595E-17
.2962957041E-17	.3429992863E-17	.3943695071E-17	.4506285968E-17	.5119987760E-17
.5787022654E-17	.6509612696E-17	.7289980400E-17	.8130347636E-17	.9032936770E-17
.9999970003E-17	.1103366954E-16	.1213625758E-16	.1330995607E-16	.1455698770E-16
.1587957416E-16	.1727993789E-16	.1876030109E-16	.2032288596E-16	.2196991434E-16
.2370350913E-16	.2552619178E-16	.2743988485E-16	.2944691053E-16	.3154949102E-16
.3374984803E-16	.3605020469E-16	.3845278221E-16	.4095980327E-16	.4357349005E-16
				.4629606474E-16

Q+P* SUM = 0.

.1830342875E-08	.2296009647E-08	.2689516549E-08	.3155238549E-08	.3548763607E-08
.4014476473E-08	.4408007013E-08	.4873708251E-08	.5267243778E-08	.5732933295E-08
.6126473788E-08	.6592151581E-08	.6985697038E-08	.7451363109E-08	.7844913529E-08
.8310567879E-08	.8704123259E-08	.9169765891E-08	.9563326229E-08	.1002895714E-07
.1042252244E-07	.1088814164E-07	.1128171189E-07	.1174731938E-07	.1214089458E-07
.1260649036E-07	.1300007051E-07	.1346565458E-07	.1385923968E-07	.1432481205E-07
.1471840209E-07	.1518396275E-07	.1557755775E-07	.1604310670E-07	.1643670664E-07
.1690224389E-07	.1729584877E-07	.1776137433E-07	.1815498414E-07	.1862049800E-07
.1901411276E-07	.1947961492E-07	.1987323461E-07	.2033872508E-07	.2073234971E-07
				.2119782849E-07

Table A2-41

Form 2, FTMP, intermittent, no restrictions

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 1000.0$

$\beta = 1000.0$

QLTSUM = 0.

.9291871292E-09	.1001051223E-09	.3357460331E-09	.5113447316E-09	.7512048059E-09
.2024513969E-08	.1171317011E-08	.1351529413E-08	.1595822327E-08	.1778160641E-08
.3081783640E-08	.2208877140E-08	.2457191440E-08	.2643481664E-08	.2893660804E-08
.4223983180E-08	.3333734897E-08	.3523599344E-08	.3777233455E-08	.3968751990E-08
.5322558154E-08	.4417071766E-08	.4673817739E-08	.4868395811E-08	.5126577729E-08
.6500918169E-08	.5582110586E-08	.5779439615E-08	.6040270481E-08	.6238867676E-08
.7631152909E-08	.6700716330E-08	.6963920838E-08	.7164855911E-08	.7429151923E-08
.8837039747E-08	.7896490921E-08	.8099519778E-08	.8365823191E-08	.8569814731E-08
.9991292235E-08	.9041941532E-08	.9310037052E-08	.9515799287E-08	.9784716804E-08
	.1026098573E-07	.1046832953E-07	.1073875536E-07	.1094682505E-07
				.1121794185E-07

P* SUM = 0.

.4629627253E-19	.3703704438E-21	.2962962455E-20	.9999996719E-20	.2370369348E-19
.3703700166E-18	.7999995323E-19	.1270369545E-18	.1896294796E-18	.2699997537E-18
.1249998147E-17	.4929624416E-18	.6399992292E-18	.8137026563E-18	.1016294862E-17
.2962957041E-17	.1517034624E-17	.1819626550E-17	.2159996137E-17	.2540365595E-17
.5787022654E-17	.3429992863E-17	.3943695071E-17	.4506285968E-17	.5119987760E-17
.9999970003E-17	.6509612696E-17	.7289980400E-17	.8130347636E-17	.9032936770E-17
.1587957416E-16	.1103366954E-16	.1213625758E-16	.1330995607E-16	.1455698770E-16
.2370360913E-16	.1727993789E-16	.1876030109E-16	.203228596E-16	.2196991434E-16
.3374984803E-16	.2552619178E-16	.2743988485E-16	.2944691053E-16	.3154949102E-16
	.3605020469E-16	.3845278221E-16	.4095980327E-16	.4357349005E-16
				.4629606474E-16

Q+P* SUM = 0.

.9291871293E-09	.1001051223E-09	.3357460331E-09	.5113447316E-09	.7512048060E-09
.2024513970E-08	.1171317011E-08	.1351529413E-08	.1595822327E-08	.1778160641E-08
.3081783641E-08	.2208877141E-08	.2457191441E-08	.2643481665E-08	.2893660805E-08
.4223983183E-08	.3333734898E-08	.3523599345E-08	.3777233457E-08	.3968751993E-08
.5322558160E-08	.4417071769E-08	.4673817743E-08	.4868395815E-08	.5126577734E-08
.6500918179E-08	.5582110593E-08	.5779439623E-08	.6040270489E-08	.6238867685E-08
.7631152925E-08	.6700716341E-08	.6963920850E-08	.7164855924E-08	.7429151937E-08
.8837039771E-08	.7896490938E-08	.8099519797E-08	.8365823211E-08	.8569814753E-08
.9991292269E-08	.9041941557E-08	.9310037080E-08	.9515799317E-08	.9784716836E-08
	.1026098576E-07	.1046832957E-07	.1073875540E-07	.1094682509E-07
				.1121794190E-07

Table A2-42
Form 2 restricted, FTMP, intermittent

$T_{\max} = 100 \text{ min}$ $N_p = 15, N_m = 9, N_B = 5$

$\alpha = 10.0$

$\beta = 1.0$

QLTSUM = 0.

.9984309987E-09	.1265446481E-08	.1472918817E-08	.1744262978E-08	.1954967498E-08
.2228700273E-08	.2441190052E-08	.2716234326E-08	.2929708638E-08	.3205469753E-08
.3419487296E-08	.3695637945E-08	.3909956051E-08	.4186316373E-08	.4400801760E-08
.4677273012E-08	.4891852525E-08	.5168380521E-08	.5383014023E-08	.5659569036E-08
.5874234508E-08	.6150800234E-08	.6365485599E-08	.6642053096E-08	.6856751727E-08
.7133316092E-08	.7348024356E-08	.7624582899E-08	.7839298802E-08	.8115850051E-08
.8330572497E-08	.8607115644E-08	.8821844034E-08	.9098378635E-08	.9313112639E-08
.9589638454E-08	.9804377888E-08	.1008089479E-07	.1029563955E-07	.1057214746E-07
.1078689750E-07	.1106339638E-07	.1127815166E-07	.1155464149E-07	.1176940200E-07

.....1204588277E-07

P* SUM = 0.

.4629626867E-19	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.3703699549E-18	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.1249997835E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.2962956053E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.5787020243E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.9999955003E-17	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.1587956489E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.2370359332E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946728E-16
.3374952272E-16	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16

.....4629602616E-16

G+P* SUM = 0.

.9984309988E-09	.1265446481E-08	.1472918817E-08	.1744262978E-08	.1954967499E-08
.2228700273E-08	.2441190053E-08	.2716234327E-08	.2929708639E-08	.3205469754E-08
.3419487298E-08	.3695637947E-08	.3909956052E-08	.4186316376E-08	.4400801763E-08
.4677273015E-08	.4891852529E-08	.5168380525E-08	.5383014027E-08	.5659569041E-08
.5874234516E-08	.6150800241E-08	.6365485606E-08	.6642053104E-08	.6856751736E-08
.7133316102E-08	.7348024367E-08	.7624582912E-08	.7839298815E-08	.8115850065E-08
.8330572513E-08	.8607115661E-08	.8821844052E-08	.9098378656E-08	.9313112661E-08
.9589638477E-08	.9804377914E-08	.1008089481E-07	.1029563958E-07	.1057214749E-07
.1078689753E-07	.1106339641E-07	.1127815170E-07	.1155464153E-07	.1176940204E-07

.....1204588282E-07

Table A2-43

Form 2 restricted, FTMP, intermittent

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 10.0$

$\beta = 10.0$

GLT SUM = 0.

.1048720143E-08	.1103191906E-09	.3724885081E-09	.5759087126E-09	.8446818562E-09
.2263250101E-08	.1317538187E-08	.1521586873E-08	.1790395984E-08	.1994450336E-08
.3413018406E-08	.2467310081E-08	.2736100499E-08	.2940166104E-08	.3208947176E-08
.4627444888E-08	.3681790133E-08	.3885866986E-08	.4154629371E-08	.4358711844E-08
.5777224087E-08	.4831552980E-08	.5100296685E-08	.5304390394E-08	.5573124762E-08
.6991586674E-08	.6045949119E-08	.6250054059E-08	.6518769757E-08	.6722880308E-08
.8141336727E-08	.7195702836E-08	.7464399872E-08	.7668521642E-08	.7937209349E-08
.9355615462E-08	.8410015107E-08	.8614148090E-08	.8882817144E-08	.9086955731E-08
.1050535633E-07	.9559759651E-08	.9828410060E-08	.1003255985E-07	.1030120094E-07
	.1077398810E-07	.1097814908E-07	.1124677153E-07	.1145093811E-07

.1171955125E-07

P* SUM = 0.

.4629626867E-19	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.3703679549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.1249997835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.2962956053E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.5787020243E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.9999935003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.1587956489E-16	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.2370369332E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.3374982272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16

.4629602616E-16

Q+P* SUM = 0.

.1048720143E-08	.1103191906E-09	.3724885081E-09	.5759087126E-09	.8446818562E-09
.2263250102E-08	.1317538187E-08	.1521586873E-08	.1790395984E-08	.1994450336E-08
.3413018407E-08	.2467310082E-08	.2736100499E-08	.2940166105E-08	.3208947177E-08
.4627444891E-08	.3681790135E-08	.3885866987E-08	.4154629373E-08	.4358711846E-08
.5777224093E-08	.4831552983E-08	.5100296689E-08	.5304390399E-08	.5573124767E-08
.6991586684E-08	.6045949126E-08	.6250054066E-08	.6518769765E-08	.6722880317E-08
.8141336743E-08	.7195702847E-08	.7464399884E-08	.7668521656E-08	.7937209364E-08
.9355615486E-08	.8410015124E-08	.8614148109E-08	.8882817164E-08	.9086955753E-08
.1050535636E-07	.9559759676E-08	.9828410087E-08	.1003255988E-07	.1030120097E-07
	.1077398813E-07	.1097814912E-07	.1124677157E-07	.1145093816E-07

.1171955130E-07

Table A2-44
Form 2 restricted, FTMP, intermittent

$$T_{\max} = 100 \text{ min}$$

$$N_p = 15, N_m = 9, N_B = 5$$

$$\alpha = 10.0$$

$$\beta = 100.0$$

GLTSUM = 0.

.1015251232E-08	.1094173635E-09	.3674164879E-09	.5607208353E-09	.8218254998E-09
.2185390247E-08	.1276350548E-08	.1469782477E-08	.1730872185E-08	.1924310150E-08
.3287871706E-08	.2378834246E-08	.2639904732E-08	.2833354765E-08	.3094415643E-08
.4457926919E-08	.3548922977E-08	.3742385070E-08	.4003426736E-08	.4196894857E-08
.5560402753E-08	.4651401066E-08	.4912423527E-08	.5105903698E-08	.5366916560E-08
.6730374203E-08	.5821406016E-08	.6014898230E-08	.6275891898E-08	.6469390130E-08
.7832844366E-08	.6923878453E-08	.7184852934E-08	.7378363198E-08	.7639328089E-08
.9002732100E-08	.8093799668E-08	.8287321957E-08	.8548267672E-08	.8741795971E-08
.1010519655E-07	.9196266408E-08	.9457192954E-08	.9650733267E-08	.9911650231E-08
	.1036610393E-07	.1055965625E-07	.1082055406E-07	.1101411238E-07
				.1127500061E-07

P* SUM = 0.

.4629626867E-19	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.3703699549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.1249997835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.2962956053E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.5787020243E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.9999955003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.1587956439E-16	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.2370359332E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.3374932272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
				.4629602616E-16

Q+P* SUM = 0.

.1015251232E-08	.1094173635E-09	.3674164879E-09	.5607208353E-09	.8218254998E-09
.2185390247E-08	.1276350549E-08	.1469782477E-08	.1730872185E-08	.1924310150E-08
.3287871708E-08	.2378834247E-08	.2639904733E-08	.2833354766E-08	.3094415644E-08
.4457926922E-08	.3548922979E-08	.3742385072E-08	.4003426738E-08	.4196894859E-08
.5560402758E-08	.4651401069E-08	.4912423531E-08	.5105903702E-08	.5366916565E-08
.6730374213E-08	.5821406023E-08	.6014898237E-08	.6275891906E-08	.6469390139E-08
.7832844382E-08	.6923878444E-08	.7184852944E-08	.7378363211E-08	.7639328103E-08
.9002732124E-08	.8093799685E-08	.8287321976E-08	.8548267692E-08	.8741795993E-08
.1010519658E-07	.9196266433E-08	.9457192981E-08	.9650733296E-08	.9911650263E-08
	.1036610397E-07	.1055965629E-07	.1082055410E-07	.1101411243E-07
				.1127500066E-07

Table A2-45

Form 2 restricted, FTMP, intermittent

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 10.0$

$\beta = 1000.0$

QLTSUM = 0.

.5526725529E-09	.5768901798E-10	.1936557468E-09	.2966699527E-09	.4410051131E-09
.1292753034E-08	.7059416980E-09	.8268220753E-09	.9895477708E-09	.1120128015E-08
.2123095220E-08	.1433463179E-08	.1616396191E-08	.1767574861E-08	.1961135720E-08
.3127278858E-08	.2327559867E-08	.2500550910E-08	.2716145929E-08	.2900372019E-08
.4237050145E-08	.3322900359E-08	.3561259243E-08	.3768397149E-08	.4018310717E-08
.5529114075E-08	.4498586806E-08	.4728980235E-08	.5002177289E-08	.5244247555E-08
.6929878906E-08	.5782857151E-08	.6079376652E-08	.6344764209E-08	.6652897119E-08
.8511711387E-08	.7249564844E-08	.7538070879E-08	.7869230771E-08	.8169173366E-08
.1019730845E-07	.8822987025E-08	.9176792399E-08	.9499283456E-08	.9864232113E-08
	.1057376455E-07	.1091828499E-07	.1130510235E-07	.1166041599E-07

.1205793935E-07

P* SUM = 0.

.4629627253E-19	.3703704438E-21	.2962962455E-20	.9999996719E-20	.2370369348E-19
.3703700166E-18	.7999995323E-19	.1270369545E-18	.1896294796E-18	.2699997537E-18
.1249978147E-17	.4929624416E-18	.6399992292E-18	.8137026563E-18	.1016294862E-17
.2962957041E-17	.1517034624E-17	.1819626550E-17	.2159996137E-17	.2540365595E-17
.5787022654E-17	.3429992863E-17	.3943695071E-17	.4506285968E-17	.5119987760E-17
.9999970003E-17	.6509612696E-17	.7289980400E-17	.8130347636E-17	.9032936770E-17
.1587957416E-16	.1103366954E-16	.1213625758E-16	.1330995607E-16	.1455698770E-16
.2370360913E-16	.1727993789E-16	.1876030109E-16	.2032288596E-16	.2196991434E-16
.3374984803E-16	.2552619178E-16	.2743988485E-16	.2944691053E-16	.3154949102E-16
	.3605020469E-16	.3845278221E-16	.4095980327E-16	.4357349005E-16

.4629606474E-16

Q+P* SUM = 0.

.5526725530E-09	.5768901798E-10	.1936557468E-09	.2966699527E-09	.4410051131E-09
.1292753034E-08	.7059416980E-09	.8268220754E-09	.9895477710E-09	.1120128015E-08
.2123095221E-08	.1433463179E-08	.1616396192E-08	.1767574862E-08	.1961135721E-08
.3127278861E-08	.2327559869E-08	.2500550911E-08	.2716145932E-08	.2900372021E-08
.4237050151E-08	.3322900362E-08	.3561259247E-08	.3768397154E-08	.4018310722E-08
.5529114083E-08	.4498586813E-08	.4728980242E-08	.5002177297E-08	.5244247564E-08
.6929878922E-08	.5782857162E-08	.6079376664E-08	.6344764223E-08	.6652897133E-08
.8511711411E-08	.7249564862E-08	.7538070897E-08	.7869230791E-08	.8169173388E-08
.1019730848E-07	.8822987051E-08	.9176792426E-08	.9499283486E-08	.9864232144E-08
	.1057376459E-07	.1091828503E-07	.1130510239E-07	.1166041604E-07

.1205793940E-07

Table A2-46
Form 2 restricted, FTMP, intermittent

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 100.0$

$\beta = 1.0$

ALTSUM	= 0.	.6888727954E-10	.2407702878E-09	.4107548244E-09	.6456433646E-09
	.8736304215E-09	.1160950961E-08	.1435759188E-08	.1764479167E-08	.2075636416E-08
	.2436070697E-08	.2774783252E-08	.3159055141E-08	.3518339867E-08	.3920307472E-08
	.4294796051E-08	.4709790509E-08	.5095438629E-08	.5519968001E-08	.5913768638E-08
	.6345249109E-08	.6744986073E-08	.7181519596E-08	.7585569310E-08	.8025768516E-08
	.8432946462E-08	.8875800749E-08	.9285245220E-08	.9730020207E-08	.1014110559E-07
	.1058726852E-07	.1099954126E-07	.1144670609E-07	.1185983769E-07	.1230772495E-07
	.1272147766E-07	.1316988512E-07	.1358408696E-07	.1403286837E-07	.1444739496E-07
	.1489644457E-07	.1531120600E-07	.1576044737E-07	.1617537865E-07	.1662475652E-07
	.1703981067E-07	.1748928512E-07	.1790442820E-07	.1835397036E-07	.1876917784E-07
					.1921876687E-07

F* SUM	= 0.	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
	.4629626867E-19	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
	.3703699549E-18	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
	.1249997835E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
	.2962956053E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
	.5787020243E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
	.9999955003E-17	.1103366374E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
	.1537956489E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
	.2370359332E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3374982272E-16	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
					.4629602616E-16

G+F* SUM	= 0.	.6888727954E-10	.2407702879E-09	.4107548244E-09	.6456433646E-09
	.8736304216E-09	.1160950961E-08	.1435759188E-08	.1764479167E-08	.2075636416E-08
	.2436070698E-08	.2774783252E-08	.3159055142E-08	.3518339867E-08	.3920307473E-08
	.4294796052E-08	.4709790510E-08	.5095438631E-08	.5519968003E-08	.5913768640E-08
	.6345249112E-08	.6744986076E-08	.7181519600E-08	.7585569314E-08	.8025768521E-08
	.8432946468E-08	.8875800756E-08	.9285245228E-08	.9730020215E-08	.1014110560E-07
	.1058726853E-07	.1099954127E-07	.1144670610E-07	.1185983770E-07	.1230772496E-07
	.1272147768E-07	.1316988514E-07	.1358408698E-07	.1403286839E-07	.1444739498E-07
	.1489644460E-07	.1531120603E-07	.1576044740E-07	.1617537868E-07	.1662475655E-07
	.1703981071E-07	.1748928516E-07	.1790442824E-07	.1835397040E-07	.1876917788E-07
					.1921876691E-07

Table A2-47
Form 2 restricted, FTMP, intermittent

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 100.0$

$\beta = 10.0$

QLTSUM = 0.

.1388220706E-08	.1747348635E-08	.2062519913E-08	.2421981414E-08	.2737250703E-08
.3096731181E-08	.3412010414E-08	.3771485220E-08	.4086767496E-08	.4446234699E-08
.4761519476E-08	.5120978925E-08	.5436266159E-08	.5795717845E-08	.6111007531E-08
.6470451453E-08	.6785743591E-08	.7145179750E-08	.7460474338E-08	.7819902736E-08
.8135199773E-08	.8494620411E-08	.8809919895E-08	.9169332774E-08	.9484634705E-08
.9844039826E-08	.1015934420E-07	.1051874157E-07	.1083404839E-07	.1119343800E-07
.1150874726E-07	.1186812912E-07	.1218344082E-07	.1254281492E-07	.1285812907E-07
.1321749542E-07	.1353281201E-07	.1389217060E-07	.1420748963E-07	.1456684048E-07
.1488216194E-07	.1524150504E-07	.1555682894E-07	.1591616429E-07	.1623149063E-07

.1659081823E-07

P* SUM = 0.

140

.4629626867E-19	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.3703699549E-18	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.1249997835E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.2962956053E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.5787020243E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.9099995503E-17	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.1587956489E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.2370359332E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
.3374982272E-16	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16

.4629602616E-16

Q+F* SUM = 0.

.1388220706E-08	.1747348635E-08	.2062519913E-08	.2421981414E-08	.2737250703E-08
.3096731182E-08	.3412010415E-08	.3771485221E-08	.4086767497E-08	.4446234700E-08
.4761519477E-08	.5120978927E-08	.5436266161E-08	.5795717847E-08	.6111007534E-08
.6470451456E-08	.6785743594E-08	.7145179754E-08	.7460474342E-08	.7819902741E-08
.8135199779E-08	.8494620417E-08	.8809919902E-08	.9169332782E-08	.9484634714E-08
.9844039826E-08	.1015934421E-07	.1051874158E-07	.1083404840E-07	.1119343801E-07
.1150874728E-07	.1186812913E-07	.1218344084E-07	.1254281494E-07	.1285812909E-07
.1321749544E-07	.1353281203E-07	.1389217063E-07	.1420748966E-07	.1456684051E-07
.1488216197E-07	.1524150508E-07	.1555682898E-07	.1591616433E-07	.1623149067E-07

.1659081828E-07

Table A2-48
Form 2 restricted, FTMP, intermittent

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 100.0$

$\beta = 100.0$

QLTSUM	= 0.	.1164907500E-09	.3923051121E-09	.6027456861E-09	.8833834306E-09
	.1094070847E-08	.1374710512E-08	.1585404678E-08	.1866034350E-08	.2076734673E-08
	.2357354324E-08	.2568060800E-08	.2848670432E-08	.3059383060E-08	.3339982676E-08
	.3550701453E-08	.3831291054E-08	.4042015979E-08	.4322595567E-08	.4533326638E-08
	.4813896215E-08	.5024633430E-08	.5305192998E-08	.5515936355E-08	.5796485915E-08
	.6007235413E-08	.6287774967E-08	.6498530604E-08	.6779060154E-08	.6989821927E-08
	.7270341476E-08	.7481109384E-08	.7761618933E-08	.7972392974E-08	.8252892525E-08
	.8463672697E-08	.8744162252E-08	.8954948553E-08	.9235428113E-08	.9446220542E-08
	.9726690110E-08	.9937488664E-08	.1021794824E-07	.1042875292E-07	.1070920251E-07
	.1092001331E-07	.1120045291E-07	.1141126983E-07	.1169169944E-07	.1190252248E-07
					.1218294212E-07

P* SUM	= 0.	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
	.4629626867E-19	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
	.3703699549E-18	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
	.1245997835E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
	.2962956053E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
	.5787020243E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
	.9999955003E-17	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
	.1587956489E-16	.1727992752E-16	.1876028952E-16	.2032267309E-16	.2196990006E-16
	.2370359332E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3374982272E-16	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16
					.4629602616E-16

Q+P* SUM	= 0.	.1164907500E-09	.3923051121E-09	.6027456861E-09	.8833834306E-09
	.1094070847E-08	.1374710512E-08	.1585404678E-08	.1866034350E-08	.2076734673E-08
	.2357354324E-08	.2568060800E-08	.2848670433E-08	.3059383061E-08	.3339982677E-08
	.3550701454E-08	.3831291056E-08	.4042015981E-08	.4322595569E-08	.4533326641E-08
	.4813896218E-08	.5024633434E-08	.5305193002E-08	.5515936359E-08	.5796485920E-08
	.6007235419E-08	.6287774974E-08	.6498530611E-08	.6779060163E-08	.6989821937E-08
	.7270341486E-08	.7481109395E-08	.7761618945E-08	.7972392988E-08	.8252892540E-08
	.8463672713E-08	.8744162269E-08	.8954948572E-08	.9235428134E-08	.9446220564E-08
	.9726690133E-08	.9937488690E-08	.1021794827E-07	.1042875295E-07	.1070920254E-07
	.1092001334E-07	.1120045294E-07	.1141126987E-07	.1169169949E-07	.1190252253E-07
					.1218294216E-07

Table A2-49

Form 2 restricted, FTMP, intermittent

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 100.0$

$\beta = 1000.0$

GLTSUM = 0.

.1211234999E-09	.1103037673E-10	.3750072268E-10	.5976987391E-10	.9191681896E-10
.3655703258E-09	.1614538555E-09	.2000812412E-09	.2510548698E-09	.3015396793E-09
.7885144801E-09	.4303034961E-09	.5097594567E-09	.5910868075E-09	.6882915902E-09
.1475318039E-08	.9057474563E-09	.1027123430E-08	.1166620477E-08	.1311363902E-08
.2481103305E-08	.1645600739E-08	.1836162748E-08	.2034114622E-08	.2253393671E-08
.3884566802E-08	.2731167553E-08	.2990682828E-08	.3273560027E-08	.3566888714E-08
.5734436729E-08	.4213677151E-08	.4568104836E-08	.4934926157E-08	.5328013494E-08
.8103216844E-08	.6168055690E-08	.6615933980E-08	.7091919014E-08	.7583068255E-08
.1103369827E-07	.8639416238E-08	.9205489440E-08	.9788482037E-08	.1040220503E-07
	.1169676087E-07	.1237842709E-07	.1309248432E-07	.1382596130E-07

.1459263383E-07

P* SUM = 0.

.4629627253E-19	.3703704438E-21	.2962962455E-20	.9999996719E-20	.2370369348E-19
.3703700166E-18	.7999995323E-19	.1270369545E-18	.1896294796E-18	.2699997537E-18
.1249998147E-17	.4929624416E-18	.6399992292E-18	.8137026563E-18	.1016294862E-17
.2962957041E-17	.1517034624E-17	.1819626550E-17	.2159996137E-17	.2540365595E-17
.5787022654E-17	.3429992863E-17	.3943695071E-17	.4506285968E-17	.5119987760E-17
.9999970003E-17	.6509612696E-17	.7289980400E-17	.8130347636E-17	.9032936770E-17
.1587957416E-16	.1103366954E-16	.1213625758E-16	.1330995607E-16	.1455698770E-16
.2370360913E-16	.1727993789E-16	.1876030109E-16	.2032288596E-16	.2196991434E-16
.3374934803E-16	.2552619178E-16	.2743988485E-16	.2944691053E-16	.3154949102E-16
	.3605020469E-16	.3845278221E-16	.4095980327E-16	.4357349005E-16

.4629606474E-16

W+P* SUM = 0.

.1211235000E-09	.1103037673E-10	.3750072268E-10	.5976987392E-10	.9191681898E-10
.3655703262E-09	.1614538556E-09	.2000812413E-09	.2510548700E-09	.3015396796E-09
.7885144813E-09	.4303034966E-09	.5097594573E-09	.5910868083E-09	.6882915912E-09
.1475318047E-08	.9057474578E-09	.1027123431E-08	.1166620479E-08	.1311363905E-08
.2481103310E-08	.1645600742E-08	.1836162752E-08	.2034114626E-08	.2253393676E-08
.3884566812E-08	.2731167559E-08	.2990682835E-08	.3273560035E-08	.3566888723E-08
.5734436745E-08	.4213677162E-08	.4568104848E-08	.4934926170E-08	.5328013508E-08
.8103216867E-08	.6168055707E-08	.6615933999E-08	.7091919034E-08	.7583068277E-08
.1103369830E-07	.8639416263E-08	.9205489467E-08	.9788482067E-08	.1040220506E-07
	.1169676091E-07	.1237842713E-07	.1309248436E-07	.1382596134E-07

.1459263387E-07

Table A2-50

Form 2 restricted, FTMP, intermittent

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 1000.0$

$\beta = 1.0$

GLTSUM	= 0.	.1692091119E-10	.6219204102E-10	.1204031890E-09	.2066230149E-09
		.3114451807E-09	.4493328361E-09	.6103266208E-09	.8083733995E-09
		.1297840619E-08	.1591936538E-08	.1928462556E-08	.2296248265E-08
		.3152586849E-08	.3642229901E-08	.4165340653E-08	.4734240423E-08
		.5985845713E-08	.6668619085E-08	.7397326846E-08	.8159766939E-08
		.9809066961E-08	.1069535204E-07	.1161423579E-07	.1257737120E-07
		.1461055232E-07	.1567964993E-07	.1679110448E-07	.1793234168E-07
		.2032602229E-07	.2157731727E-07	.2285610829E-07	.2417382974E-07
		.2689956786E-07	.2830635999E-07	.2974963092E-07	.3121673640E-07
		.3424403735E-07	.3580300349E-07	.3738335294E-07	.3899650071E-07
					.4062982848E-07
					.4229475921E-07

P* SUM	= 0.	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
		.4629626867E-19	.7999994523E-19	.1896294543E-18	.2699997132E-18
		.3703699549E-18	.4929623513E-18	.8137024800E-18	.1016294625E-17
		.1249997835E-17	.1517034219E-17	.2159995489E-17	.2540364791E-17
		.2962956053E-17	.3429991663E-17	.4506284241E-17	.5119985712E-17
		.5787020243E-17	.6509609875E-17	.8130343842E-17	.9032932404E-17
		.9999955003E-17	.1103366384E-16	.1330994875E-16	.1455697945E-16
		.1587956499E-16	.1727992752E-16	.2032287309E-16	.2196990006E-16
		.2370359332E-16	.2552617433E-16	.2944688942E-16	.3154946788E-16
		.3374952272E-16	.3605017705E-16	.4095977050E-16	.4357345446E-16
					.4629602616E-16

U+P* SUM	= 0.	.1692091119E-10	.6219204102E-10	.1204031890E-09	.2066230149E-09
		.3114451808E-09	.4493328362E-09	.6103266209E-09	.8083733997E-09
		.1297840620E-08	.1591936538E-08	.1928462557E-08	.2296248266E-08
		.3152586851E-08	.3642229903E-08	.4165340655E-08	.4734240425E-08
		.5985845716E-08	.6668619089E-08	.7397326850E-08	.8159766943E-08
		.9809066967E-08	.1069535205E-07	.1161423580E-07	.1257737121E-07
		.1461055233E-07	.1567964994E-07	.1679110450E-07	.1793234169E-07
		.2032602230E-07	.2157731729E-07	.2285610831E-07	.2417382976E-07
		.2689956789E-07	.2830636002E-07	.2974963095E-07	.3121673642E-07
		.3424403739E-07	.3580300353E-07	.3738335298E-07	.3899650075E-07
					.4062982853E-07
					.4229475926E-07

Table A2-51

Form 2 restricted, FTMP, intermittent

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 1000.0$

$\beta = 10.0$

GLTSUM = 0.

.2472615567E-08	.9331248951E-10	.3857868172E-09	.9092191918E-09	.1608716436E-08
.8057486724E-08	.3441869882E-08	.4514375604E-08	.5643107860E-08	.6836846373E-08
.1452643087E-07	.9320800412E-08	.1059407705E-07	.1189719297E-07	.1320056555E-07
.2119856008E-07	.1584700269E-07	.1718586566E-07	.1851626370E-07	.1986255005E-07
.2793659419E-07	.2254908387E-07	.2388829731E-07	.2524123765E-07	.2658227795E-07
.3467478595E-07	.2927867461E-07	.3063377198E-07	.3197644290E-07	.3333198150E-07
.4142917197E-07	.3693077152E-07	.3737396263E-07	.3872988413E-07	.4007317798E-07
.4817136012E-07	.4277252058E-07	.4412855080E-07	.4547192676E-07	.4682797248E-07
.5492627337E-07	.4952740949E-07	.5087079986E-07	.5222684612E-07	.5357023409E-07
	.5626965603E-07	.5762568611E-07	.5896906179E-07	.6032508141E-07

.6166844914E-07

P* SUM = 0.

.4629626667E-19	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19
.3703679549E-18	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18
.1249297835E-17	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17
.2962956053E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17
.5787020243E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17
.9999955003E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17
.1587956489E-16	.1103366384E-16	.1213625111E-16	.1330994875E-16	.1455697945E-16
.2376359332E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16
.3374982272E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16
	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16

.4629602616E-16

Q+P* SUM = 0.

.2472615568E-08	.9331248951E-10	.3857868172E-09	.9092191918E-09	.1608716436E-08
.8057486725E-08	.3441869882E-08	.4514375604E-08	.5643107860E-08	.6836846373E-08
.1452643087E-07	.9320800413E-08	.1059407705E-07	.1189719297E-07	.1320056555E-07
.2119856009E-07	.1584700269E-07	.1718586566E-07	.1851626370E-07	.1986255006E-07
.2793659419E-07	.2254908387E-07	.2388829731E-07	.2524123766E-07	.2658227795E-07
.3467478596E-07	.2927867461E-07	.3063377199E-07	.3197644291E-07	.3333198151E-07
.4142917199E-07	.3693077153E-07	.3737396264E-07	.3872988415E-07	.4007317799E-07
.4817136014E-07	.4277252060E-07	.4412855082E-07	.4547192678E-07	.4682797250E-07
.5492627340E-07	.4952740952E-07	.5087079989E-07	.5222684615E-07	.5357023413E-07
	.5626965607E-07	.5762568615E-07	.5896906183E-07	.6032508146E-07

.6166844919E-07

Table A2-52

Form 2 restricted, FTMP, intermittent

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 1000.0$

$\beta = 100.0$

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QLTSUM	= 0.	.1693988324E-09	.5889737532E-09	.9734634188E-09	.1437528953E-08	
	.1830798470E-08	.2296580098E-08	.2690194807E-08	.3156031691E-08	.3549664561E-08	
	.4015492309E-08	.4409130659E-08	.4874946776E-08	.5268590111E-08	.5734394502E-08	
	.6128042801E-08	.6593835465E-08	.6987488726E-08	.7453269664E-08	.7846927885E-08	
	.8312697109E-08	.8706360279E-08	.9172117771E-08	.9565785907E-08	.1003153168E-07	
	.1042520477E-07	.1089093882E-07	.1128461687E-07	.1175033920E-07	.1214402220E-07	
	.1260973282E-07	.1300342076E-07	.1346911967E-07	.1386281256E-07	.1432849976E-07	
	.1472219760E-07	.1518787309E-07	.1558157586E-07	.1604723965E-07	.1644094737E-07	
	.1690659945E-07	.1730031211E-07	.1776595248E-07	.1815967008E-07	.1862529875E-07	
	.1901902128E-07	.1948463826E-07	.1987836572E-07	.2034397101E-07	.2073770340E-07	.2120329699E-07

P* SUM	= 0.	.3703704376E-21	.2962962356E-20	.9999996219E-20	.2370369190E-19	
	.4629626867E-19	.7999994523E-19	.1270369397E-18	.1896294543E-18	.2699997132E-18	
	.3703699549E-18	.4929623513E-18	.6399991012E-18	.8137024800E-18	.1016294625E-17	
	.1249977835E-17	.1517034219E-17	.1819626034E-17	.2159995489E-17	.2540364791E-17	
	.2962956053E-17	.3429991663E-17	.3943693625E-17	.4506284241E-17	.5119985712E-17	
	.5787020243E-17	.6509609875E-17	.7289977119E-17	.8130343842E-17	.9032932404E-17	
	.9999955003E-17	.1103366384E-16	.1213525111E-16	.1330994875E-16	.1455697945E-16	
	.1587956489E-16	.1727992752E-16	.1876028952E-16	.2032287309E-16	.2196990006E-16	
	.2370359332E-16	.2552617433E-16	.2743986564E-16	.2944688942E-16	.3154946788E-16	
	.3374982272E-16	.3605017705E-16	.3845275209E-16	.4095977050E-16	.4357345446E-16	.4629602616E-16

G+P* SUM	= 0.	.1693988324E-09	.5889737532E-09	.9734634188E-09	.1437528953E-08	
	.1830798470E-08	.2296580098E-08	.2690194807E-08	.3156031691E-08	.3549664562E-08	
	.4015492310E-08	.4409130659E-08	.4874946776E-08	.5268590111E-08	.5734394503E-08	
	.6128042802E-08	.6593835466E-08	.6987488728E-08	.7453269666E-08	.7846927888E-08	
	.8312697103E-08	.8706360282E-08	.9172117775E-08	.9565785911E-08	.1003153168E-07	
	.1042520477E-07	.1089093883E-07	.1128461687E-07	.1175033921E-07	.1214402221E-07	
	.1260973283E-07	.1300342077E-07	.1346911969E-07	.1386281257E-07	.1432849978E-07	
	.1472219761E-07	.1518787311E-07	.1558157588E-07	.1604723967E-07	.1644094739E-07	
	.1690659947E-07	.1730031213E-07	.1776595251E-07	.1815967011E-07	.1862529879E-07	
	.1901902132E-07	.1948463830E-07	.1987836576E-07	.2034397105E-07	.2073770344E-07	.2120329703E-07

Table A2-53

Form 2 restricted, FTMP, intermittent

$T_{\max} = 100 \text{ min}$

$N_p = 15, N_m = 9, N_B = 5$

$\alpha = 1000.0$

$\beta = 1000.0$

QLTSUM = 0.

.2254904098E-08	.2505663028E-09	.8351338507E-09	.1252725208E-08	.1837214894E-08
.4842978071E-08	.2839215941E-08	.3256802977E-08	.3841136998E-08	.4258721854E-08
.7263998525E-08	.5260560733E-08	.5844739159E-08	.6262319621E-08	.6846420293E-08
.9850783908E-08	.7848021454E-08	.8265597451E-08	.8849542657E-08	.9267116406E-08
.1227119351E-07	.1026855540E-07	.1085234521E-07	.1126991443E-07	.1185362658E-07
.1485599111E-07	.1285482802E-07	.1327239264E-07	.1385594953E-07	.1427351183E-07
.1727538984E-07	.1527455109E-07	.1585795279E-07	.1627551043E-07	.1685883456E-07
.1986100049E-07	.1785963643E-07	.1827718934E-07	.1886035840E-07	.1927790993E-07
.2227958833E-07	.2027854862E-07	.2086156259E-07	.2127910842E-07	.2186204503E-07
	.2286244749E-07	.2327998835E-07	.2386277009E-07	.2428030850E-07

.2486301283E-07

P* SUM = 0.

.4999360006E-19	.7999955173E-22	.1279985658E-20	.6479891141E-20	.2047954131E-19
.7999552015E-18	.1036765164E-18	.1920724707E-18	.3276653206E-18	.5248535467E-18
.4049559817E-17	.1171207852E-17	.1658768528E-17	.2284713668E-17	.3073039066E-17
.1279556648E-16	.5242410261E-17	.6681043936E-17	.8397233517E-17	.1042457077E-16
.3124562531E-16	.1555665043E-16	.1873817132E-16	.2238439672E-16	.2653451299E-16
.6478711453E-16	.3655275754E-16	.4250885219E-16	.4916477038E-16	.5657329177E-16
.1200264725E-15	.7386885526E-16	.8387114900E-16	.9485614899E-16	.1068465269E-15
.2047541300E-15	.1343421939E-15	.1499018172E-15	.1667753865E-15	.185048641E-15
.3279573420E-15	.2260089825E-15	.2488771373E-15	.2734382282E-15	.2997738068E-15
	.3581042206E-15	.3902717472E-15	.4245591434E-15	.4610575487E-15

.4998600199E-15

Q+P* SUM = 0.

.2254904098E-08	.2515663028E-09	.8351338507E-09	.1252725208E-08	.1837214894E-08
.4842978072E-08	.2839215941E-08	.3256802977E-08	.3841136998E-08	.4258721854E-08
.7263998529E-08	.5260560734E-08	.5844739159E-08	.6262319623E-08	.6846420296E-08
.9850783921E-08	.7848021459E-08	.8265597458E-08	.8849542665E-08	.9267116417E-08
.1227119354E-07	.1026855541E-07	.1085234523E-07	.1126991445E-07	.1185362661E-07
.1485599118E-07	.1285482805E-07	.1327239268E-07	.1385594957E-07	.1427351189E-07
.1727538996E-07	.1527455117E-07	.1585795287E-07	.1627551052E-07	.1685883467E-07
.1986100069E-07	.1785963656E-07	.1827718949E-07	.1886035857E-07	.1927790912E-07
.2227958866E-07	.2027854885E-07	.2086156294E-07	.2127910869E-07	.2186204532E-07
	.2286244784E-07	.2327998874E-07	.2386277051E-07	.2428030897E-07

.2486301333E-07

Table A2-54

SIFT Case 1a

 $T_{\max} = 10 \text{ hrs}$ $N_p = 10, N_B = 5$

QLTSUM = 0.	.2003397758E-09	.6677378921E-09	.1001620719E-08	.1468960471E-08	
.1802837633E-08	.2270119033E-08	.2603990523E-08	.3071213583E-08	.3405079394E-08	
.3872244127E-08	.4206104252E-08	.4673210670E-08	.5007065100E-08	.5474113217E-08	
.5817961946E-08	.6274951773E-08	.6608794797E-08	.7075726343E-08	.7409563645E-08	
.7876436933E-08	.8210268511E-08	.8677083546E-08	.9010979393E-08	.9477665190E-08	
.9811486297E-08	.1027818487E-07	.1061199927E-07	.1107863959E-07	.1141244819E-07	
.1187903035E-07	.1221283319E-07	.1267935716E-07	.1301315424E-07	.1347962003E-07	
.1381341133E-07	.1427981896E-07	.1461360447E-07	.1507095304E-07	.1541773367E-07	
.1588002501E-07	.1621379894E-07	.1668003215E-07	.1701380027E-07	.1747997537E-07	
.1781373767E-07	.1827985458E-07	.1861361115E-07	.1907967007E-07	.1941342073E-07	.1987942156E-07
P* SUM = 0.	.3199985592E-16	.2559976957E-15	.8639983365E-15	.2047963140E-14	
.3999910004E-14	.6911813376E-14	.1097565427E-13	.1638341020E-13	.2332775523E-13	
.3199856004E-13	.4258989176E-13	.5529351412E-13	.7029988737E-13	.8780246831E-13	
.1079927103E-12	.1310625632E-12	.1572039735E-12	.1866088841E-12	.2194692347E-12	
.2559769611E-12	.2963239960E-12	.3407022688E-12	.3893037051E-12	.4423202268E-12	
.4999437532E-12	.5623661993E-12	.6297794772E-12	.7023754951E-12	.7803461582E-12	
.8638333678E-12	.9531790221E-12	.1048425016E-11	.1149813240E-11	.1257535582E-11	
.1371783927E-11	.1492750155E-11	.1620626143E-11	.1755603766E-11	.1897874894E-11	
.2047631393E-11	.2205065128E-11	.2370367958E-11	.2543731740E-11	.2725348327E-11	
.2915409570E-11	.3114107312E-11	.3321633400E-11	.3538179670E-11	.3763937959E-11	.3999100100E-11
Q+P* SUM = 0.	.2003398078E-09	.6677381481E-09	.1001621583E-08	.1468962519E-08	
.1802341633E-08	.2270125944E-08	.2604001499E-08	.3071229966E-08	.3405102721E-08	
.3872276126E-08	.4206146842E-08	.4673265963E-08	.5007135408E-08	.5474201020E-08	
.5808069938E-08	.6275082836E-08	.6608951996E-08	.7075912952E-08	.7409783115E-08	
.7876592910E-08	.8210564835E-08	.8677424249E-08	.9011298696E-08	.9478108510E-08	
.9811986240E-08	.1027874723E-07	.1061262901E-07	.1107934196E-07	.1141322854E-07	
.1187989423E-07	.1221378637E-07	.1268040559E-07	.1301430405E-07	.1348087756E-07	
.1381478311E-07	.1428131171E-07	.1461522510E-07	.1508170955E-07	.1541563155E-07	
.1588207264E-07	.1621600400E-07	.1668240252E-07	.1701634400E-07	.1748270072E-07	
.1781555308E-07	.1828296878E-07	.1861693279E-07	.1908320825E-07	.1941718466E-07	.1989342066E-07

Table A2-55

SIFT Case 1a

 $T_{\max} = 10 \text{ hrs}$ $N_p = 9, N_B = 4$

QLTSUM = 0.	.155558820E-09	.518488438E-09	.777739031E-09	.114042678E-08	
.139936940E-08	.176271436E-08	.202195000E-08	.238475268E-08	.264398084E-08	
.300674124E-08	.326596191E-08	.362868004E-08	.388789323E-08	.425056909E-08	
.450977479E-08	.487240839E-08	.513160659E-08	.549419795E-08	.575338865E-08	
.611593776E-08	.637512096E-08	.673762784E-08	.699680353E-08	.735926819E-08	
.761813637E-08	.799085881E-08	.824001947E-08	.860239970E-08	.886155285E-08	
.922339087E-08	.948303650E-08	.984533232E-08	.101044704E-07	.104667240E-07	
.107258546E-07	.110880660E-07	.113471891E-07	.117093564E-07	.119684739E-07	
.123306010E-07	.125897090E-07	.129517939E-07	.132108943E-07	.135729371E-07	
.138320300E-07	.141940307E-07	.144531160E-07	.148140745E-07	.150741523E-07	.154360487E-07
P* SUM = 0.	.119999599E-10	.479996800E-10	.107998920E-09	.191997440E-09	
.299995000E-09	.431991360E-09	.587986280E-09	.767979520E-09	.971970840E-09	
.119996000E-08	.145194675E-08	.172793088E-08	.202791212E-08	.235189024E-08	
.269996500E-08	.307183616E-08	.344780345E-08	.388776672E-08	.433172564E-08	
.479958001E-08	.529162957E-08	.580757409E-08	.634751333E-08	.691144706E-08	
.749937502E-08	.811129698E-08	.874721271E-08	.940712195E-08	.100910244E-07	
.107489200E-07	.115378064E-07	.122866893E-07	.130615625E-07	.138704279E-07	
.146932850E-07	.155501338E-07	.164259739E-07	.173258052E-07	.182496273E-07	
.191974401E-07	.201692433E-07	.211650365E-07	.221848190E-07	.232285928E-07	
.242963552E-07	.253881068E-07	.265038473E-07	.276435766E-07	.288072943E-07	.299950003E-07
Q*P* SUM = 0.	.167558842E-09	.566488118E-09	.885737951E-09	.133262372E-08	
.169986440E-08	.219470572E-08	.267993628E-08	.315273205E-08	.361595188E-08	
.420670124E-08	.471790868E-08	.535661092E-08	.591580535E-08	.650245933E-08	
.720953979E-08	.794424455E-08	.859941008E-08	.938196467E-08	.100851143E-07	
.109156177E-07	.116667505E-07	.125452019E-07	.133443168E-07	.142707152E-07	
.151178114E-07	.160921558E-07	.169872321E-07	.180095216E-07	.189525773E-07	
.200228109E-07	.210138449E-07	.221320216E-07	.231710330E-07	.243371519E-07	
.254241397E-07	.266381999E-07	.277731631E-07	.290351636E-07	.302181013E-07	
.315280411E-07	.327589523E-07	.341168306E-07	.353957143E-07	.368015305E-07	
.381233853E-07	.395821375E-07	.409569634E-07	.424586512E-07	.438814467E-07	.454310691E-07

Table A2-56

SIFT Case la

 $T_{\max} = 10$ hrs $N_p = 8, N_B = 3$

FOR NO. OF PROCESSORS = 10

QLTSUM = 0.	.7500089784E-09	.6334907092E-09	.1749940664E-08	.1353134863E-08
.2249788353E-08	.2842200039E-08	.3749262094E-08	.4832591243E-08	.424231771E-08
.463219418E-08	.562872319E-08	.827111714E-08	.118450084E-07	.1021134100E-07
.244776999E-08	.38945119E-08	.821110071E-08	.100011021E-07	.105170017E-07
.980894144E-08	.160000000E-07	.100000000E-07	.110000000E-07	.110000000E-07
.122136100E-07	.100000000E-07	.100000000E-07	.100000000E-07	.100000000E-07
.1492359941E-07	.110000000E-07	.100000000E-07	.100000000E-07	.100000000E-07
.1723742891E-07	.1781938507E-07	.183593362E-07	.1881781258E-07	.1923410444E-07
.1981615618E-07	.2023269140E-07	.2081441595E-07	.2123094450E-07	.2181259188E-07
.2222911374E-07	.2281068397E-07	.2322719913E-07	.2380869223E-07	.2422520068E-07

.2480661666E-07

P* SUM = 0.	.1535797262E-30	.1965561025E-28	.3357902011E-27	.2515254001E-26
.1199208265E-25	.4296412873E-25	.1263793770E-24	.3217825677E-24	.7337917828E-24
.1533973835E-23	.2988886493E-23	.5495054737E-23	.9621647481E-23	.1616162030E-22
.2619208989E-22	.4114469784E-22	.6288674599E-22	.9381383378E-22	.1369547912E-21
.1960896486E-21	.2758814100E-21	.3820223878E-21	.5213928577E-21	.7022537904E-21
.9344114173E-21	.1229459387E-20	.1600994265E-20	.2064869135E-20	.2639458052E-20
.3345956097E-20	.4208680795E-20	.5255410639E-20	.6517740469E-20	.8031461465E-20
.9836965488E-20	.1197967454E-19	.1451049605E-19	.1748630479E-19	.2097045212E-19
.2503330330E-19	.2975280365E-19	.3521507432E-19	.4151503830E-19	.4875707758E-19
.5705572201E-19	.6653637077E-19	.7733604712E-19	.8960418710E-19	.1035034631E-18

.1192106426E-18

FOR NO. OF BUSES = 5

QLTSUM = 0.	.5555438887E-12	.1951797777E-11	.2777660927E-11	.4073858522E-11
.4999671305E-11	.6295812609E-11	.7221575028E-11	.8517660043E-11	.9443372100E-11
.1073940083E-10	.1166506253E-10	.1296103497E-10	.1388664631E-10	.1518256247E-10
.1610812345E-10	.1740398334E-10	.1832949397E-10	.1962529757E-10	.2055075785E-10
.2184650518E-10	.2277191511E-10	.2406760617E-10	.2499296575E-10	.2628860054E-10
.2721390978E-10	.2850948830E-10	.2943474719E-10	.3073026944E-10	.3165547800E-10
.3295094399E-10	.3387610221E-10	.3517151193E-10	.3609661982E-10	.3739197329E-10
.3831703083E-10	.3964123280E-10	.4053733526E-10	.4183257622E-10	.4275753311E-10
.4405271781E-10	.4497762437E-10	.4627275283E-10	.4719760906E-10	.4849268127E-10
.4941748718E-10	.5071250314E-10	.5163725874E-10	.5293221846E-10	.5385692373E-10

.5515182721E-10

P* SUM = 0.	.7999795176E-22	.1279934470E-20	.6479502359E-20	.2047790301E-19
.4999360045E-19	.1036640759E-18	.1920455824E-18	.3276128984E-18	.5247590815E-18
.7997952265E-18	.1170950215E-17	.1658370471E-17	.2284119720E-17	.3072178736E-17
.4048445101E-17	.5240732958E-17	.6678772767E-17	.8394211057E-17	.1042061019E-16
.1279344808E-16	.1555011801E-16	.1872992834E-16	.2237410226E-16	.265257756E-16
.3123000641E-16	.3653375505E-16	.4248590361E-16	.4913724581E-16	.5654048877E-16
.6475025372E-16	.7382307077E-16	.8381738870E-16	.9479356458E-16	.1068138688E-15
.1199424834E-15	.1342455024E-15	.1497909309E-15	.1666486854E-15	.1848905931E-15
.2045903922E-15	.2258237311E-15	.2486681683E-15	.2732031724E-15	.2995101219E-15
.3276723042E-15	.3577749162E-15	.3899050641E-15	.4241517622E-15	.4606059337E-15

.4993604097E-15

Q+P* SUM = 0.	.2505645222E-09	.9351325070E-09	.1252718325E-08	.1837208722E-08
.2254788024E-08	.2839200853E-08	.3256773628E-08	.3841108903E-08	.4258675144E-08
.4842932886E-08	.5260492577E-08	.5844672804E-08	.6262225935E-08	.6846328666E-08
.7263875227E-08	.7847900479E-08	.8265440459E-08	.8849388250E-08	.9266921637E-08
.9850791987E-08	.1026831877E-07	.1085211169E-07	.1126963187E-07	.1185334739E-07
.1227086093E-07	.1285449906E-07	.1327200597E-07	.1385556674E-07	.1427306700E-07
.1485655042E-07	.1527404402E-07	.1585745011E-07	.1627493703E-07	.1685826581E-07
.1727574606E-07	.1785899753E-07	.1827647111E-07	.1885964530E-07	.1927711216E-07
.1986020910E-07	.2027766925E-07	.2086068895E-07	.2127814238E-07	.2186108486E-07
.2227853155E-07	.2286139683E-07	.2327883678E-07	.2386162487E-07	.2427905806E-07

.2486176900E-07

Table A2-57

SIFT Case 1b; $T_{\max} = 10$ hrs; $N_p = 10$, $N_B = 5$

FOR NO. OF PROCESSORS = 9

QLTSUM = 0.	.2000052380E-09	.6666256407E-09	.9999490325E-09	.1466510962E-08
.1799825631E-08	.2266329099E-08	.2599635040E-08	.3066080057E-08	.3399377264E-08
.3865763843E-08	.4199052309E-08	.4665390431E-08	.4998660181E-08	.5464929919E-08
.5798200885E-08	.6264412220E-08	.6597674427E-08	.7063827371E-08	.7397060813E-08
.7863175377E-08	.8196420048E-08	.8662456245E-08	.8995692138E-08	.9461669979E-08
.9794897089E-08	.1026081659E-07	.1059403491E-07	.1105989607E-07	.1139310360E-07
.1185890844E-07	.1219210916E-07	.1265785370E-07	.1299104561E-07	.1345673185E-07
.1378991495E-07	.1425554290E-07	.1458871718E-07	.1505428686E-07	.1538745232E-07
.1585296373E-07	.1618612035E-07	.1665157352E-07	.1698472130E-07	.1745011623E-07
.1778325517E-07	.1824859187E-07	.1858172196E-07	.1904700045E-07	.1938012168E-07
				.1984534196E-07

P* SUM = 0.	.4607483936E-31	.5896918947E-29	.1007431047E-27	.7546365687E-27
.3597984576E-26	.1289078542E-25	.3791912141E-25	.9655021712E-25	.2201771632E-24
.4602841933E-24	.8968632360E-24	.1648912113E-23	.2887244830E-23	.4849843855E-23
.7859984335E-23	.1234735988E-22	.1887243934E-22	.2815428385E-22	.4110205317E-22
.5885043003E-22	.8279919135E-22	.1146571544E-21	.1564907265E-21	.2107772859E-21
.2804636219E-21	.3690296616E-21	.4805577106E-21	.6198074357E-21	.7922968146E-21
.1004389282E-20	.1263387296E-20	.1577632554E-20	.1956613079E-20	.2411077415E-20
.2953156132E-20	.3596490903E-20	.4356371337E-20	.5249879831E-20	.6296044637E-20
.7516001386E-20	.8933163286E-20	.1057340022E-19	.1246522698E-19	.1464000081E-19
.1713212858E-19	.1997928372E-19	.2322263316E-19	.2690707453E-19	.3108148385E-19
				.3579897387E-19

FOR NO. OF BUSES = 4

QLTSUM = 0.	.3333240277E-12	.1111070315E-11	.1666574807E-11	.2444277542E-11
.2999740261E-11	.3777399445E-11	.4332820393E-11	.5110436030E-11	.5665815209E-11
.6443387301E-11	.6998724714E-11	.7776253263E-11	.8331548912E-11	.9109033920E-11
.9664287808E-11	.1044172928E-10	.1099694141E-10	.1177433934E-10	.1232950971E-10
.1310686412E-10	.1366199273E-10	.1443930361E-10	.1499439047E-10	.1577165782E-10
.1632670293E-10	.1710392675E-10	.1765893012E-10	.1843611041E-10	.1899107204E-10
.1976820881E-10	.2032312870E-10	.2110022195E-10	.2165510010E-10	.2243214984E-10
.2298698624E-10	.2376399247E-10	.2431878714E-10	.2509574985E-10	.2565050279E-10
.2642742200E-10	.2698213321E-10	.2775900891E-10	.2831367839E-10	.2909051059E-10
.2964513835E-10	.3042192704E-10	.3097651307E-10	.3175325827E-10	.3230780258E-10
				.3308450428E-10

P* SUM = 0.	.3199921593E-16	.2559874570E-15	.8639364988E-15	.2047799310E-14
.3999510033E-14	.6910984008E-14	.1097411778E-13	.1638078906E-13	.2332285674E-13
.3199216097E-13	.4258052302E-13	.5527974539E-13	.7028161178E-13	.8777887066E-13
.1079603173E-12	.1310206299E-12	.1571505332E-12	.1865417170E-12	.2193858522E-12
.2558745908E-12	.2961995661E-12	.3405523928E-12	.3891246665E-12	.4421079640E-12
.4996938438E-12	.5620738449E-12	.6294394881E-12	.7019822750E-12	.7798936886E-12
.8633651933E-12	.9525882343E-12	.1047754239E-11	.1149054614E-11	.1256680749E-11
.1370824014E-11	.1491675761E-11	.1619427323E-11	.1754270014E-11	.1896395128E-11
.2045993943E-11	.2203257715E-11	.2368377685E-11	.2541545071E-11	.2722951076E-11
.2912786881E-11	.3111243651E-11	.3318512531E-11	.3534784647E-11	.3760251107E-11
				.3995102999E-11

Q+P* SUM = 0.	.2003385940E-09	.6677369670E-09	.1001616471E-08	.1468957287E-08
.1802829371E-08	.2270113409E-08	.2603978835E-08	.3071206874E-08	.3405066402E-08
.3872239222E-08	.4206093614E-08	.4673211994E-08	.5007062012E-08	.5474126731E-08
.5807973133E-08	.6274984970E-08	.6608828519E-08	.7075788252E-08	.7409629709E-08
.7876538116E-08	.8210378240E-08	.8677236101E-08	.9011075653E-08	.9477883745E-08
.9811723486E-08	.1027848259E-07	.1061232328E-07	.1107903416E-07	.1141287657E-07
.1187954001E-07	.1221338488E-07	.1268000168E-07	.1301384976E-07	.1348042068E-07
.1381427276E-07	.1428079857E-07	.1461465539E-07	.1508113688E-07	.1541499922E-07
.1588143715E-07	.1621530574E-07	.1668170091E-07	.1701557652E-07	.1748192969E-07
.1781581310E-07	.1828212504E-07	.1861601699E-07	.1908228849E-07	.1941618973E-07
				.1988242157E-07

Table A2-58
SIFT Case 1b; $T_{\max} = 10$ hrs; $N_p = 9$, $N_B = 4$

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P* SUM      = 0.      .1023905797E-31      .1310478851E-29      .2238869989E-28      .1677104316E-27
      .7996320871E-27      .2864962757E-26      .8427651214E-26      .2145903698E-25      .4893706636E-25
      .1023058365E-24      .1993467928E-24      .3665128665E-24      .6417768026E-24      .1078044889E-23
      .1747187263E-23      .2744735925E-23      .4195301568E-23      .6258760271E-23      .9137261094E-23
      .1308310554E-22      .1840754985E-22      .2549058103E-22      .3479171751E-22      .4686188518E-22
      .6235641974E-22      .8204924598E-22      .1068482849E-21      .1378121389E-21      .1761681067E-21
      .2233315770E-21      .2809268531E-21      .3508094581E-21      .4350899712E-21      .5361594556E-21
      .6567164589E-21      .7997958464E-21      .9687991655E-21      .1167526946E-20      .1400212771E-20
      .1671559243E-20      .1986775885E-20      .2351619024E-20      .2772433708E-20      .3256197707E-20
      .3810567653E-20      .4443927360E-20      .5165438376E-20      .5985092827E-20      .6913768586E-20      .7963286833E-20
```

[illegible]

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Q+P* SUM = 0.
.1675578372E-09 .5664852044E-09 .8857278554E-09 .1332604107E-08
.1699825453E-08 .2194643876E-08 .2609837196E-08 .3152591081E-08 .3615749652E-08
.4206432289E-08 .4717549394E-08 .5356154071E-08 .5915222989E-08 .6601742999E-08
.7208757010E-08 .7943185643E-08 .8598138029E-08 .9380468578E-08 .1008335252E-07
.1091357838E-07 .1166438736E-07 .1254250163E-07 .1334122883E-07 .1426722489E-07
.1511386361E-07 .1608737347E-07 .1698227826E-07 .1800401780E-07 .1894645938E-07
.2001606060E-07 .2100639355E-07 .2212384974E-07 .2316206735E-07 .2432737182E-07
.2541346736E-07 .2662661339E-07 .2776050017E-07 .2902156108E-07 .3020339236E-07
.3151220144E-07 .3274189053E-07 .3409852108E-07 .3537606127E-07 .3678050659E-07
.3810589116E-07 .3955814455E-07 .4093136679E-07 .4243142156E-07 .4385247477E-07 .4540032421E-07
```

SIFT Case 1b; $T_{\max} = 10$ hrs; $N_p = 8$, $N_B = 3$

QLTSUM = 0.	.2783460111E-09	.9277226072E-09	.1391613181E-08	.2040904831E-08
.2504795445E-08	.3154002172E-08	.3617892809E-08	.4267014635E-08	.4730905281E-08
.5379942228E-08	.5843832867E-08	.6492784957E-08	.6956675573E-08	.7605542829E-08
.8069433406E-08	.8718215850E-08	.9182106373E-08	.9830804027E-08	.1029469448E-07
.1094330737E-07	.1140719774E-07	.1205572588E-07	.1251961614E-07	.1316805956E-07
.1363194971E-07	.1428030843E-07	.1474419845E-07	.1539247248E-07	.1585636236E-07
.1650455174E-07	.1696844144E-07	.1761654619E-07	.1808043572E-07	.1872845585E-07
.1919234519E-07	.1984028073E-07	.2030416986E-07	.2095202083E-07	.2141590923E-07
.2206367616E-07	.2252756482E-07	.2317524672E-07	.2353913513E-07	.2428673253E-07
.2475062066E-07	.2539813358E-07	.2586202143E-07	.2650944989E-07	.2697333744E-07
				.2762068146E-07

P* SUM = 0.	.7999955173E-22	.1279985658E-20	.6479891141E-20	.2047954131E-19
.4999860006E-19	.1036765164E-18	.1920724707E-18	.3276653206E-18	.5248535467E-18
.7999552015E-18	.1171207852E-17	.1658768528E-17	.2284713668E-17	.3073039066E-17
.4049559817E-17	.5242410261E-17	.6681043936E-17	.8397233517E-17	.1042457077E-16
.1279856648E-16	.1555665043E-16	.1873817132E-16	.2238439672E-16	.2653851299E-16
.3124562531E-16	.3655275754E-16	.4250885219E-16	.4916477038E-16	.5657329177E-16
.6478911453E-16	.7386885526E-16	.8367104900E-16	.9485614899E-16	.1068865269E-15
.1200264725E-15	.1343421939E-15	.1499018172E-15	.1667753865E-15	.1850348641E-15
.2047541300E-15	.2260089825E-15	.2488771373E-15	.2734382282E-15	.2997738768E-15
.3279573420E-15	.3581042206E-15	.3902717472E-15	.4245591434E-15	.4610575487E-15
				.4998600199E-15

Q+P* SUM = 0.	.2783460111E-09	.9277226072E-09	.1391613181E-08	.2040904831E-08
.2504795445E-08	.3154002172E-08	.3617892809E-08	.4267014635E-08	.4730905281E-08
.5379942229E-08	.5843832868E-08	.6492784959E-08	.6956675575E-08	.7605542832E-08
.8069433410E-08	.8718215855E-08	.9182106380E-08	.9830804036E-08	.1029469449E-07
.1094330738E-07	.1140719775E-07	.1205572589E-07	.1251961617E-07	.1316805959E-07
.1363194974E-07	.1428030846E-07	.1474419849E-07	.1539247253E-07	.1585636241E-07
.1650455180E-07	.1696844152E-07	.1761654627E-07	.1808043581E-07	.1872845596E-07
.1919234531E-07	.1984028086E-07	.2030417001E-07	.2095202100E-07	.2141590992E-07
.2206367636E-07	.2252756505E-07	.2317524697E-07	.2353913540E-07	.2428673283E-07
.2475062099E-07	.2539813394E-07	.2586202182E-07	.2650945032E-07	.2697333790E-07
				.2762068196E-07

Table A2-60

SIFT Case 1c

 $T_{\max} = 10$ hrs $N_p = 10, N_B = 5$

QLTSUM = 0.	.2203469519E-09	.7344010149E-09	.1101619674E-08	.1515617563E-08
.1942830847E-08	.2496765676E-08	.2463974476E-08	.3377846258E-08	.3745050565E-08
.4258859315E-08	.4626059121E-08	.5139804853E-08	.5507000148E-08	.6020682875E-08
.6367373652E-08	.6901493388E-08	.7268679637E-08	.7782236398E-08	.8149418110E-08
.8662911908E-08	.9030089076E-08	.9543519924E-08	.9910692539E-08	.1042406045E-07
.1079122850E-07	.1130453350E-07	.1167169698E-07	.1218493906E-07	.1255209797E-07
.1306527716E-07	.1343243147E-07	.1394554779E-07	.1431269750E-07	.1482575095E-07
.1519289606E-07	.1570588666E-07	.1607302716E-07	.1658595492E-07	.1695309079E-07
.1746595573E-07	.1783368697E-07	.1834588909E-07	.1871301570E-07	.1922575503E-07
.1959287698E-07	.2010555353E-07	.2047267082E-07	.2098528460E-07	.2135239723E-07
				.2186494826E-07

P* SUM = 0.	.3199985592E-16	.2559976967E-15	.8639883365E-15	.2047063140E-14
.3999910004E-14	.6911813376E-14	.1097565427E-13	.1638341020E-13	.2332705523E-13
.3199356004E-13	.4258989176E-13	.5529301412E-13	.7029988737E-13	.8780246831E-13
.1079927103E-12	.1310625632E-12	.1572039735E-12	.1846088841E-12	.2194692347E-12
.2559769611E-12	.2963239960E-12	.3407022688E-12	.3893037051E-12	.4423202268E-12
.4995437532E-12	.5623661993E-12	.6297794772E-12	.7023754951E-12	.7803461582E-12
.8638833678E-12	.9531790221E-12	.1048425016E-11	.1149813240E-11	.1257535582E-11
.1371783927E-11	.1492750155E-11	.1620676143E-11	.1755603766E-11	.1897874894E-11
.2047631393E-11	.2205065128E-11	.2370367958E-11	.2543731740E-11	.2725348327E-11
.2915409570E-11	.3114107312E-11	.3321633400E-11	.3538179670E-11	.3763937959E-11
				.3999100100E-11

Q+P* SUM = 0.	.2203409839E-09	.7244021709E-09	.1101620538E-08	.1515619611E-08
.1982334847E-08	.2496772588E-08	.2463985451E-08	.3377862642E-08	.3745073892E-08
.4258859131E-08	.4626101711E-08	.5139860146E-08	.5507070448E-08	.6020770678E-08
.6367781644E-08	.6901624451E-08	.7268836841E-08	.7782423006E-08	.8149637580E-08
.8663167885E-08	.9030385400E-08	.9543860627E-08	.9911081842E-08	.1042450277E-07
.1079172845E-07	.1130509586E-07	.1167232576E-07	.1218564144E-07	.1255287831E-07
.1306514104E-07	.1343338465E-07	.1394659621E-07	.1431384732E-07	.1482700849E-07
.1519426785E-07	.1570737941E-07	.1607464778E-07	.1658771052E-07	.1695498866E-07
.1745800336E-07	.1783529203E-07	.1834825946E-07	.1871555943E-07	.1922848037E-07
.1959579239E-07	.2010866764E-07	.2047599246E-07	.2098882278E-07	.2135616117E-07
				.2186894736E-07

Table A2-61

SIFT Case 1c

$T_{\max} = 10$ hrs

$N_p = 9, N_B = 4$

QLTSUM = 0.

.1519362044E-08	.1688927775E-09	.5679318575E-09	.8444038927E-09	.1234496783E-09
.3264475176E-08	.1913808942E-08	.2195267219E-08	.2589168538E-08	.2870619427E-08
.4896358290E-08	.3545918673E-08	.3939728859E-08	.4221164959E-08	.4614929591E-08
.6640214124E-08	.5290077377E-08	.5571498671E-08	.5965172220E-08	.6246586104E-08
.8271530763E-08	.6921620595E-08	.7315203093E-08	.7596602146E-08	.7990139132E-08
.1001462970E-07	.8665022244E-08	.8946406448E-08	.9339852432E-08	.9621229205E-08
.1164537996E-07	.1029599904E-07	.1068935406E-07	.1097071506E-07	.1136402553E-07
.1338772241E-07	.1203864404E-07	.1231999105E-07	.1271320967E-07	.1299454923E-07
.15C1790637E-07	.1366905451E-07	.1406218225E-07	.1434350689E-07	.1473658919E-07
	.1541094326E-07	.1569225296E-07	.1608524443E-07	.1636654667E-07

.1675949273E-07

P* SUM = 0.

.2999950002E-09	.1199995998E-10	.4799968008E-10	.1079989200E-09	.1919974403E-09
.1199760001E-08	.4319913600E-09	.5879862803E-09	.7679795207E-09	.9719708403E-09
.2699865004E-08	.1451946761E-08	.1727930882E-08	.2027912122E-08	.2351890243E-08
.4799580010E-08	.3071836165E-08	.3467803485E-08	.3887765726E-08	.4331725649E-08
.7499375024E-08	.5291629571E-08	.5807574095E-08	.6347513338E-08	.6911447060E-08
.1079392005E-07	.8111296988E-08	.8747212713E-08	.9407121958E-08	.1009102448E-07
.1469828509E-07	.1153080841E-07	.1228668934E-07	.1306656259E-07	.1387042792E-07
.1919744016E-07	.1555013386E-07	.1642597399E-07	.1732583525E-07	.1824962738E-07
.2429635525E-07	.2016924333E-07	.2116503667E-07	.2218481992E-07	.2322859287E-07
	.2538810683E-07	.2650384737E-07	.2754357664E-07	.2880729439E-07

.2999500038E-07

Q+P* SUM = 0.

.1819857044E-08	.1808927775E-09	.6109305376E-09	.9524028182E-09	.1430393823E-08
.4464435177E-08	.2345800302E-08	.2783253499E-08	.3357148059E-08	.3842590268E-08
.7596223294E-08	.4997865434E-08	.5667659741E-08	.6249077081E-08	.6966819834E-08
.1143989413E-07	.8361913542E-08	.9039302156E-08	.9852938946E-08	.1057831175E-07
.1577090579E-07	.1221325017E-07	.1312277719E-07	.1394411548E-07	.1490158619E-07
.2081354975E-07	.1677631923E-07	.1769361916E-07	.1874697439E-07	.1971225369E-07
.2634366505E-07	.2182680746E-07	.2297604340E-07	.2403727855E-07	.2523445342E-07
.3258516256E-07	.2758877790E-07	.2874596504E-07	.3003901492E-07	.3124417661E-07
.3931426162E-07	.3383829784E-07	.3522721891E-07	.3652832681E-07	.3796518206E-07
	.4079905008E-07	.4219610034E-07	.4372882107E-07	.4517384106E-07

.4675449311E-07

Table A2-62

SIFT Case 1c

$T_{\max} = 10$ hrs

$N_p = 8, N_B = 3$

SIFT Case 2; $T_{\max} = 10$ hrs; $N_p = 10$; $N_B = 5$

QLTSUM = 0.

.1817825232E-10	.2020057530E-11	.6732928242E-11	.1009949911E-10	.1481177186E-10
.3904417351E-10	.2288992726E-10	.2625631721E-10	.3096739446E-10	.3433369384E-10
.5856169478E-10	.4241038228E-10	.4712026449E-10	.5048638257E-10	.5519566745E-10
.7941774880E-10	.6327038245E-10	.6663631897E-10	.7134440955E-10	.7471023520E-10
.9892793669E-10	.8278350352E-10	.8749040028E-10	.9083606400E-10	.9536236402E-10
.1197741295E-09	.1036336401E-09	.1069991216E-09	.1117042286E-09	.1150696189E-09
.1392769854E-09	.1231394286E-09	.1278433429E-09	.1312085507E-09	.1359118689E-09
.1601133229E-09	.1439797076E-09	.1473447325E-09	.1520468589E-09	.1554117924E-09
.1796088481E-09	.1634781648E-09	.1681790998E-09	.1715438501E-09	.1762441895E-09
	.1843085921E-09	.1876731590E-09	.1923723077E-09	.1957367828E-09

.2004353364E-09

P* SUM = 0.

.3857598793E-24	.4939864938E-31	.6322342687E-29	.1080114592E-27	.8090846801E-27
.4935054691E-24	.1382097775E-25	.4065549786E-25	.1035180068E-24	.2360676883E-24
.8427441179E-23	.9615984511E-24	.1767936534E-23	.3095668184E-23	.5199962082E-23
.6310035990E-22	.1323883547E-22	.2023509957E-22	.3018724100E-22	.4407010478E-22
.3007231631E-21	.8677893282E-22	.1229381330E-21	.1677937153E-21	.2260021242E-21
.1076962447E-20	.3956883348E-21	.5152750945E-21	.6645872624E-21	.8495418359E-21
.3166598836E-20	.1354679709E-20	.1691638688E-20	.2098013759E-20	.2585331063E-20
.8059380132E-20	.3856445828E-20	.4671268070E-20	.5629384221E-20	.6751197742E-20
.1837106208E-19	.9579033482E-20	.1133790256E-19	.1336656670E-19	.1569865372E-19
	.2142419358E-19	.2490219683E-19	.2885322163E-19	.3332968465E-19

.3838854653E-19

FOR NO. OF BUSES = 4

QLTSUM = 0.

.3299692597E-13	.3666549980E-14	.1222171936E-13	.1833222780E-13	.2688687659E-13
.7087655083E-13	.4155109421E-13	.4766064455E-13	.5621431227E-13	.6232338361E-13
.1063057242E-12	.7698514319E-13	.8553780994E-13	.9164592337E-13	.1001980897E-12
.1441730532E-12	.1148573901E-12	.1209645457E-12	.1295157112E-12	.1356223880E-12
.1795900400E-12	.1502792511E-12	.1588294159E-12	.1649351351E-12	.1734847996E-12
.2174450767E-12	.1881392043E-12	.1942439659E-12	.2027926300E-12	.2088969129E-12
.2528498807E-12	.2235488810E-12	.2320965446E-12	.2381998702E-12	.2467470337E-12
.2906926287E-12	.2613965441E-12	.2674989124E-12	.2760450757E-12	.2821469655E-12
.3260852534E-12	.2967940400E-12	.3053392032E-12	.3114401359E-12	.3199847991E-12
	.3346294166E-12	.3407293924E-12	.3492730557E-12	.3553725531E-12

.3639157164E-12

P* SUM = 0.

.5323330556E-14	.4259092891E-16	.3407188624E-15	.1149897237E-14	.2725613788E-14
.4258128947E-13	.9198483854E-14	.1460648430E-13	.2180271686E-13	.3104254075E-13
.1436937813E-12	.5667427090E-13	.7357676719E-13	.9354403480E-13	.1168313045E-12
.3405646529E-12	.1743866447E-12	.2091650484E-12	.2482841203E-12	.2919989630E-12
.6650816983E-12	.3942362412E-12	.4532687530E-12	.5179171882E-12	.5884365205E-12
.1149116664E-11	.7481076443E-12	.8377692555E-12	.9343214031E-12	.1038018933E-11
.1824525254E-11	.1267869392E-11	.1394531885E-11	.1529358886E-11	.1672605111E-11
.2723147135E-11	.1985373980E-11	.2155405929E-11	.2334875716E-11	.2524037931E-11
.3876805940E-11	.2932457868E-11	.3152224641E-11	.3382701941E-11	.3624144229E-11
	.4140941484E-11	.4416805243E-11	.4704651578E-11	.5004734819E-11

.5317309276E-11

Q+P* SUM = 0.

.1821657258E-10	.2023766671E-11	.6745490680E-11	.1011898124E-10	.1484138439E-10
.3915763135E-10	.2294067684E-10	.2631858434E-10	.3104541149E-10	.3442705976E-10
.5881169429E-10	.4254404169E-10	.4727937907E-10	.5067137253E-10	.5541269684E-10
.7990248651E-10	.6355962648E-10	.6696644857E-10	.7172220938E-10	.7513787655E-10
.9977260843E-10	.8332801901E-10	.8810249845E-10	.9153891632E-10	.9632428534E-10
.1211406912E-09	.1045698869E-09	.1080311346E-09	.1128413426E-09	.1163165347E-09
.1413543605E-09	.1246308469E-09	.1294699713E-09	.1329761095E-09	.1378312210E-09
.1631271627E-09	.1462264781E-09	.1497676373E-09	.1546577797E-09	.1582179773E-09
.1838117393E-09	.1667074168E-09	.1716366636E-09	.1752379922E-09	.1801883185E-09
	.1887841630E-09	.1924306936E-09	.1974262324E-09	.2010968902E-09

.2061165614E-09

Table A2-64

SIFT Case 2; $T_{\max} = 10$ hrs; $N_p = 9$, $N_B = 4$

PL	OF	ESSD	B						
QLTSUM	= 0.								
	.1413859668E-10	.1571139992E-11	.5236729020E-11	.7855186038E-11	.1152936019E-10				
	.3046775394E-10	.1780331203E-10	.2042152190E-10	.7408500060E-10	.2670391198E-10				
	.4554787063E-10	.3298376673E-10	.3664917211E-10	.3926708626E-10	.4293005513E-10				
	.6176949306E-10	.4921040307E-10	.5162811986E-10	.5349021397E-10	.5810783406E-10				
	.7694376660E-10	.6438701321E-10	.6804823681E-10	.7066565737E-10	.743264184E-10				
	.9315785997E-10	.8060411802E-10	.8322134094E-10	.8688125638E-10	.8949838044E-10				
	.1083262903E-09	.9577488513E-10	.9943392883E-10	.1020508551E-09	.1057094630E-09				
	.1245328579E-09	.1119844626E-09	.1146011909E-09	.1182589275E-09	.1202755568E-09				
	.1396954474E-09	.1271493882E-09	.1308062539E-09	.1334226850E-09	.1370791153E-09				
		.1433514424E-09	.1459676754E-09	.1496232351E-09	.1522393689E-09				.1558944935E-09

P* SUM	= 0.								
	.8573091142E-27	.1097764395E-31	.1405007613E-29	.2400363742E-28	.1798074915E-27				
	.1096844975E-24	.3071607581E-26	.9035513228E-26	.2300678971E-25	.5246663946E-25				
	.1873190325E-23	.2137241579E-24	.3929462144E-24	.6880617591E-24	.1155792238E-23				
	.1402655139E-22	.2942676628E-23	.4497847016E-23	.6710105291E-23	.9796175905E-23				
	.6685268365E-22	.1973492907E-22	.2732869174E-22	.3730048664E-22	.5024095746E-22				
	.2394337780E-21	.8796538152E-22	.1145524214E-21	.1477487156E-21	.1888700304E-21				
	.7040618271E-21	.3011813408E-21	.3761019838E-21	.4664584079E-21	.5748139990E-21				
	.1792058912E-20	.8574554481E-21	.1038641564E-20	.1251694596E-20	.1501153216E-20				
	.4085242087E-20	.2129996607E-20	.2521137422E-20	.2972283610E-20	.3490915726E-20				
		.4764250571E-20	.5537762811E-20	.6416490841E-20	.7412096236E-20				.8537251821E-20

FOR NO. OF BUSES = 3

QLTSUM	= 0.	0.	0.	0.	0.
	0.	0.	0.	0.	0.
	0.	0.	0.	0.	0.
	0.	0.	0.	0.	0.
	0.	0.	0.	0.	0.
	0.	0.	0.	0.	0.
	0.	0.	0.	0.	0.
	0.	0.	0.	0.	0.
	0.	0.	0.	0.	0.
	0.	0.	0.	0.	0.

P* SUM	= 0.								
	.3629566849E-09	.1451965348E-10	.5807722782E-10	.1306706437E-09	.2322978222E-09				
	.1451653498E-08	.5226451522E-09	.7113611452E-09	.9291025866E-09	.1175867397E-08				
	.3265830623E-08	.1756458811E-08	.2090281258E-08	.2453118761E-08	.2844969242E-08				
	.5805228308E-08	.3715700827E-08	.4194577774E-08	.4702459389E-08	.5239343592E-08				
	.9069586861E-08	.6400111459E-08	.7023990966E-08	.7676864755E-08	.8358730745E-08				
	.1305864665E-07	.9809431027E-08	.1057826117E-07	.1137607520E-07	.1220287106E-07				
	.1777214812E-07	.1394339992E-07	.1465712877E-07	.1579983114E-07	.1677150495E-07				
	.2320983174E-07	.1880175857E-07	.1986033424E-07	.2094787304E-07	.2206437290E-07				
	.2937143809E-07	.2438424750E-07	.2558761808E-07	.2681994143E-07	.2808121545E-07				
		.3069060726E-07	.3203872089E-07	.3341577690E-07	.3462177322E-07				.3625670778E-07

Q+P* SUM	= 0.								
	.3770952816E-09	.1609079347E-10	.6331395885E-10	.1385257797E-09	.2438181104E-09				
	.1482021252E-08	.5404484643E-09	.7317826672E-09	.9531883872E-09	.1202571309E-08				
	.3311378493E-08	.1789444577E-08	.2126930430E-08	.2492385847E-08	.2887899298E-08				
	.5866997802E-08	.3764911230E-08	.4246405894E-08	.4757949605E-08	.5297451427E-08				
	.9146530628E-08	.6464498473E-08	.7092039202E-08	.7747530412E-08	.8433057190E-08				
	.1315180451E-07	.9890035146E-08	.1066148251E-07	.1146293646E-07	.1229236944E-07				
	.1788047441E-07	.1403917480E-07	.1495656270E-07	.1590188200E-07	.1687721441E-07				
	.2333436460E-07	.1891374303E-07	.1997495343E-07	.2106613197E-07	.2218524846E-07				
	.2951113354E-07	.2451139688E-07	.2571842434E-07	.2695336411E-07	.2821829457E-07				
		.3083395870E-07	.3218468836E-07	.3356540013E-07	.3497401259E-07				.3641260227E-07

Table A2- 65

SIFT Case 2; $T_{\max} = 10$ hrs; $N_p = 8$, $N_B = 3$

APPENDIX 3

PROGRAM SOURCE LISTING


```

PROGRAM C3GENF2(INPUT,OUTPUT,TAPE5=INPUT,TAPE6=OUTPUT,
1  DEBUG=OUTPUT,TDPFL,TAPE7=TDPFL,FUNCFL,TAPE8=FUNCFL)

```

```

C GLT ARRAY DIMENSION IS COMPARABLE TO GLT(I,J,K,51) IF A FOUR
C DIMENSIONAL ARRAY WERE POSSIBLE, BUT GLT ARRAY IS ONLY
C DIMENSIONED LARGE ENOUGH TO HOLD THE PROBABILITIES ASSOCIATED
C WITH TWO CONTIGUOUS VECTOR SETS AT A TIME (NAMELY THE LARGEST TWO
C CONTAINING 52 AND 60 UNIQUE VECTORS ASSOCIATED WITH NP,NM,NB FROM
15,9,5 DOWN TO 2,2,2).

```

```

C THIS MAIN PROGRAM IN COMBINATION WITH LIBRARIES C3GF2SL AND C3GF2BL
C CAN RUN MODELS:  FCRM2 - NON-RESTRICTED
                   FCRM2A - RESTRICTED
                   FCRM2B - RESTRICTED

```

```

COMMON/CONFIG/ NP,NM,NB,NPF,NMF,NBF,NSET(14),QLT(112,51)
COMMON/RATES/  LAMP,LAMM,LAMB,LAMBG,DELTAP,DELTAM,DELTAB,DELTABG,
1  ALPHA1,BETA1,ALPHA2,BETA2
COMMON/INVAR/  EMLAM(3,51),EMDEL(4,51),EPLAM1(3,51),EMLAM2(3,51),
1  G2(3,51),AT(3,51),CT(3,51)
COMMON/INTGRAT/ ITSTPS,STEP,SUM(3),RSTSUM(3)
COMMON/EIGCOM/  EIGSD(3,3,3),EIGWR(3),G2WT(9,51),H2WT(9,51),
1  G2PWT(9,51),H2PWT(9,51)
COMMON/DEBUGC/ DBFLCD,CDYDB(51),CBXYDB(51)
REAL LAMP,LAMM,LAMB,LAMBG
REAL INTEGRAL
REAL MINS,MSECS
LOGICAL QNOEFT,PNOEFT,PSTCOM
DIMENSION INTEGRAL(3),QLTSUM(51),CPSTARL(51),CPSTSUM(51),PLT(51)
DATA HRS,MINS,SECS,MSECS/1.0,60.0,3600.0,3.6E6/
DATA QLTSUM/51*C.0/,INTEGRAL/3*0.0/,CPSTSUM/51*0.0/
DATA PRNTP,PRNTPST,PRNTQ/" P("," P*("," Q("/
DATA PQSUM,PPSTSUM,PTOTSUM/" QLTSUM "," P* SUM "," Q+P* SUM"/
DATA PRNTDY/" DY("/,PRNTBXY/"BXY("/
DATA QNOEFT/.FALSE./,PNOEFT/.FALSE./,PSTCOM/.FALSE./
C 'N' CODE MEANS NO PRINTOUT
DATA DBFLCD/1HN/,PRCODE/1HN/

```

REV. 3-21-79

```

C READ IN NO OF PROCESSORS, NO OF MEMORY UNITS, NO OF BUSES,
C INTEGRATION STEP AND TIME T.
C THEN READ IN NO OF SURVIVORS AND TIME BASE (HRS ,MINS ,SECS ,MSECS)

```

```

PRINT 1
1 FORMAT(///" SPECIFY NP.LE.15,NM.LE.9,NB.LE.5 IN I2 FORMAT, STEP IN
X F6.2 FORMAT AND TMAX IN F6.1 FORMAT."/
X" EXAMPLE:15,09,C5,100.00,1000.0")

```

```

C READ(5,2) NP,NM,NB,STEP,TMAX
2 FORMAT(3(I2,1X),F6.2,1X,F6.1)

```

```

ITSTPS=TMAX/STEP + 0.5
ADD 1 TO INCLUDE TIME 0
ITSTPS=ITSTPS+1
IF(ITSTPS.LE.51) GO TO 888
PRINT *, " ERROR - QLT ARRAY OVERFLOW. "
STOP

```



```

C 288 PRINT 3
3 FORMAT(/" SPECIFY NO. OF SURVIVORS NPS,NMS,NBS IN I2 FORMAT, "
X "TIME BASE IN A5 FORMAT AND MODEL DESIRED(' ','A',OR 'B').")
X/" EXAMPLE:11,05,03,HRS A (OR MINS OR SECS OR MSECS)")

C
READ(5,4) NPS,NMS,NBS,TEASE,MODEL
4 FORMAT(3(I2,1X),A5,1X,A1)

C
PRINT 5
5 FORMAT(/" SPECIFY TRANSIENT PARAMETERS ALPHA1 AND BETA1 IN F6.1 FO
1RMAT.")
READ(5,6) ALPHA1,BETA1
6 FORMAT(F6.1,1X,F6.1)

C
PRINT 7
7 FORMAT(/" TYPE P FOR PLT ARRAY PRINT; TYPE Q FOR CPSTARL AND QLT A
1RRAYS PRINT - USE B FOR BOTH."/
2" THEN TYPE F FOR DEBUG FILES CREATION, IF DESIRED.")
READ(5,8) PRCODE,DBFLCD,STOPARM
9 FORMAT(2A1,1X,E7.1)
IF(STOPARM.EQ.0.C) STOPARM=1.0E-10

C
PRINT 9,TMAX,TBASE,STEP,TBASE,NP,NM,NB,NPS,NMS,NBS
9 FORMAT(5X," FOR ",F6.1,1X,A7," THE FOLLOWING PROBABILITIES "
X "WERE COMPUTED USING A STEP SIZE OF ",F6.2,1X,A5/
X ,5X," WHERE NP=",I2," NM=",I2," NE=",I2,
X " AND NPS=",I2," NMS=",I2," NBS=",I2,""/)

C
PRINT 10,MODEL,ALPHA1,BETA1
10 FORMAT(5X," MODEL ",A1," USING ALPHA= ",F6.1," AND BETA= ",F6.1/)

C
CONVERT LAMDA VALUES AND DELTA VALUES TO PROPER
C TIME BASE BY USING A TIME BASE CONVERSION FACTOR(TBCF)
C
IF(ALPHA1.EQ.0.0) GO TO 12
C CONVERT DELTA'S TO INTERMITTENT VALUES
DELTAP=100.0
DELTAM=100.0
DELTAB=360.0
12 CONTINUE

C
TBCF=0.0
IF(TBASE.EQ.5HHRS ) TBCF=HRS
IF(TBASE.EQ.5HMIN ) TBCF=MINS
IF(TBASE.EQ.5HSECS ) TBCF=SECS
IF(TBASE.EQ.5HMSECS) TBCF=MSECS

C
IF(TBCF.EQ.0.0) PRINT *, " ERROR: INCORRECT TIME BASE "
LAMP=LAMP/TBCF
LAMM=LAMM/TBCF
LAMB=LAMB/TBCF
LAMBG=LAMBG/TBCF
DELTAP=DELTAP/TBCF
DELTAM=DELTAM/TBCF
DELTAB=DELTAB/TBCF
DELTABG=DELTABG/TBCF
ALPHA1=ALPHA1/TBCF
BETA1=BETA1/TBCF
C THIS MODEL, ALPHA1=ALPHA2,BETA1=BETA2
ALPHA2=ALPHA1
BETA2=BETA1

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```

C COMPUTE TIME DEPENDENT PORTIONS OF THE MODEL.
  REWIND 7
  REWIND 8
  CALL TDEPEND
C
C COMPUTE INITIAL PROB FOR I=0,J=0,K=0: QLT(C,0,0)=0.0 FOR ALL T
C THEREFORE PROB=CPSTARL FOR VECTOR(C,0,C) WHICH EQUALS P*(0,0,0)
C
  I=0
  J=0
  K=0
  T=0.0
  DO 15 IT=1,ITSTPS
    CPSTARL(IT)=CPSTAR(I,NP,1,IT)*CPSTAR(J,NM,2,IT)*CPSTAR(K,NB,3,IT)
    T=T+STEP
  15 CONTINUE
C
  IF(PCODE.EQ.1HN) GO TO 20
  IF(PCODE.EQ.1HQ) GO TO 18
  PRINT 11,FRNTP,I,J,K,(CPSTARL(IT),IT=1,ITSTPS)
  11 FORMAT(/5X,A4,I2," ",I1," ",I1," ") = " ,9(5(E16.10,1X)/19X),
X 6(E16.10,1X))
C
  18 IF(PCODE.EQ.1HF) GO TO 20
  PRINT 11,FRNTPST,I,J,K,(CPSTARL(IT),IT=1,ITSTPS)
  PRINT 11,PRNTQ,I,J,K,(QLT(1,IT),IT=1,ITSTPS)
  PRINT *, " "
  20 CONTINUE
C
C NSET ARRAY HOLDS THE NO OF UNIQUELY DEFINED L'S PER SET
C FOR LATER USE BY THE I,J,K DIMENSION MAPPING SUBROUTINE MAPDIM.
C THE FIRST SET IS COMPRISED OF 1 L (NAMELY I=0,J=0,K=0)
  NSET(1)=1
C
C COMPUTE MAXIMUM NUMBER OF FAILED PROCESSORS, MEMORY MODULES
C AND BUSES ALLOWED (INCLUDING 0 FAILS)
C
  NPF=NP-NPS+1
  NMF=NM-NMS+1
  NBF=NB-NBS+1
C
  NPP1=NP+1
  NBP1=NB+1
  NMP1=NM+1
C
C SET UP LOOP TO COMPUTE QLT IN SETS OF ISET CUBED PERMUTATIONS
C
  MAX=MAX0(NPF,NMF,NBF)
  MAXLAST=MAX
C
C INITIALIZE QSUMSF(Q SUM SO FAR) AND CFSUMSF(P* SUM SO FAR) TO 0.0
  QSUMSF=0.0
  CFSUMSF=0.0
  DO 400 ISET=2,MAX
    ISET1=ISET
    ISET2=ISET
    ISET3=ISET
    IF(ISET1.GT.NBP1) ISET1=NBP1
    IF(ISET2.GT.NMP1) ISET2=NMP1
    IF(ISET3.GT.NPP1) ISET3=NPP1

```

```

C INITIALIZE QLT INDEX N TO THE NUMBER OF VECTORS IN THE PREVIOUSLY
C DEFINED SET + 1
  NUMPREV=NSET(ISET-1)
  N=NUMPREV+1
  IF(ISET.EQ.2) GO TO 55
C
C POP VECTORS OFF QLT ARRAY WHICH WERE DEFINED TWO SETS AGO
C BY MOVING THE VECTORS DEFINED IN THE PREVIOUS SET UP IN THE ARRAY.
C IN THIS MANNER THE ONLY PROBABILITY VALUES STORED IN QLT ARRAY AT
C ANY ONE TIME ARE THE PROBABILITIES OF VECTORS BEING DEFINED FOR
C THE CURRENT SET AND VECTORS OF THE PREVIOUS SET.
C
  NPOP=NSET(ISET-2)
  DO 50 M=1,NUMPREV
    MM=NPOP+M
    DO 50 IT=1,ITSTPS
      QLT(M,IT)=QLT(MM,IT)
  50 CONTINUE
C
  55 CONTINUE
C INITIALIZE TOTAL NUMBER OF L'S NOT PREVIOUSLY DEFINED IN THE
C SET ISET - NSTOT - TO 0.
C (L REPRESENTS THE UNIQUE VECTOR I,J,K)
  NSTOT=0
C
C BEGIN MAIN THREE LOOPS WHICH DEFINE L (VECTOR I,J,K)
C
  DO 300 KK=1,ISET1
    DO 200 JJ=1,ISET2
      DO 100 II=1,ISET3
C DO NOT RECOMPUTE ANY PREVIOUSLY COMPUTED QLT(N)
      IF(II.LT.ISET .AND. JJ.LT.ISET .AND. KK.LT.ISET) GO TO 100
      I=II-1
      J=JJ-1
      K=KK-1
C
C COMPUTE PERFECT COVERAGE PROBABILITIES FOR VECTORS FOR WHICH
C QLT WILL NOT BE COMPUTED
C
      IF(KK.LE.NBF .AND. JJ.LE.NMF .AND. II.LE.NPF) GO TO 60
      IF(PNOEFT) GO TO 100
      CPSTARL(1)=0.0
      DO 58 IT=2,ITSTPS
        CPSTARL(IT)=CPSTAR(I,NP,1,IT)*CPSTAR(J,NM,2,IT)*CPSTAR(K,NB,3,IT)
        CPSTSUM(IT)=CPSTSUM(IT)+CPSTARL(IT)
      58 CONTINUE
      IF(PCODE.NE.1HP .AND. PCODE.NE.1PN)
        1 PRINT 11,PRNTFST,I,J,K,(CPSTARL(IT),IT=1,ITSTPS)
      GO TO 100
      60 CONTINUE
C
C COMPUTE SLAML WHERE L REPRESENTS VECTOR I,J,K
C
      SLAML=((NP-I)*LAMP)+((NM-J)*LAMM)+((NB-K)*LAMB)
C
      QLT(N,1)=0.0 BECAUSE THIS REPRESENTS QLT(N) FOR T=0.0
      QLT(N,1)=0.0
      INTEGRAL(1)=0.0
C PERFECT COVERAGE PROBABILITY AT T=0.0 IS 0.0
      CPSTARL(1)=0.0

```

```

C
C BEGIN MAIN INTEGRATION LOOP
C
  T=STEP
  DO 95 IT=1,ITSTPS
C
C COMPUTE THE SUM
C
  IF(MODEL.EQ.1H ) CALL SUMMAT(II,JJ,KK,ISET,IT)
  IF(MODEL.EQ.1HA) CALL SUMRMA(II,JJ,KK,ISET,IT)
  IF(MODEL.EQ.1HB) CALL SUMRMB(II,JJ,KK,ISET,IT)
  IF(IT.EQ.1) GO TO 95
C
C COMPUTE THE PERFECT COVERAGE PROBABILITIES FOR THE CURRENT
C VECTOR
C
  CPSTARL(IT)=CPSTAR(I,NP,1,IT)*CPSTAR(J,AM,2,IT)*CPSTAR(K,NB,3,IT)
C
C TRAPEZOIDAL RULE TO COMPUTE QLT(N,2)
C
  IF(IT.NE.2) GO TO 65
  CALL TRAPINT(SLAML,SUBINTG)
  INTEGRAL(2)=SUBINTG
  PROB=EXP(-SLAML*T)*SUBINTG
  QLT(N,2)=PROB
  QLTSUM(2)=QLTSUM(2)+PROB
  T=T+STEP
  GO TO 95
C
C PERFORM SIMPSON'S 1/3 INTEGRATION TECHNIQUE
C TO COMPUTE QLT(N,IT),IT=3,ITSTPS
C
  65 CONTINUE
  CALL SIMPINT(IT,SLAML,SUBINTG)
  IF(IT.EQ.3) GO TO 80
  DO 75 IN=2,3
  INTEGRAL(IN-1)=INTEGRAL(IN)
  75 CONTINUE
  80 INTEGRAL(3)=SUBINTG+INTEGRAL(1)
C
C COMPUTE QLT(N,IT)
C
  PROB=EXP(-SLAML*T)*INTEGRAL(3)
  QLT(N,IT)=PROB
  QLTSUM(IT)=QLTSUM(IT)+PROB
  T=T+STEP
  95 CONTINUE
C
C COMPUTE THE PROBABILITIES FOR THE CURRENT VECTOR BY SUBTRACTING
C THE QLT FROM THE PERFECT COVERAGE PROBABILITIES
C
  IF(PRCODE.EQ.1HN) GO TO 99
  IF(PRCODE.EQ.1HQ) GO TO 98
  DO 97 IT=1,ITSTPS
  PLT(IT)=CPSTARL(IT)-QLT(N,IT)
  97 CONTINUE
C
  PRINT 11,PRNTP,1,J,K,(PLT(IT),IT=1,ITSTPS)

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C
98 IF(PCODE.EQ.1HP) GO TO 99
PRINT 11,PRNTPST,I,J,K,(CPSTARL(IT),IT=1,ITSTPS)
PRINT 11,PRNTQ,I,J,K,(QLT(N,IT),IT=1,ITSTPS)
PRINT *, " "
99 CONTINUE
C WRITE CDY AND CBXY ARRAYS TO FUNCFL IF DBFLCD=C
IF(DBFLCD.NE.1HC) GO TO 1000
WRITE(8,11) PRNTDY,I,J,K,(CDYDB(IT),IT=1,ITSTPS)
WRITE(8,11) PRNTBXY,I,J,K,(CBXYDB(IT),IT=1,ITSTPS)
1000 CONTINUE
N=N+1
NSTOT=NSTOT+1
100 CONTINUE
200 CONTINUE
300 CONTINUE
C STORE TOTAL NUMBER OF UNIQUE L'S IN NSET ARRAY
NSET(ISET)=NSTOT
C
C ARE THE Q'S TOO SMALL TO AFFECT THE PROBABILITY?
C
QSUMN=QLTSUM(ITSTPS)-QSUMSF
IF(QSUMN.GE.STOPARM*QSUMSF) GO TO 310
MAXLAST=ISET
QNOEFT=.TRUE.
310 QSUMSF=QLTSUM(ITSTPS)
C
C ARE THE P*'S TOO SMALL TO AFFECT THE PROBABILITY?
C
IF(PNOEFT) GO TO 390
C HAVE ANY P*'S BEEN COMPUTED YET?
CPSUMN=CPSTSUM(ITSTPS)-CPSUMSF
IF(CPSUMN.NE.C.C) PSTCOM=.TRUE.
IF(.NOT.PSTCOM) GO TO 390
IF(CPSUMN.LT.STCPARM*AMAX1(QSUMSF,CPSUMSF))
1 PNOEFT=.TRUE.
CPSUMSF=CPSTSUM(ITSTPS)
390 IF(QNOEFT) GO TO 410
400 CONTINUE
410 CONTINUE
C
C COMPUTE PERFECT COVERAGE PROBABILITIES FOR ALL REMAINING
C VECTORS FOR WHICH QLT WAS NOT COMPUTED
C NOTE - P*'S ARE NOT NECESSARILY MONOTONE DECREASING
C FROM THE SETS COMPUTED ABOVE TO THE SETS TO BE COMPUTED.

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C
IF(PNOEFT) GO TO 908
QSUMSF=QLTSUM(ITSTPS)
MAXN=MAX0(NPP1,NMP1,NBP1)
MAXP1=MAXLAST+1
DO 900 ISET=MAXP1,MAXN
  ISET1=ISET
  ISET2=ISET
  ISET3=ISET
  IF(ISET1.GT.NBP1) ISET1=NBP1
  IF(ISET2.GT.NMP1) ISET2=NMP1
  IF(ISET3.GT.NPP1) ISET3=NPP1
C SAVE SUM SO FAR FOR LAST TIME STEP
CPSUMSF=CPSTSUM(ITSTPS)
DO 800 KK=1,ISET1
DO 700 JJ=1,ISET2
DO 600 II=1,ISET3
C DO NOT COMPUTE CPSTARL FOR ANY PREVIOUSLY COMPUTED VECTOR
IF(II.LT.ISET .AND. JJ.LT.ISET .AND. KK.LT.ISET) GO TO 600
I=II-1
J=JJ-1
K=KK-1
CPSTARL(1)=0.0
DO 500 IT=2,ITSTPS
  CPSTARL(IT)=CPSTAR(1,NP,1,IT)*CPSTAR(J,NM,2,IT)*CPSTAR(K,NB,3,IT)
  CPSTSUM(IT)=CPSTSUM(IT)+CPSTARL(IT)
500 CONTINUE
C
600 CONTINUE
700 CONTINUE
800 CONTINUE
C ARE THE P*'S TOO SMALL TO AFFECT THE PROBABILITY?
CPSUMN=CPSTSUM(ITSTPS)-CPSUMSF
IF(CPSUMN .LT. STOPARM*AMAX1(QSUMSF,CPSUMSF)) GO TO 905
C
900 CONTINUE
905 CONTINUE
IF(PCODE.EQ.1HF .OR. PCODE.EQ.1HN) GO TO 908
PRINT *, "      THE FINAL P* COMPUTED WAS:"
PRINT 11,PRNTPST,I,J,K,(CPSTARL(IT),IT=1,ITSTPS)
C
C PRINT THE SUM OF THE QLT'S, THE SUM OF THE P*'S,
C AND THE SUM OF THE QLT'S+P*'S
C
908 PRINT 910,QSUM,(QLTSUM(IT),IT=1,ITSTPS)
910 FORMAT(/5X,A10," = ",9(5(E16.10,1X)/19X),
X 6(E16.10,1X))
C
PRINT 910,PPSTSUM,(CPSTSUM(IT),IT=1,ITSTPS)

```

C

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DO 950 IT=1,ITSTPS
  QLTSUM(IT)=QLTSUM(IT)+CPSTSUM(IT)
950 CONTINUE
  PRINT 910,PTOTSUM,(QLTSUM(IT),IT=1,ITSTPS)
  STOP
  END
  BLOCK DATA BLK1
  COMMON/CCNFIG/ NP,NM,NB,NPF,NMF,NEF,NSET(14),QLT(112,51)
  COMMON/RATES/ LAMP,LAMM,LAMB,LAMBG,DELTAP,DELTAM,DELTAE,DELTABG,
1      ALPHA1,BETA1,ALPHA2,BETA2
  COMMON/INVAR/ EMLAM(3,51),EMDEL(4,51),EMLAM1(3,51),EMLAM2(3,51),
1      G2(3,51),AT(3,51),CT(3,51)
  COMMON/EIGCOM/ EIGSD(3,3,3),EIGWR(3),G2WT(9,51),H2WT(9,51),
1      G2PWT(9,51),H2PWT(9,51)
  REAL LAMP,LAMM,LAMB,LAMBG
  DATA LAMP,LAMM,LAMB,LAMBG/1.18E-4,1.18E-4,1.0E-6,0.18E-4/
  DATA DELTAP,DELTAM,DELTAB,DELTABG/2*3.6E3,3.6E4,3.6E2/
  DATA QLT/5712*0.0/,NSET/14*0/
  DATA EMLAM/153*0.0/,EMDEL/204*0.0/,EMLAM1/153*0.0/,EMLAM2/153*0.0/
  DATA G2/153*0.0/,AT/153*0.0/,CT/153*0.0/
  DATA G2WT/459*0.0/,H2WT/459*0.0/,G2PWT/459*0.0/,H2PWT/459*0.0/
  END

```



```

C COMPUTE FUNCTION GTR2 FOR ALL COMBINATIONS OF DELTA1,DELTA2 FOR ALL T
C AND STORE IN ARRAY G.
C
C     IP=1
C     IM=2
C     IB=3
C     DO 75 IT=1,ITSTPS
C       G2(IP,IT)=GTR2(LAMP,DELTAP,IP,IT)
C       G2(IM,IT)=GTR2(LAMM,DELTAM,IM,IT)
C       G2(IB,IT)=GTR2(LAMB,DELTAB,IB,IT)
C 75 CONTINUE
C
C     IF(ALPHA1.GT.0.0) GO TO 90
C COMPUTE FUNCTION AFUNC AND STORE IN ARRAY AT FOR ALL T.
C
C     DO 80 IT=1,ITSTPS
C       AT(IP,IT)=AFUNC(LAMP,DELTAP,IP,IT)
C       AT(IM,IT)=AFUNC(LAMM,DELTAM,IM,IT)
C       AT(IB,IT)=AFUNC(LAMB,DELTAB,IB,IT)
C 80 CONTINUE
C NOTE: FOR ALPHA1=0.0 AND BETA1=0.0,PERMANENT FAULT CASE,
C THERE IS NO NEED TO COMPUTE THE MARKOV MODEL.
C     GO TO 450
C
C 90 CONTINUE
C
C COMPUTE FUNCTIONS ATR AND BTR WHICH HAVE BEEN INCORPORATED
C INTO ONE SUBROUTINE ABFUNCS AND STORE THEIR RATIO IN ARRAY CT
C FOR ALL T. (CT IS INFINITY AT TIME 0, THEREFORE IT MUST DEFAULT
C TO 0.0 AT TIME 0 AND THE FUNCTION PCOND WHICH USES CT WILL
C HANDLE THIS CASE.)
C FUNCTION PX REQUIRES FUNCTION ATR ONLY.
C
C     DO 100 IT=2,ITSTPS
C       CALL ABFUNCS(LAMP,DELTAP,IP,IT,ATR,BTR)
C       AT(IP,IT)=ATR
C       CT(IP,IT)=ATR/BTR
C       CALL ABFUNCS(LAMM,DELTAM,IM,IT,ATR,BTR)
C       AT(IM,IT)=ATR
C       CT(IM,IT)=ATR/BTR
C       CALL ABFUNCS(LAMB,DELTAB,IB,IT,ATR,BTR)
C       AT(IB,IT)=ATR
C       CT(IB,IT)=ATR/BTR
C 100 CONTINUE
C
C CALL DEFF2B TO GENERATE THE MARKOV PROBABILITIES USED IN AORAP
C CALL DEFF2B

```


C		DEFF2A
C	COMPUTE P1,P2,P3(1,ITU),ITU=1,ITSTPS	DEFF2A
C	NOTE - IF DELTAP=DELTAM, P'S(1,2,4,5 EQUAL), P'S(3,6 EQUAL) AND	DEFF2A
C	P'S(7,8 EQUAL)	DEFF2A
C		DEFF2A
	CALL MARKOV(DELTAP,DELTAP,1,P1,P2,P3,P131,P132,P133)	DEFF2A
C	COMPUTE P1,P2,P3(2,ITU),ITU=1,ITSTPS	DEFF2A
	IF(DELTAP.NE.DELTAM) GO TO 150	DEFF2A
	DO 125 ITU=1,ITSTPS	DEFF2A
	P1(2,ITU)=P1(1,ITU)	DEFF2A
	P2(2,ITU)=P2(1,ITU)	DEFF2A
	P3(2,ITU)=P3(1,ITU)	DEFF2A
125	CONTINUE	DEFF2A
	P131(2)=P131(1)	DEFF2A
	P132(2)=P132(1)	DEFF2A
	P133(2)=P133(1)	DEFF2A
	GO TO 160	DEFF2A
150	CALL MARKOV(DELTAP,DELTAM,2,P1,P2,P3,P131,P132,P133)	DEFF2A
160	CONTINUE	DEFF2A
C	COMPUTE P1,P2,P3(3,ITU),ITU=1,ITSTPS	DEFF2A
	CALL MARKOV(DELTAP,DELTAM,3,P1,P2,P3,P131,P132,P133)	DEFF2A
C	COMPUTE P1,P2,P3(4,ITU),ITU=1,ITSTPS	DEFF2A
	IF(DELTAP.NE.DELTAM) GO TO 200	DEFF2A
	DO 175 ITU=1,ITSTPS	DEFF2A
	P1(4,ITU)=P1(1,ITU)	DEFF2A
	P2(4,ITU)=P2(1,ITU)	DEFF2A
	P3(4,ITU)=P3(1,ITU)	DEFF2A
175	CONTINUE	DEFF2A
	P131(4)=P131(1)	DEFF2A
	P132(4)=P132(1)	DEFF2A
	P133(4)=P133(1)	DEFF2A
	GO TO 210	DEFF2A
200	CALL MARKOV(DELTAM,DELTAP,4,P1,P2,P3,P131,P132,P133)	DEFF2A
210	CONTINUE	DEFF2A
C	COMPUTE P1,P2,P3(5,ITU),ITU=1,ITSTPS	DEFF2A
	IF(DELTAP.NE.DELTAM) GO TO 250	DEFF2A
	DO 225 ITU=1,ITSTPS	DEFF2A
	P1(5,ITU)=P1(1,ITU)	DEFF2A
	P2(5,ITU)=P2(1,ITU)	DEFF2A
	P3(5,ITU)=P3(1,ITU)	DEFF2A
225	CONTINUE	DEFF2A
	P131(5)=P131(1)	DEFF2A
	P132(5)=P132(1)	DEFF2A
	P133(5)=P133(1)	DEFF2A
	GO TO 260	DEFF2A
250	CALL MARKOV(DELTAM,DELTAM,5,P1,P2,P3,P131,P132,P133)	DEFF2A
260	CONTINUE	DEFF2A
C	COMPUTE P1,P2,P3(6,ITU),ITU=1,ITSTPS	DEFF2A
	IF(DELTAP.NE.DELTAM) GO TO 300	DEFF2A
	DO 275 ITU=1,ITSTPS	DEFF2A
	P1(6,ITU)=P1(3,ITU)	DEFF2A
	P2(6,ITU)=P2(3,ITU)	DEFF2A
	P3(6,ITU)=P3(3,ITU)	DEFF2A
275	CONTINUE	DEFF2A
	P131(6)=P131(3)	DEFF2A
	P132(6)=P132(3)	DEFF2A
	P133(6)=P133(3)	DEFF2A
	GO TO 310	DEFF2A
300	CALL MARKOV(DELTAM,DELTAM,6,P1,P2,P3,P131,P132,P133)	DEFF2A
310	CONTINUE	DEFF2A
C	COMPUTE P1,P2,P3(7,ITU),ITU=1,ITSTPS	DEFF2A
	CALL MARKOV(DELTAM,DELTAP,7,P1,P2,P3,P131,P132,P133)	DEFF2A

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C COMPUTE P1,P2,P3(8,ITU),ITU=1,ITSTPS
      IF(DELTA P.NE.DELTA M) GO TO 350
      DO 325 ITU=1,ITSTPS
      P1(8,ITU)=P1(7,ITU)
      P2(8,ITU)=P2(7,ITU)
      P3(8,ITU)=P3(7,ITU)
325  CONTINUE
      P131(8)=P131(7)
      P132(8)=P132(7)
      P133(8)=P133(7)
      GO TO 360
350  CALL MARKOV(DELTA B,DELTA M,8,P1,P2,P3,P131,P132,P133)
C  COMPUTE P1,P2,P3(9,ITU),ITU=1,ITSTPS
360  CALL MARKOV(DELTA B,DELTA B,9,P1,P2,P3,P131,P132,P133)

      DEFINE F2 AND F2P ARRAYS PR123 AND PR13
C  COMPUTE (PR123,PR13(IXY,ITU),IXY=1,9,ITU=1,ITSTPS
      DO 400 IXY=1,9
      DO 400 ITU=1,ITSTPS
      P1ITU=P1(IXY,ITU)
      P2ITU=P2(IXY,ITU)
      P3ITU=P3(IXY,ITU)
      PR123(IXY,ITU)=P1ITU+P2ITU+P3ITU
      PR13(IXY,ITU)=P1ITU*P131(IXY) + P2ITU*P132(IXY) + P3ITU*P133(IXY)
400  CONTINUE

      WRITE(7,521)
521  FORMAT(/18X,"T-TAU=0",10X,"T-TAU=STEP",5X,"T-TAU=2*STEP",5X,
1      ". . .")
      NAME=5HPR123
      DO 522 IXY=1,9
522  WRITE(7,525) NAME,IXY,(PR123(IXY,IT),IT=1,ITSTPS)
      WRITE(7,499)
499  FORMAT(1H )
      NAME=4HPR13
      DO 524 IXY=1,9
524  WRITE(7,525) NAME,IXY,(PR13(IXY,IT),IT=1,ITSTPS)
525  FORMAT(2X,A5,"(",I1,")= ",8(7(1X,E16.10)/12X))

      RETURN
      END
      SUBROUTINE DEFF2B
      COMMON/RATES/ LAMP,LAMM,LAMB,LAMBG,DELTA P,DELTA M,DELTA B,DELTA BG,
1      ALPHA1,BETA1,ALPHA2,BETA2
      COMMON/EIGCOM/ EIGSD(3,3,3),EIGWR(3),G2WT(9,51),H2WT(9,51),
1      G2PWT(9,51),H2PWT(9,51)
      COMMON/INTGRAT/ ITSTPS,STEP,SUM(3),RSTSUM(3)

C  COMPUTE CAPITAL A,B,C FOR F2 AND F2P ARRAYS
C  NOTE: IF DELTA P=DELTA M, F2 AND F2P'S(1,2,4,5 EQUAL),(3,6 EQUAL)
C  AND (7,8 EQUAL)

      CALL MRKOV8(DELTA P,DELTA P,1)
      IF(DELTA P.NE.DELTA M) GO TO 150
      DO 125 ITU=1,ITSTPS
      G2WT(2,ITU)=G2WT(1,ITU)
      H2WT(2,ITU)=H2WT(1,ITU)
      G2PWT(2,ITU)=G2PWT(1,ITU)
      H2PWT(2,ITU)=H2PWT(1,ITU)
125  CONTINUE
      GO TO 160
150  CALL MRKCVB(DELTA P,DELTA M,2)

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160	CONTINUE	DEFF2B
	CALL MRKOV8(DELTAP,DELTAB,3)	DEFF2B
	IF(DELTAP.NE.DELTAM) GO TO 200	DEFF2B
	DO 175 ITU=1,ITSTPS	DEFF2B
	G2WT(4,ITU)=G2WT(1,ITU)	DEFF2B
	H2WT(4,ITU)=H2WT(1,ITU)	DEFF2B
	G2PWT(4,ITU)=G2PWT(1,ITU)	DEFF2B
	H2PWT(4,ITU)=H2PWT(1,ITU)	DEFF2B
175	CONTINUE	DEFF2B
	GO TO 210	DEFF2B
200	CALL MRKOV8(DELTAM,DELTAP,4)	DEFF2B
210	CONTINUE	DEFF2B
	IF(DELTAP.NE.DELTAM) GO TO 250	DEFF2B
	DO 225 ITU=1,ITSTPS	DEFF2B
	G2WT(5,ITU)=G2WT(1,ITU)	DEFF2B
	H2WT(5,ITU)=H2WT(1,ITU)	DEFF2B
	G2PWT(5,ITU)=G2PWT(1,ITU)	DEFF2B
	H2PWT(5,ITU)=H2PWT(1,ITU)	DEFF2B
225	CONTINUE	DEFF2B
	GO TO 260	DEFF2B
250	CALL MRKOV8(DELTAM,DELTAM,5)	DEFF2B
260	CONTINUE	DEFF2B
	IF(DELTAP.NE.DELTAM) GO TO 300	DEFF2B
	DO 275 ITU=1,ITSTPS	DEFF2B
	G2WT(6,ITU)=G2WT(3,ITU)	DEFF2B
	H2WT(6,ITU)=H2WT(3,ITU)	DEFF2B
	G2PWT(6,ITU)=G2PWT(3,ITU)	DEFF2B
	H2PWT(6,ITU)=H2PWT(3,ITU)	DEFF2B
275	CONTINUE	DEFF2B
	GO TO 310	DEFF2B
300	CALL MRKOV8(DELTAM,DELTAB,6)	DEFF2B
310	CONTINUE	DEFF2B
	CALL MRKOV8(DELTAB,DELTAP,7)	DEFF2B
	IF(DELTAP.NE.DELTAM) GO TO 350	DEFF2B
	DO 325 ITU=1,ITSTPS	DEFF2B
	G2WT(8,ITU)=G2WT(7,ITU)	DEFF2B
	H2WT(8,ITU)=H2WT(7,ITU)	DEFF2B
	G2PWT(8,ITU)=G2PWT(7,ITU)	DEFF2B
	H2PWT(8,ITU)=H2PWT(7,ITU)	DEFF2B
325	CONTINUE	DEFF2B
	GO TO 360	DEFF2B
350	CALL MRKOV8(DELTAB,DELTAM,8)	DEFF2B
360	CALL MRKOV8(DELTAB,DELTAB,9)	DEFF2B
C		DEFF2B
C	WRITE G2WT,H2WT,G2PWT,H2PWT TO TDPFL	DEFF2B
C		DEFF2B
	IBY=1	DEFF2B
	IF(DELTAP.EQ.DELTAM) IBY=2	DEFF2B
	WRITE(7,540)	DEFF2B
	NAME=4HG2WT	DEFF2B
	DO 500 IXY=1,9,IBY	DEFF2B
	IF(IBY.EQ.2 .AND. IXY.EQ.5) GO TO 500	DEFF2B
	WRITE(7,550) NAME,IXY,(G2WT(IXY,IT),IT=1,ITSTPS)	DEFF2B
500	CONTINUE	DEFF2B
C		DEFF2B
	WRITE(7,540)	DEFF2B
	NAME=4HH2WT	DEFF2B
	DO 510 IXY=1,9,IBY	DEFF2B
	IF(IBY.EQ.2 .AND. IXY.EQ.5) GO TO 510	DEFF2B
	WRITE(7,550) NAME,IXY,(H2WT(IXY,IT),IT=1,ITSTPS)	DEFF2B
510	CONTINUE	DEFF2B


```

C COMPUTE NON-TIME DEPENDENT TERMS OF PR13 PROBABILITY. MARKOV
C COMPUTE COMMON TERMS (1-E** (EIGENVALUE*STEP))/EIGENVALUE MARKOV
C FOR EACH EIGENVALUE. THESE EIGENVALUES SHOULD BE NEGATIVE. MARKOV
C MARKOV
C USING EIGENVALUE 1 MARKOV
  EV1=EIGWR(1) MARKOV
  EIGL1ST=0.0 MARKOV
  X=EV1*STEP MARKOV
  IF(X.GE.-675.84) EIGL1ST=EXP(X) MARKOV
  EL1COMP=1.0-EIGL1ST MARKOV
  EV1INT=EL1COMP/ABS(EV1) MARKOV
C USING EIGENVALUE 2 MARKOV
  EV2=EIGWR(2) MARKOV
  EIGL2ST=0.0 MARKOV
  X=EV2*STEP MARKOV
  IF(X.GE.-675.84) EIGL2ST=EXP(X) MARKOV
  EL2COMP=1.0-EIGL2ST MARKOV
  EV2INT=EL2COMP/ABS(EV2) MARKOV
C USING EIGENVALUE 3 MARKOV
  EV3=EIGWR(3) MARKOV
  EIGL3ST=0.0 MARKOV
  X=EV3*STEP MARKOV
  IF(X.GE.-675.84) EIGL3ST=EXP(X) MARKOV
  EL3COMP=1.0-EIGL3ST MARKOV
  EV3INT=EL3COMP/ABS(EV3) MARKOV
C MARKOV
C COMPUTE P(IST/KST), INTEGRATED OVER 1 STEP SIZE, WHERE KST IS THE MARKOV
C STARTING STATE AND IST IS THE CURRENT STATE FOR THE FOLLOWING MARKOV
C COMBINATIONS OF (IST/KST): (1/1),(3/1); (1/2),(3/2); (1/3),(3/3) MARKOV
C AND MULTIPLY BY APPROPRIATE BETA VALUE. MARKOV
C MARKOV
  P131(IXY)=BETA2 * (EIGSD(1,1,1)*EV1INT + EIGSD(1,2,1)*EV2INT + MARKOV
1 EIGSD(1,3,1)*EV3INT) MARKOV
2 +BETA1 * (EIGSD(3,1,1)*EV1INT + EIGSD(3,2,1)*EV2INT + MARKOV
3 EIGSD(3,3,1)*EV3INT) MARKOV
C MARKOV
  P132(IXY)=BETA2 * (EIGSD(1,1,2)*EV1INT + EIGSD(1,2,2)*EV2INT + MARKOV
1 EIGSD(1,3,2)*EV3INT) MARKOV
2 +BETA1 * (EIGSD(3,1,2)*EV1INT + EIGSD(3,2,2)*EV2INT + MARKOV
3 EIGSD(3,3,2)*EV3INT) MARKOV
C MARKOV
  P133(IXY)=BETA2 * (EIGSD(1,1,3)*EV1INT + EIGSD(1,2,3)*EV2INT + MARKOV
1 EIGSD(1,3,3)*EV3INT) MARKOV
2 +BETA1 * (EIGSD(3,1,3)*EV1INT + EIGSD(3,2,3)*EV2INT + MARKOV
3 EIGSD(3,3,3)*EV3INT) MARKOV
C MARKOV
C WRITE P ARRAYS TO TDPFL MARKOV
  IF(DBFLCD.NE.1HF) GO TO 250 MARKOV
  WRITE(7,190) MARKOV
190 FORMAT(1H) MARKOV
  DO 200 N1=1,3 MARKOV
  WRITE(7,195)N1,IXY,EIGSD(N1,1,1),EIGWR(1),EIGSD(N1,2,1),EIGWR(2), MARKOV
1 EIGSD(N1,3,1),EIGWR(3) MARKOV
195 FORMAT(2X,"P",I1,"(",I1,")=","E16.10,"E**(",E16.10,"*T) + ",E16.10, MARKOV
1 "E**(",E16.10,"*T) + ",E16.10,"E**(",E16.10,"*T)") MARKOV
200 CONTINUE MARKOV
250 CONTINUE MARKOV
  RETURN MARKOV
  END MARKOV

```

	SUBROUTINE MRKOV8(Delta1,Delta2,IXY)	MRKOV8
	COMMON/RATES/ LAMP,LAMB,LAMB,LAMBG,DELTA1,DELTA2,DELTA3,DELTA4,DELTA5,DELTA6,	MRKOV8
1	ALPHA1,BETA1,ALPHA2,BETA2	MRKOV8
	COMMON/EIGANL/ EV1,EV2,EV3,EL1COMP,EL2COMP,EL3COMP	MRKOV8
	COMMON/EIGCOM/ EIGSD(3,3,3),EIGWR(3),G2WT(9,51),H2WT(9,51),	MRKOV8
1	G2PWT(9,51),H2PWT(9,51)	MRKOV8
	COMMON/INTGRAT/ ITSTPS,STEP,SUM(3),RSTSUM(3)	MRKOV8
C		MRKOV8
	DIMENSION CF2(9,51),CF2INT(9,51)	MRKOV8
C		MRKOV8
C	COMPUTE EIGENVALUES AND EIGENVECTORS FOR THIS DELTA1,DELTA2	MRKOV8
C	COMBINATION	MRKOV8
	CALL EIGEN(DELTA1,DELTA2)	MRKOV8
C		MRKOV8
C	INITIALIZE COMMON/EIGANL/ FOR LATER USE WITH THESE PARTICULAR	MRKOV8
C	EIGENVECTORS AND EIGENVALUES	MRKOV8
C		MRKOV8
C	USING EIGENVALUE 1	MRKOV8
	EV1=EIGWR(1)	MRKOV8
	EIGL1ST=0.0	MRKOV8
	X=EV1*STEP	MRKOV8
	IF(X.GE.-675.84) EIGL1ST=EXP(X)	MRKOV8
	EL1COMP=1.0-EIGL1ST	MRKOV8
C	USING EIGENVALUE 2	MRKOV8
	EV2=EIGWR(2)	MRKOV8
	EIGL2ST=0.0	MRKOV8
	X=EV2*STEP	MRKOV8
	IF(X.GE.-675.84) EIGL2ST=EXP(X)	MRKOV8
	EL2COMP=1.0-EIGL2ST	MRKOV8
C	USING EIGENVALUE 3	MRKOV8
	EV3=EIGWR(3)	MRKOV8
	EIGL3ST=0.0	MRKOV8
	X=EV3*STEP	MRKOV8
	IF(X.GE.-675.84) EIGL3ST=EXP(X)	MRKOV8
	EL3COMP=1.0-EIGL3ST	MRKOV8
C		MRKOV8
	A11=EIGSD(1,1,1)	MRKOV8
	B11=EIGSD(1,2,1)	MRKOV8
	C11=EIGSD(1,3,1)	MRKOV8
C		MRKOV8
	A21=EIGSD(2,1,1)	MRKOV8
	B21=EIGSD(2,2,1)	MRKOV8
	C21=EIGSD(2,3,1)	MRKOV8
C		MRKOV8
	A31=EIGSD(3,1,1)	MRKOV8
	B31=EIGSD(3,2,1)	MRKOV8
	C31=EIGSD(3,3,1)	MRKOV8
C		MRKOV8
C	FOR AXI COMPUTATIONS	MRKOV8
	CA=A11+A21+A31	MRKOV8
	CB=B11+B21+B31	MRKOV8
	CC=C11+C21+C31	MRKOV8
C		MRKOV8
C	FOR APXY COMPUTATIONS	MRKOV8
	CAP=BETA1*A11 + BETA2*A31	MRKOV8
	CBP=BETA1*B11 + BETA2*B31	MRKOV8
	CCP=BETA1*C11 + BETA2*C31	MRKOV8
C		MRKOV8
C	COMPUTE THE CF2 AND CF2INT ANALYTICAL ARRAYS REQUIRED TO COMPUTE	MRKOV8
C	THE G2WT AND H2WT WEIGHT FUNCTIONS FOR AXI AND APXY ARRAYS IN	MRKOV8
C	AORAP.	MRKOV8

C	COMMON/CONFIG/ NP,NM,NB,NPF,NMF,NBF,NSET(14),QLT(112,51)	SUMMAT
	COMMON/RATES/ LAMP,LAMM,LAMB,LAMBG,DELTAP,DELTAM,DELTAB,DELTABG,	SUMMAT
1	ALPHA1,BETA1,ALPHA2,BETA2	SUMMAT
COMMON/INVAR/	EMLAM(3,51),EMDEL(4,51),EMLAM1(3,51),EMLAM2(3,51),	SUMMAT
1	G2(3,51),AT(3,51),CT(3,51)	SUMMAT
COMMON/INTGRAT/	ITSTPS,STEP,SUM(3),RSTSUM(3)	SUMMAT
COMMON/EIGCOM/	EIGSD(3,3,3),EIGWR(3),G2WT(9,51),H2WT(9,51),	SUMMAT
1	G2PWT(9,51),H2PWT(9,51)	SUMMAT
COMMON/DEBUGC/	DBFLCD,CDYDB(51),CBXYDB(51)	SUMMAT
C		SUMMAT
C	THE D AND B FUNCTIONS ARE NOT TIME DEPENDENT - THEY NEED ONLY	SUMMAT
C	BE COMPUTED ONCE PER VECTOR CHANGE - NOT EVERY TIME "IT" CHANGES.	SUMMAT
C	THE SEPARATE FUNCTIONS ARE DIMENSIONED TO 448 BECAUSE 448 UNIQUE	SUMMAT
C	STATE VECTORS EXIST FOR THE CURRENT MAXIMUM CASE: 15 9 5 TO 2 2 2.	SUMMAT
C	BECAUSE THERE ARE NO FNCTION DEFINITIONS AT THIS TIME FOR BMP AND	SUMMAT
C	BPM THEY ARE DUMMY PLACE HOLDERS ONLY.	SUMMAT
C		SUMMAT
	COMMON/DBFUNCS/ DPA(448),DMA(448),DEA(448),BPPA(448),BMPA,	SUMMAT
1	BSPA(448),BPMA,BMMA(448),BBMA(448),BFBA(448),BMBA(448),	SUMMAT
2	BBBA(448),INDB,DP,DM,DB,BPP,BMP,BBP,BPM,BMM,BBM,BPB,BMB,BBB,	SUMMAT
3	FIMD(14),FIM1MD(14),FJMD(8),FJM1MD(8),FKND(4),FKM1ND(4),	SUMMAT
4	FKN1(4),FKM1N1(4)	SUMMAT
	DIMENSION AINTGRD(9,51,3),APINTG(9,51,1)	SUMMAT
	DIMENSION B(9),SB(9),CBXY(9,3),AXY(9),APXY(9),AXYS(3),BPRIME(9)	SUMMAT
	DIMENSION CBXYP(9)	SUMMAT
C	THE FOLLOWING DIMENSIONS ARE DEPENDENT UPON I VARYING FROM 0 TO NP-2	SUMMAT
C	J FROM 0 TO NM-2 AND K FROM 0 TO NB-2, WHERE THE CURRENT MAXIMUMS	SUMMAT
C	FOR NP,NM,NB ARE 15,09,05.	SUMMAT
	DIMENSION PXPI(14),PXPIM1(14),PXPIM2(14),	SUMMAT
1	PXMJ(8),PXMJM1(8),PXMJM2(8),	SUMMAT
2	PXBK(4),PXBKM1(4),PXBKM2(4)	SUMMAT
C		SUMMAT
	EQUIVALENCE(BPP,B(1))	SUMMAT
	REAL LAMP,LAMM,LAMB,LAMBG	SUMMAT
C	TOTAL NUMBER OF UNIQUE STATES	SUMMAT
	DATA ITOTUS/448/	SUMMAT
C		SUMMAT
C		SUMMAT
	IP=1	SUMMAT
	IM=2	SUMMAT
	IB=3	SUMMAT
	I=II-1	SUMMAT
	J=JJ-1	SUMMAT
	K=KK-1	SUMMAT
	IM1=I-1	SUMMAT
	JM1=J-1	SUMMAT
	KM1=K-1	SUMMAT
	IM2=I-2	SUMMAT
	JM2=J-2	SUMMAT
	KM2=K-2	SUMMAT

C		SUMMAT
		SUMMAT
		SUMMAT
C	IF(IT.GE.4) GO TO 15	SUMMAT
C	COMPUTE SUM(IS) FOR IS=IT,2 AND 3	SUMMAT
	IS=IT	SUMMAT
	GO TO 21	SUMMAT
C	FOR NON-REDUNDANT COMPUTATION PURPOSES:	SUMMAT
C	SHIFT SUM(2) INTO SUM(1), SHIFT SUM(3) INTO SUM(2),	SUMMAT
C	COMPUTE SUM(3) FOR IT GREATER THAN 3.	SUMMAT
C	DO THE SAME MANIPULATION TO RSTSUM.	SUMMAT
	15 DO 20 IS=2,3	SUMMAT
	SUM(IS-1)=SUM(IS)	SUMMAT
	RSTSUM(IS-1)=RSTSUM(IS)	SUMMAT
	20 CONTINUE	SUMMAT
	IS=3	SUMMAT
	21 CONTINUE	SUMMAT
C		SUMMAT
C		SUMMAT
	NPMIP1=NP-I+1	SUMMAT
	NMMJP1=NM-J+1	SUMMAT
	NBMK=NB-K	SUMMAT
	NBMKP1=NBMK+1	SUMMAT
C		SUMMAT
C	COMPUTE SLAMI,SLAMJ,SLAMK	SUMMAT
C		SUMMAT
	SLAMI=NPMIP1*LAPP	SUMMAT
	SLAMJ=NMMJP1*LAPM	SUMMAT
	SLAMK=NBMKP1*LAMB	SUMMAT
C		SUMMAT
C		SUMMAT
C	COMPUTE CBARJL	SUMMAT
C		SUMMAT
	INDB=1	SUMMAT
	CDP=0.0	SUMMAT
	CDM=0.0	SUMMAT
	CDB=0.0	SUMMAT
	CBXP=0.0	SUMMAT
	CBXM=0.0	SUMMAT
	CBXB=0.0	SUMMAT
	DO 22 JL=1,3	SUMMAT
	DO 22 IY=1,9	SUMMAT
	CBXY(IY,JL)=0.0	SUMMAT
	22 CONTINUE	SUMMAT
	DO 23 IY=1,9	SUMMAT
	23 CBXYP(IY)=0.0	SUMMAT
	AXYSUM=0.0	SUMMAT
	AXYS(IP)=0.0	SUMMAT
	AXYS(IM)=0.0	SUMMAT
	AXYS(IB)=0.0	SUMMAT
	APXYSUM=C.0	SUMMAT
C		SUMMAT
C	COMPUTE FUNCTIONS THAT ARE NOT TIME DEPENDENT	SUMMAT
C		SUMMAT
	IF(IT.GT.1) GO TO 35	SUMMAT
C	WRITE CURRENT VECTOR TO FUNCFL	SUMMAT
	IF(DBFLCD.EQ.1HF) WRITE(8,499) I,J,K	SUMMAT
	499 FORMAT(/" D AND B FUNCTIONS FOR VECTOR (" ,I2," ,I2," ,I2,")")	SUMMAT

C		SUMMAT
C	COMPUTE FUNCTIONS NC,N1,M0 AND STORE IN F ARRAYS FOR LATER	SUMMAT
C	USE IN COMPUTING THE D AND B FUNCTIONS	SUMMAT
C		SUMMAT
	DO 24 MUP1=1,II	SUMMAT
	MU=MUP1-1	SUMMAT
	FIMO(MUP1)=FUNCMO(NP,I,MU)	SUMMAT
	FIM1M0(MUP1)=FUNCMO(NP,IM1,MU)	SUMMAT
24	CONTINUE	SUMMAT
C		SUMMAT
	DO 26 MUPP1=1,JJ	SUMMAT
	MUP=MUPP1-1	SUMMAT
	FJMO(MUPP1)=FUNCMO(NM,J,MUP)	SUMMAT
	FJM1M0(MUPP1)=FUNCMO(NM,JM1,MUP)	SUMMAT
26	CONTINUE	SUMMAT
C		SUMMAT
	DO 28 NUP1=1,KK	SUMMAT
	NU=NUP1-1	SUMMAT
	CALL FN0N1(NP,K,NU,FNO,FN1)	SUMMAT
	FKNO(NUP1)=FNO	SUMMAT
	FKN1(NUP1)=FN1	SUMMAT
	CALL FN0N1(NB,KM1,NU,FNO,FN1)	SUMMAT
	FKM1N0(NUP1)=FNO	SUMMAT
	FKM1N1(NUP1)=FN1	SUMMAT
28	CONTINUE	SUMMAT
C		SUMMAT
C	COMPUTE D AND B FUNCTIONS AND STORE IN D AND B ARRAYS	SUMMAT
C	FOR LATER USE WITH ALL TIME STEPS.	SUMMAT
	DO 30 NUP1=1,KK	SUMMAT
	NU=NUP1-1	SUMMAT
	DO 30 MUPP1=1,JJ	SUMMAT
	MUP=MUPP1-1	SUMMAT
	DO 30 MUP1=1,II	SUMMAT
	MU=MUP1-1	SUMMAT
C		SUMMAT
	CALL SDBYXY(MU,MUP,NU,I,J,K)	SUMMAT
C		SUMMAT
C	WRITE CONTENTS OF COMMON/DBFUNCS/ TO FUNCFL	SUMMAT
	IF(DBFLCD.EQ.1HF) WRITE(8,500) MU,MUP,NU,DP,DM,DB,(B(IF),IF=1,9)	SUMMAT
500	FORMAT(2X,3(I2,1X),2(6(1X,E16.10)/11X))	SUMMAT
C		SUMMAT
	INDB=INDB+1	SUMMAT
	IF(INDB.LE.ITOTUS) GO TO 30	SUMMAT
	PRINT*," ERROR - D AND B FUNCTIONS ARRAY OVERFLOW - ",	SUMMAT
1	"MAX NUMBER OF UNIQUE STATES INCREASE."	SUMMAT
	STOP	SUMMAT
30	CONTINUE	SUMMAT
C		SUMMAT
35	CONTINUE	SUMMAT
C		SUMMAT
C	COMPUTE THE PX FUNCTION VALUES THAT ARE REQUIRED FOR	SUMMAT
C	THIS (I,J,K) VECTOR AND TIME "IT".	SUMMAT
		SUMMAT
	DO 40 MUP1=1,II	SUMMAT
	MU=MUP1-1	SUMMAT
	PXPIM2(MUP1)=PX(MU,IM2,1,IT)	SUMMAT
	PXPIM1(MUP1)=PX(MU,IM1,1,IT)	SUMMAT
	PXPI(MUP1)=PX(MU,1,1,IT)	SUMMAT
40	CONTINUE	SUMMAT

```

C      DO 44 MUPP1=1,JJ
      MUP=MUPP1-1
      PXMJM2(MUPP1)=FX(MUP,JM2,2,IT)
      PXMJM1(MUPP1)=PX(MUP,JM1,2,IT)
      PXMJ(MUPP1)=PX(MUP,J,2,IT)
44    CONTINUE

C      DO 48 NUP1=1,KK
      NU=NUP1-1
      FXBKM2(NUP1)=FX(NU,KM2,3,IT)
      FXBKM1(NUP1)=PX(NU,KM1,3,IT)
      FXBK(NUP1)=PX(NU,K,3,IT)
48    CONTINUE

C
C      BEGIN MAIN LOOPS TO SUM UP D AND B FUNCTIONS.
C
      INDB=0
      DO 100 NUP1=1,KK
      NU=NUP1-1
      DO 100 MUPP1=1,JJ
      MUP=MUPP1-1
      DO 100 MUP1=1,II
      MU=MUP1-1
      INDB=INDB+1

C
C      PUT D AND B FUNCTIONS IN WORKING VARIABLES
      DP=DPA(INDB)
      DM=DMA(INDB)
      DB=DBA(INDB)
      BPP=BPPA(INDB)
      BMP=BMPA
      BEP=BBPA(INDB)
      BPM=BPMA
      BMM=BMMA(INDB)
      BEM=BBMA(INDB)
      BPB=BPBA(INDB)
      BMB=BMBA(INDB)
      BBB=BBBA(INDB)

C
C      PUT PX FUNCTION VALUES FOR MUP1,MUPP1 AND NUP1 IN WORKING
C      VARIABLES.
      PPIM2=PPIM2(MUP1)
      PMJM2=PMJM2(MUPP1)
      FBKM2=FBKM2(NUP1)
      PPIM1=PPIM1(MUP1)
      PMJM1=PMJM1(MUPP1)
      PBKM1=PBKM1(NUP1)
      PPI=PXPI(MUP1)
      PMJ=PXMJ(MUPP1)
      PBK=PBK(NUP1)

```

C		SUMMAT
C		SUMMAT
C	COMPUTE ALL NECESSARY NON-PRIME, PRIME AND DOUBLE PRIME	SUMMAT
C	COMBINATIONS OF THE PX FUNCTION COMPONENTS FOR USE IN COMPUTING	SUMMAT
C	THE BPRIME AND AINTGRD ARRAYS.	SUMMAT
C	NON-PRIME COMBINATIONS	SUMMAT
	PXIP=PPIM1*PMJ*PBK	SUMMAT
	PXJP=PPI*PMJM1*PBK	SUMMAT
	PXKP=PPI*PMJ*PBKM1	SUMMAT
C	PRIME COMBINATIONS	SUMMAT
	PXIJP=PPIM1*PMJM1*PBK	SUMMAT
	PXIKP=PPIM1*PMJ*PBKM1	SUMMAT
	PXJKP=PPI*PMJM1*PBKM1	SUMMAT
C	DOUBLE-PRIME COMBINATIONS	SUMMAT
	PXIGP=PPIM2*PMJ*PBK	SUMMAT
	PXJDP=PPI*PMJM2*PBK	SUMMAT
	PXKDP=PPI*PMJ*PBKM2	SUMMAT
C		SUMMAT
C	MULTIPLY THE D AND E FUNCTIONS BY THE CORRESPONDING PX FUNCTION	SUMMAT
C	COMBINATION.	SUMMAT
	DP=DP*PXIP	SUMMAT
	DM=DM*PXJP	SUMMAT
	DB=DB*PXKP	SUMMAT
C		SUMMAT
	INDX=1	SUMMAT
	DO 50 IY=1,3	SUMMAT
	BPRIME(INDX)=B(INDX)*PXIP	SUMMAT
	INDX=INDX+1	SUMMAT
50	CONTINUE	SUMMAT
	DO 55 IY=1,3	SUMMAT
	BPRIME(INDX)=B(INDX)*PXJP	SUMMAT
	INDX=INDX+1	SUMMAT
55	CONTINUE	SUMMAT
	DO 60 IY=1,3	SUMMAT
	BPRIME(INDX)=B(INDX)*PXKP	SUMMAT
	INDX=INDX+1	SUMMAT
60	CONTINUE	SUMMAT
C		SUMMAT
C	MULTIPLY THE B FUNCTIONS BY THE CORRESPONDING	SUMMAT
C	GTR2 FUNCTION STORED IN ARRAY G2(IY,IT)	SUMMAT
	IF ALPHA1 .EQ. 0.0, GTR2 FUNCTION .EQ. 1.0, THEREFORE THERE	SUMMAT
	IS NO NEED TO MULTIPLY BY IT.	SUMMAT
	IF(ALPHA1.GT.0.0) GO TO 68	SUMMAT
C	INITIALIZE SB ARRAY TO THE CONTENTS OF B ARRAY IF ALPHA1=0.0	SUMMAT
	DO 65 IXY=1,9	SUMMAT
65	SB(IXY)=BPRIME(IXY)	SUMMAT
	GO TO 75	SUMMAT
68	CONTINUE	SUMMAT
	INDX=1	SUMMAT
	DO 70 IDUM=1,3	SUMMAT
	DO 70 IX=1,3	SUMMAT
	SB(INDX)=BPRIME(INDX)*G2(IX,IT)	SUMMAT
	INDX=INDX+1	SUMMAT
70	CONTINUE	SUMMAT
75	CONTINUE	SUMMAT

C		SUMMAT
C	COMPUTE THE CAPITAL D AND B FUNCTIONS AND THE SUM OF THE	SUMMAT
C	B FUNCTIONS OVER Y.	SUMMAT
	CDP=CDP+DP	SUMMAT
	CDM=CDM+DM	SUMMAT
	CDB=CDB+DB	SUMMAT
C	SB(IY) IS THE SUM OF THE BXY'S * THE ETRZ FUNCTION	SUMMAT
	DO 80 IY=1,3	SUMMAT
	CBXYP(IY)=CBXYP(IY)+BPRIME(IY)	SUMMAT
	CBXP=CBXP+SB(IY)	SUMMAT
80	CONTINUE	SUMMAT
	DO 82 IY=4,6	SUMMAT
	CBXYP(IY)=CBXYP(IY)+BPRIME(IY)	SUMMAT
	CBXM=CBXM+SB(IY)	SUMMAT
82	CONTINUE	SUMMAT
	DO 85 IY=7,9	SUMMAT
	CBXYP(IY)=CBXYP(IY)+BPRIME(IY)	SUMMAT
	CBXB=CBXB+SB(IY)	SUMMAT
85	CONTINUE	SUMMAT
C		SUMMAT
C	COMPUTE THE SUM OF THE BXY'S MULTIPLIED BY THE APPROPRIATE	SUMMAT
C	PRIME OR DOUBLE-PRIME PX FUNCTION COMBINATIONS.	SUMMAT
C	PX FUNCTION COMBINATIONS FOR JL=1=1P	SUMMAT
	PX1=PXIDP	SUMMAT
	PX2=PXIJP	SUMMAT
	PX3=PXIKP	SUMMAT
	DO 96 JL=1,3	SUMMAT
	DO 92 IXY=1,3	SUMMAT
	CBXY(IXY,JL)=CBXY(IXY,JL)+(B(IXY)*PX1)	SUMMAT
	CBXY(IXY+3,JL)=CBXY(IXY+3,JL)+(B(IXY+3)*PX2)	SUMMAT
	CBXY(IXY+6,JL)=CBXY(IXY+6,JL)+(B(IXY+6)*PX3)	SUMMAT
92	CONTINUE	SUMMAT
	IF(JL.EQ.2) GO TO 94	SUMMAT
C	PX FUNCTION COMBINATIONS FOR JL=2=1M	SUMMAT
	PX1=PXIJP	SUMMAT
	PX2=PXJDP	SUMMAT
	PX3=PXJKP	SUMMAT
	GO TO 96	SUMMAT
C	PX FUNCTION COMBINATIONS FOR JL=3=1B	SUMMAT
94	PX1=PXIKP	SUMMAT
	PX2=PXJKP	SUMMAT
	PX3=PXKDP	SUMMAT
96	CONTINUE	SUMMAT
C		SUMMAT
100	CONTINUE	SUMMAT
C		SUMMAT
C	COMPUTE CBARJL MADE UP OF CBARI,CBARJ AND CBARK FOR FORM1	SUMMAT
C	OF THE GENERAL FORM OF CARE3.	SUMMAT
	CBARI=CDP+CBXP	SUMMAT
	CBARJ=CDM+CBXM	SUMMAT
	CBARK=CDB+CBXB	SUMMAT
C	CREATE CAPITAL DY AND BXY ARRAYS IF DBFLCD=C	SUMMAT
	IF(DBFLCD.NE.1HC) GO TO 200	SUMMAT
	CDYDB(IT)=CDP+CDM+CDB	SUMMAT
	CBXYDB(IT)=CBXP+CBXM+CBXB	SUMMAT
200	CONTINUE	SUMMAT
C		SUMMAT
C	FOR PCBARJL USE FUNCTION CPSTAR	SUMMAT
	PSTIM2=CPSTAR(IM2,NP,1,IT)	SUMMAT
	PSTJM2=CPSTAR(JM2,NM,2,IT)	SUMMAT
	PSTKM2=CPSTAR(KM2,NB,3,IT)	SUMMAT
	PSTIM1=CPSTAR(IM1,NP,1,IT)	SUMMAT
	PSTJM1=CPSTAR(JM1,NM,2,IT)	SUMMAT
	PSTKM1=CPSTAR(KM1,NB,3,IT)	SUMMAT
	PSTI=CPSTAR(I,NP,1,IT)	SUMMAT
	PSTJ=CPSTAR(J,NM,2,IT)	SUMMAT
	PSTK=CPSTAR(K,NB,3,IT)	SUMMAT

C		SUMMAT
C	COMPUTE ALL NECESSARY NON-PRIME, PRIME AND DOUBLE PRIME	SUMMAT
C	COMBINATIONS OF THE CAPITAL P* FUNCTION - CPSTAR FOR USE IN	SUMMAT
C	COMPUTING THE AINTGRD AND APINTG ARRAYS.	SUMMAT
C	NON-PRIME COMBINATIONS	SUMMAT
	PST3IP=PSTIM1*PSTJ*PSTK	SUMMAT
	PST3JP=PSTI*PSTJM1*PSTK	SUMMAT
	PST3KP=PSTI*PSTJ*PSTKM1	SUMMAT
C	PRIME COMBINATIONS	SUMMAT
	PST3IJP=PSTIM1*PSTJM1*PSTK	SUMMAT
	PST3IKP=PSTIM1*PSTJ*PSTKM1	SUMMAT
	PST3JKP=PSTI*PSTJM1*PSTKM1	SUMMAT
C	DOUBLE-PRIME COMBINATIONS	SUMMAT
	PST3IDP=PSTIM2*PSTJ*PSTK	SUMMAT
	PST3JDP=PSTI*PSTJM2*PSTK	SUMMAT
	PST3KDP=PSTI*PSTJ*PSTKM2	SUMMAT
C		SUMMAT
C	FOR PERMANENT FAULT CASE, I.E. WHEN ALPHA1=0.0 AND BETA1=0.0,	SUMMAT
C	AXY AND APXY =0.0	SUMMAT
	IF(ALPHA1.EQ.0.0) GO TO 450	SUMMAT
C		SUMMAT
C	COMPUTE AINTGRD TO BE USED IN THE CALCULATIONS OF AXY.	SUMMAT
C	COMPUTE AINTGRD(IXY,IT,JL). BECAUSE AXY AND APXY HAVE INTEGRANDS WITH	SUMMAT
C	FUNCTIONS THAT ARE DEPENDENT UPON TAU AND T-TAU, THE INTEGRATION	SUMMAT
C	MUST BE PERFORMED FROM 0 TO T EACH TIME. THEREFORE AINTGRD MUST	SUMMAT
C	RETAIN ALL "IT" COMPUTATIONS PER VECTOR.	SUMMAT
C		SUMMAT
	G2PCOMP=1.0-G2(IP,IT)	SUMMAT
	G2MCOMP=1.0-G2(IM,IT)	SUMMAT
	G2BCOMP=1.0-G2(IB,IT)	SUMMAT
C	CPSTAR AND LY COMBINATIONS FOR JL=1=IP	SUMMAT
	PST1=PST3IDP	SUMMAT
	PST2=PST3IJP	SUMMAT
	PST3=PST3IKP	SUMMAT
	ILY=IM2	SUMMAT
	JLY=JM1	SUMMAT
	KLY=KM1	SUMMAT
	DO 290 JL=1,3	SUMMAT
	DO 275 IXY=1,3	SUMMAT
	AINTGRD(IXY,IT,JL)=PST1*CBXY(IXY,JL)*LAMP*G2PCOMP	SUMMAT
	AINTGRD(IXY+3,IT,JL)=PST2*CBXY(IXY+3,JL)*LAMM*G2MCOMP	SUMMAT
	AINTGRD(IXY+6,IT,JL)=PST3*CBXY(IXY+6,JL)*LAMB*G2BCOMP	SUMMAT
275	CONTINUE	SUMMAT
C	COMPUTE AXY FOR JL=1	SUMMAT
	CALL AORAP(ILY,JLY,KLY,IT,JL,G2WT,H2WT,AINTGRD,AXY)	SUMMAT
C	SUM AXY OVER X AND Y FOR JL	SUMMAT
	DO 280 IXAY=1,9	SUMMAT
	AXYS(JL)=AXYS(JL)+AXY(IXAY)	SUMMAT
280	CONTINUE	SUMMAT
	IF(JL.EQ.2) GO TO 285	SUMMAT
C	CPSTAR AND LY COMBINATIONS FOR JL=2=IP	SUMMAT
	PST1=PST3IJP	SUMMAT
	PST2=PST3JDP	SUMMAT
	PST3=PST3JKP	SUMMAT
	ILY=IM1	SUMMAT
	JLY=JM2	SUMMAT
	KLY=KM1	SUMMAT
	GO TO 290	SUMMAT
C	CPSTAR AND LY COMBINATIONS FOR JL=3=IB	SUMMAT
285	PST1=PST3IKP	SUMMAT
	PST2=PST3JKP	SUMMAT
	PST3=PST3KDP	SUMMAT
	ILY=IM1	SUMMAT
	JLY=JM1	SUMMAT
	KLY=KM2	SUMMAT
290	CONTINUE	SUMMAT

C		SUMMAT
C	COMPUTE AXYSUM	SUMMAT
	AXYS(IP)=AXYS(IP)*SLAMI	SUMMAT
	AXYS(IM)=AXYS(IM)*SLAMJ	SUMMAT
	AXYS(IB)=AXYS(IB)*SLAMK	SUMMAT
	DO 300 JL=1,3	SUMMAT
	300 AXYSUM=AXYSUM+AXYS(JL)	SUMMAT
C		SUMMAT
C	COMPUTE APINTG TO BE USED IN THE CALCULATION OF APXY.	SUMMAT
C	COMPUTE APINTG(IXY,IT,1)	SUMMAT
	DO 350 IXY=1,3	SUMMAT
	APINTG(IXY,IT,1)=PST3IP*CBXYP(IXY)*LAMP*G2PCOMP	SUMMAT
	APINTG(IXY+3,IT,1)=PST3JP*CBXYP(IXY+3)*LAMM*G2MCOMP	SUMMAT
	350 APINTG(IXY+6,IT,1)=PST3KP*CBXYP(IXY+6)*LAMB*G2BCOMP	SUMMAT
C		SUMMAT
C	COMPUTE APXY	SUMMAT
	JL=1	SUMMAT
	CALL AORAP(IM1,JM1,KM1,IT,JL,G2PWT,H2PWT,APINTG,APXY)	SUMMAT
C	SUM APXY OVER X AND Y	SUMMAT
	DO 400 IXY=1,9	SUMMAT
	APXYSUM=APXYSUM + APXY(IXY)	SUMMAT
	400 CONTINUE	SUMMAT
C		SUMMAT
C	COMPUTE PCBARJL WHICH IS MADE UP OF PCEARI,PCBARJ,PCBARK	SUMMAT
	450 CONTINUE	SUMMAT
	PCBARI=CBARI*PST3IP*SLAMI	SUMMAT
	PCBARJ=CBARJ*PST3JP*SLAMJ	SUMMAT
	PCBARK=CBARK*PST3KP*SLAMK	SUMMAT
C		SUMMAT
	SUM(IS)=PCBARI+PCBARJ+PCBARK	SUMMAT
C		SUMMAT
C		SUMMAT
C	FINISH SUMMATION COMPUTATION BY ADDING QLT TERMS MULTIPLIED BY	SUMMAT
C	APPROPRIATE SLAM AND STORING IN ARRAY RSTSUM(IS)	SUMMAT
C		SUMMAT
C	RETRIEVE QLT TERMS USING MAPDIM SUBROUTINE	SUMMAT
	RSTSUM(IS)=0.0	SUMMAT
	IIM1=II-1	SUMMAT
	IF(IIM1.LE.0) GO TO 710	SUMMAT
	CALL MAPDIM(IIM1,JJ,KK,KURSET,INDX)	SUMMAT
	RSTSUM(IS)=QLT(INDX,IT)*SLAMI	SUMMAT
710	JJM1=JJ-1	SUMMAT
	IF(JJM1.LE.0) GO TO 720	SUMMAT
	CALL MAPDIM(II,JJM1,KK,KURSET,INDX)	SUMMAT
	RSTSUM(IS)=RSTSUM(IS)+(QLT(INDX,IT)*SLAMJ)	SUMMAT
720	KKM1=KK-1	SUMMAT
	IF(KKM1.LE.0) GO TO 730	SUMMAT
	CALL MAPDIM(II,JJ,KKM1,KURSET,INDX)	SUMMAT
	RSTSUM(IS)=RSTSUM(IS)+(QLT(INDX,IT)*SLAMK)	SUMMAT
730	CONTINUE	SUMMAT

C	WRITE SUM Q+PCBAR,SUM AXY, SUM APXY TO FUNCFL IF DBFLCD=S	SUMMAT
	IF(DBFLCD.NE.1HS) GO TO 900	SUMMAT
	IF(IT.GT.1) GO TO 800	SUMMAT
	WRITE(8,799)I,J,K	SUMMAT
799	FORMAT(/2X,"FOR VECTOR(I,J,K) = (" ,12," ,",11," ,",11,")"/2X,	SUMMAT
1	"IT",3X,"SUM Q+PCBAR",8X,"SUM AXY",12X,"SUM APXY"/)	SUMMAT
800	CONTINUE	SUMMAT
	GPC=RSTSUM(IS)+SUM(IS)	SUMMAT
	WRITE(8,899) IT,GPC,AXYSUM,APXYSUM	SUMMAT
899	FORMAT(2X,12,3(3X,E16.10))	SUMMAT
900	CONTINUE	SUMMAT
C		SUMMAT
C	ADD APRIME SUM AND A SUM TO SUM ARRAY BEFORE INTEGRATING	SUMMAT
C	NOTE: AXYSUM AND APXYSUM ARE 0.0 IF ALPHA1 AND BETA1=0.0	SUMMAT
	SUM(IS)=SUM(IS) + AXYSUM + APXYSUM	SUMMAT
C	SUM(IS) AND RSTSUM(IS) MUST BE DIVIDED BY EXP(-SLAML*TAU) IN SUBROUT-	SUMMAT
C	INE TRAPINT AND SIMPINT BEFORE THE TOTAL IS INTEGRATED.	SUMMAT
C		SUMMAT
	RETURN	SUMMAT
	END	SUMMAT
	SUBROUTINE TRAPINT(SLAML,SUBINTG)	TRAPINT
	COMMON/INTGRAT/ ITSTPS,STEP,SUM(3),RSTSUM(3)	TRAPINT
	SUBINTG=0.0	TRAPINT
	TAU=0.0	TRAPINT
	DO 60 ITAU=1,2	TRAPINT
	DIVSR1=EXP(-SLAML*TAU)	TRAPINT
	QUO=(RSTSUM(ITAU)+SUM(ITAU))/DIVSR1	TRAPINT
	TAU=TAU+STEP	TRAPINT
	SUBINTG=SUBINTG+QUO	TRAPINT
60	CONTINUE	TRAPINT
	SUBINTG=STEP*SUBINTG/2.0	TRAPINT
	RETURN	TRAPINT
	END	TRAPINT
	SUBROUTINE SIMPINT(IT,SLAML,SUBINTG)	SIMPINT
	COMMON/INTGRAT/ ITSTPS,STEP,SUM(3),RSTSUM(3)	SIMPINT
	SUBINTG=0.0	SIMPINT
	TAU=STEP*(IT-3)	SIMPINT
	ITM2=IT-2	SIMPINT
	IS=1	SIMPINT
	DO 70 ITAU=ITM2,IT	SIMPINT
	DIVSR1=EXP(-SLAML*TAU)	SIMPINT
	TAU=TAU+STEP	SIMPINT
	QUO=(RSTSUM(IS)+SUM(IS))/DIVSR1	SIMPINT
	IF(ITAU.NE.IT-1) GO TO 68	SIMPINT
	SUBINTG=SUBINTG+4.0*QUO	SIMPINT
	IS=IS+1	SIMPINT
	GO TO 70	SIMPINT
68	SUBINTG=SUBINTG+QUO	SIMPINT
	IS=IS+1	SIMPINT
70	CONTINUE	SIMPINT
	SUBINTG=STEP*SUBINTG/3.0	SIMPINT
	RETURN	SIMPINT
	END	SIMPINT

	DBCOMI=FIMO(MU+1)	SDYBXY
	DBCIM1=FIM1MO(MU+1)	SDYBXY
	DBCOMJ=FJMO(MUP+1)	SDYBXY
	DBCJM1=FJM1MO(MUP+1)	SDYBXY
	DBCK=FKN0(NU+1)	SDYBXY
	DBCKM1=FKM1NO(NU+1)	SDYBXY
	DB1K=FKN1(NU+1)	SDYBXY
	DB1KM1=FKM1N1(NU+1)	SDYBXY
	NPMI=NP-ICM1	SDYBXY
	NMMJ=NM-JCM1	SDYBXY
	NBMK=NB-KCM1	SDYBXY
C		SDYBXY
C		SDYBXY
C	DEFINE FUNCTION DP	SDYBXY
	DP=DBCIM1*DBCOMJ*DB1K*PWRMUS*(TMU/NPMI)	SDYBXY
	DPA(INDB)=DP	SDYBXY
C		SDYBXY
C	DEFINE FUNCTION DM	SDYBXY
	DM=DBCOMI*DBCJM1*DB1K*PWRMUS*(TMUP/NMMJ)	SDYBXY
	DMA(INDB)=DM	SDYBXY
C		SDYBXY
C	DEFINE FUNCTION DB	SDYBXY
	DB=(3.0/NBMK)*DBCOMI*DBCOMJ*DBCKM1*((1.0-PWRMUS)-(2.0*MUS*PWRMUS))	SDYBXY
	IF(.NOT.MUSZERO) DB=DB+((2.0/NBMK)*DBCOMI*DBCOMJ*DB1KM1*PWRMUS)	SDYBXY
	IF(DB.LT.0) DB=C.0	SDYBXY
	DBA(INDB)=DB	SDYBXY
C		SDYBXY
C	CURRENTLY DEFINITIONS FOR FUNCTIONS BMP AND BPM DO NOT EXIST.	SDYBXY
	BMP=0.0	SDYBXY
	BMPA=BMP	SDYBXY
	BPM=0.0	SDYBXY
	BPMA=BPM	SDYBXY
C		SDYBXY
C	DEFINE FUNCTION BPP	SDYBXY
	BPP=(TMU/NPMI)*DBCIM1*DBCOMJ*DBCK	SDYBXY
	BPPA(INDB)=BPP	SDYBXY
C		SDYBXY
C	DEFINE FUNCTION BMM	SDYBXY
	BMM=(TMUP/NMMJ)*DBCOMI*DBCJM1*DBCK	SDYBXY
	BMMA(INDB)=BMM	SDYBXY
C		SDYBXY
C	DEFINE FUNCTION BPB	SDYBXY
	BEBCOM=(6.0/NBMK)*PWRMUS*DBCOMI*DBCKM1*DBCKM1	SDYBXY
	BPB=BBBCOM*MU	SDYBXY
	BPBA(INDB)=BPB	SDYBXY
C		SDYBXY
C	DEFINE FUNCTION BMB	SDYBXY
	BMB=BBBCOM*MUP	SDYBXY
	BMBA(INDB)=BMB	SDYBXY
C		SDYBXY
C	DEFINE FUNCTION BBP	SDYBXY
	EPMCOM=TWODIV3*DB1K*PWRMUS	SDYBXY
	BBP=BPMCOM*((NPMI-TMU)/NPMI)*DBCIM1*DBCOMJ	SDYBXY
	BBPA(INDB)=BBP	SDYBXY
C		SDYBXY
C	DEFINE FUNCTION BBM	SDYBXY
	BEM=BPMCOM*((NMMJ-TMUP)/NMMJ)*DBCOMI*DBCJM1	SDYBXY
	BBMA(INDB)=BBM	SDYBXY
C		SDYBXY
C	DEFINE FUNCTION BBB FOR MU=MUP=0, OTHERWISE BBB=0.0	SDYBXY
	BBB=0.0	SDYBXY
	IF(MUSZERO) BBB=(2.0/NBMK)*DB1KM1	SDYBXY
	BBBA(INDB)=BBB	SDYBXY
	RETURN	SDYBXY
	END	SDYBXY

FUNCTION PX(MUX,JL,NUM,IT)	PX
COMMON/INVAR/ EMLAM(3,51),EMDEL(4,51),EPLAM1(3,51),EMLAM2(3,51),	PX
1 G2(3,51),AT(3,51),CT(3,51)	PX
C	PX
C	PX
C PX=1.0 AT TIME 0 FOR JL=MUX	PX
IF(IT.NE.1 .OR. JL.NE.MUX) GO TO 50	PX
PX=1.0	PX
RETURN	PX
50 CONTINUE	PX
C	PX
C PX=0.0 AT TIME 0	PX
IF(IT.GT.1 .AND. JL.GE.0 .AND. JL.GE.MUX) GO TO 100	PX
PX=0.0	PX
RETURN	PX
C	PX
100 CONTINUE	PX
BINOM=FNCK(JL,MUX)	PX
APRIME=AT(NUM,IT)/(1.0-EPLAM(NUM,IT))	PX
APMUX=1.0	PX
IF(MUX.NE.0) APMUX=APRIME**MUX	PX
APCOMP=1.0	PX
IF((JL-MUX).NE.0) APCOMP=((1.0-APRIME)**(JL-MUX))	PX
PX=BINOM*APMUX*APCOMP	PX
RETURN	PX
END	PX
SUBROUTINE FN0N1(NCON,KL,NUX,FN0,FN1)	FN0N1
IF(NUX.GT.0) GO TO 10	FN0N1
FN0=1.0	FN0N1
FN1=0.0	FN0N1
RETURN	FN0N1
10 CONTINUE	FN0N1
NBMK=NCON-KL	FN0N1
NBMKPNU=NBMK+NUX	FN0N1
DENOMR=NBMKPNU*(NBMKPNU-1)*(NBMKPNU-2)	FN0N1
COMTRM=NBMK*(NBMK-1)	FN0N1
C	FN0N1
XNUMBER=COMTRM*(NBMK-2)	FN0N1
C COMPUTE FUNCTION N0	FN0N1
FN0=XNUMBER/DENOMR	FN0N1
C	FN0N1
XNUMBER=3.0*COMTRM*NUX	FN0N1
C COMPUTE FUNCTION N1	FN0N1
FN1=XNUMBER/DENOMR	FN0N1
RETURN	FN0N1
END	FN0N1
FUNCTION FUNCMO(NCON,JL,MUX)	FUNCMO
IF(MUX.GT.1) GO TO 10	FUNCMO
FUNCMO=1.0	FUNCMO
RETURN	FUNCMO
10 CONTINUE	FUNCMO
NXMLPMU=NCON-JL+MUX	FUNCMO
XNUMBER=1.0	FUNCMO
DENOMR=1.0	FUNCMO
MUM1=MUX-1	FUNCMO
DO 100 MULT=1,MUM1	FUNCMO
XNUMBER=(NXMLPMU-(3*MULT))*XNUMBER	FUNCMO
DENOMR=(NXMLPMU-MULT)*DENOMR	FUNCMO
100 CONTINUE	FUNCMO
FUNCMO=XNUMBER/DENOMR	FUNCMO
RETURN	FUNCMO
END	FUNCMO

	FUNCTION GTR2(XLAM,DELTA2,NUM,IT)	GTR2
	REV. 1/26/79	GTR2
C	COMMON/RATES/ LAMP,LAMM,LAMB,LAMBG,DELTAP,DELTAM,DELTAB,DELTABG,	GTR2
	1 ALPHA1,BETA1,ALPHA2,BETA2	GTR2
	COMMON/INVAR/ EMLAM(3,51),EMDEL(4,51),EMLAM1(3,51),EMLAM2(3,51),	GTR2
	1 G2(3,51),AT(3,51),CT(3,51)	GTR2
	REAL LAMP,LAMM,LAMB,LAMBG	GTR2
C		GTR2
C	AT TIME 0.0, GTR2=1.0; IT ALSO EQUALS 1.0 IF ALPHA1=0.0 AT ANY TIME	GTR2
	IF(ALPHA1.EQ.0.0) GO TO 2	GTR2
	IF(IT.GT.1) GO TO 5	GTR2
	2 GTR2=1.0	GTR2
	RETURN	GTR2
C		GTR2
C		GTR2
C	COMPUTE TERMS THAT ARE USED MORE THAN ONCE.	GTR2
C		GTR2
	5 CONTINUE	GTR2
	XLAM1=XLAM12(1,DELTA2)	GTR2
	XLAM2=XLAM12(2,DELTA2)	GTR2
C		GTR2
	EL=EMLAM(NUM,IT)	GTR2
	EL1=EMLAM1(NUM,IT)	GTR2
	EL2=EMLAM2(NUM,IT)	GTR2
C		GTR2
	XLML1=XLAM-XLAM1	GTR2
	XLML2=XLAM-XLAM2	GTR2
	XL1ML2=XLAM1-XLAM2	GTR2
C		GTR2
	XNUMBER=(ALPHA1*XLML1*EL2)-(ALPHA1*XLML2*EL1)+(ALPHA1*XL1ML2*EL)	GTR2
	DENOMR=(XLML2*(DELTA2-XLAM2)*EL1) - (XLML1*(DELTA2-XLAM1)*EL2)	GTR2
	1 + (XL1ML2*(XLAM1+XLAM2-XLAM-DELTA2)*EL)	GTR2
	IF(DENOMR.NE.0.0) GO TO 20	GTR2
	PRINT 999,XLML2,DELTA2,XLAM2,EL1,XLML1,XLAM1,EL2,XL1ML2,XLAM,EL	GTR2
999	FORMAT(" DENOMR IN FUNCTION GTR2, IS 0.0")	GTR2
	1 " XLML2",13X,"DELTA2",12X,"XLAM2",13X,"EL1",15X,"XLML1",13X,	GTR2
	2 "XLAM1",13X,"EL2"/1X,6(E16.10,2X)/	GTR2
	3 "XL1ML2",12X,"XLAM",14X,"EL"/1X,3(E16.10,2X)) ,	GTR2
	STOP	GTR2
	20 TERM=XNUMBER/DENOMR	GTR2
C		GTR2
	GTR2=1.0-TERM	GTR2
	RETURN	GTR2
	END	GTR2
	FUNCTION AFUNC(XLAM,DELTA,NUM,IT)	AFUNC
	COMMON/RATES/ LAMP,LAMM,LAMB,LAMBG,DELTAP,DELTAM,DELTAB,DELTABG,	AFUNC
	1 ALPHA1,BETA1,ALPHA2,BETA2	AFUNC
	COMMON/INVAR/ EMLAM(3,51),EMDEL(4,51),EMLAM1(3,51),EMLAM2(3,51),	AFUNC
	1 G2(3,51),AT(3,51),CT(3,51)	AFUNC
	REAL LAMP,LAMM,LAMB,LAMBG	AFUNC
C		AFUNC
	EML=EMLAM(NUM,IT)	AFUNC
C		AFUNC
C	CODE FOR BUS RATES	AFUNC
	IF(NUM.NE.3) GO TO 10	AFUNC
	AFUNC=(XLAM/(DELTA-XLAM)) * (EML-EMDEL(NUM,IT))	AFUNC
	GO TO 20	AFUNC
C		AFUNC
C	CODE FOR PROCESSOR AND MEMORY RATES	AFUNC
	10 CONTINUE	AFUNC
	TERM1=(LAMBG/(DELTABG-XLAM)) * (EML-EMDEL(4,IT))	AFUNC
	TERM2=((XLAM-LAMBG)/(DELTA-XLAM)) * (EML-EMDEL(NUM,IT))	AFUNC
	AFUNC=TERM1+TERM2	AFUNC
C		AFUNC
	20 CONTINUE	AFUNC
	RETURN	AFUNC
	END	AFUNC

	SUBROUTINE AEFUNCS(XLAM,DELTA,NUM,IT,ATR,BTR)	ABFUNCS
	COMMON/INVAR/ EMLAM(3,51),EMDEL(4,51),EMLAM1(3,51),EMLAM2(3,51),	ABFUNCS
1	G2(3,51),AT(3,51),CT(3,51)	ABFUNCS
C		ABFUNCS
C	COMPUTE TERMS THAT ARE USED MORE THAN ONCE	ABFUNCS
C		ABFUNCS
	XLAM1=XLAM12(1,DELTA)	ABFUNCS
	XLAM2=XLAM12(2,DELTA)	ABFUNCS
C		ABFUNCS
	DENOMR1=(XLAM1-XLAM2)*(XLAM-XLAM1)	ABFUNCS
	DENOMR2=(XLAM1-XLAM2)*(XLAM-XLAM2)	ABFUNCS
	DENOMR3=(XLAM-XLAM1)*(XLAM-XLAM2)	ABFUNCS
C		ABFUNCS
	IF(DENOMR1.NE.0.0 .AND. DENOMR2.NE.0.0 .AND. DENOMR3.NE.0.0)	ABFUNCS
1	GO TO 10	ABFUNCS
	PRINT 99,XLAM1,XLAM2,XLAM	ABFUNCS
99	FORMAT(" DENOMR IN FUNCTION ATR IS 0.0"/	ABFUNCS
1	" XLAM1",13X,"XLAM2",13X,"XLAM"/1X,3(E16.10,2X))	ABFUNCS
	STOP	ABFUNCS
C		ABFUNCS
10	TERM1=((XLAM*(DELTA-XLAM2))/DENOMR1) * EMLAM1(NUM,IT)	ABFUNCS
	TERM2=((XLAM*(DELTA-XLAM1))/DENOMR2) * EMLAM2(NUM,IT)	ABFUNCS
	TERM3=((XLAM*(XLAM1+XLAM2-DELTA-XLAM))/DENOMR3) * EMLAM(NUM,IT)	ABFUNCS
	ATR=TERM1-TERM2+TERM3	ABFUNCS
	TERM4=((XLAM1*XLAM2-XLAM*DELTA)/DENOMR3) * EMLAM(NUM,IT)	ABFUNCS
	BTR=1.0-(TERM1-TERM2+TERM4)	ABFUNCS
	RETURN	ABFUNCS
	END	ABFUNCS
	FUNCTION XLAM12(PORM,DELTA)	XLAM12
	COMMON/RATES/ LAMP,LAMM,LAMB,LAMBG,DELTAP,DELTAM,DELTAE,DELTABG,	XLAM12
1	ALPHA1,BETA1,ALPHA2,BETA2	XLAM12
C		XLAM12
C	PARAMETER PORM(PLUS OR MINUS) DETERMINES WHETHER THE 2 TERMS OF	XLAM12
C	THIS FUNCTION SHOULD BE ADDED OR SUBTRACTED.	XLAM12
C		XLAM12
	REAL LAMP,LAMM,LAMB,LAMBG	XLAM12
	INTEGER PORM	XLAM12
C		XLAM12
	SUBTRM=ALPHA1+DELTA+BETA1	XLAM12
	TERM1=0.5*SUBTRM	XLAM12
	SUBTRM2=SUBTRM*SUBTRM	XLAM12
	TERM2=0.5*SQRT(SUBTRM2-(4.0*BETA1*DELTA))	XLAM12
C		XLAM12
	IF(PORM.NE.1) GO TO 10	XLAM12
	XLAM12=TERM1+TERM2	XLAM12
	GO TO 30	XLAM12
10	IF(PORM.NE.2) GO TO 20	XLAM12
	XLAM12=TERM1-TERM2	XLAM12
	GO TO 30	XLAM12
20	PRINT*," ERROR - PORM PARAMETER MUST EQUAL EITHER 1 OR 2 ",PORM	XLAM12
30	RETURN	XLAM12
	END	XLAM12

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FUNCTION PSTAR(JL,NCON,NUM,IT)
COMMON/INVAR/ EPLAM(3,51),EMDEL(4,51),EPLAM1(3,51),EPLAM2(3,51),
1 G2(3,51),AT(3,51),CT(3,51)
IF(JL) 10,20,30
10 PSTAR=0.0
RETURN
20 PSTAR=1.0
RETURN
30 ECOMP=1.0 - EPLAM(NUM,IT)
ECOMPP=ECOMP
IF(JL.EQ.1) GO TO 50
35 DO 40 IP=2,JL
ECOMPP=ECOMP*ECOMPP
40 CONTINUE
50 PSTAR=FNCK(NCON,JL)*ECOMPP
RETURN
END
FUNCTION CPSTAR(JL,NCON,NUM,IT)
COMMON/INVAR/ EPLAM(3,51),EMDEL(4,51),EPLAM1(3,51),EPLAM2(3,51),
1 G2(3,51),AT(3,51),CT(3,51)
PART=PSTAR(JL,NCON,NUM,IT)
C COMPUTE EXP RAISED TO THE POWER -LAM*T,NCON-JL TIMES
EMLT=EPLAM(NUM,IT)
EMLTP=EMLT
NMULTS=NCON-JL
IF(NMULTS.LE.1) GO TO 20
DO 10 ITIMES=2,NMULTS
EMLTP=EMLT*EMLTP
10 CONTINUE
20 CPSTAR=PART*EMLTP
RETURN
END
SUBROUTINE SUMRMA(II,JJ,KK,KURSET,IT)
COMMON/CONFIG/ NF,NM,NB,NPF,NMF,NBF,NSET(14),QLT(112,51)
COMMON/RATES/ LAMP,LAMM,LAMB,LAMBG,DELTAP,DELTAM,DELTAB,DELTABG,
1 ALPHA1,BETA1,ALPHA2,BETA2
COMMON/INVAR/ EPLAM(3,51),EMDEL(4,51),EPLAM1(3,51),EPLAM2(3,51),
1 G2(3,51),AT(3,51),CT(3,51)
COMMON/INTGRAT/ ITSTPS,STEP,SUM(3),RSTSUM(3)
COMMON/EIGCOM/ EIGSD(3,3,3),EIGWR(3),G2WT(9,51),H2WT(9,51),
1 G2PWT(9,51),H2PWT(9,51)
COMMON/DEBUGC/ DBFLCD,CDYDB(51),CBXYDB(51)
C THE D AND B FUNCTIONS ARE NOT TIME DEPENDENT - THEY NEED ONLY
C BE COMPUTED ONCE PER VECTOR CHANGE - NOT EVERY TIME "IT" CHANGES.
C THE SEPARATE FUNCTIONS ARE DIMENSIONED TO 448 BECAUSE 448 UNIQUE
C STATE VECTORS EXIST FOR THE CURRENT MAXIMUM CASE: 15 9 5 TO 2 2 2.
C BECAUSE THERE ARE NO FNCTION DEFINITIONS AT THIS TIME FOR BMP AND
C BPM THEY ARE DUMMY PLACE HOLDERS ONLY.
COMMON/DBFUNCS/ DPA(448),DMA(448),DBA(448),BPPA(448),BPMA,
1 BBPA(448),BPMA,BMMA(448),BBMA(448),BPBA(448),BMBA(448),
2 BBBA(448),INDB,DP,DM,DB,BPP,BMP,BBP,BPM,BMM,BBM,BPB,BMB,BBB,
3 FIMO(14),FIM1MO(14),FJMC(8),FJM1MO(8),FKNO(4),FKM1NO(4),
4 FKN1(4),FKM1N1(4)
DIMENSION AINTGR(9,51,3),APINTG(9,51,1)
DIMENSION B(9),SB(9),CBXY(9,3),AXY(9),AFXY(9),AXYS(3),BPRIME(9)
DIMENSION CBXP(9)

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C	EQUIVALENCE(BPP,B(1))	SUMRMA
	REAL LAMP,LAMM,LAMB,LAMBG	SUMRMA
C	TOTAL NUMBER OF UNIQUE STATES	SUMRMA
	DATA ITOTUS/448/	SUMRMA
C		SUMRMA
C		SUMRMA
	IP=1	SUMRMA
	IM=2	SUMRMA
	IB=3	SUMRMA
	I=I1-1	SUMRMA
	J=J1-1	SUMRMA
	K=K1-1	SUMRMA
	IM1=I-1	SUMRMA
	JM1=J-1	SUMRMA
	KM1=K-1	SUMRMA
	IM2=I-2	SUMRMA
	JM2=J-2	SUMRMA
	KM2=K-2	SUMRMA
C		SUMRMA
	IF(IT.GE.4) GO TO 15	SUMRMA
C	COMPUTE SUM(IS) FOR IS=IT,2 AND 3	SUMRMA
	IS=IT	SUMRMA
	GO TO 21	SUMRMA
C	FOR NON-REDUNDANT COMPUTATION PURPOSES:	SUMRMA
C	SHIFT SUM(2) INTO SUM(1), SHIFT SUM(3) INTO SUM(2),	SUMRMA
C	COMPUTE SUM(3) FOR IT GREATER THAN 3.	SUMRMA
C	DO THE SAME MANIPULATION TO RSTSUM.	SUMRMA
	15 DO 20 IS=2,3	SUMRMA
	SUM(IS-1)=SUM(IS)	SUMRMA
	RSTSUM(IS-1)=RSTSUM(IS)	SUMRMA
	20 CONTINUE	SUMRMA
	IS=3	SUMRMA
	21 CONTINUE	SUMRMA
C		SUMRMA
C		SUMRMA
	NPMIP1=NP-I+1	SUMRMA
	NMMJP1=NM-J+1	SUMRMA
	NBMK=NB-K	SUMRMA
	NBMKP1=NBMK+1	SUMRMA
C		SUMRMA
C	COMPUTE SLAMI,SLAMJ,SLAMK.	SUMRMA
C		SUMRMA
	SLAMI=NPMIP1*LAMP	SUMRMA
	SLAMJ=NMMJP1*LAMM	SUMRMA
	SLAMK=NBMKP1*LAMB	SUMRMA
C		SUMRMA
C		SUMRMA
C		SUMRMA
C	COMPUTE CBARJL	SUMRMA
C		SUMRMA
	INDB=1	SUMRMA
	CDP=0.0	SUMRMA
	CDM=0.0	SUMRMA
	CDB=0.0	SUMRMA
	CBXP=0.0	SUMRMA
	CBXM=0.0	SUMRMA
	CBXB=0.0	SUMRMA
	DO 22 JL=1,3	SUMRMA
	DO 22 IY=1,9	SUMRMA
	CBXY(IY,JL)=0.0	SUMRMA
	22 CONTINUE	SUMRMA

DO 23 IY=1,9	SUMRMA
23 CBXYP(IY)=0.0	SUMRMA
AXYSUM=0.0	SUMRMA
AXYS(IP)=0.0	SUMRMA
AXYS(IM)=0.0	SUMRMA
AXYS(IB)=0.0	SUMRMA
APXYSUM=0.0	SUMRMA
C	SUMRMA
C COMPUTE FUNCTIONS THAT ARE NOT TIME DEFENDENT	SUMRMA
C	SUMRMA
IF(IT.GT.1) GO TO 35	SUMRMA
C WRITE CURRENT VECTOR TO FUNCFL	SUMRMA
IF(DBFLCD.EQ.1HF) WRITE(8,499) I,J,K	SUMRMA
499 FORMAT(/" D AND B FUNCTIONS FOR VECTOR (" ,I2," ,",I2," ,",I2,")")	SUMRMA
C	SUMRMA
C COMPUTE FUNCTIONS NC,N1,MO AND STORE IN F ARRAYS FOR LATER	SUMRMA
C USE IN COMPUTING THE D AND B FUNCTIONS	SUMRMA
C	SUMRMA
DO 24 MUP1=1,II	SUMRMA
MU=MUP1-1	SUMRMA
FIMO(MUP1)=FUNCMO(NP,I,MU)	SUMRMA
FIM1MO(MUP1)=FUNCMO(NP,IM1,MU)	SUMRMA
24 CONTINUE	SUMRMA
C	SUMRMA
DO 26 MUPP1=1,JJ	SUMRMA
MUP=MUPP1-1	SUMRMA
FJMO(MUPP1)=FUNCMO(NM,J,MUP)	SUMRMA
FJM1MO(MUPP1)=FUNCMO(NM,JM1,MUP)	SUMRMA
26 CONTINUE	SUMRMA
C	SUMRMA
DO 28 NUP1=1,KK	SUMRMA
NU=NUP1-1	SUMRMA
CALL FNON1(NB,K,NU,FNO,FN1)	SUMRMA
FKNO(NUP1)=FNO	SUMRMA
FKN1(NUP1)=FN1	SUMRMA
CALL FNON1(NB,KM1,NU,FNO,FN1)	SUMRMA
FKM1NO(NUP1)=FNO	SUMRMA
FKM1N1(NUP1)=FN1	SUMRMA
28 CONTINUE	SUMRMA
C	SUMRMA
C COMPUTE D AND B FUNCTIONS AND STORE IN D AND B ARRAYS	SUMRMA
C FOR LATER USE WITH ALL TIME STEPS.	SUMRMA
DO 30 NUP1=1,KK	SUMRMA
NU=NUP1-1	SUMRMA
DO 30 MUPP1=1,JJ	SUMRMA
MUP=MUPP1-1	SUMRMA
DO 30 MUP1=1,II	SUMRMA
MU=MUP1-1	SUMRMA
C	SUMRMA
CALL SDBRA(MU,MUP,NU,I,J,K)	SUMRMA
C	SUMRMA
C WRITE CONTENTS OF COMMON/DBFUNCS/ TO FUNCFL	SUMRMA
IF(DBFLCD.EQ.1HF) WRITE(8,500) MU,MUP,NU,DP,DM,DB,(E(IF),IF=1,9)	SUMRMA
500 FORMAT(2X,3(I2,1X),2(6(1X,E16.10)/11X))	SUMRMA
C	SUMRMA
INDB=INDB+1	SUMRMA
IF(INDB.LE.ITOTUS) GO TO 30	SUMRMA
PRINT*," ERROR - D AND B FUNCTIONS ARRAY OVERFLOW - "	SUMRMA
1 "MAX NUMBER OF UNIQUE STATES INCREASE."	SUMRMA
STOP	SUMRMA
30 CONTINUE	SUMRMA
C	SUMRMA
35 CONTINUE	SUMRMA
C	SUMRMA

C		SUMRMA
C	BEGIN MAIN LOOPS TO SUM UP D AND B FUNCTIONS.	SUMRMA
C		SUMRMA
	INDB=0	SUMRMA
	DO 100 NUP1=1, KK	SUMRMA
	NU=NUP1-1	SUMRMA
	DO 100 MUPP1=1, JJ	SUMRMA
	MUP=MUPP1-1	SUMRMA
	DO 100 MUP1=1, II	SUMRMA
	MU=MUP1-1	SUMRMA
	INDB=INDB+1	SUMRMA
C		SUMRMA
C	PUT D AND B FUNCTIONS IN WORKING VARIABLES	SUMRMA
	DP=DPA(INDB)	SUMRMA
	DM=DMA(INDB)	SUMRMA
	DB=DBA(INDB)	SUMRMA
	BPP=BPPA(INDB)	SUMRMA
	BMP=BMFA	SUMRMA
	BBP=BBFA(INDB)	SUMRMA
	BPM=BPMA	SUMRMA
	BMM=BMMA(INDB)	SUMRMA
	BBM=BBMA(INDB)	SUMRMA
	BPB=BPBA(INDB)	SUMRMA
	BMB=BMBA(INDB)	SUMRMA
	BBB=BBBA(INDB)	SUMRMA
C		SUMRMA
C	INITIALIZE PCOND VARIABLES TO 0.0	SUMRMA
	PCIP=0.0	SUMRMA
	PCJP=0.0	SUMRMA
	PCKP=0.0	SUMRMA
	PCIJP=0.0	SUMRMA
	PCIKP=0.0	SUMRMA
	PCJKP=0.0	SUMRMA
	PCIDP=0.0	SUMRMA
	PCJDP=0.0	SUMRMA
	PCKDP=0.0	SUMRMA
	IF((MU+MUP+NU).GT.2) GO TO 40	SUMRMA
C		SUMRMA
C	COMPUTE ALL NECESSARY NON-PRIME, PRIME AND DOUBLE PRIME	SUMRMA
C	COMBINATIONS OF THE PCOND FUNCTION FOR USE IN COMPUTING	SUMRMA
C	THE BPRIME AND AINTGRD ARRAYS FOR MU+MUP+NU.LE.2.	SUMRMA
C	NON-PRIME COMBINATIONS	SUMRMA
	PCIP=PCOND(MU, MUP, NU, IM1, J, K, IT)	SUMRMA
	PCJP=PCOND(MU, MUP, NU, I, JM1, K, IT)	SUMRMA
	PCKP=PCOND(MU, MUP, NU, I, J, KM1, IT)	SUMRMA
C	PRIME COMBINATIONS	SUMRMA
	PCIJP=PCOND(MU, MUP, NU, IM1, JM1, K, IT)	SUMRMA
	PCIKP=PCOND(MU, MUP, NU, IM1, J, KM1, IT)	SUMRMA
	PCJKP=PCOND(MU, MUP, NU, I, JM1, KM1, IT)	SUMRMA
C	DOUBLE-PRIME COMBINATIONS	SUMRMA
	PCIDP=PCOND(MU, MUP, NU, IM2, J, K, IT)	SUMRMA
	PCJDP=PCOND(MU, MUP, NU, I, JM2, K, IT)	SUMRMA
	PCKDP=PCOND(MU, MUP, NU, I, J, KM2, IT)	SUMRMA
	40 CONTINUE	SUMRMA
C		SUMRMA
C		SUMRMA
C	MULTIPLY THE D AND B FUNCTIONS BY THE CORRESPONDING PCOND FUNCTION	SUMRMA
C	COMBINATION.	SUMRMA
	DP=DP*PCIP	SUMRMA
	DM=DM*PCJP	SUMRMA
	DB=DB*PCKP	SUMRMA

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C      INDX=1
      DO 50 IY=1,3
      BPRIME(INDX)=B(INDX)*PCIP
      INDX=INDX+1
50    CONTINUE
      DO 55 IY=1,3
      BPRIME(INDX)=B(INDX)*PCJP
      INDX=INDX+1
55    CONTINUE
      DO 60 IY=1,3
      BPRIME(INDX)=B(INDX)*PCKP
      INDX=INDX+1
60    CONTINUE

C
C      MULTIPLY THE B FUNCTIONS BY THE CORRESPONDING
C      GTR2 FUNCTION STORED IN ARRAY G2(IY,IT)
C      IF ALPHA1.EQ. 0.0, GTR2 FUNCTION .EQ. 1.0, THEREFORE THERE
C      IS NO NEED TO MULTIPLY BY IT.
      IF(ALPHA1.GT.0.0) GO TO 68
C      INITIALIZE SB ARRAY TO THE CONTENTS OF B ARRAY IF ALPHA1=0.0
      DO 65 IX=1,9
65    SB(IX)=BPRIME(IX)
      GO TO 75
68    CONTINUE
      INDX=1
      DO 70 IDUM=1,3
      DO 70 IX=1,3
      SB(INDX)=BPRIME(INDX)*G2(IX,IT)
      INDX=INDX+1
70    CONTINUE
75    CONTINUE

C
C      COMPUTE THE CAPITAL D AND B FUNCTIONS AND THE SUM OF THE
C      B FUNCTIONS OVER X.
      CDP=CDP+DP
      CDM=CDM+DM
      CDB=CDB+DB
C      SB(IY) IS THE SUM OF THE BXY'S * THE GTR2 FUNCTION
      DO 80 IY=1,3
      CBXYP(IY)=CBXYP(IY)+BPRIME(IY)
      CBXP=CBXP+SB(IY)
80    CONTINUE
      DO 82 IY=4,6
      CBXYP(IY)=CBXYP(IY)+BPRIME(IY)
      CBXM=CBXM+SB(IY)
82    CONTINUE
      DO 85 IY=7,9
      CBXYP(IY)=CBXYP(IY)+BPRIME(IY)
      CBXB=CBXB+SB(IY)
85    CONTINUE

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C		SUMRMA
C	COMPUTE THE SUM OF THE BXY'S MULTIPLIED BY THE APPROPRIATE	SUMRMA
C	PRIME OR DOUBLE-PRIME PCOND FUNCTION COMBINATIONS.	SUMRMA
C	PCOND FUNCTION COMEINATIONS FOR JL=1=IP	SUMRMA
	PC1=PCIDP	SUMRMA
	PC2=PCIJP	SUMRMA
	PC3=PCIKP	SUMRMA
	DO 96 JL=1,3	SUMRMA
	DO 92 IXY=1,3	SUMRMA
	CBXY(IXY,JL)=CBXY(IXY,JL)+(B(IXY)*PC1)	SUMRMA
	CBXY(IXY+3,JL)=CBXY(IXY+3,JL)+(B(IXY+3)*PC2)	SUMRMA
	CBXY(IXY+6,JL)=CBXY(IXY+6,JL)+(B(IXY+6)*PC3)	SUMRMA
92	CONTINUE	SUMRMA
	IF(JL.EQ.2) GO TO 94	SUMRMA
C	PCOND FUNCTION COMBINATIONS FOR JL=2=IM	SUMRMA
	FC1=PCIJP	SUMRMA
	PC2=PCJDP	SUMRMA
	PC3=PCJKP	SUMRMA
	GO TO 96	SUMRMA
C	PCOND FUNCTION COMBINATIONS FOR JL=3=IE	SUMRMA
94	PC1=PCIKP	SUMRMA
	PC2=PCJKP	SUMRMA
	PC3=PCKDP	SUMRMA
96	CONTINUE	SUMRMA
C		SUMRMA
100	CONTINUE	SUMRMA
C		SUMRMA
C	COMPUTE CBARJL MADE UP OF CBARI,CBARJ AND CBARK FOR FORM1	SUMRMA
C	OF THE GENERAL FORM OF CARE3.	SUMRMA
	CBARI=CDP+CBXP	SUMRMA
	CBARJ=CDM+CBXM	SUMRMA
	CBARK=CDB+CBXB	SUMRMA
C	CREATE CAPITAL DY AND BXY ARRAYS IF DBFLCD=C	SUMRMA
	IF(DBFLCD.NE.1HC) GO TO 200	SUMRMA
	CDYDB(IT)=CDP+CDM+CDB	SUMRMA
	CBXYDB(IT)=CBXF+CBXM+CBXB	SUMRMA
200	CONTINUE	SUMRMA
C		SUMRMA
C	FOR PCBARJL USE FUNCTION CPSTAR	SUMRMA
	PSTIM2=CPSTAR(IM2,NP,1,IT)	SUMRMA
	PSTJM2=CPSTAR(JM2,NM,2,IT)	SUMRMA
	PSTKM2=CPSTAR(KM2,NB,3,IT)	SUMRMA
	PSTIM1=CPSTAR(IM1,NP,1,IT)	SUMRMA
	PSTJM1=CPSTAR(JM1,NM,2,IT)	SUMRMA
	PSTKM1=CPSTAR(KM1,NB,3,IT)	SUMRMA
	PSTI=CPSTAR(I,NP,1,IT)	SUMRMA
	PSTJ=CPSTAR(J,NM,2,IT)	SUMRMA
	PSTK=CPSTAR(K,NB,3,IT)	SUMRMA
C		SUMRMA
C	COMPUTE ALL NECESSARY NON-PRIME,PRIME AND DOUBLE PRIME	SUMRMA
C	COMBINATIONS OF THE CAPITAL F* FUNCTION - CPSTAR FOR USE IN	SUMRMA
C	COMPUTING THE AINTGRD AND APINTG ARRAYS.	SUMRMA
C	NON-PRIME COMEINATIONS	SUMRMA
	PST3IP=PSTIM1*PSTJ*PSTK	SUMRMA
	PST3JP=PSTI*PSTJM1*PSTK	SUMRMA
	PST3KP=PSTI*PSTJ*PSTKM1	SUMRMA
C	PRIME COMBINATIONS	SUMRMA
	PST3IJP=PSTIM1*PSTJM1*PSTK	SUMRMA
	PST3IKP=PSTIM1*PSTJ*PSTKM1	SUMRMA
	PST3JKP=PSTI*PSTJM1*PSTKM1	SUMRMA
C	DOUBLE-PRIME COMBINATIONS	SUMRMA
	PST3IDP=PSTIM2*PSTJ*PSTK	SUMRMA
	PST3JDP=PSTI*PSTJM2*PSTK	SUMRMA
	PST3KDP=PSTI*PSTJ*PSTKM2	SUMRMA

C		SUMRMA
C	FOR PERMANENT FAULT CASE, I.E. WHEN ALPHA1=0.0 AND BETA1=0.0,	SUMRMA
C	AXY AND APXY =0.0	SUMRMA
	IF(ALPHA1.EQ.0.0) GO TO 450	SUMRMA
C		SUMRMA
C	COMPUTE AINTGRD TO BE USED IN THE CALCULATIONS OF AXY.	SUMRMA
C	COMPUTE AINTGRD(IXY,IT,JL). BECAUSE AXY AND APXY HAVE INTEGRANDS WITH	SUMRMA
C	FUNCTIONS THAT ARE DEPENDENT UPON TAU AND T-TAU, THE INTEGRATION	SUMRMA
C	MUST BE PERFORMED FROM 0 TO T EACH TIME. THEREFORE AINTGRD MUST	SUMRMA
C	RETAIN ALL "IT" COMPUTATIONS PER VECTOR.	SUMRMA
C		SUMRMA
	G2PCOMP=1.0-G2(IP,IT)	SUMRMA
	G2MCOMP=1.0-G2(IM,IT)	SUMRMA
	G2BCOMP=1.0-G2(IB,IT)	SUMRMA
C	CPSTAR AND LY COMBINATIONS FOR JL=1=IP	SUMRMA
	PST1=PST3IDP	SUMRMA
	PST2=PST3IJP	SUMRMA
	PST3=PST3IKP	SUMRMA
	ILY=IM2	SUMRMA
	JLY=JM1	SUMRMA
	KLY=KM1	SUMRMA
	DO 290 JL=1,3	SUMRMA
	DO 275 IXY=1,3	SUMRMA
	AINTGRD(IXY,IT,JL)=PST1*CBXY(IXY,JL)*LAMP*G2PCOMP	SUMRMA
	AINTGRD(IXY+3,IT,JL)=PST2*CBXY(IXY+3,JL)*LAMM*G2MCOMP	SUMRMA
	AINTGRD(IXY+6,IT,JL)=PST3*CBXY(IXY+6,JL)*LAMB*G2BCOMP	SUMRMA
	275 CONTINUE	SUMRMA
C	COMPUTE AXY FOR JL=1	SUMRMA
	CALL AORAP(ILY,JLY,KLY,IT,JL,G2WT,H2WT,AINTGRD,AXY)	SUMRMA
C	SUM AXY OVER X AND Y FOR JL	SUMRMA
	DO 280 IXAY=1,9	SUMRMA
	AXYS(JL)=AXYS(JL)+AXY(IXAY)	SUMRMA
	280 CONTINUE	SUMRMA
	IF(JL.EQ.2) GO TO 285	SUMRMA
C	CPSTAR AND LY COMBINATIONS FOR JL=2=IM	SUMRMA
	PST1=PST3IJP	SUMRMA
	PST2=PST3JDP	SUMRMA
	PST3=PST3JKP	SUMRMA
	ILY=IM1	SUMRMA
	JLY=JM2	SUMRMA
	KLY=KM1	SUMRMA
	GO TO 290	SUMRMA
C	CPSTAR AND LY COMBINATIONS FOR JL=3=IE	SUMRMA
	285 PST1=PST3IKP	SUMRMA
	PST2=PST3JKP	SUMRMA
	PST3=PST3KDP	SUMRMA
	ILY=IM1	SUMRMA
	JLY=JM1	SUMRMA
	KLY=KM2	SUMRMA
	290 CONTINUE	SUMRMA
C		SUMRMA
C	COMPUTE AXYSUM	SUMRMA
	AXYS(IP)=AXYS(IP)*SLAMI	SUMRMA
	AXYS(IM)=AXYS(IM)*SLAMJ	SUMRMA
	AXYS(IB)=AXYS(IB)*SLAMK	SUMRMA
	DO 300 JL=1,3	SUMRMA
	300 AXYSUM=AXYSUM+AXYS(JL)	SUMRMA
C		SUMRMA
C	COMPUTE APINTG TO BE USED IN THE CALCULATION OF APXY.	SUMRMA
C	COMPUTE APINTG(IXY,IT,1)	SUMRMA
	DO 350 IXY=1,3	SUMRMA
	APINTG(IXY,IT,1)=PST3IP*CBXYP(IXY)*LAMP*G2PCOMP	SUMRMA
	APINTG(IXY+3,IT,1)=PST3JP*CBXYP(IXY+3)*LAMM*G2MCOMP	SUMRMA
	350 APINTG(IXY+6,IT,1)=PST3KP*CBXYP(IXY+6)*LAMB*G2BCOMP	SUMRMA

C		SUMRMA
C	COMPUTE APXY	SUMRMA
	JL=1	SUMRMA
	CALL AORAP(IM1,JM1,KM1,IT,JL,G2PWT,I2PWT,APINTG,APXY)	SUMRMA
C	SUM APXY OVER X AND Y	SUMRMA
	DO 400 IXY=1,9	SUMRMA
	APXYSUM=APXYSUM + APXY(IXY)	SUMRMA
	400 CONTINUE	SUMRMA
C		SUMRMA
C	COMPUTE PCBARJL WHICH IS MADE UP OF PCBARI,PCBARJ,PCBARK	SUMRMA
	450 CONTINUE	SUMRMA
	PCBARI=CBARI*PST3IP*SLAMI	SUMRMA
	PCBARJ=CBARJ*PST3JP*SLAMJ	SUMRMA
	PCBARK=CBARK*PST3KP*SLAMK	SUMRMA
C		SUMRMA
	SUM(IS)=PCBARI+PCBARJ+PCBARK	SUMRMA
C		SUMRMA
C		SUMRMA
C	FINISH SUMMATION COMPUTATION BY ADDING QLT TERMS MULTIPLIED BY	SUMRMA
C	APPROPRIATE SLAM AND STORING IN ARRAY RSTSUM(IS)	SUMRMA
C		SUMRMA
C	RETRIEVE QLT TERMS USING MAPDIM SUBROUTINE	SUMRMA
	RSTSUM(IS)=0.0	SUMRMA
	IIM1=II-1	SUMRMA
	IF(IIM1.LE.0) GO TO 710	SUMRMA
	CALL MAPDIM(IIM1,JJ,KK,KURSET,INDX)	SUMRMA
	RSTSUM(IS)=QLT(INDX,IT)*SLAMI	SUMRMA
710	JJM1=JJ-1	SUMRMA
	IF(JJM1.LE.0) GO TO 720	SUMRMA
	CALL MAPDIM(II,JJM1,KK,KURSET,INDX)	SUMRMA
	RSTSUM(IS)=RSTSUM(IS)+(QLT(INDX,IT)*SLAMJ)	SUMRMA
720	KKM1=KK-1	SUMRMA
	IF(KKM1.LE.0) GO TO 730	SUMRMA
	CALL MAPDIM(II,JJ,KKM1,KURSET,INDX)	SUMRMA
	RSTSUM(IS)=RSTSUM(IS)+(QLT(INDX,IT)*SLAMK)	SUMRMA
730	CONTINUE	SUMRMA
C		SUMRMA
C	WRITE SUM Q+PCBAR,SUM AXY, SUM APXY TO FUNCFL IF DBFLCD=S	SUMRMA
	IF(DBFLCD.NE.1HS) GO TO 900	SUMRMA
	IF(IT.GT.1) GO TO 800	SUMRMA
	WRITE(8,799) I,J,K	SUMRMA
799	FORMAT(/2X,"FOR VECTOR(I,J,K) = (" ,12," ,",I1," ,",I1,")"/2X,	SUMRMA
1	"IT",3X,"SUM Q+PCBAR",8X,"SUM AXY",12X,"SUM APXY"/)	SUMRMA
800	CONTINUE	SUMRMA
	QPC=RSTSUM(IS)+SUM(IS)	SUMRMA
	WRITE(8,899) IT,QPC,AXYSUM,APXYSUM	SUMRMA
899	FORMAT(2X,12,3(3X,E16.10))	SUMRMA
900	CONTINUE	SUMRMA
C		SUMRMA
C	ADD APRIME SUM AND A SUM TO SUM ARRAY BEFORE INTEGRATING	SUMRMA
C	NOTE: AXYSUM AND APXYSUM ARE 0.0 IF ALPHA1 AND BETA1=0.0	SUMRMA
	SUM(IS)=SUM(IS) + AXYSUM + APXYSUM	SUMRMA
C	SUM(IS) AND RSTSUM(IS) MUST BE DIVIDED BY EXP(-SLAML*TAU) IN SUBROU-	SUMRMA
C	TINE TRAPINT AND SIMPINT BEFORE THE TOTAL IS INTEGRATED.	SUMRMA
C		SUMRMA
	RETURN	SUMRMA
	END	SUMRMA

C	SUBROUTINE SUMRMB(II,JJ,KK,KURSET,IT)	SUMRMB
	COMMON/CONFIG/ NP,NM,NB,NPF,AMF,NBF,NSET(14),QLT(112,51)	SUMRMB
	COMMON/RATES/ LAMP,LAMM,LAMB,LAMBG,DELTAP,DELTAM,DELTAB,DELTABG,	SUMRMB
1	ALPHA1,BETA1,ALPHA2,BETA2.	SUMRMB
	COMMON/INVAR/ EMLAM(3,51),EMDEL(4,51),EMLAM1(3,51),EMLAM2(3,51),	SUMRMB
1	G2(3,51),AT(3,51),CT(3,51)	SUMRMB
	COMMON/INTGRAT/ ITSTPS,STEP,SUM(3),RSTSUM(3)	SUMRMB
	COMMON/EIGCOM/ EIGSD(3,3,3),EIGWR(3),G2WT(9,51),H2WT(9,51),	SUMRMB
1	G2PWT(9,51),H2PWT(9,51)	SUMRMB
	COMMON/DEBUGC/ DBFLCD,CDYDB(51),CBXYDB(51)	SUMRMB
C		SUMRMB
C	THE D AND B FUNCTIONS ARE NOT TIME DEFENDENT - THEY NEED ONLY	SUMRMB
C	BE COMPUTED ONCE PER VECTOR CHANGE - NOT EVERY TIME "IT" CHANGES.	SUMRMB
C	THE SEPARATE FUNCTIONS ARE DIMENSIONED TO 448 BECAUSE 448 UNIQUE	SUMRMB
C	STATE VECTORS EXIST FOR THE CURRENT MAXIMUM CASE: 15 9 5 TO 2 2 2.	SUMRMB
C	BECAUSE THERE ARE NO FNCTION DEFINITIONS AT THIS TIME FOR BMP AND	SUMRMB
C	BPM THEY ARE DUMMY PLACE HOLDERS ONLY.	SUMRMB
C		SUMRMB
	COMMON/DBFUNCS/ DPA(448),DMA(448),DEA(448),BPPA(448),BMPA,	SUMRMB
1	BBPA(448),BPMA,BMMA(448),BBMA(448),BPBA(448),BMBA(448),	SUMRMB
2	BBBA(448),INDB,DP,DM,DB,BPP,BMP,BBP,BPM,BMM,BBM,BPB,BMB,BBB,	SUMRMB
3	FIMO(14),FIM1MO(14),FJMC(8),FJM1MC(8),FKNO(4),FKM1NO(4),	SUMRMB
4	FKN1(4),FKM1N1(4)	SUMRMB
	DIMENSION APINTG(9,51,1)	SUMRMB
	DIMENSION B(9),SB(9),APXY(9),BPRIME(9)	SUMRMB
	DIMENSION CBXYP(9)	SUMRMB
C		SUMRMB
	EQUIVALENCE(BPP,B(1))	SUMRMB
	REAL LAMP,LAMM,LAMB,LAMBG	SUMRMB
C	TOTAL NUMBER OF UNIQUE STATES	SUMRMB
	DATA ITOTUS/448/	SUMRMB
C		SUMRMB
C		SUMRMB
	IP=1	SUMRMB
	IM=2	SUMRMB
	IB=3	SUMRMB
	I=II-1	SUMRMB
	J=JJ-1	SUMRMB
	K=KK-1	SUMRMB
	IM1=I-1	SUMRMB
	JM1=J-1	SUMRMB
	KM1=K-1	SUMRMB
C		SUMRMB
	IF(IT.GE.4) GO TO 15	SUMRMB
C	COMPUTE SUM(IS) FOR IS=IT=1,2 AND 3	SUMRMB
	IS=IT	SUMRMB
	GO TO 21	SUMRMB
C	FOR NON-REDUNDANT COMPUTATION PURPOSES:	SUMRMB
C	SHIFT SUM(2) INTO SUM(1), SHIFT SUM(3) INTO SUM(2),	SUMRMB
C	COMPUTE SUM(3) FOR IT GREATER THAN 3.	SUMRMB
C	DO THE SAME MANIPULATION TO RSTSUM.	SUMRMB
	15 DO 20 IS=2,3	SUMRMB
	SUM(IS-1)=SUM(IS)	SUMRMB
	RSTSUM(IS-1)=RSTSUM(IS)	SUMRMB
	20 CONTINUE	SUMRMB
	IS=3	SUMRMB
	21 CONTINUE	SUMRMB
C		SUMRMB

C	NPMIP1=NP-I+1	SUMRMB
	NMMJP1=NM-J+1	SUMRMB
	NBMK=NB-K	SUMRMB
	NBMKP1=NBMK+1	SUMRMB
C		SUMRMB
C	COMPUTE SLAMI,SLAMJ,SLAMK	SUMRMB
C		SUMRMB
	SLAMI=NPMIP1*LAMP	SUMRMB
	SLAMJ=NMMJP1*LAMM	SUMRMB
	SLAMK=NBMKP1*LAMB	SUMRMB
C		SUMRMB
C		SUMRMB
C	COMPUTE CBARJL	SUMRMB
C		SUMRMB
	INDB=1	SUMRMB
	CDP=0.0	SUMRMB
	CDM=0.0	SUMRMB
	CDB=0.0	SUMRMB
	CBXP=0.0	SUMRMB
	CBXM=0.0	SUMRMB
	CBXB=0.0	SUMRMB
	DO 23 IY=1,9	SUMRMB
23	CBXYP(IY)=0.0	SUMRMB
	APXYSUM=0.0	SUMRMB
C		SUMRMB
C	COMPUTE FUNCTIONS THAT ARE NOT TIME DEPENDENT	SUMRMB
C		SUMRMB
	IF(IT.GT.1) GO TO 35	SUMRMB
C	WRITE CURRENT VECTOR TO FUNCFL	SUMRMB
	IF(DBFLCC.EQ.1HF) WRITE(8,499) I,J,K	SUMRMB
499	FORMAT("/" D AND B FUNCTICNS FOR VECTOR ("I2,""/"I2,""/"I2,"")")	SUMRMB
C		SUMRMB
C	COMPUTE FUNCTIONS NO,N1,M0 AND STORE IN F ARRAYS FOR LATER	SUMRMB
C	USE IN COMPUTING THE D AND E FUNCTIONS	SUMRMB
C		SUMRMB
	DO 24 MUP1=1,II	SUMRMB
	MU=MUP1-1	SUMRMB
	FIMO(MUP1)=FUNCMO(NP,I,MU)	SUMRMB
	FIM1MO(MUP1)=FUNCMO(NP,IM1,MU)	SUMRMB
24	CONTINUE	SUMRMB
C		SUMRMB
	DO 26 MUPP1=1,JJ	SUMRMB
	MUP=MUPP1-1	SUMRMB
	FJMO(MUPP1)=FUNCMO(NM,J,MUP)	SUMRMB
	FJM1MO(MUPP1)=FUNCMO(NM,JM1,MUP)	SUMRMB
26	CONTINUE	SUMRMB
C		SUMRMB
	DO 28 NUP1=1,KK	SUMRMB
	NU=NUP1-1	SUMRMB
	CALL FNON1(NB,K,NU,FNO,FN1)	SUMRMB
	FKNO(NUP1)=FNO	SUMRMB
	FKN1(NUP1)=FN1	SUMRMB
	CALL FNON1(NB,KM1,NU,FNO,FN1)	SUMRMB
	FKM1NO(NUP1)=FNO	SUMRMB
	FKM1N1(NUP1)=FN1	SUMRMB
28	CONTINUE	SUMRMB

C		SUMRMB
C	COMPUTE D AND B FUNCTIONS AND STORE IN D AND B ARRAYS	SUMRMB
C	FOR LATER USE WITH ALL TIME STEPS.	SUMRMB
	DO 30 NUP1=1, KK	SUMRMB
	NU=NUP1-1	SUMRMB
	DO 30 MUPP1=1, JJ	SUMRMB
	MUP=MUPP1-1	SUMRMB
	DO 30 MUP1=1, II	SUMRMB
	MU=MUP1-1	SUMRMB
C	CALL SDBRB(MU, MUP, NU, I, J, K)	SUMRMB
C		SUMRMB
C	WRITE CONTENTS OF COMMON/DBFUNCS/ TO FUNCFL	SUMRMB
	IF(DBFLCD.EQ.1HF) WRITE(8, 500) MU, MUP, NU, DP, DM, DB, (B(IF), IF=1, 9)	SUMRMB
	500 FORMAT(2X, 3(I2, 1X), 2(6(1X, E16.10)/11X))	SUMRMB
C		SUMRMB
	INDB=INDB+1	SUMRMB
	IF(INDB.LE.ITOTUS) GO TO 30	SUMRMB
	PRINT*, " ERROR - D AND B FUNCTIONS ARRAY OVERFLOW - ",	SUMRMB
	1 "MAX NUMBER OF UNIQUE STATES INCREASE."	SUMRMB
	STOP	SUMRMB
	30 CONTINUE	SUMRMB
C		SUMRMB
	35 CONTINUE	SUMRMB
C		SUMRMB
C		SUMRMB
C	BEGIN MAIN LOOPS TO SUM UP D AND B FUNCTIONS.	SUMRMB
C		SUMRMB
	INDB=0	SUMRMB
	DO 100 NUP1=1, KK	SUMRMB
	NU=NUP1-1	SUMRMB
	DO 100 MUPP1=1, JJ	SUMRMB
	MUP=MUPP1-1	SUMRMB
	DO 100 MUP1=1, II	SUMRMB
	MU=MUP1-1	SUMRMB
	INDB=INDB+1	SUMRMB
C		SUMRMB
C	PUT D AND B FUNCTIONS IN WORKING VARIABLES	SUMRMB
	DP=DPA(INDB)	SUMRMB
	DM=DMA(INDB)	SUMRMB
	DB=DBA(INDB)	SUMRMB
	BPP=BPPA(INDB)	SUMRMB
	BMP=BMPA	SUMRMB
	BBP=BBPA(INDB)	SUMRMB
	BPM=BPMA	SUMRMB
	BMM=BMMA(INDB)	SUMRMB
	BBM=BBMA(INDB)	SUMRMB
	BPB=BPBA(INDB)	SUMRMB
	BMB=BMBA(INDB)	SUMRMB
	BBB=BBBA(INDB)	SUMRMB
C		SUMRMB
C	COMPUTE PCOND FUNCTIONS IF (MU+MUP+NU.LE.2)	SUMRMB
	PCIP=0.0	SUMRMB
	PCJP=0.0	SUMRMB
	PCKP=0.0	SUMRMB
	IF((MU+MUP+NU).GT.2) GO TO 40	SUMRMB
	PCIP=PCOND(MU, MUP, NU, IM1, J, K, IT)	SUMRMB
	PCJP=PCOND(MU, MUP, NU, I, JM1, K, IT)	SUMRMB
	PCKP=PCOND(MU, MUP, NU, I, J, KM1, IT)	SUMRMB
	40 CONTINUE	SUMRMB
C		SUMRMB
C		SUMRMB

C		SUMRMB
C	MULTIPLY THE D AND B FUNCTIONS BY THE CORRESPONDING PX FUNCTION	SUMRMB
C	COMBINATION.	SUMRMB
	DP=DP*PCIP	SUMRMB
	DM=DM*PCJP	SUMRMB
	DB=DB*PCKP	SUMRMB
C		SUMRMB
	INDX=1	SUMRMB
	DO 50 IY=1,3	SUMRMB
	BPRIME(INDX)=B(INDX)*PCIP	SUMRMB
	INDX=INDX+1	SUMRMB
50	CONTINUE	SUMRMB
	DO 55 IY=1,3	SUMRMB
	BPRIME(INDX)=B(INDX)*PCJP	SUMRMB
	INDX=INDX+1	SUMRMB
55	CONTINUE	SUMRMB
	DO 60 IY=1,3	SUMRMB
	BPRIME(INDX)=B(INDX)*PCKP	SUMRMB
	INDX=INDX+1	SUMRMB
60	CONTINUE	SUMRMB
C		SUMRMB
C	MULTIPLY THE B FUNCTIONS BY THE CORRESPONDING	SUMRMB
C	GTR2 FUNCTION STORED IN ARRAY G2(IY,IT)	SUMRMB
C	IF ALPHA1 .EQ. 0.0, GTR2 FUNCTION .EQ. 1.0, THEREFORE THERE	SUMRMB
C	IS NO NEED TO MULTIPLY BY IT.	SUMRMB
	IF(ALPHA1.GT.0.0) GO TO 68	SUMRMB
C	INITIALIZE SB ARRAY TO THE CONTENTS OF B ARRAY IF APLHA1=0.0	SUMRMB
	DO 65 IXY=1,9	SUMRMB
65	SB(IXY)=BPRIME(IXY)	SUMRMB
	GO TO 75	SUMRMB
68	CONTINUE	SUMRMB
	INDX=1	SUMRMB
	DO 70 IDUM=1,3	SUMRMB
	DO 70 IX=1,3	SUMRMB
	SB(INDX)=BPRIME(INDX)*G2(IX,IT)	SUMRMB
	INDX=INDX+1	SUMRMB
70	CONTINUE	SUMRMB
75	CONTINUE	SUMRMB
C		SUMRMB
C	COMPUTE THE CAPITAL D AND B FUNCTIONS AND THE SUM OF THE	SUMRMB
C	B FUNCTIONS OVER X.	SUMRMB
	CDP=CDP+DP	SUMRMB
	CDM=CDM+DM	SUMRMB
	CDB=CDB+DB	SUMRMB
C	SB(IY) IS THE SUM OF THE BXY'S * THE GTR2 FUNCTION	SUMRMB
	DO 80 IY=1,3	SUMRMB
	CBXYP(IY)=CBXYP(IY)+BPRIME(IY)	SUMRMB
	CBXP=CBXP+SB(IY)	SUMRMB
80	CONTINUE	SUMRMB
	DO 82 IY=4,6	SUMRMB
	CBXYP(IY)=CBXYP(IY)+BPRIME(IY)	SUMRMB
	CBXM=CBXM+SB(IY)	SUMRMB
82	CONTINUE	SUMRMB
	DO 85 IY=7,9	SUMRMB
	CBXYP(IY)=CBXYP(IY)+BPRIME(IY)	SUMRMB
	CBXB=CBXB+SB(IY)	SUMRMB
85	CONTINUE	SUMRMB
C		SUMRMB
100	CONTINUE	SUMRMB

```

C COMPUTE CBARJL MADE UP OF CBARI,CBARJ AND CBARK FOR FORM1
C OF THE GENERAL FORM OF CARE3.
  CBARI=CDP+CBXP
  CBARJ=CDM+CBXM
  CBARK=CDB+CBXB
C CREATE CAPITAL DY AND BXY ARRAYS IF DBFLCD=C
  IF(DBFLCD.NE.1HC) GO TO 200
  CDYDB(IT)=CDP+CDM+CDB
  CBXYDB(IT)=CBXF+CBXM+CBXB
200 CONTINUE
C
C FOR PCBARJL USE FUNCTION CPSTAR
  PSTIM1=CPSTAR(IM1,NP,1,IT)
  PSTJM1=CPSTAR(JM1,NM,2,IT)
  PSTKM1=CPSTAR(KM1,NB,3,IT)
  PSTI=CPSTAR(I,NP,1,IT)
  PSTJ=CPSTAR(J,NM,2,IT)
  PSTK=CPSTAR(K,NB,3,IT)
C
C COMPUTE ALL NECESSARY
C COMBINATIONS OF THE CAPITAL P* FUNCTION - CPSTAR FOR USE IN
C COMPUTING THE APINTG ARRAY.
  PST3IP=PSTIM1*PSTJ*PSTK
  PST3JP=PSTI*PSTJM1*PSTK
  PST3KP=PSTI*PSTJ*PSTKM1
C
C FOR PERMANENT FAULT CASE, I.E. WHEN ALPHA1=0.0 AND BETA1=0.0,
C AXY AND APXY =0.0
  IF(ALPHA1.EQ.0.0) GO TO 450
C
C COMPUTE APINTG TO BE USED IN THE CALCULATION OF APXY.
C COMPUTE APINTG(IXY,IT,1)
  G2PCOMP=1.0-G2(IP,IT)
  G2MCOMP=1.0-G2(IM,IT)
  G2BCOMP=1.0-G2(IB,IT)
  DO 350 IXY=1,3
    APINTG(IXY,IT,1)=PST3IP*CBXYP(IXY)*LAMP+G2PCOMP
    APINTG(IXY+3,IT,1)=PST3JP*CBXYP(IXY+3)*LAMM+G2MCOMP
350 APINTG(IXY+6,IT,1)=PST3KP*CBXYP(IXY+6)*LAMB+G2BCOMP
C
C COMPUTE APXY
  JL=1
  CALL AORAP(IM1,JM1,KM1,IT,JL,G2PWT,H2PWT,APINTG,APXY)
C SUM APXY OVER X AND Y
  DO 400 IXY=1,9
    APXYSUM=APXYSUM+APXY(IXY)
400 CONTINUE
C
C COMPUTE PCBARJL WHICH IS MADE UP OF PCBARI,PCBARJ,PCBARK
450 CONTINUE
  PCBARI=CBARI*PST3IP*SLAMI
  PCBARJ=CBARJ*PST3JP*SLAMJ
  PCBARK=CBARK*PST3KP*SLAMK
C
  SUM(IS)=PCBARI+PCBARJ+PCBARK
C
C FINISH SUMMATION COMPUTATION BY ADDING GLT TERMS MULTIPLIED BY
C APPROPRIATE SLAM AND STORING IN ARRAY RSTSUM(IS)

```

C RETRIEVE QLT TERMS USING MAFDIM SUBROUTINE

```
RSTSUM(15)=0.0
```

$$IIM1 = II-1$$

```
IF(IIM1.LE.0) GO TO 710
```

```
CALL MAPDIM(IIM1,JJ,KK,KURSET,INDX)
```

```

RSTSUM(15)=QLT(INDX,IT)*SLAMI

```

710 JJM1=JJ-1

```
IF(JJM1.LE.0) GO TO 720
```

```
CALL MAPDIM(II,JJM1,KK,KURSET,INDX)
```

```

CALL MAPDIM(I1,JJMT,KK,KURSET,INDX)
RSTSUM(IS)=RSTSUM(IS)+(QLT(INDX,IT)*SLAMJ)

```

720 KKM1=KK-1

```
IF(KKM1.LE.0) GO TO 730
```

CALL MAPDIM(II,JJ,KKM1,KURSET,INDX)

```
CALL MAPDIM(11,JJ,KKM17,KURSET,INDX,  
RSTSUM(IS)=RSTSUM(IS)+(QLT(INDX,IT)*SLAMK)
```

730 CONTINUE

```
C
C WRITE SUM Q+PCBAR,SUM AXY, SUM APXY TO FUNCFL IF DBFLCD=S
```

```
IF(DBFLED.NE.1HS) GO TO 900
```

```
IF(IT.GT.1) GO TO 800
```

```
WRITE(8,799) I,J,K
```

```

WRITE(8,199)I,J,K
199 FORMAT(1X,"FOR VECTOR(I,J,K) = (",I2,"",I1,"",I1,"")/2X,
1      "IT",3X,"SUM Q+PCBAR",8X,"SUM APXY"/)

```

1

800 CONTINUE

```
QPC=RSTSUM(IS)+SUM(IS)
```

```
WRITE(8,899) IT,QPC,APXYSUM
```

```
899 FORMAT(2X,I2,2(3X,E16.10))
```

900 CONTINUE

C ADD APRIME SUM AND A SUM TO SUM ARRAY BEFORE INTEGRATING

```
C ADD APRIME SUM AND A SUM TO SUM ARRAY BEFORE
C NOTE: APXYSUM IS 0.C IF ALPHA1 AND BETA1=0.0
```

SUM(1S)=SUM(1S) + APXYSUM

C SUM(IS) AND RSTSUM(IS) MUST BE DIVIDED BY $\exp(-SLAML*TAU)$ IN SUBROUTINE INTEGRATE. THE TOTAL IS INTEGRATED.

C TIME TRAPINT AND SIMPINT BEFORE THE TOTAL IS INTEGRATED.

C

RETURN

END

SUMMRB
SUMMRB
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SUMMRB

	SUBROUTINE SDBRA(MU,MUP,NU,IC,JC,KC)	SDBRA
	COMMON/CONFIG/ NP,NM,NP,NPF,NMF,NBF,NSET(14),QLT(112,51)	SDBRA
	COMMON/DEFUNCS/ DPA(448),DMA(448),DBA(448),BPPA(448),BMPA,	SDBRA
1	BBPA(448),BPMA,BMMA(448),BBMA(448),BPBA(448),BMBA(448),	SDBRA
2	BBBA(448),INDB,DP,DM,DB,BPP,BMP,BBP,BPM,BMM,BBM,BPB,BMB,BBB,	SDBRA
3	FIMO(14),FIM1MO(14),FJMO(8),FJM1MO(8),FKNO(4),FKM1NO(4),	SDBRA
4	FKN1(4),FKM1N1(4)	SDBRA
	LOGICAL MUSZERO	SDBRA
	DIMENSION B(9)	SDBRA
	EQUIVALENCE(BPP,B(1))	SDBRA
C		SDBRA
C	ONLY COMPUTE THE D AND B FUNCTIONS 1 TIME PER STATE VECTOR,	SDBRA
C	I.E. WHEN IT=1. THE D AND B ARRAYS WILL CONTAIN THE D AND	SDBRA
C	B FUNCTIONS FOR EACH VECTOR DEFINED BY MU,MUP,NU. INDB	SDBRA
C	IS THE INDEX INTO THE D AND B ARRAYS - IT IS ALSO THE	SDBRA
C	COUNTER OF THE MU,MUP,NU VECTORS.	SDBRA
C	THE SINGLE VARIABLES DP,DM,DB,BPP,BMP,BBP,BPM,BMM,BBM,BPB,	SDBRA
C	BMB,BBB ARE THE WORKING VERSIONS OF THE D AND B ARRAYS, I.E. THE	SDBRA
C	D AND B ARRAYS ARE NEVER MODIFIED DURING I,J,K VECTOR COMPUTA-	SDBRA
C	TIONS. THEY CHANGE ONLY WHEN (I,J,K) CHANGES.	SDBRA
C		SDBRA
C	INITIALIZE D FUNCTIONS TO 0.	SDBRA
	DP=0.0	SDBRA
	DM=0.0	SDBRA
	DB=0.0	SDBRA
C	DEFINE COMMON TERMS	SDBRA
	MUS=MU+MUP	SDBRA
	MUSZERO=.FALSE.	SDBRA
	IF(MUS.EQ.0) MUSZERO=.TRUE.	SDBRA
C	1/3**(MU+MUP)	SDBRA
	PWMUS=(1.0/3.0)**MUS	SDBRA
	TWODIV3=2.0/3.0	SDBRA
	TMU=2.0*MU	SDBRA
	TMUP=2.0*MUP	SDBRA
	ICM1=IC-1	SDBRA
	JCM1=JC-1	SDBRA
	KCM1=KC-1	SDBRA
	DBCOMI=FIMO(MU+1)	SDBRA
	DBCIM1=FIM1MO(MU+1)	SDBRA
	DBCOMJ=FJMO(MUP+1)	SDBRA
	DBCJM1=FJM1MO(MUP+1)	SDBRA
	DBOK=FKNO(NU+1)	SDBRA
	DBOKM1=FKM1NO(NU+1)	SDBRA
	DB1K=FKN1(NU+1)	SDBRA
	DB1KM1=FKM1N1(NU+1)	SDBRA
	NPMI=NP-ICM1	SDBRA
	NMMJ=NM-JCM1	SDBRA
	NBMK=NB-KCM1	SDBRA
C		SDBRA
	MMN=MU+MUP+NU	SDBRA
	IF(MMN.NE.1 .AND. MMN.NE.2) GO TO 50	SDBRA
C		SDBRA
C		SDBRA
C	COMPUTE B FUNCTIONS FOR MU+MUP+NU=1 OR 2	SDBRA
C	CURRENTLY DEFINITIONS FOR FUNCTIONS BMP AND BPM DO NOT EXIST.	SDBRA
	BMP=0.0	SDBRA
	BPM=0.0	SDBRA
C		SDBRA
C	DEFINE FUNCTION BPP	SDBRA
	BPP=(TMU/NPMI)*DBCOMI*DBCOMJ*DBOK	SDBRA
C		SDBRA
C	DEFINE FUNCTION BPM	SDBRA
	BPM=(TMUP/NMMJ)*DBCOMI*DBCJM1*DBOK	SDBRA

	SUBROUTINE SDBRB(MU,MUP,NU,IC,JC,KC)	SDBRB
	COMMON/CONFIG/ NF,NM,NB,NPF,NMF,NBF,NSET(14),QLT(112,51)	SDBRB
	COMMON/DEFUNCS/ DPA(448),DMA(448),DEA(448),EPPA(448),BMPA,	SDBRB
1	BBPA(448),BPMA,BMMA(448),BBMA(448),BPBA(448),BMBA(448),	SDBRB
2	BBBA(448),INDB,DP,DM,DB,BPP,BMP,BBP,BPM,BMM,BBM,BPB,BMB,BBB,	SDBRB
3	FIM0(14),FIM10(14),FJM0(8),FJM10(8),FKN0(4),FKM10(4),	SDBRB
4	FKN1(4),FKM1N1(4)	SDBRB
	LOGICAL MUSZERO	SDBRB
	DIMENSION B(9)	SDBRB
	EQUIVALENCE(BPP,B(1))	SDBRB
C		SDBRB
C	ONLY COMPUTE THE D AND B FUNCTIONS 1 TIME PER STATE VECTOR,	SDBRB
C	I.E. WHEN IT=1. THE D AND B ARRAYS WILL CONTAIN THE D AND	SDBRB
C	B FUNCTIONS FOR EACH VECTOR DEFINED BY MU,MUP,NU. INDB	SDBRB
C	IS THE INDEX INTO THE D AND B ARRAYS - IT IS ALSO THE	SDBRB
C	COUNTER OF THE MU,MUP,NU VECTORS.	SDBRB
C	THE SINGLE VARIABLES DP,DM,DB,BPP,BMP,BBP,BPM,BMM,BBM,BPB,	SDBRB
C	BMB,BBB ARE THE WORKING VERSIONS OF THE D AND B ARRAYS, I.E. THE	SDBRB
C	D AND B ARRAYS ARE NEVER MODIFIED DURING I,J,K VECTOR COMPUTA-	SDBRB
C	TIONS. THEY CHANGE ONLY WHEN (I,J,K) CHANGES.	SDBRB
C		SDBRB
C		SDBRB
	IF((MU+MUP+NU).EQ.1) GO TO 100	SDBRB
	DO 50 IXY=1,9	SDBRB
50	B(IXY)=0.0	SDBRB
	BPPA(INDB)=BPP	SDBRB
	BMPA=BMP	SDBRB
	BBPA(INDB)=BBP	SDBRB
	BPMA=BPM	SDBRB
	EMMA(INDB)=BMM	SDBRB
	BEMA(INDB)=BBM	SDBRB
	EPBA(INDB)=BPB	SDBRB
	EMBA(INDB)=BMB	SDBRB
	EBBA(INDB)=BBB	SDBRB
C	INITIALIZE D FUNCTIONS TO 0.	SDBRB
	DP=0.0	SDBRB
	DM=0.0	SDBRB
	DB=0.0	SDBRB
	IF((MU+MUP+NU).NE.2) GO TO 75	SDBRB
	DP=1.0	SDBRB
	DM=1.0	SDBRB
	DB=1.0	SDBRB
75	DPA(INDB)=DP	SDBRB
	DMA(INDB)=DM	SDBRB
	DEA(INDB)=DB	SDBRB
	RETURN	SDBRB
C	COMPUTE B FUNCTIONS FOR MU+MUP+NU=1.	SDBRB
100	CONTINUE	SDBRB
C	DEFINE COMMON TERMS	SDBRB
	MUS=MU+MUP	SDBRB
	MUSZERO=.FALSE.	SDBRB
	IF(MUS.EQ.0) MUSZERO=.TRUE.	SDBRB
C	1/3**(MU+MUP)	SDBRB
	FWRMUS=(1.0/3.0)**MUS	SDBRB
	TWODIV3=2.0/3.0	SDBRB
	TMU=2.0*MU	SDBRB
	TMUP=2.0*MUP	SDBRB
	ICM1=IC-1	SDBRB
	JCM1=JC-1	SDBRB
	KCM1=KC-1	SDBRB

	DBCOM1=FIM0(MU+1)	SDBRB
	DECIM1=FIM1M0(MU+1)	SDBRB
	DBCOMJ=FJM0(MUP+1)	SDBRB
	DBCJM1=FJM1M0(MUP+1)	SDBRB
	DBOK=FKN0(NU+1)	SDBRB
	DBOKM1=FKM1N0(NU+1)	SDBRB
	DB1K=FKN1(NU+1)	SDBRB
	DB1KM1=FKM1N1(NU+1)	SDBRB
	NPMI=NP-ICH1	SDBRB
	NMMJ=NM-JCM1	SDBRB
	NBMK=NB-KCM1	SDBRB
C		SDBRB
C	DEFINE FUNCTIONS DP,DM AND DB TO BE 0.0	SDBRB
	DP=0.0	SDBRB
	DPA(INDB)=DP	SDBRB
	DM=0.0	SDBRB
	DMA(INDB)=DM	SDBRB
	DB=0.0	SDBRB
	DBA(INDB)=DB	SDBRB
C		SDBRB
C		SDBRB
C	CURRENTLY DEFINITIONS FOR FUNCTIONS BMP AND BPM DO NOT EXIST.	SDBRB
	BMP=0.0	SDBRB
	BMPA=BMP	SDBRB
	BPM=0.0	SDBRB
	BPMA=BPM	SDBRB
C		SDBRB
C	DEFINE FUNCTION BPP	SDBRB
	BPP=(TMU/NPMI)*DBCIM1*DBCOMJ*DBOK	SDBRB
	BPPA(INDB)=BPP	SDBRB
C		SDBRB
C	DEFINE FUNCTION BMM	SDBRB
	EMM=(TMUP/NMMJ)*DBCOMI*DECJM1*DBOK	SDBRB
	BMA(INDB)=BMM	SDBRB
C		SDBRB
C	DEFINE FUNCTION BPB	SDBRB
	BBBCOM=(6.0/NBMK)*PWRMUS*DBCOMI*DBCOMJ*DBOKM1	SDBRB
	BPB=BBBCOM*MU	SDBRB
	BPBA(INDB)=BPB	SDBRB
C		SDBRB
C	DEFINE FUNCTION BMB	SDBRB
	BMB=BBBCOM*MUP	SDBRB
	BMBA(INDB)=BMB	SDBRB
C		SDBRB
C	DEFINE FUNCTION BBP	SDBRB
	BPMCOM=TWO DIV 3*DB1K*PWRMUS	SDBRB
	BBP=BPMCOM*((NPMI-TMU)/NPMI)*DBCIM1*DBCOMJ	SDBRB
	BBPA(INDB)=BBP	SDBRB
C		SDBRB
C	DEFINE FUNCTION BBM	SDBRB
	BEM=BPMCOM*((NMMJ-TMUP)/NMMJ)*DBCOMI*DBCJM1	SDBRB
	BBMA(INDB)=BBM	SDBRB
C		SDBRB
C	DEFINE FUNCTION BBB FOR MU=MUP=0, OTHERWISE BBB=0.0	SDBRB
	BBB=0.0	SDBRB
	IF(MUSZERO) BBB=(2.0/NBMK)*DB1KM1	SDBRB
	BBBA(INDB)=BBB	SDBRB
	RETURN	SDBRB
	END	SDBRB

	FUNCTION PCOND(MU,MUP,NU,IC,JC,KC,IT)	PCOND
	COMMON/INVAR/ EMLAM(3,51),EMDEL(4,51),EMLAM1(3,51),EMLAM2(3,51),	PCOND
1	G2(3,51),AT(3,51),CT(3,51)	PCOND
	REAL I2CPSQ,J2CMSQ,K2CBSQ	PCOND
C		PCOND
C	AT TIME 0 PCOND=1.0 FOR MU=IC,MUP=JC AND NU=KC; PCOND=0.0 OTHERWISE.	PCOND
	IF(IT.GT.1) GO TO 10	PCOND
	IF(MU.EQ.IC .AND. MUP.EQ.JC .AND. NU.EQ.KC) GO TO 20	PCOND
	PCOND=0.0	PCOND
	RETURN	PCOND
20	PCOND=1.0	PCOND
	RETURN	PCOND
C		PCOND
10	CONTINUE	PCOND
C	PCOND=0 IF MU.GT.IC OR MUP.GT.JC OR NU.GT.KC	PCOND
	IF(MU.LE.IC .AND. MUP.LE.JC .AND. NU.LE.KC) GO TO 30	PCOND
	PCOND=0.0	PCOND
	RETURN	PCOND
C		PCOND
30	CONTINUE	PCOND
	IP=1	PCOND
	IM=2	PCOND
	IB=3	PCOND
	CP=CT(IP,IT)	PCOND
	CPSQR=CP*CP	PCOND
	CM=CT(IM,IT)	PCOND
	CMSQR=CM*CM	PCOND
	CB=CT(IB,IT)	PCOND
	CBSQR=CB*CB	PCOND
C		PCOND
C	COMPUTE BINOMIAL COEFFICIENTS IN THE NUMERATOR	PCOND
	BINOMC=FNCK(IC,MU)*FNCK(JC,MUP)*FNCK(KC,NU)	PCOND
C		PCOND
	XNUMBER=BINOMC*(CP**MU) * (CM**MUP) * (CB**NU)	PCOND
	I2CPSQ=0.0	PCOND
	IF(IC.GE.2) I2CFSQ=FNCK(IC,2)*CPSQR	PCOND
	J2CMSQ=0.0	PCOND
	IF(JC.GE.2) J2CMSQ=FNCK(JC,2)*CMSQR	PCOND
	K2CBSQ=0.0	PCOND
	IF(KC.GE.2) K2CBSQ=FNCK(KC,2)*CBSQR	PCOND
C		PCOND
	DENOMR=1.0+(IC*CP)+I2CPSQ+(JC*CM)+J2CMSQ+(KC*CB)+K2CBSQ+	PCOND
1	(IC*JC*CP*CM)+(IC*KC*CP*CB)+(JC*KC*CM*CB)	PCOND
	PCOND=XNUMBER/DENOMR	PCOND
	RETURN	PCOND
	END	PCOND

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